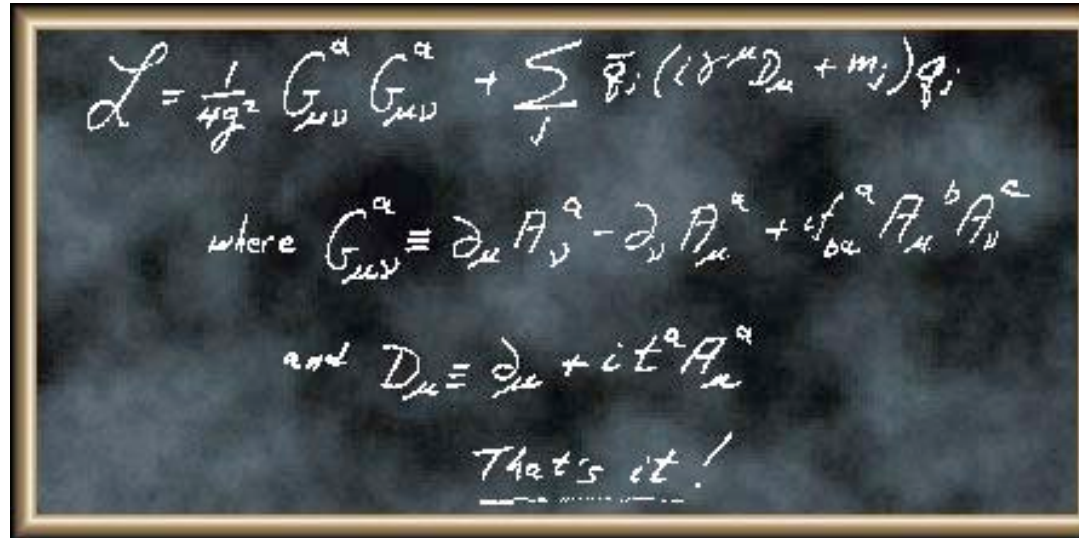




*Search for exotics at* **panda**

- Study of QCD bound states;
- Different theoretical/experimental approaches;
- The PANDA experimental program.

# Quantum Chromodynamics


$$\mathcal{L} = \frac{1}{4g^2} G_{\mu\nu}^a G_{\mu\nu}^a + \sum_j \bar{\psi}_j (i\gamma^\mu D_\mu + m_j) \psi_j$$

where  $G_{\mu\nu}^a \equiv \partial_\mu A_\nu^a - \partial_\nu A_\mu^a + if_{bc}^a A_\mu^b A_\nu^c$

and  $D_\mu \equiv \partial_\mu + it^a A_\mu^a$

That's it!

The **QCD** Lagrangian is, **in principle**, a simple and complete description of the strong interaction:

- there is just one overall coupling constant  $g$
- and
- six quark-mass parameters  $m_j$  for the six quark flavors

**But,**  
it leads to equations that are hard to solve

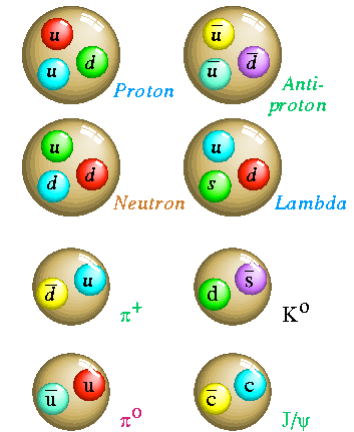
# The Confinement

None of the particles that we've actually seen appear in the formula and none of the particles that appear in the formula has ever been observed.

Furthermore, we've never seen particles carrying fractional electric charge, which we nonetheless ascribe to the quarks.

And certainly we haven't seen anything like gluons--massless particles mediating long-range strong forces.

So if QCD is to describe the world, it must explain why quarks and gluons cannot exist as isolated particles. That is the so-called confinement problem.

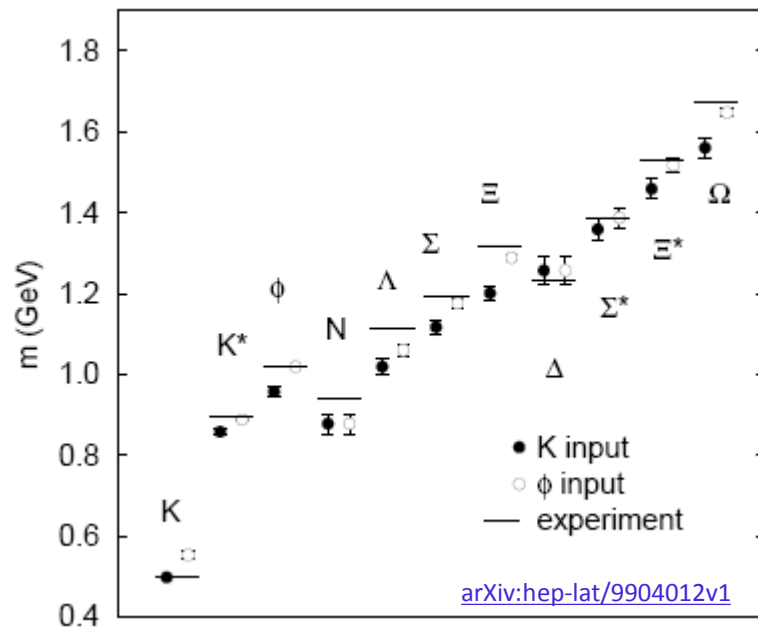


# How do we solve the QCD problems?

The first approach is to try to solve the equations.

That's not easy.

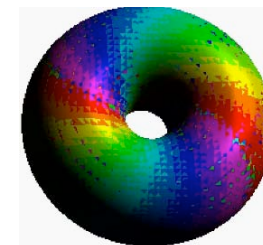
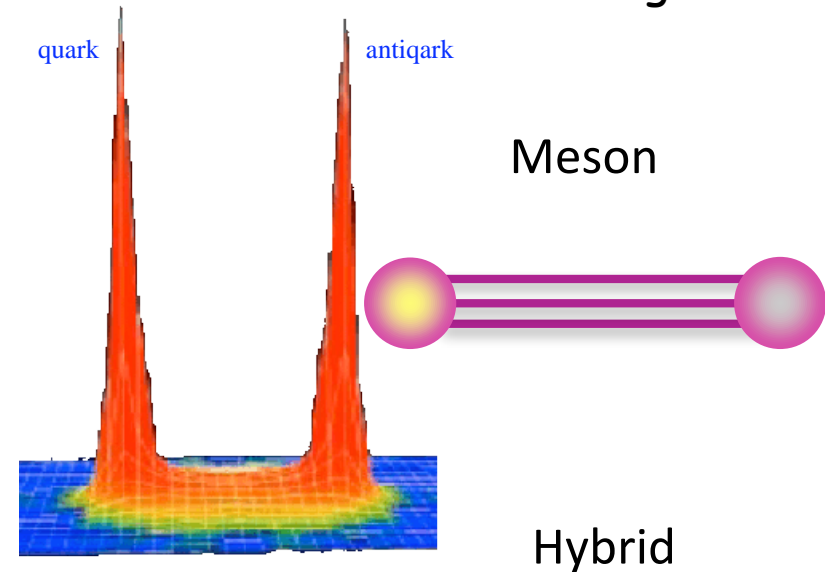
Fortunately, powerful modern computers have made it possible to calculate a few of the key predictions of QCD directly.



The agreement with the measured masses is at the 10% level.

4

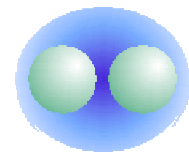
The second approach is that of creating phenomenological models that are simpler to deal with, but still bear some significant resemblance to the real thing.



Glueball

# Exotic hadrons

Regardless from the approach, the QCD spectrum is more rich than what is predicted by the naive quark model. Gluons carry color charge, therefore they can be explicit hadron components

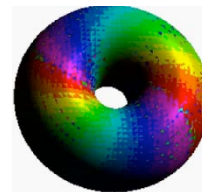

$$= \sum_i (q\bar{q})_i \sum_j g_j$$

The "exotic hadrons" fall in 3 general categories:

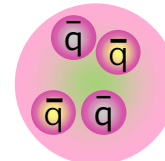
Hybrids  $(q\bar{q})g$



Glueballs  $gg$

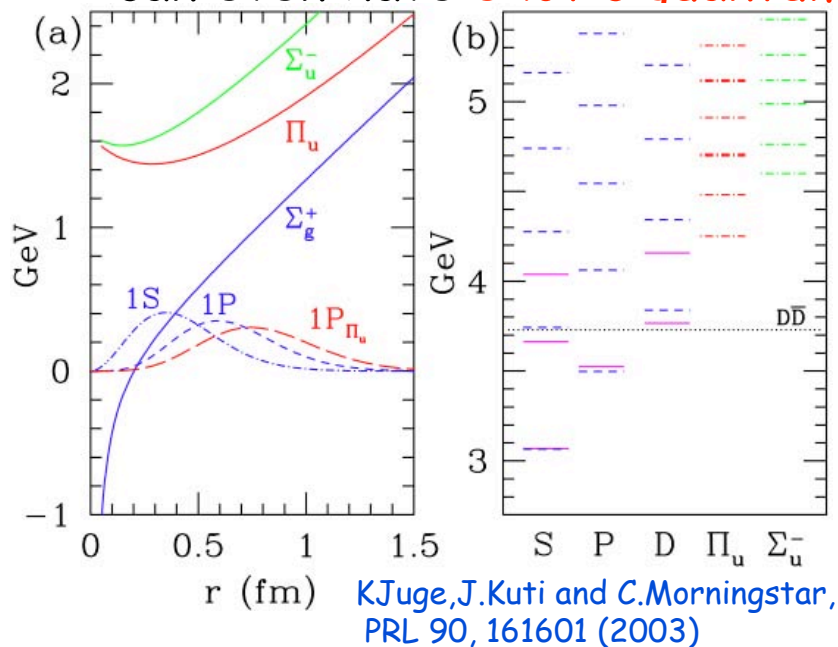


Multi-quarks  $(q\bar{q})(q\bar{q})$



# Hybrids

In the simplest scenario, an hybrid is a meson with an explicit glue content. Adding a gluon ( $J^P=1^+;1^-$ ) to a  $q\bar{q}$  pair corresponds to create two possible hybrid states. Some of these combinations can even have exotic quantum numbers.

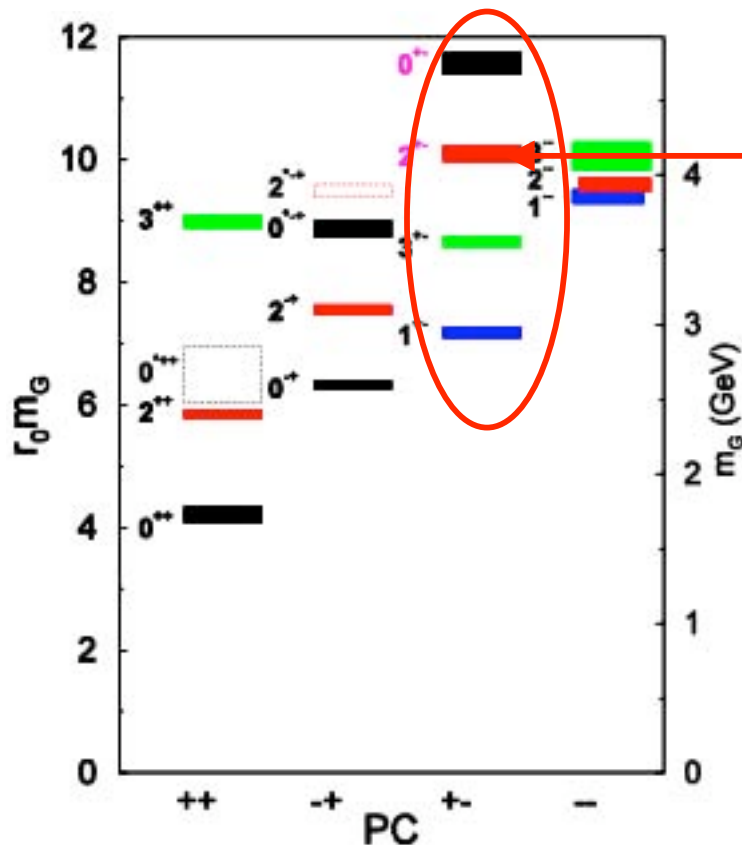


$q\bar{q}$	Gluon	
	$1^-$ (TM)	$1^+$ (TE)
$1S_0, 0^{++}$	$1^{++} \tilde{\chi}_{c1}$	$1^{--} \tilde{\psi}$
$3S_1, 1^{--}$	$0^{+-} \tilde{h}_{c0}$	$0^{-+} \tilde{\eta}_{c0}$
	$1^{+-} \tilde{h}_{c1}$	$1^{-+} \tilde{\eta}_{c1}$
	$2^{+-} \tilde{h}_{c2}$	$2^{-+} \tilde{\eta}_{c2}$

Theoretical models agree to expect 8 exotic charmonia in the 3-5  $GeV/c^2$  mass region. The lighter should be a  $1^{+-}$  state with a mass of about  $4.3 GeV/c^2$ . Quantum numbers and mass splitting are also predicted → the observation of the whole pattern would be an unambiguous signature

# Glueballs

LQCD makes rather accurate predictions for glueballs.  
 As for hybrids they can have exotic quantum numbers → **oddballs**



The lightest oddball, with  $J^{PC}=2^{+-}$ , is expected with a mass of  $4.3 \text{ GeV}/c^2$ .

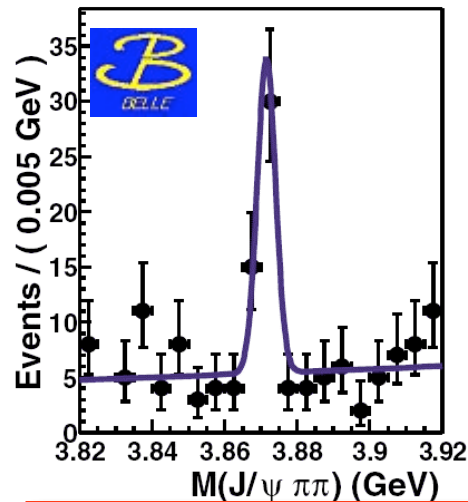
Glueballs don't have to obey the OZI rule → they can decay in any channel.  
 → their width is completely unknown

## LQCD glueball spectrum

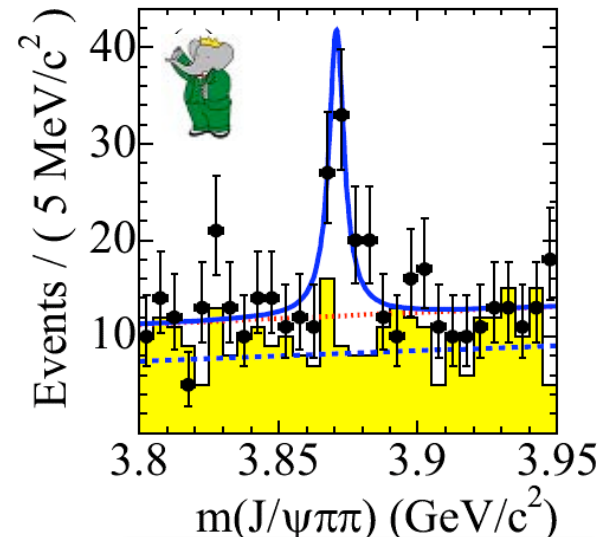
C.J. Monningstar and M. Peardon, Phys. Rev. D60, 034509 (1999)

# Multi-quarks

These states are expected to be **loosely bound**  $\rightarrow$  **large widths**. Nevertheless, the vicinity of a strong threshold can reduce the widths. This is the case of  $a_0(980)$  and  $f_0(975)$  that are close to the  $K\bar{K}$  threshold, and can be an explanation for  $X(3872)$ .



Phys.Rev. Lett.91,262001 (2003)

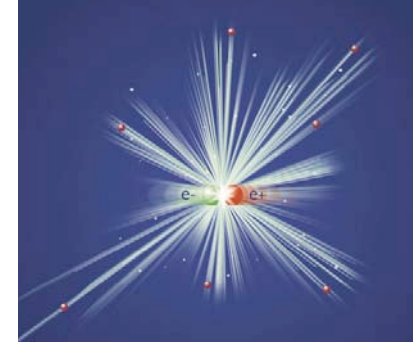
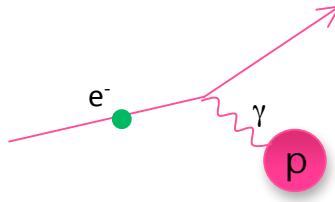
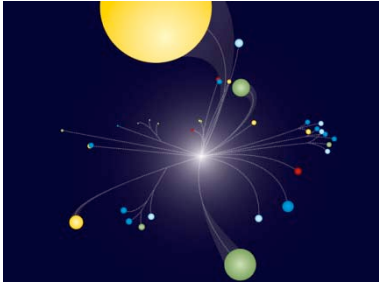


Phys.Rev. D71,071103 (2005)  
Phys.Rev. D73,011101 (2006)



# Experimental approach

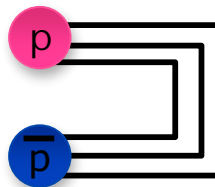
High statistics and high quality data are necessary to help constraining the theory.



Different experimental techniques can be used to focus on different aspects:

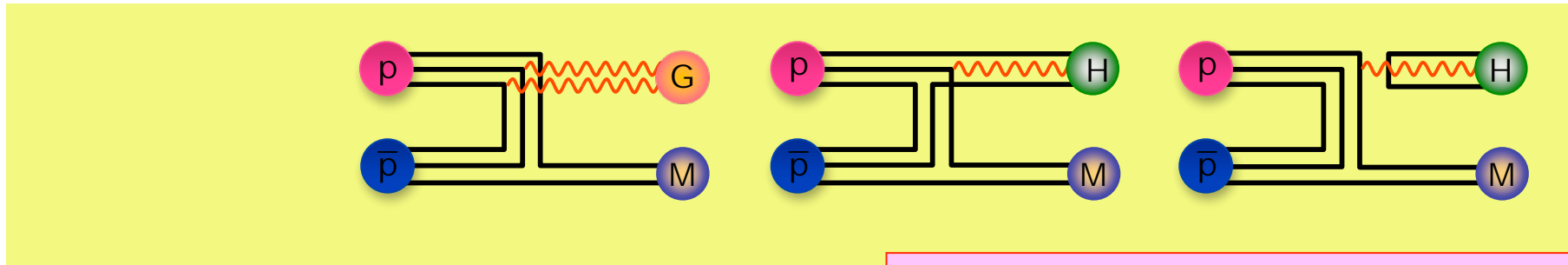
The selection of special working conditions or of final states helps filtering initial/final state quantum numbers

- In proton-antiproton annihilations complex objects collide
- The interaction occurs between two beams of (anti)quarks and gluons



# Spectroscopy with antiprotons

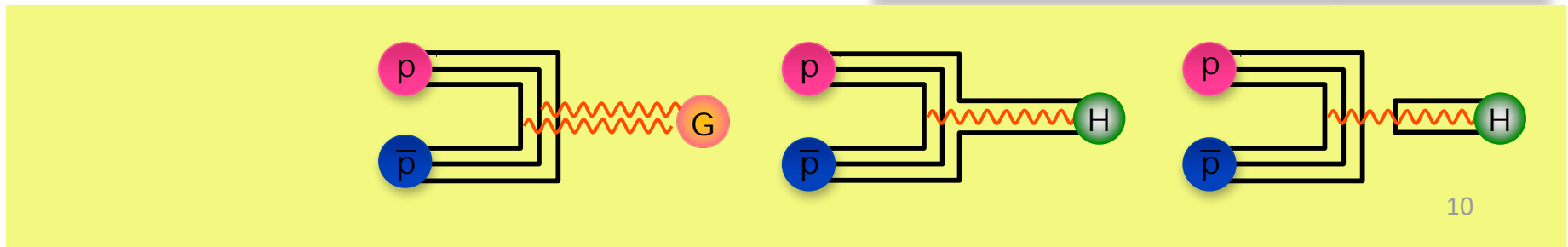
Two are the mechanisms to access particular final states:



Even exotic quantum numbers can be reached  $\sigma \sim 100 \text{ pb}$

Exotic states are produced with rates similar to  $q\bar{q}$  conventional systems

All ordinary quantum numbers can be reached  $\sigma \sim 1 \mu\text{b}$



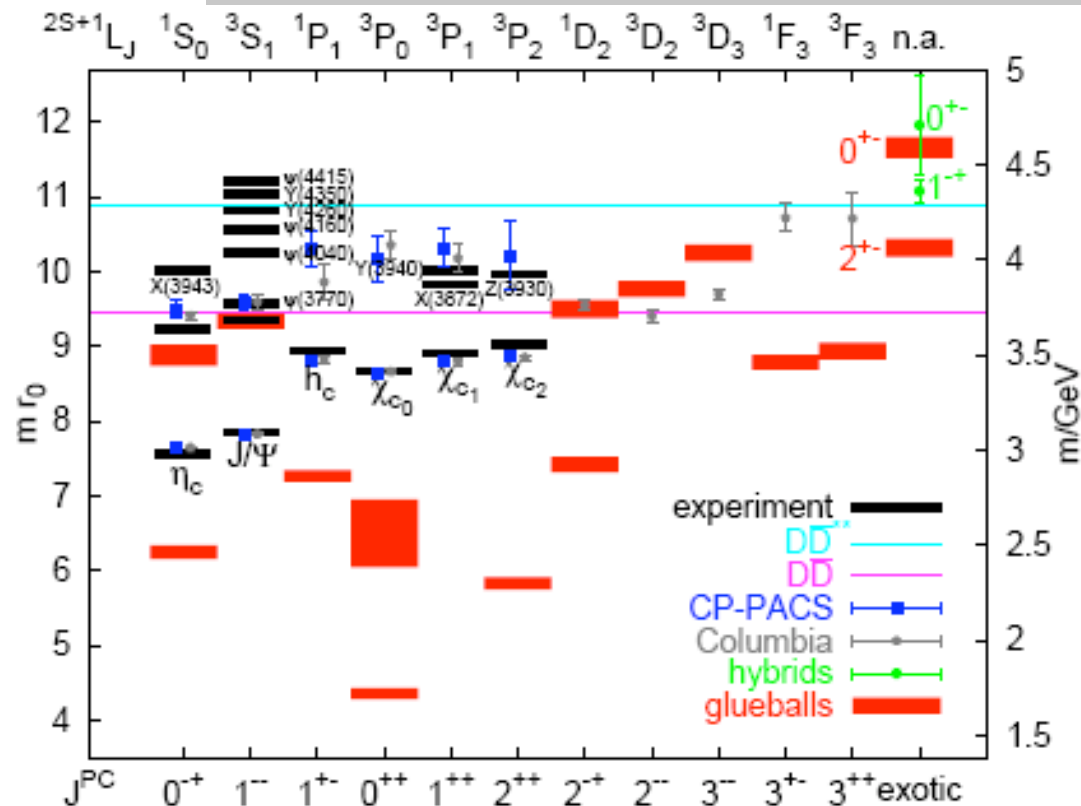
# Exotic hadrons

In the light meson region, more than 10 states have been classified as possible "Exotics". Almost all of them have been seen in  $p\bar{p}$ ...

Main non- $q\bar{q}$ candidates	
$f_0(980)$	4q state - molecule
$f_0(1500)$	$0^{++}$ glueball candidate
$f_0(1370)$	$0^{++}$ glueball candidate
$f_0(1710)$	$0^{++}$ glueball candidate
$\eta(1410); \eta(1460)$	$0^{-+}$ glueball candidate
$f_1(1420)$	hybrid, 4q state
$\pi_1(1400)$	hybrid candidate $1^{-+}$
$\pi_1(1600)$	hybrid candidate $1^{-+}$
$\pi(1800)$	hybrid candidate $0^{-+}$
$\pi_2(1900)$	hybrid candidate $2^{-+}$
$\pi_1(2000)$	hybrid candidate $1^{-+}$
$a_2'(2100)$	hybrid candidate $1^{++}$

# Charmonium region

Charmonium spectrum, glueballs, spin-exotics  $c\bar{c}$ -glue hybrids with experimental results

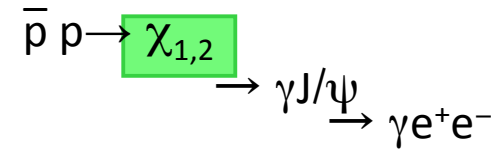
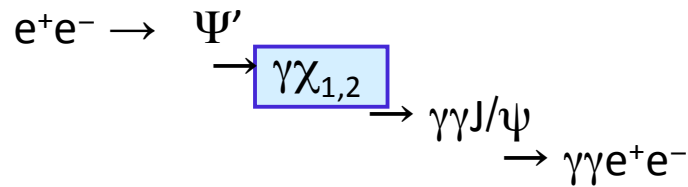


From G. S. Bali, Int.J.Mod.Phys. A21 (2006) 5610-5617

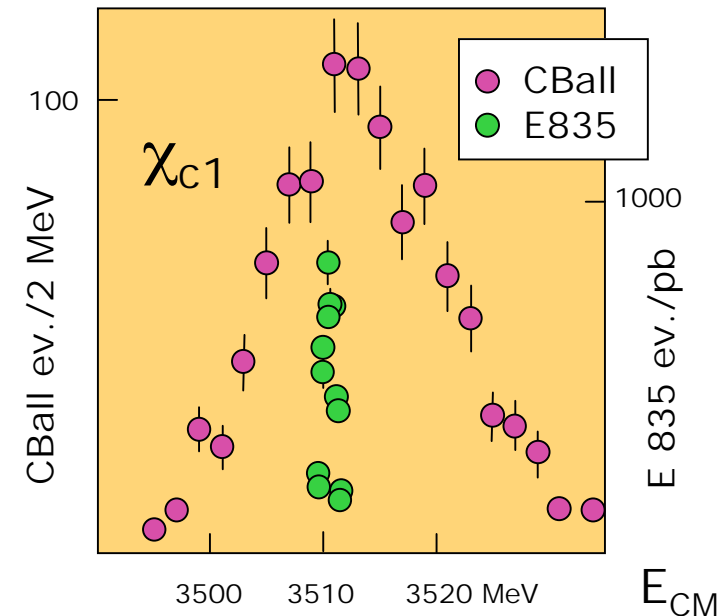
[arXiv:hep-lat/0608004](https://arxiv.org/abs/hep-lat/0608004)

Quantum numbers assignment become clear only with high statistics and different final states

# Antiproton's power



- $e^+e^-$  interactions:
  - Only  $1^{--}$  states are formed
  - Other states only by secondary decays (moderate mass resolution)
- $p\bar{p}$  reactions:
  - All states directly formed (very good mass resolution)

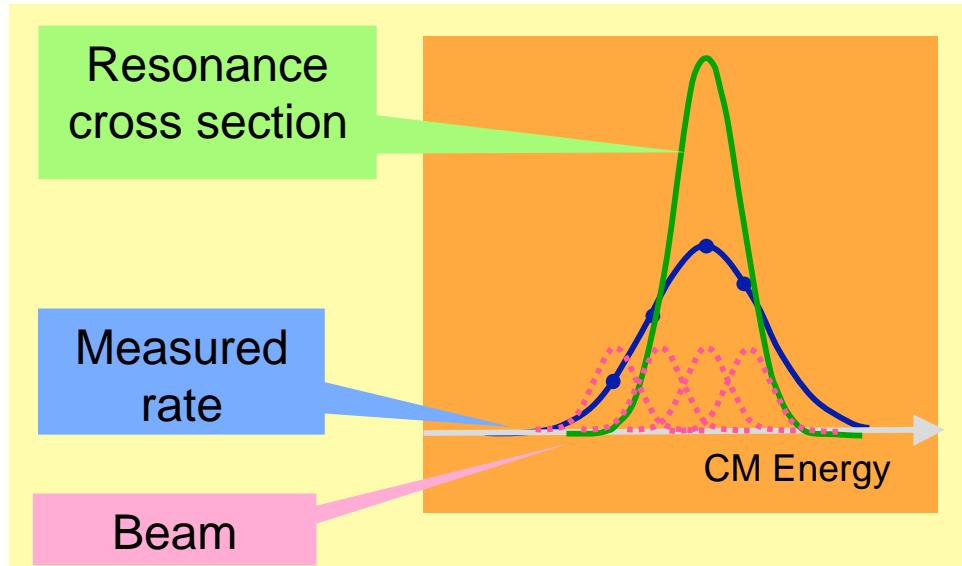


$$\text{Br}(p\bar{p} \rightarrow \eta_c) = 1.2 \cdot 10^{-3}$$

$$\text{Br}(e^+e^- \rightarrow \psi) \cdot \text{Br}(\psi \rightarrow \gamma\eta_c) = 2.5 \cdot 10^{-5}$$

# Antiproton's power

$\bar{p}$ -beams can be cooled → Excellent resonance resolution



- $e^+e^-$ : typical mass res.  $\sim 10$  MeV
- Fermilab: 240 keV
- HESR:  $\sim 30$  keV

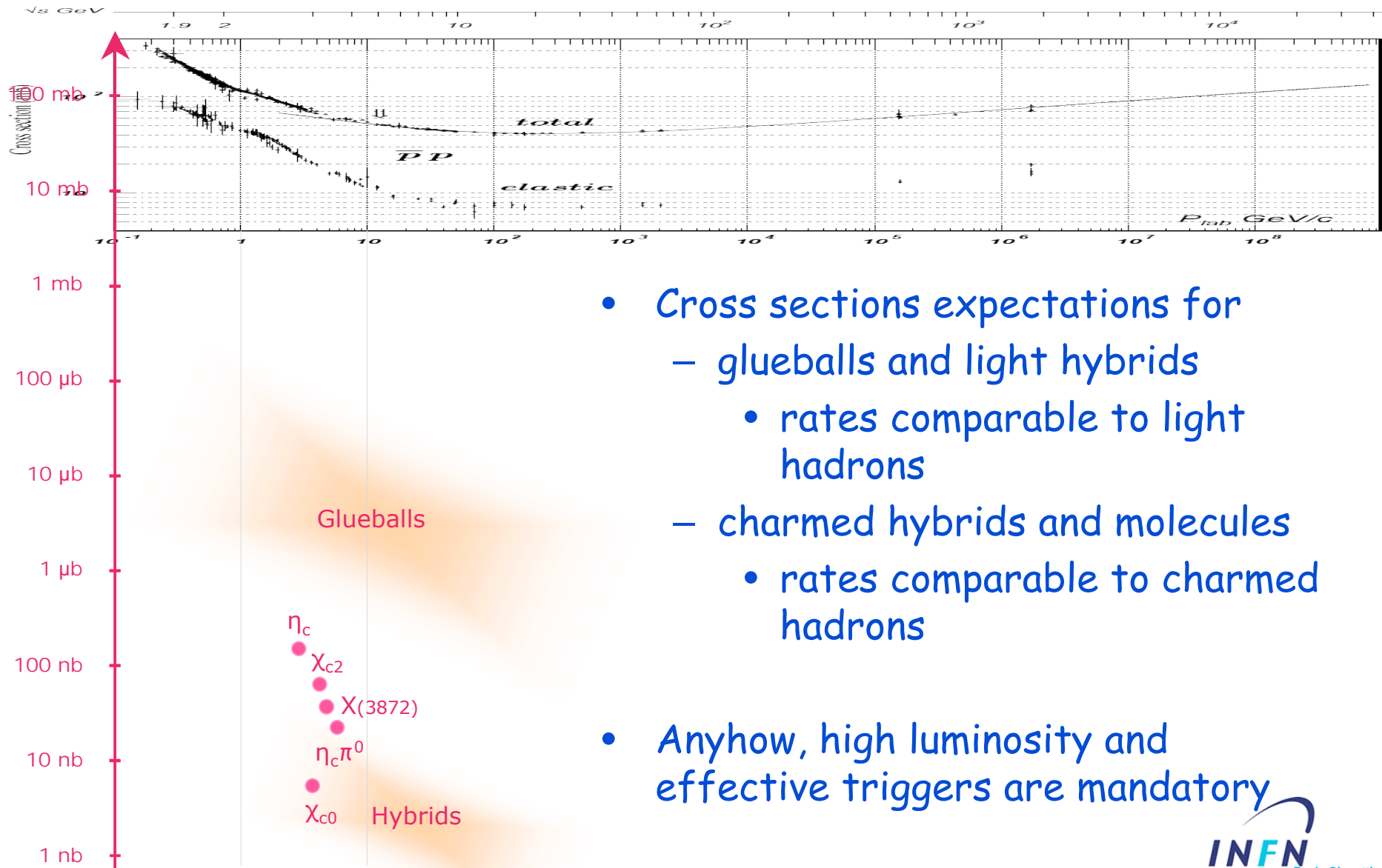
The production rate of a certain final state  $\nu$  is a convolution of the **BW cross section**

and the beam energy distribution function  $f(E, \Delta E)$ :

$$\nu = L_0 \left\{ \epsilon \int dE f(E, \Delta E) \sigma_{BW}(E) + \sigma_b \right\}$$

The resonance mass  $M_R$ , total width  $\Gamma_R$  and product of branching ratios into the initial and final state  $B_{in} B_{out}$  can be extracted by measuring the formation rate for that resonance as a function of the cm energy  $E$ .

# $\bar{p}p$ cross section-exclusive final states

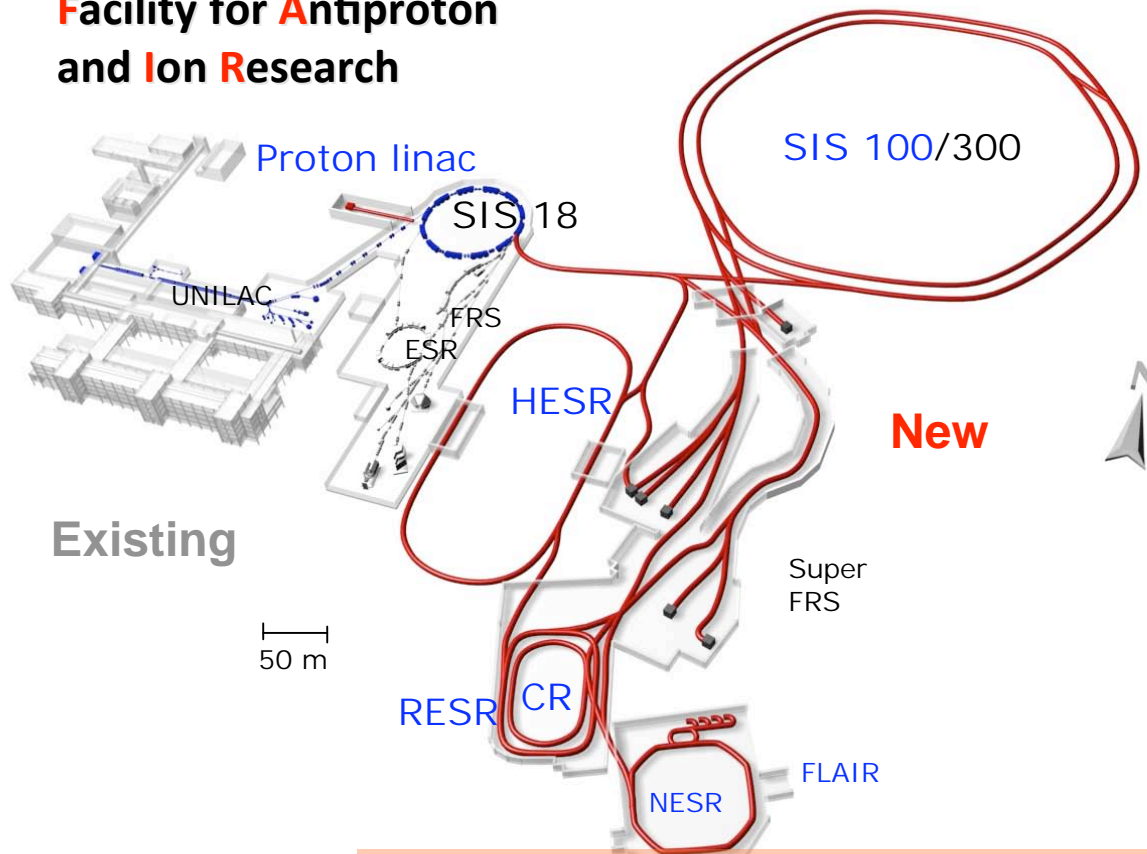


- Cross sections expectations for
  - glueballs and light hybrids
    - rates comparable to light hadrons
  - charmed hybrids and molecules
    - rates comparable to charmed hadrons

- Anyhow, high luminosity and effective triggers are mandatory

# FAIR: the new antiproton facility

Facility for Antiproton and Ion Research

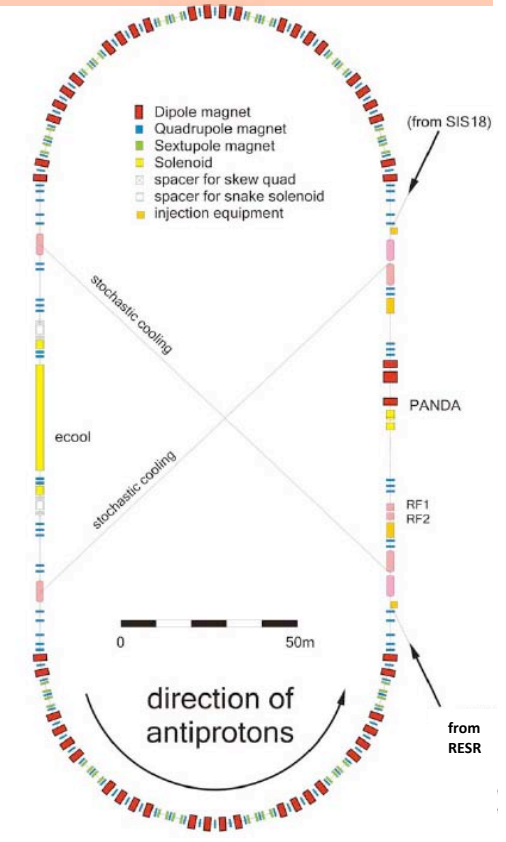


**Antiproton production**

- Proton Linac 50 MeV
- Accelerate p in SIS18 / 100
- Produce  $\bar{p}$  on target
- Collect in CR, cool in RESR

**HESR: Storage ring for  $\bar{p}$**

- Injection of  $\bar{p}$  at 3.7 GeV
- Slow synchrotron (1.5-15 GeV)
- Luminosity up to  $L \sim 2 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$
- Beam cooling (stochastic & electron)





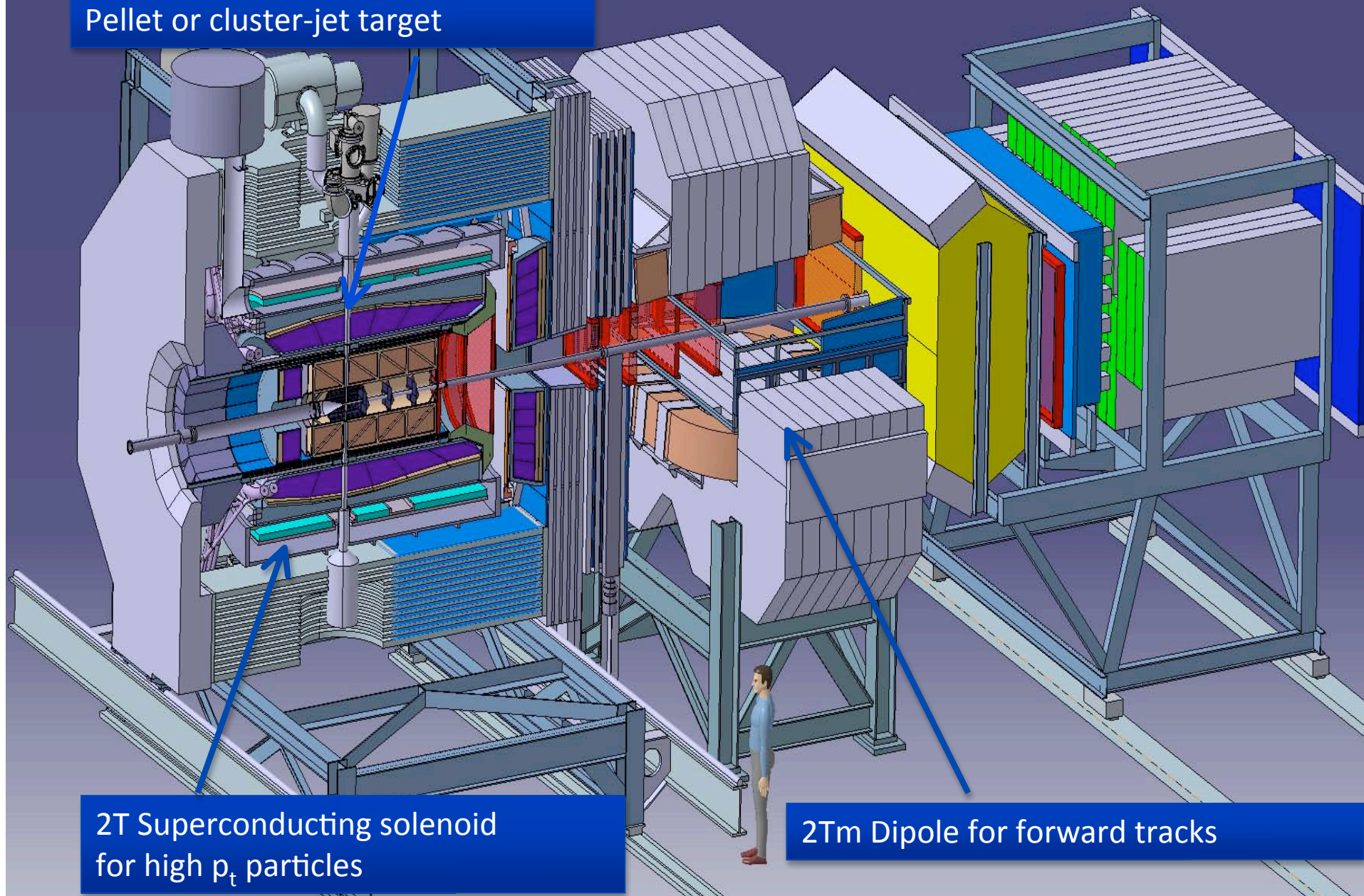
# *General Purpose Detector*

## Detector requirements:

- nearly  $4\pi$  solid angle (partial wave analysis)
- high rate capability ( $2 \cdot 10^7$  annihilations/s)
- good PID ( $\gamma, e, \mu, \pi, K, p$ )
- momentum resolution ( $\sim 1\%$ )
- vertex info for  $D, K^0_S, \Lambda$  ( $c_\tau = 317 \mu\text{m}$  for  $D^\pm$ )
- efficient trigger ( $e, \mu, K, D, \Lambda$ )
- modular design (Hypernuclear experiments)



Pellet or cluster-jet target



2T Superconducting solenoid  
for high  $p_t$  particles

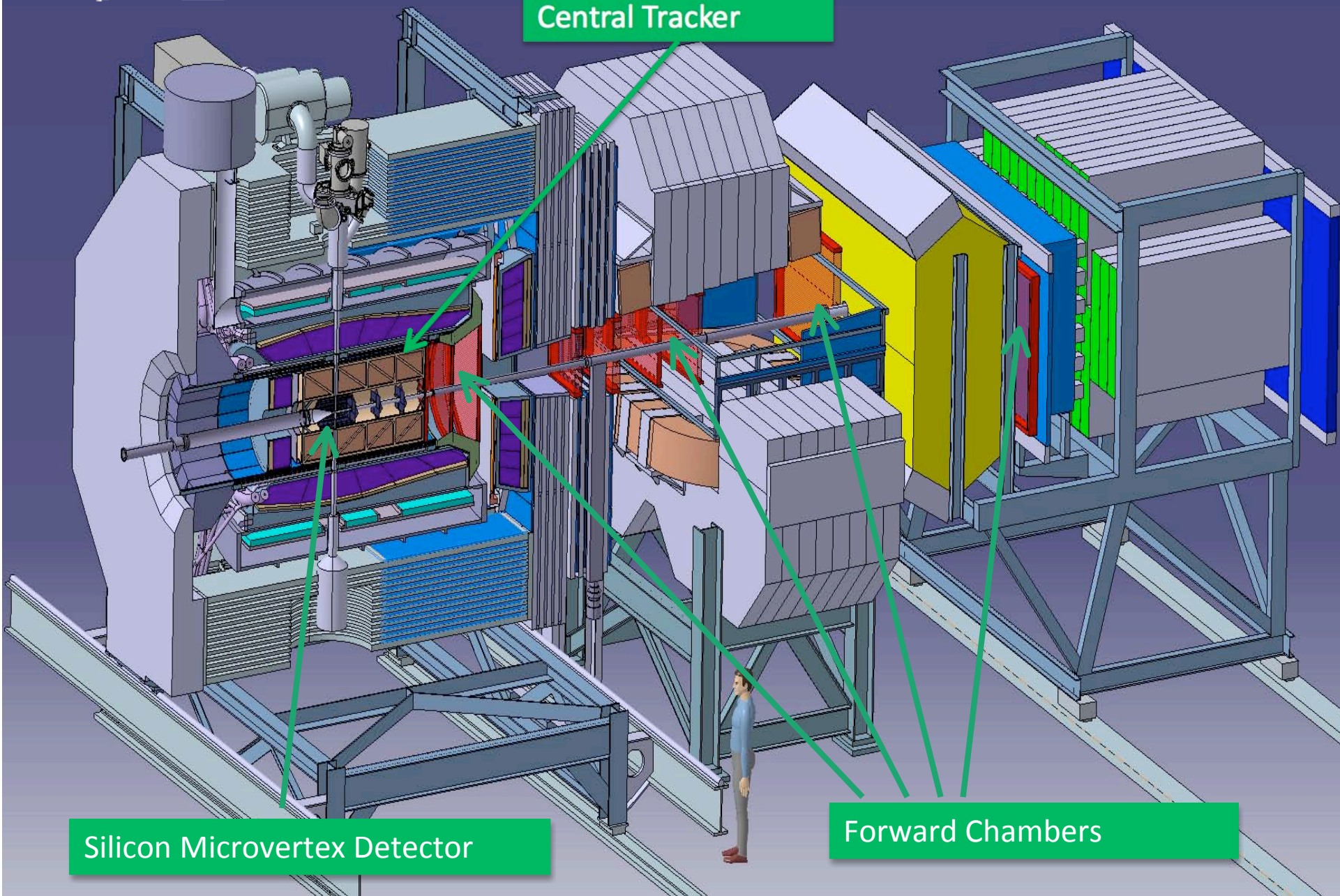
2Tm Dipole for forward tracks

**panda**

Central Tracker

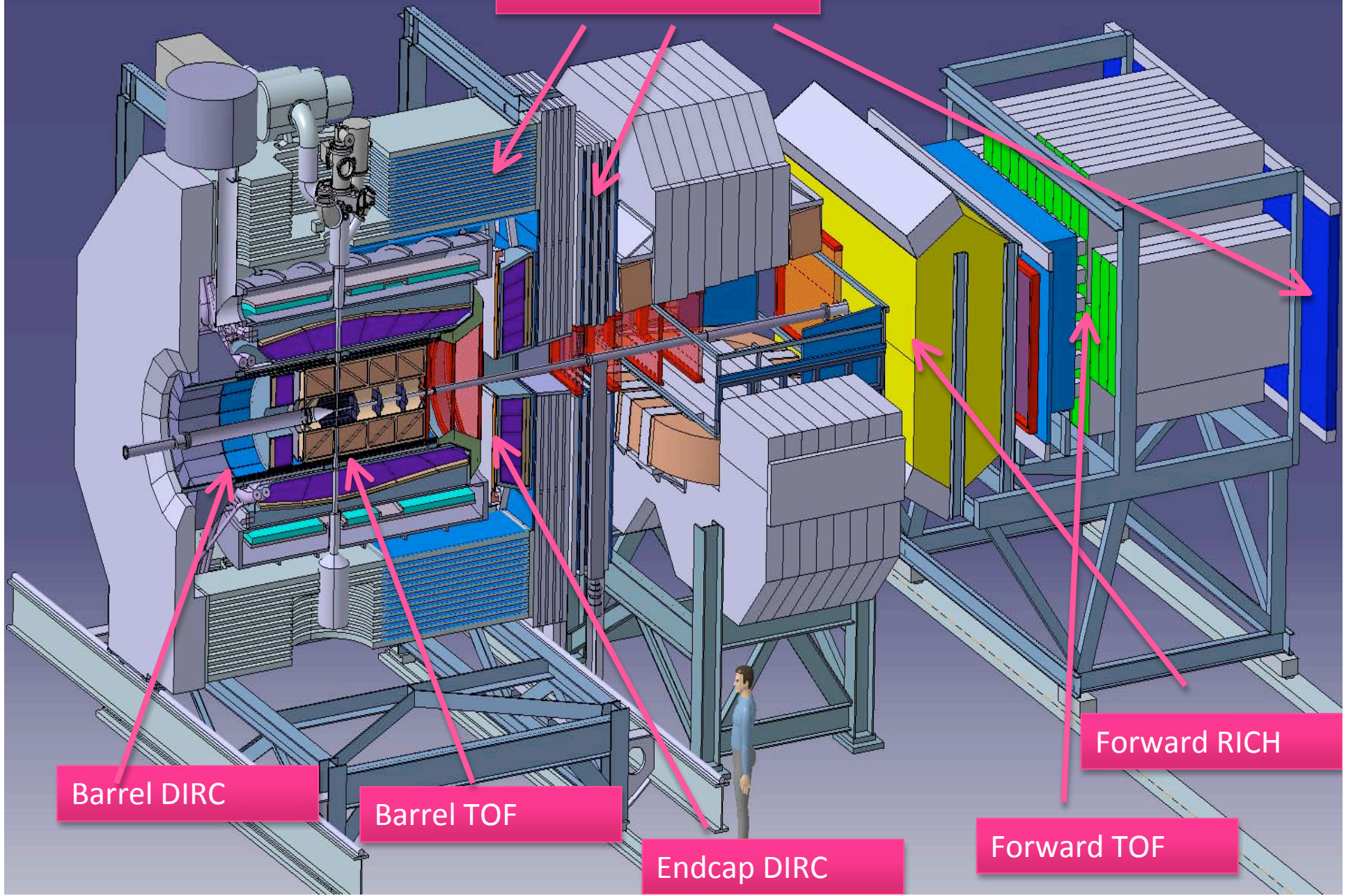
Silicon Microvertex Detector

Forward Chambers



**panda**

Muon Detectors



Barrel DIRC

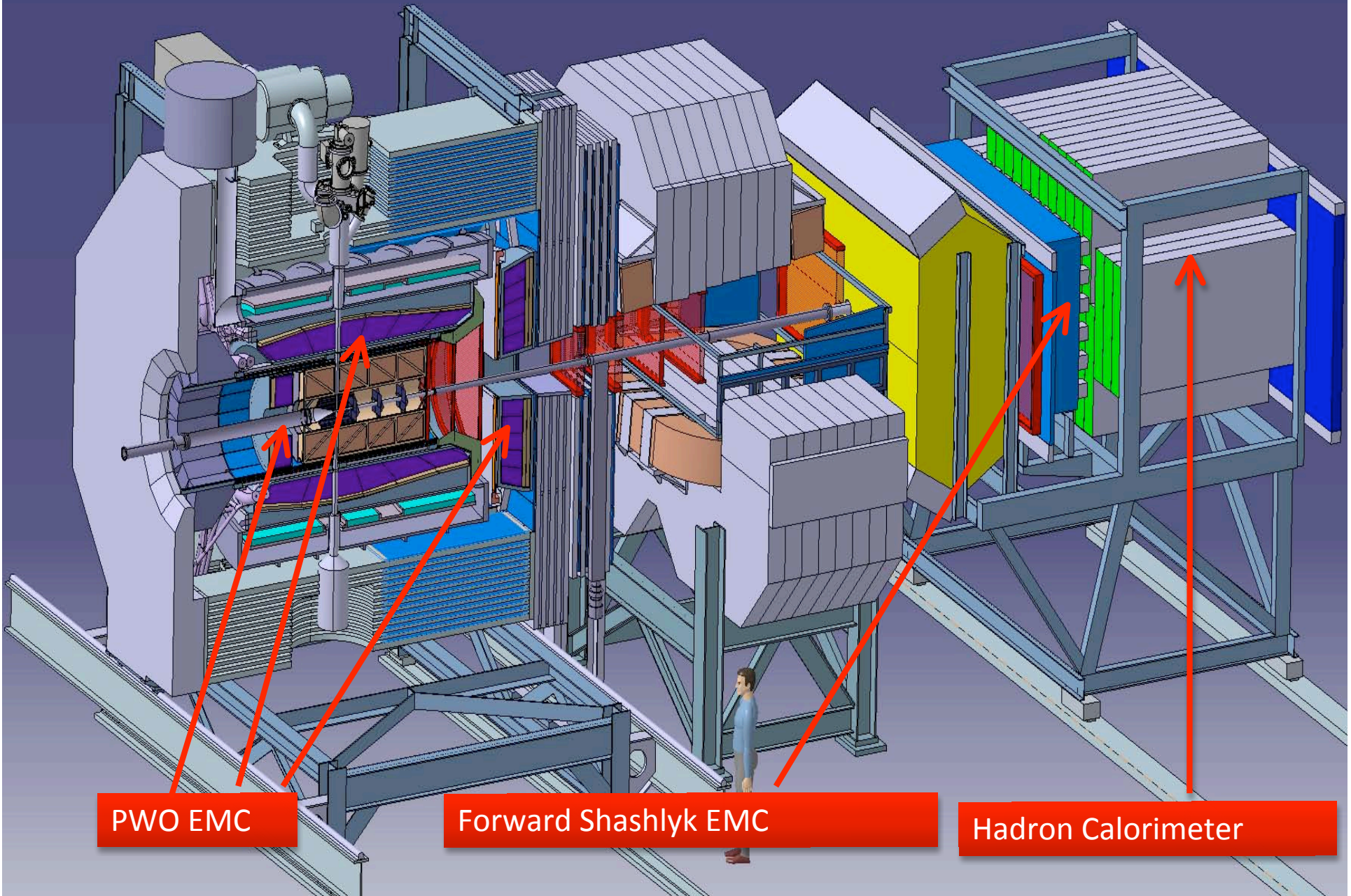
Barrel TOF

Endcap DIRC

Forward RICH

Forward TOF

**panda**



PWO EMC

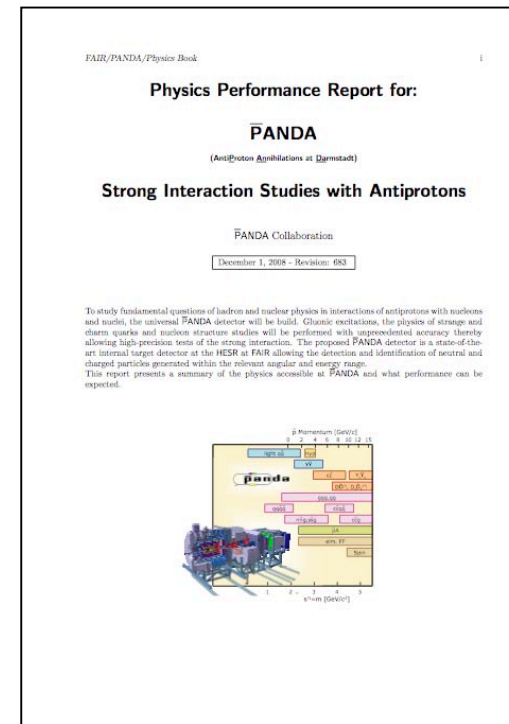
Forward Shashlyk EMC

Hadron Calorimeter

# The $\overline{\text{PANDA}}$ Physics Book

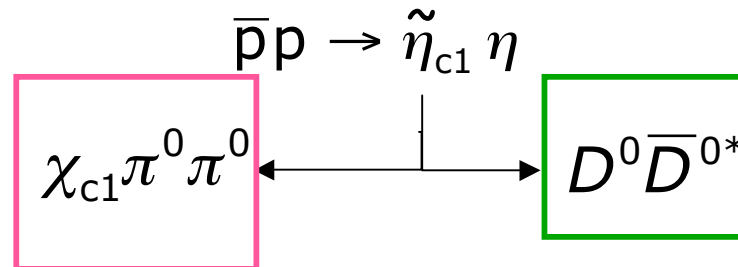
2008 has seen a big effort of the Collaboration preparing the PANDA Physics Book.

More than 200 pages have been produced to describe all the aspects of the scientific program. Detailed simulations have been performed to evaluate detector performance on many benchmark channels.



# Benchmark Channels

PANDA strategy to look for an hypothetical hybrid  $\tilde{\eta}$  ( $J^{PC}=1^{-+}$ , mass  $\sim 4.3 \text{ GeV}/c^2$ , width 20 MeV) is that of searching it in the channels:



Signal & Background reactions

B

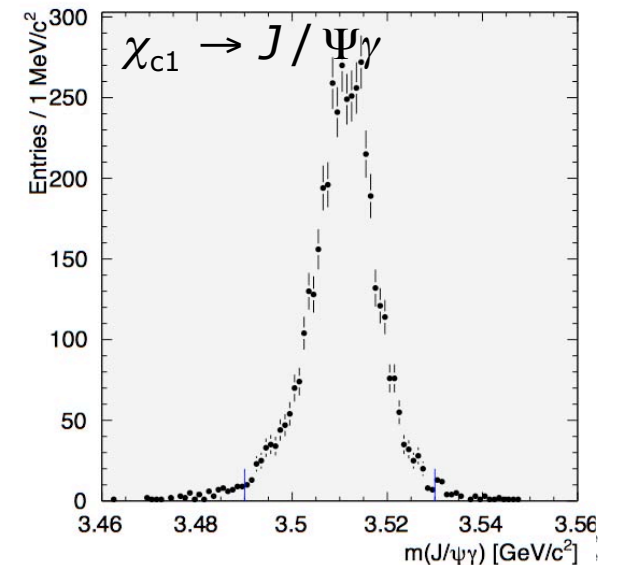
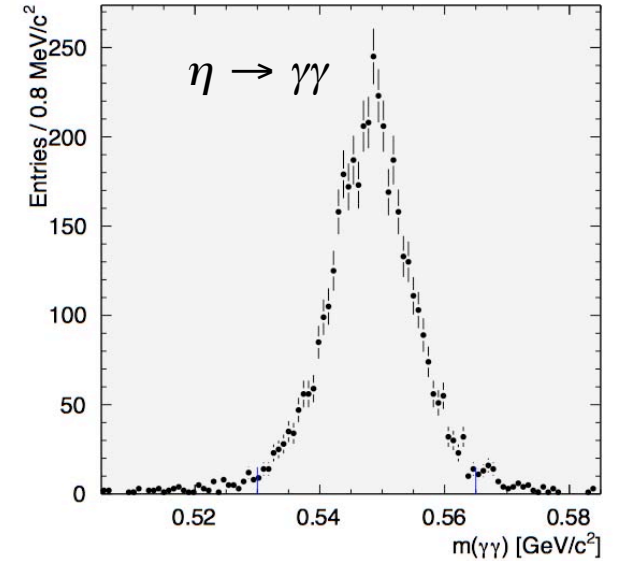
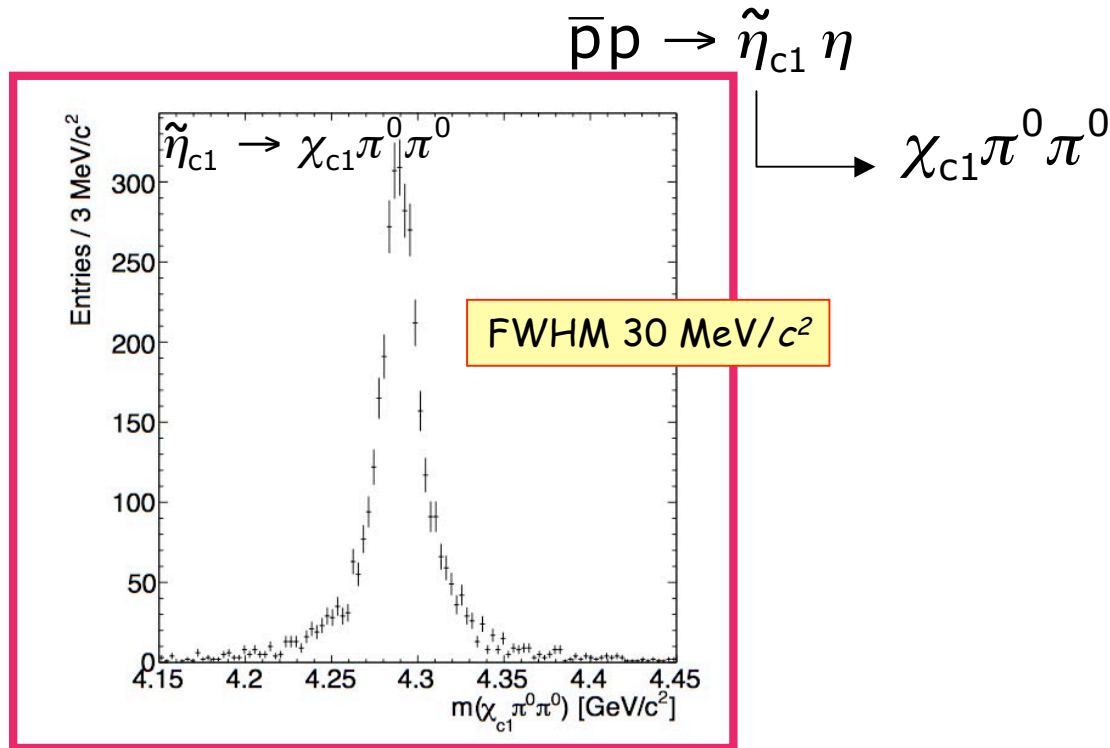
$\bar{p}p \rightarrow$		B
$\tilde{\eta}_{c1} \eta$	33 pb	$0.82\% \times \mathcal{B}(\tilde{\eta}_{c1} \rightarrow \chi_{c1} \pi^0 \pi^0)$
$\chi_{c0} \pi^0 \pi^0 \eta$		0.03 %
$\chi_{c1} \pi^0 \eta \eta$		0.32 %
$\chi_{c1} \pi^0 \pi^0 \pi^0 \eta$		0.81 %
$J/\psi \pi^0 \pi^0 \pi^0 \eta$		2.26 %

Signal & Background reactions

B

$\bar{p}p \rightarrow$	B
$\tilde{\eta}_{c1} \eta$	$0.47\% \times \mathcal{B}(\tilde{\eta}_{c1} \rightarrow D^0 \bar{D}^{*0})$
$D^0 \bar{D}^{*0} \eta$	$3.2\% \times \mathcal{B}(D^0 \rightarrow K^- \pi^+ \pi^0 \pi^0) = 0.16\%*$
$D^0 \bar{D}^{*0} \pi^0$	1.17%

# Charmonium hybrid



We generated  $2 \cdot 10^5$  events at 15 GeV/c with:

$$\chi_{c1} \rightarrow J/\Psi \gamma$$

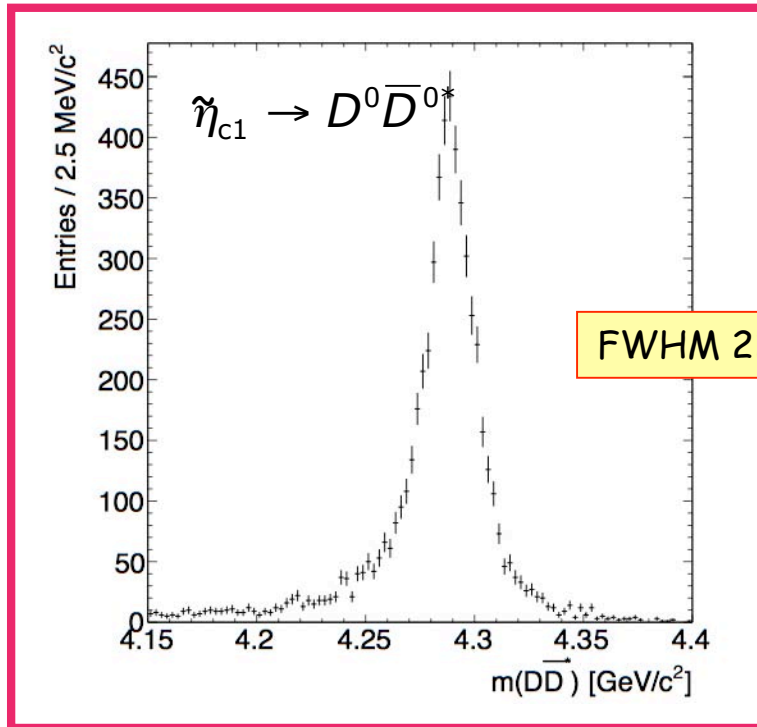
$$\quad \quad \quad \searrow$$

$$\quad \quad \quad e^+ e^-$$

9C fit: beam,  $\eta$ ,  $\chi_{c1}$ ,  $J/\Psi$  and  $\pi^0$  mass constraints.  
 Final reconstruction efficiency 6,83%, background suppression  $10^3$



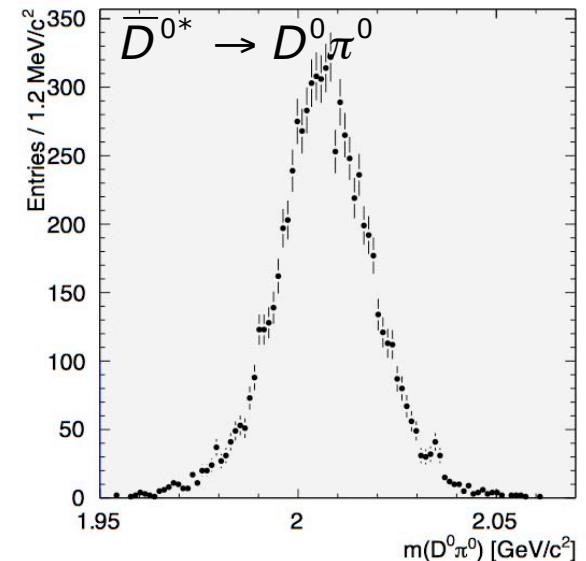
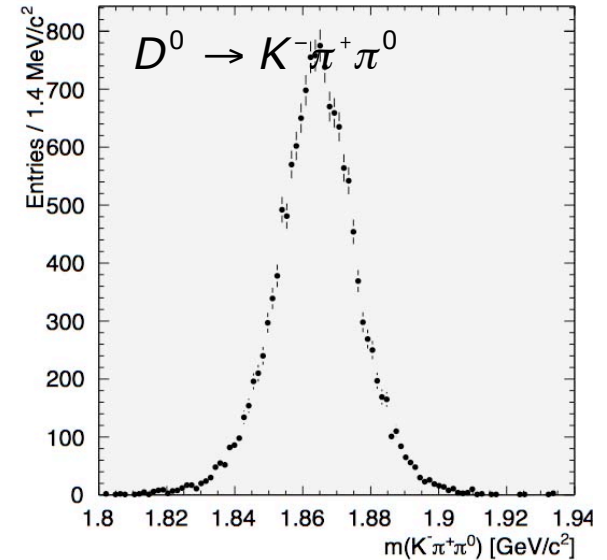
# Charmonium hybrid



$$\bar{p}p \rightarrow \tilde{\eta}_{c1} \eta$$

$$\rightarrow D^0 \bar{D}^{0*}$$

FWHM 22.5 MeV/c<sup>2</sup>



We generated  $1 \cdot 10^6$  events at 15 GeV/c with:

$$\bar{D}^{0*} \rightarrow D^0 \pi^0 \quad D^0 \rightarrow K^- \pi^+ \pi^0 \quad \eta \rightarrow \gamma\gamma$$

11C fit: beam,  $D^0$ ,  $\bar{D}^{0*}$ ,  $\eta$  and  $\pi^0$  mass constraints.  
 Final reconstruction efficiency 5,17%, background suppression  $10^5$

# Other states

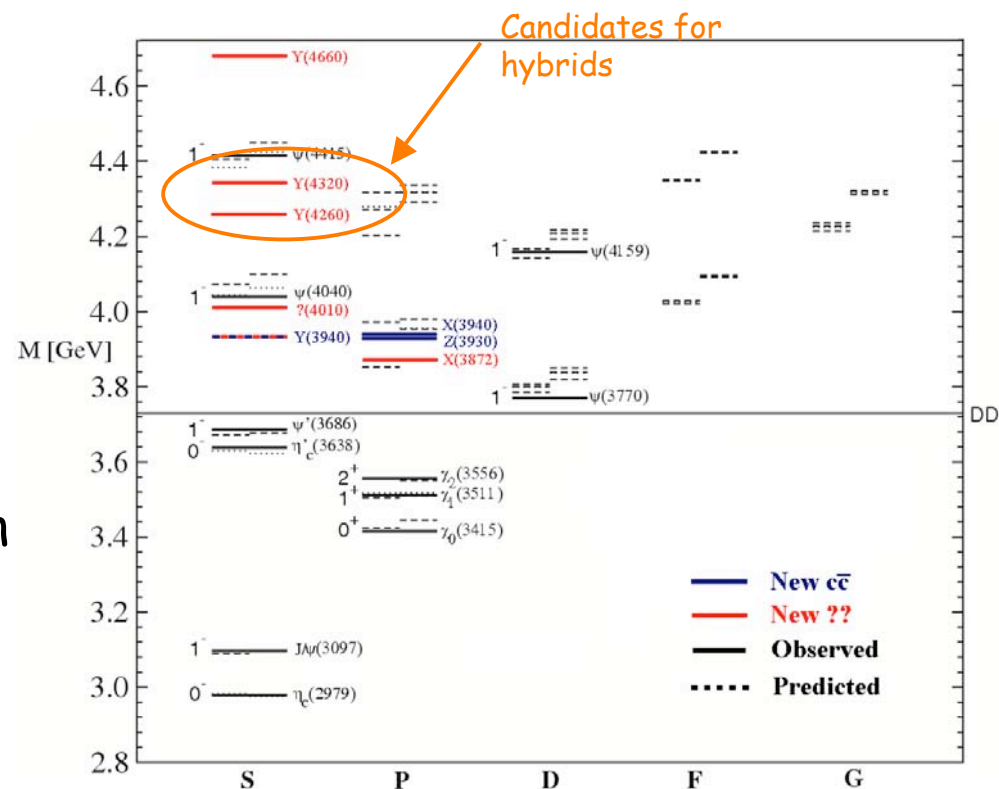
Several **states denoted as X , Y and Z** have been recently detected, whose nature is controversially debated and which are possibly not conventional charmonium states.

These states can be detected with the PANDA spectrometer with sufficient event rates and background suppression.

We concentrated on the formation reactions:

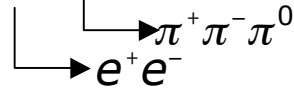
$$\bar{p}p \rightarrow Y(3940) \rightarrow J/\Psi\omega$$

$$\bar{p}p \rightarrow Y(4320) \rightarrow \psi(2S)\pi^+\pi^-$$



# Y(3940)

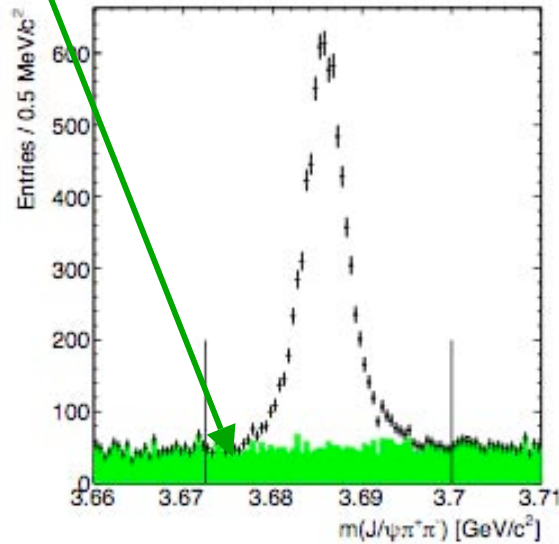
$\bar{p}p \rightarrow Y(3940) \rightarrow J/\Psi\omega$   $10^4$  signal events have been generated,  $\sim 10^6$  for each background reaction



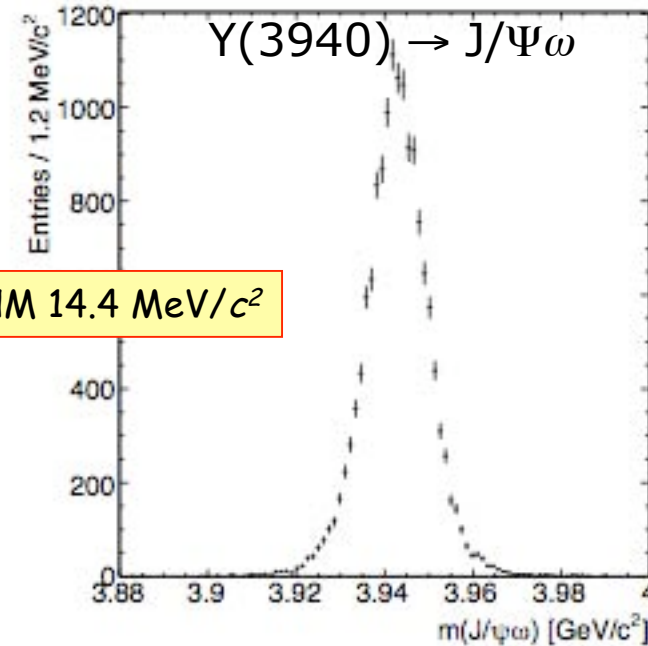
## Background reactions

None of these cross-sections has been measured in this energy range

Reaction	$\sigma$	$B$
$\bar{p}p \rightarrow$		
$Y \rightarrow J/\Psi\omega$	$\sigma_S$	$5.2\% \times B(Y \rightarrow J/\Psi\omega)$
$\pi^+\pi^-\pi^0\rho^0$	$149 \mu\text{b}^*$	100%
$\pi^+\pi^-\pi^-\rho^+$	$198 \mu\text{b}^*$	100%
$\pi^+\pi^-\omega$	$23.9 \mu\text{b}^*$	100%
$\psi(2S)\pi^0$	$55 \text{pb}$	3.73%
$Y \rightarrow J/\Psi\omega\pi$	$\sigma$	$5.9\% \times B(Y \rightarrow J/\Psi\omega\pi)$



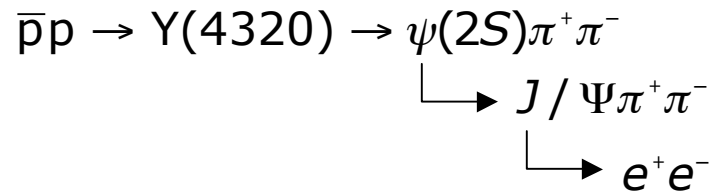
FWHM 14.4 MeV/c<sup>2</sup>



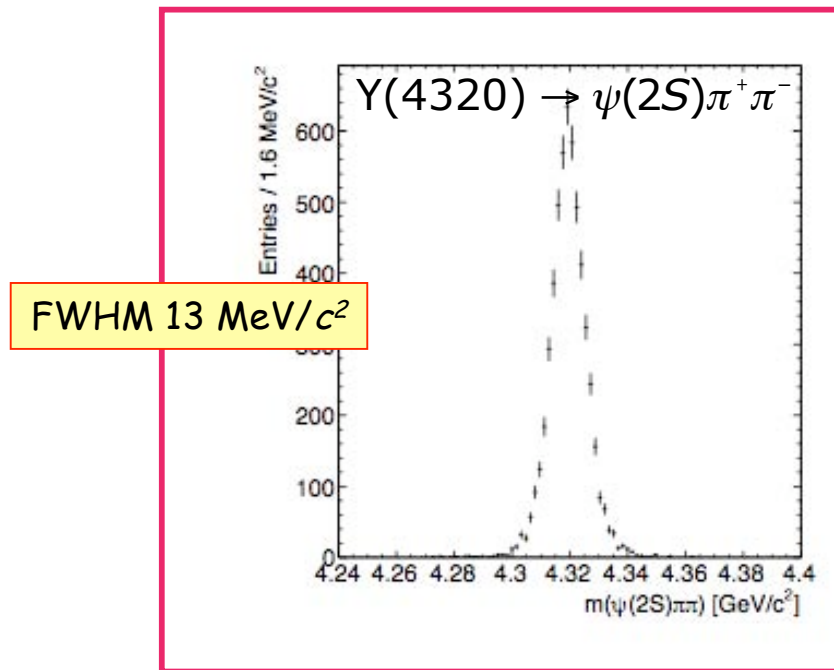
Reaction	$\eta$
$\pi^+\pi^-\pi^0\rho^0$	$> 1.1 \cdot 10^9$
$\pi^+\pi^-\pi^-\rho^+$	$> 1.05 \cdot 10^9$
$\pi^+\pi^-\omega$	$> 1.08 \cdot 10^8$
$\psi(2S)\pi^0$	$3.33 \cdot 10^3$
$J/\Psi\pi^-\rho^+$	25
$J/\Psi\pi^0\rho^0$	22.1

6C fit: beam, J/Ψ, π<sup>0</sup> mass constraints. Reconstruction eff. 14,7%, background suppression for different reactions

# Y(4320)



2·10<sup>4</sup> signal events have been generated at  $\bar{p}$  momentum  
8,9578 GeV/c and 10<sup>6</sup> 3π<sup>+</sup>3π<sup>-</sup> background events



6C fit: beam, J/Ψ,  $\psi(2S)$  mass constraints. Reconstruction efficiency 14,9%, background suppression 10<sup>6</sup>

$$\bar{p}p \rightarrow f_2(2000-2500) \rightarrow \phi\phi$$

The primary goal of this study is to test our capability of reconstructing  $\phi\phi$  final states which are expected to be good for exotics (glueball) searching.

This is the region where the BES experiment found an evidence for a tensor ( $J^{PC} = 2^{++}$ ) glueball candidate  $\xi(2230)$ .

The detection of a possible resonant signal require an energy scan around the central energy value in order to measure the dynamic behavior of the cross-section.

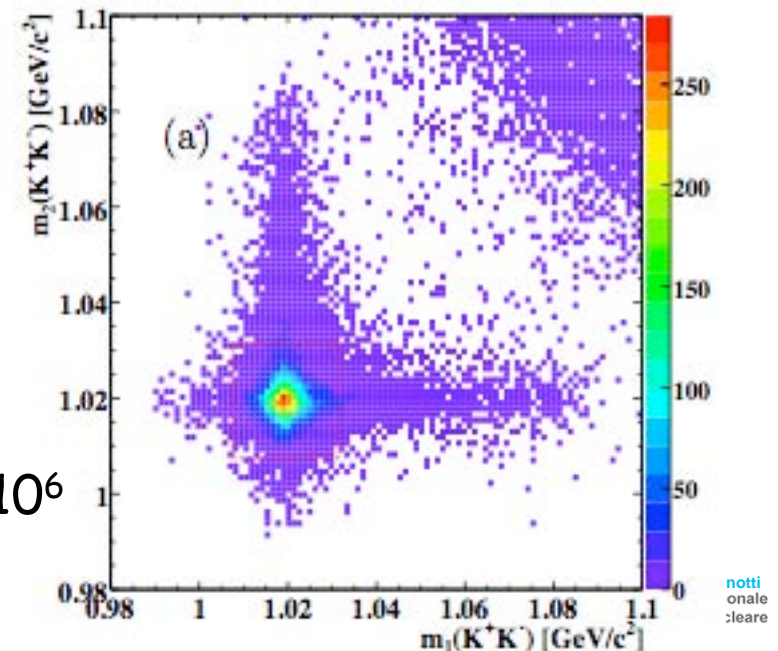
$$\bar{p}p \rightarrow f_2 \rightarrow \phi\phi \rightarrow K^+K^-K^+K^-$$

The analysis consists in 3 steps:

- reconstruction of the signal;
- evaluation of the background level;
- simulation of the energy scan.

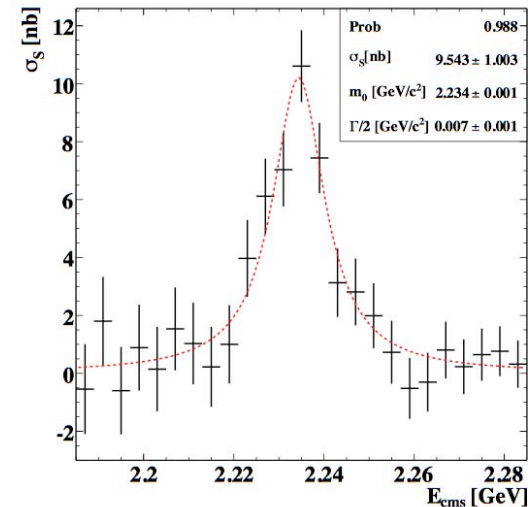
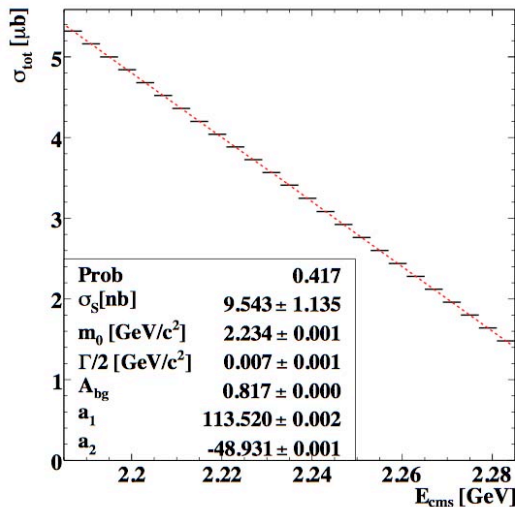
We generated  $50 \cdot 10^3$  signal events and  $10^6$  bck events.

4C fit: efficiency 25%



# $f_2(2235)$ energy scan

We made the assumption of a mass value of  $2235 \text{ MeV}/c^2$  and a widths of  $15 \text{ MeV}/c^2$



Fit of the total cross section and the derived signal cross-section  
For a scan width of 10 nb

Needed beam time to achieve  
a  $10\sigma$  significance

$\sigma_S$ [nb]	Beam time $T_b$ ( $\approx$ )
1	13.7 y
5	200 d
10	50 d
100	12 h
500	0.5 h
1000	7.2 min

# Expected event rates

reconstructed signal events/day

assume: int. luminosity of  $8\text{pb}^{-1}/\text{day}$  and cross section of  $1\text{nb}$

$Y(4260) \rightarrow J/\Psi \eta, J/\Psi \rightarrow e^+e^-$ :  $\text{BR}(Y(4260) \rightarrow J/\Psi \eta) \times 169 \text{ events/day}$

$J/\Psi \rightarrow \mu^+\mu^-$ :  $\text{BR}(Y(4260) \rightarrow J/\Psi \eta) \times 144 \text{ events/day}$

$Y(3940) \rightarrow J/\Psi \omega, J/\Psi \rightarrow e^+e^-$ :  $\text{BR}(Y(3940) \rightarrow J/\Psi \omega) \times 91 \text{ events/day}$

$J/\Psi \rightarrow \mu^+\mu^-$ :  $\text{BR}(Y(3940) \rightarrow J/\Psi \omega) \times 70 \text{ events/day}$

$Y(4320) \rightarrow \Psi(2S)\pi^+\pi^-, J/\Psi \rightarrow e^+e^-$ :  $\text{BR}(Y(4320) \rightarrow \Psi(2S)\pi^+\pi^-) \times 34 \text{ events/day}$

$\bar{p}p \rightarrow (\chi_{c1}\pi^0\pi^0)\eta, J/\Psi \rightarrow e^+e^-$ :  $\text{BR}(\Psi \rightarrow \chi_{c1}\pi^0\pi^0) \times 3.1 \text{ events/day}$

$J/\Psi \rightarrow \mu^+\mu^-$ :  $\text{BR}(\Psi \rightarrow \chi_{c1}\pi^0\pi^0) \times 3.6 \text{ events/day}$

$\bar{p}p \rightarrow (D^0D^{0*})\eta$ :  $\text{BR}(\Psi \rightarrow D^0D^{0*}) \times 1.9 \text{ events/day}$

1  $\bar{p}$ -year running ( $\sim 200$  d) at  $p_{\bar{p}} = 15 \text{ GeV}/c$  for a survey additional running at **optimized momentum** (tuned on finding) to improve PWA sensitivity (final goal: total  $\sim 600$  d,  $\sim 3$  p-year ?)