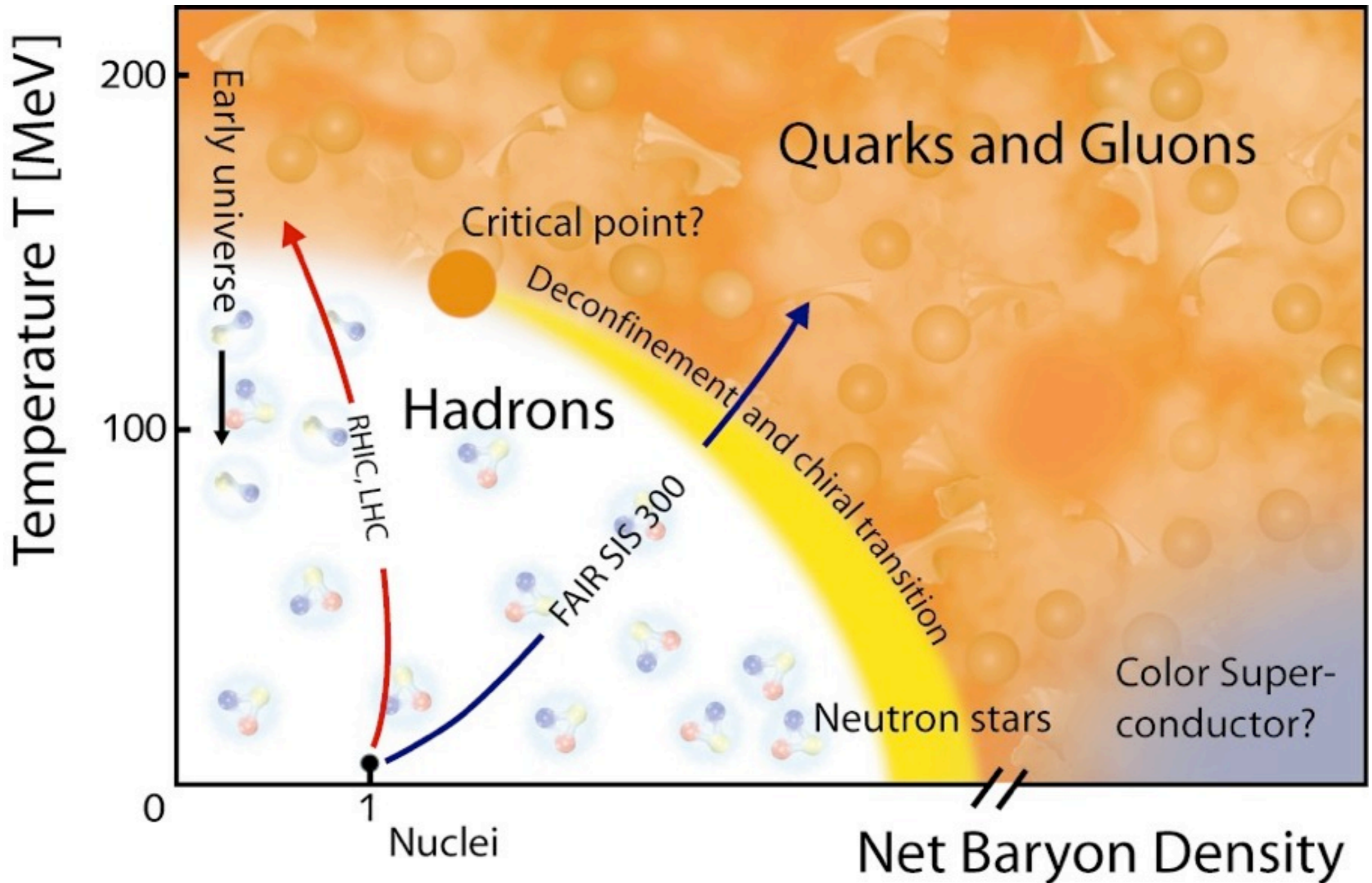
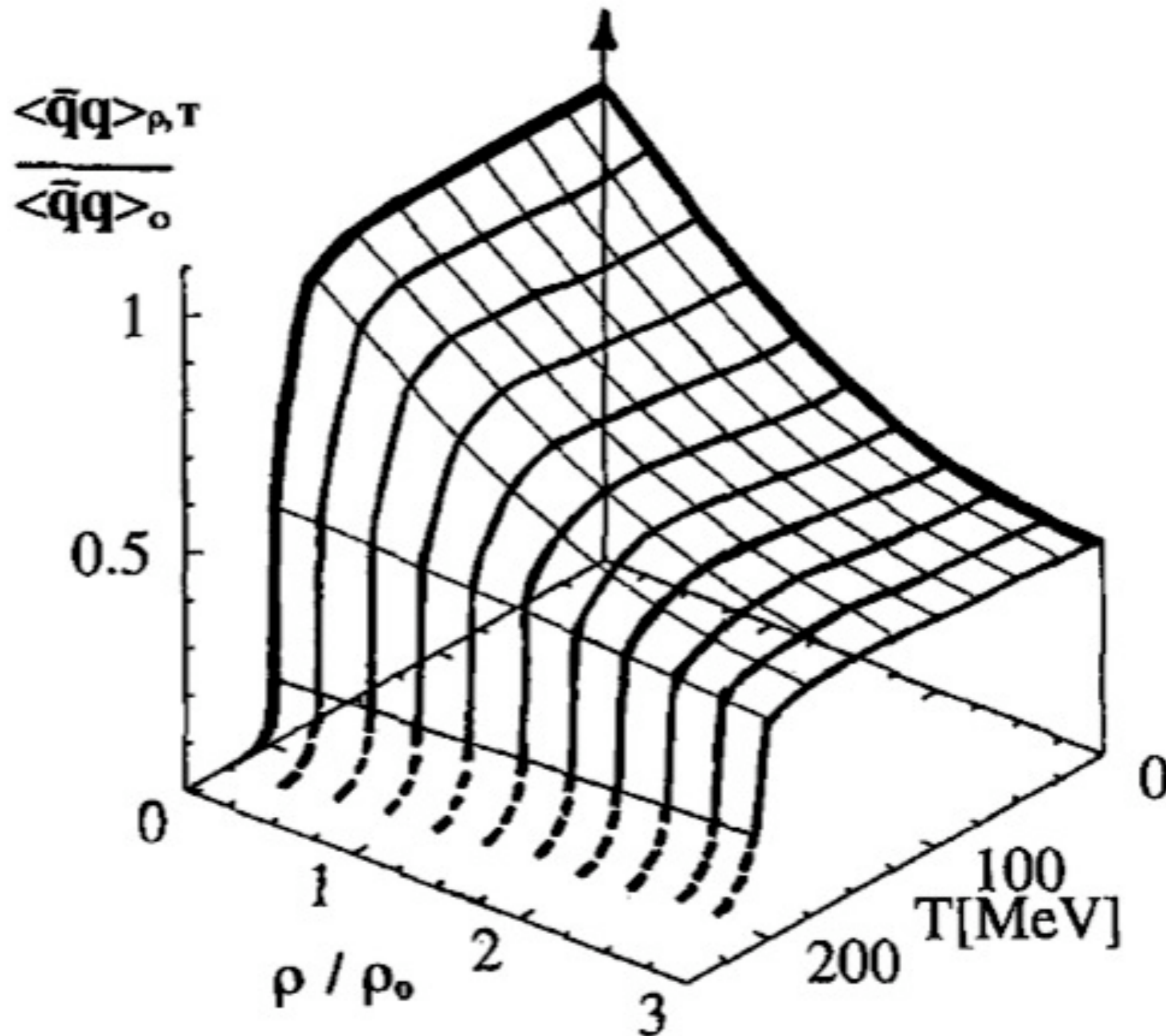
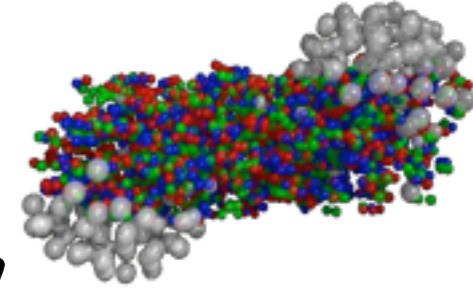


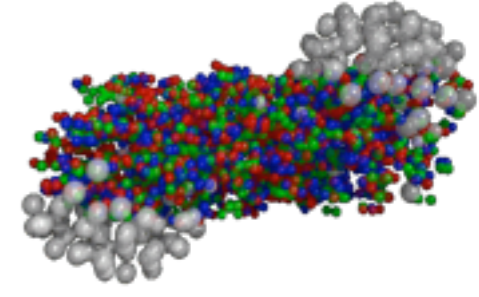
# Phasediagram of QCD



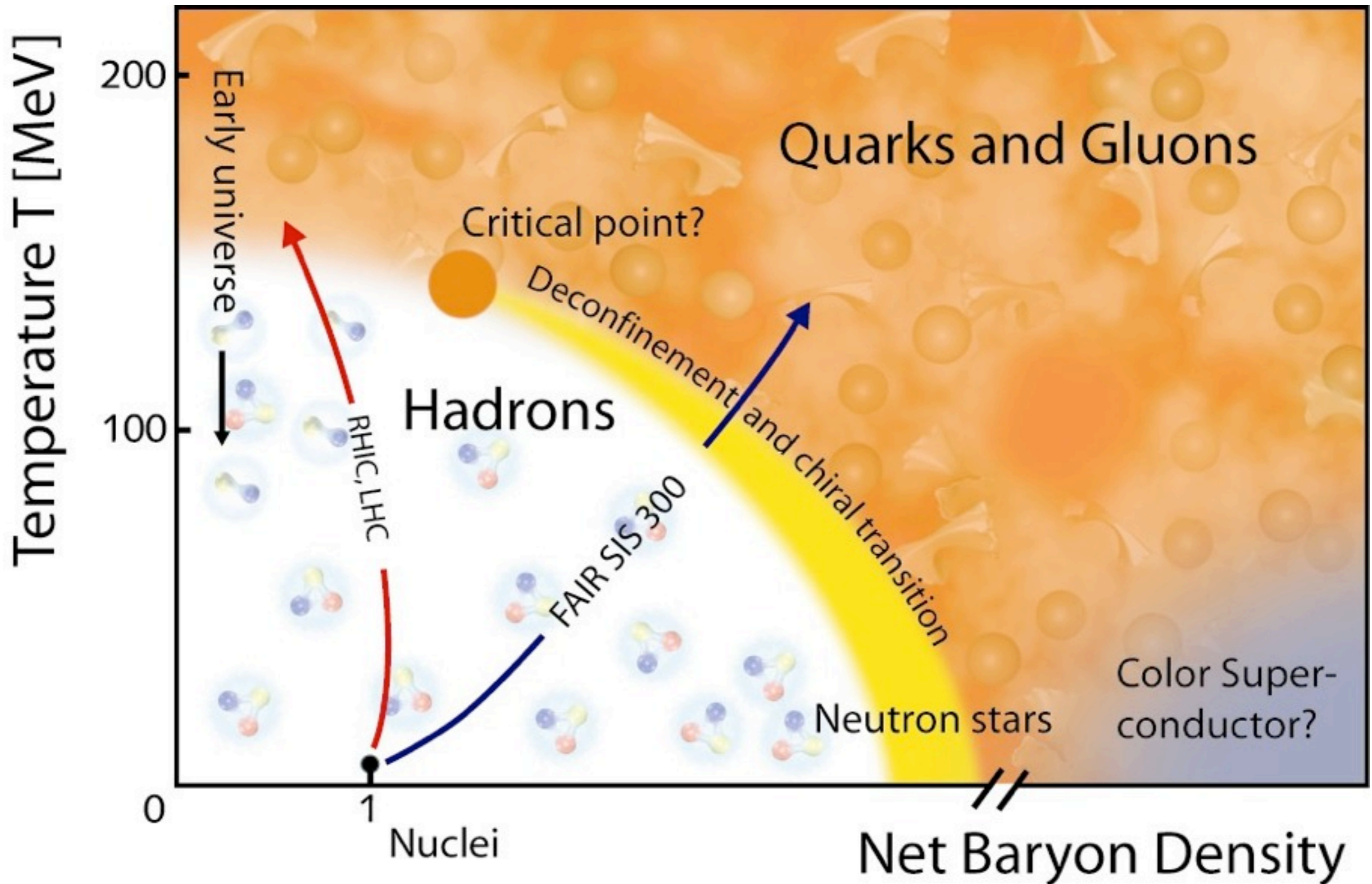
# Chiral symmetry and density



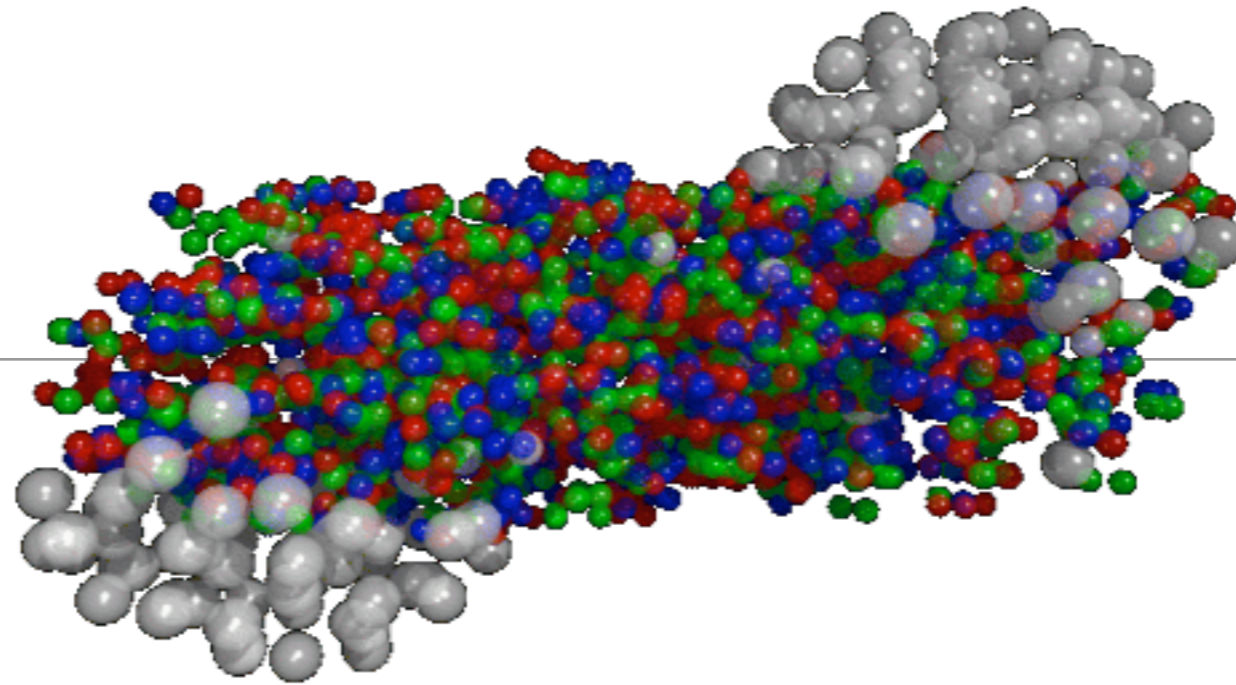




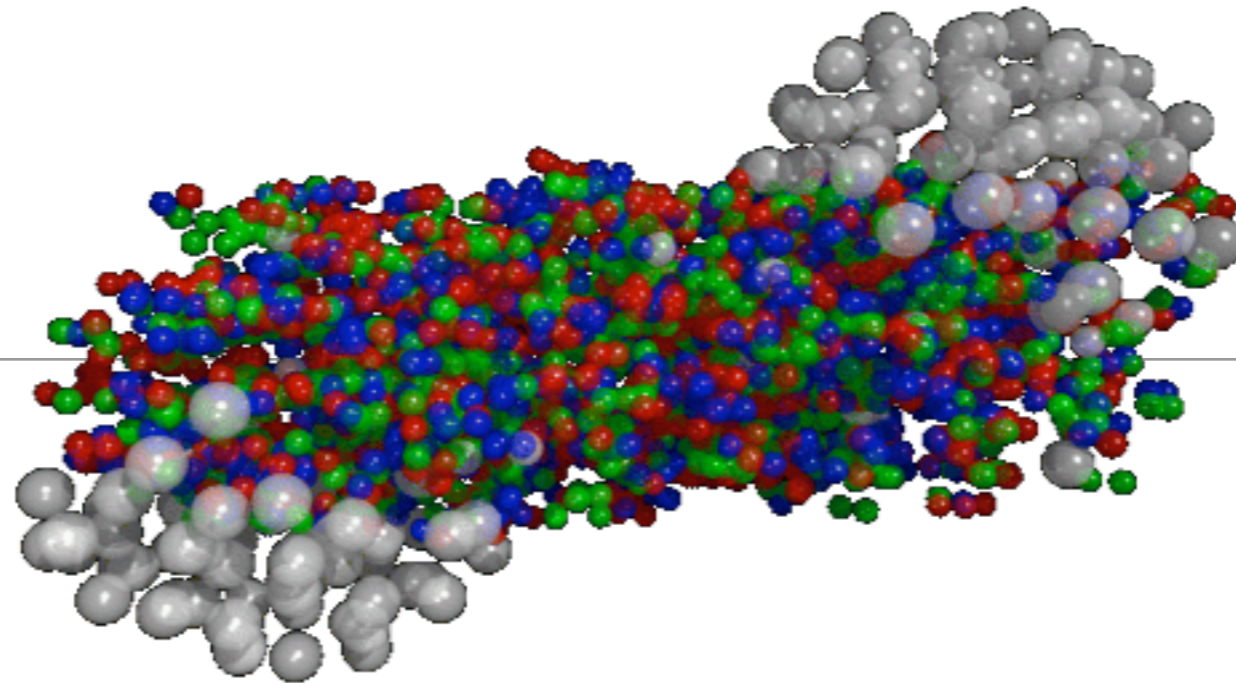
# Phasediagram of QCD

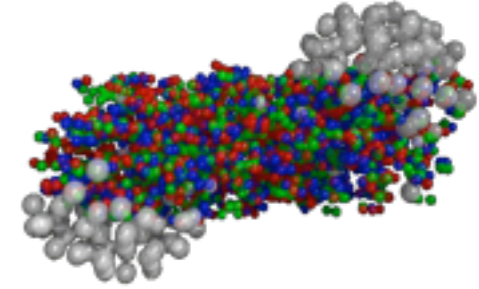


# Measuring high $\mu_B$ with resonances/ dileptons



# What you need to know to make people uneasy at dilepton meetings



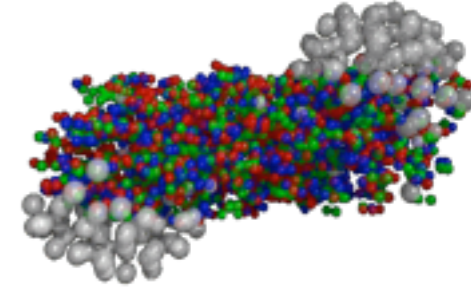


# Check density

---

- Several physical effects are **density driven**, e.g.
  - vector meson spectral function broadening
  - chiral phase transition
  - QGP phase transition
  - quarkyonic matter
  - ...

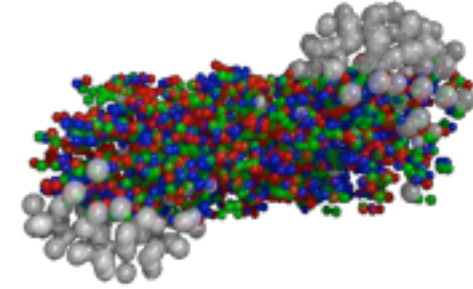




# Motivation

---

- Before including those density-driven effects into theoretical models one should check:
  - the maximum density which is reached in heavy ion collisions
  - the behaviour of the system **without** any medium effects
  - from what stage is the information one can gather **experimentally** from? and how?



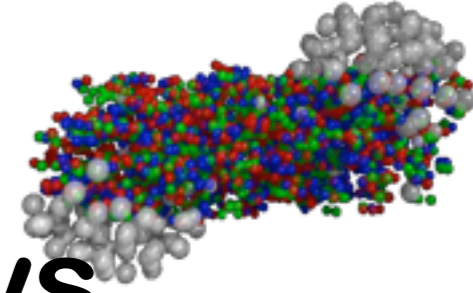
# Outline

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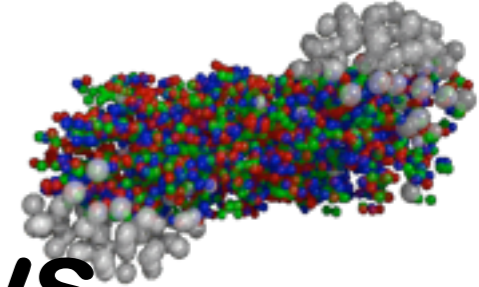
- Quick UrQMD reminder
- Resonance kinematics
  - How deep can we look into heavy ion collisions using resonances/dileptons? (does high transverse momentum change anything?)
  - Baryons @ low energies
  - $a_1$
  - Hadronic cocktail and what we learn from it



# Dileptonic and hadronic decays

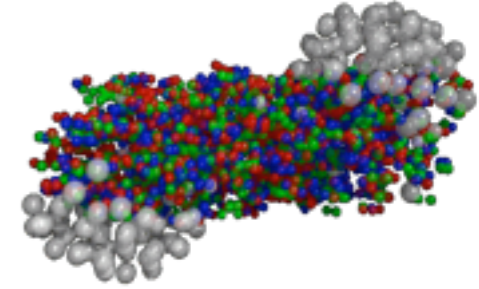


<b>Dileptons</b>	<b>Hadrons</b>
do not interact strongly with the surrounding medium	suffer from final state interactions
originate from various sources in various mass regions (note: Dalitz decays)	originate from various sources in various mass regions
Typical branching ratios on the order of $10^{-4}$ - $10^{-5}$	Typical branching ratios on the order of 0.1 - 1
when measured reflect the integrated collision history	when measured reflect the late stage (after freezeout) of the collision



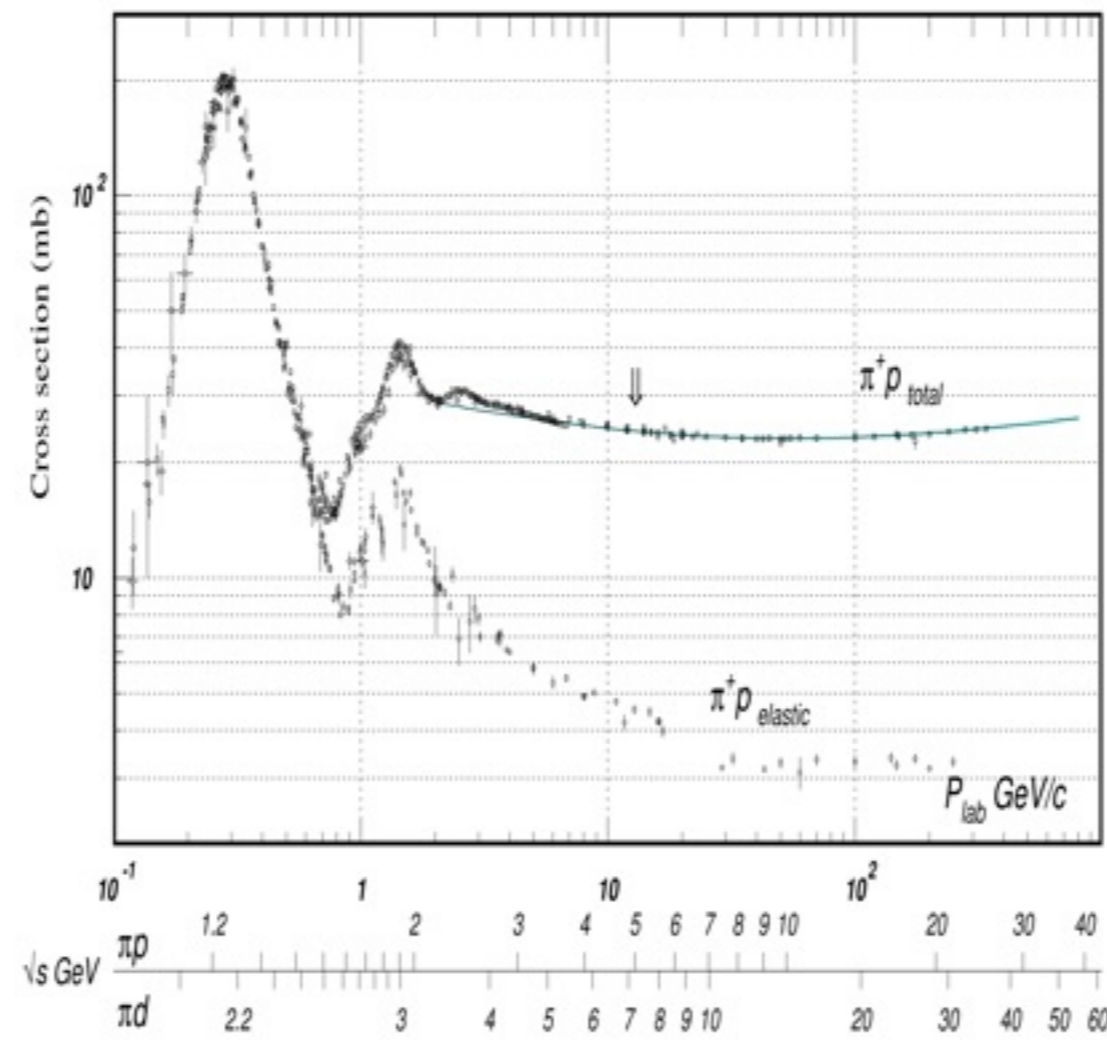
# Dileptonic and hadronic decays

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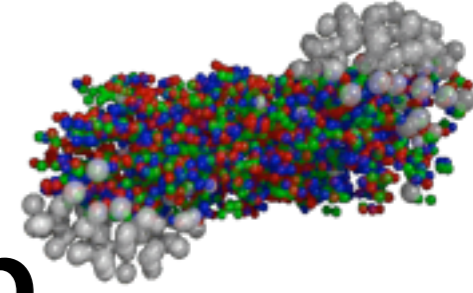


# Measuring resonances

- Resonances decay on timescales of fm  $\Rightarrow$  cannot be measured directly
- Resonances are measured via their decay products, cross section follows a Breit-Wigner law



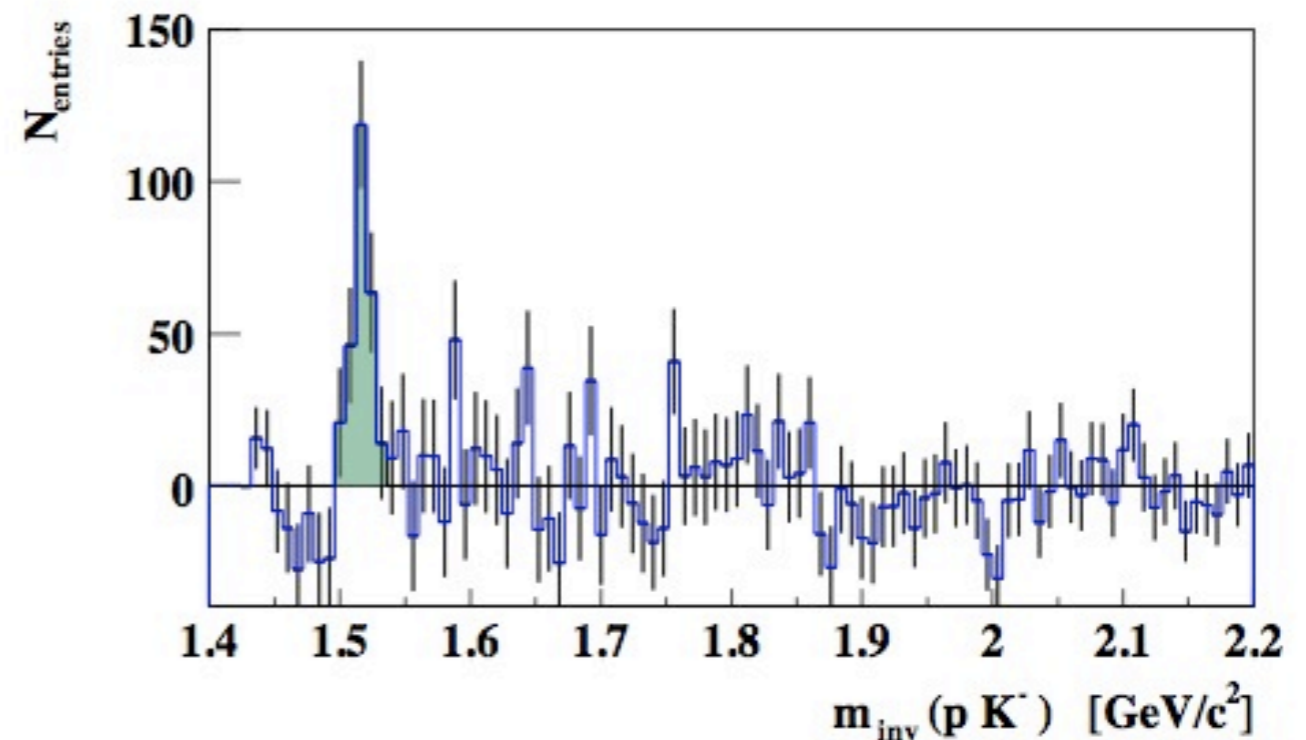
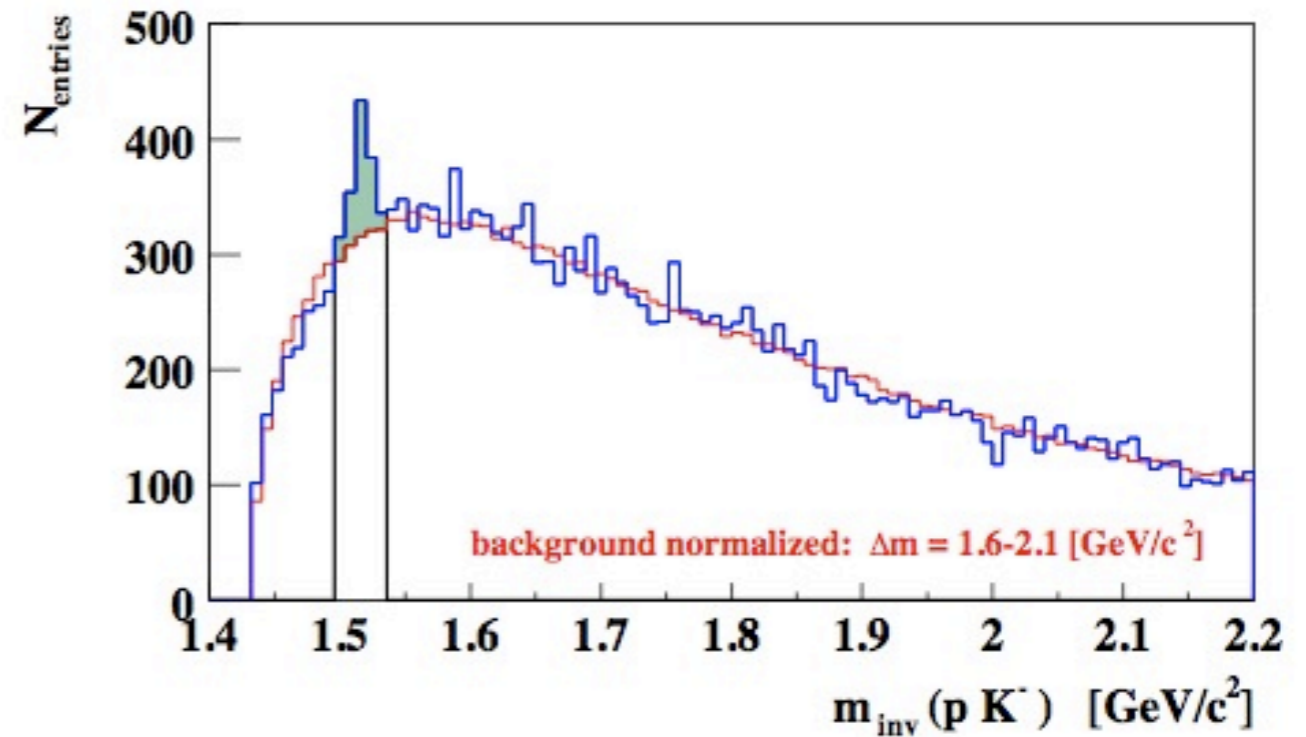
# Measuring resonances in p+p



Correlate all protons and kaons in the event, plot invariant mass.

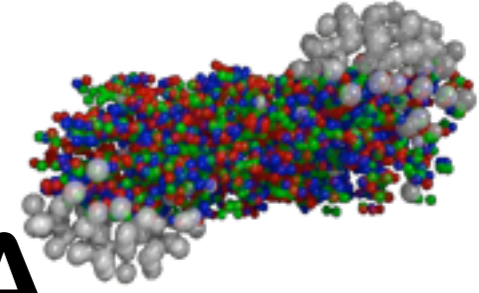
Lots of uncorrelated pairs  
→ background subtraction needed

Still a visible peak,  
but not as clear as before.

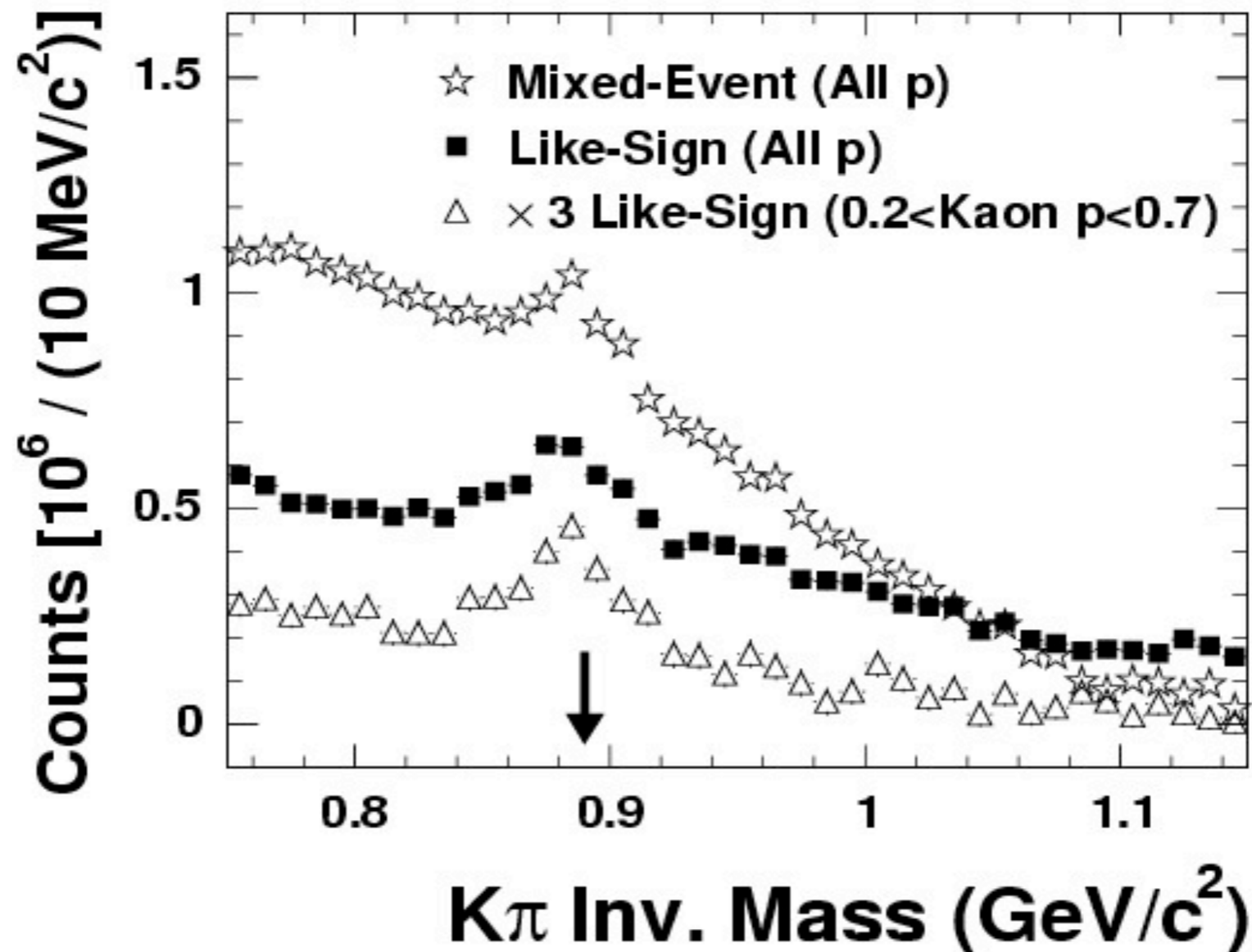




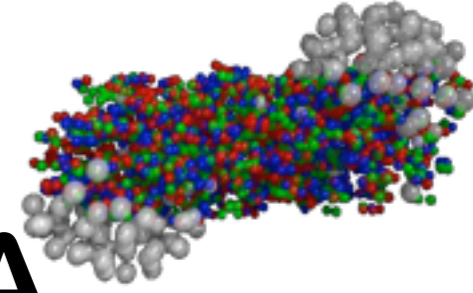
# Measuring resonances in A+A



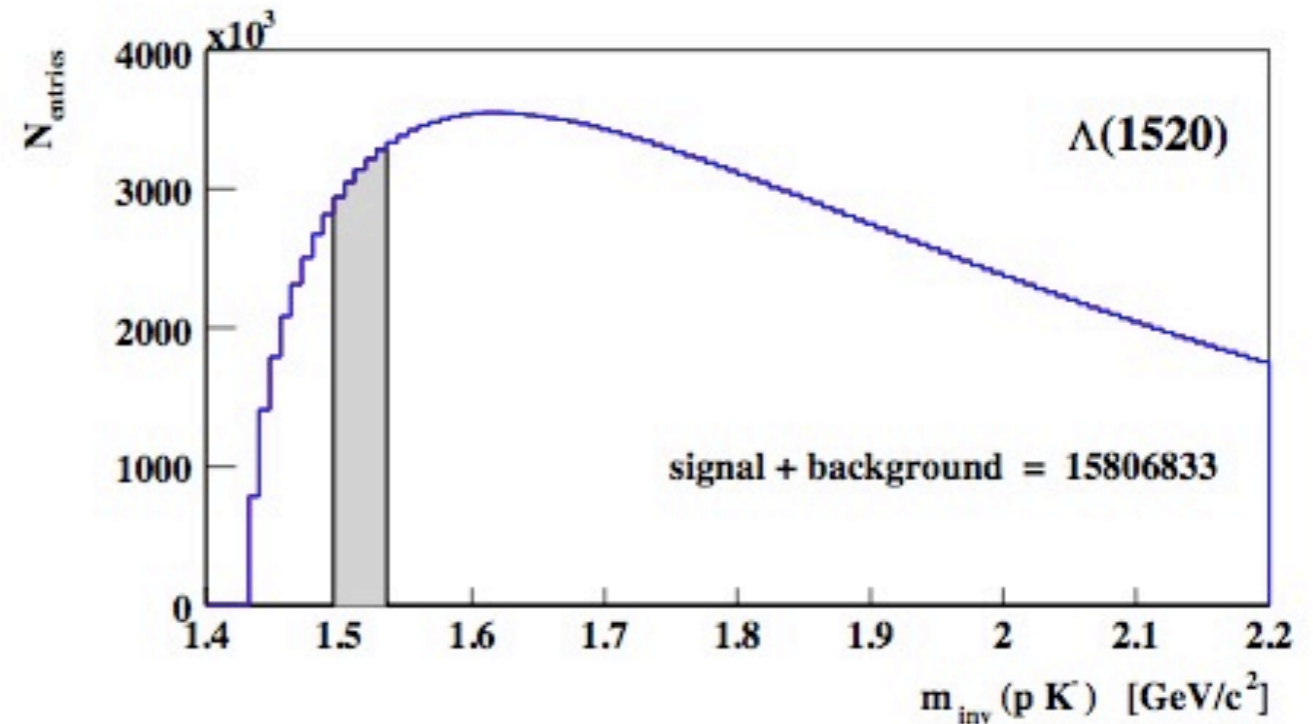
Different methods to subtract the background lead to slightly different results.



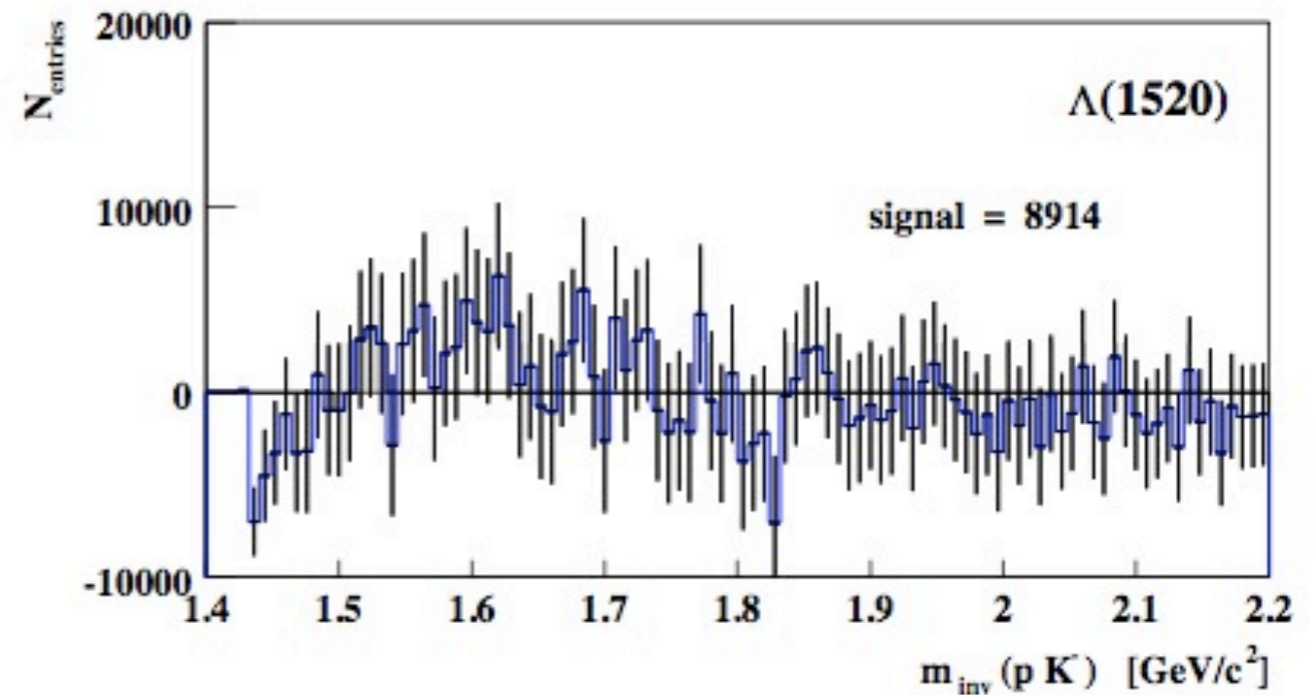
# Measuring resonances in A+A



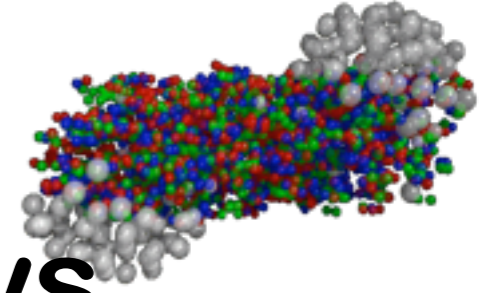
Correlate all protons and kaons in the event, plot invariant mass.



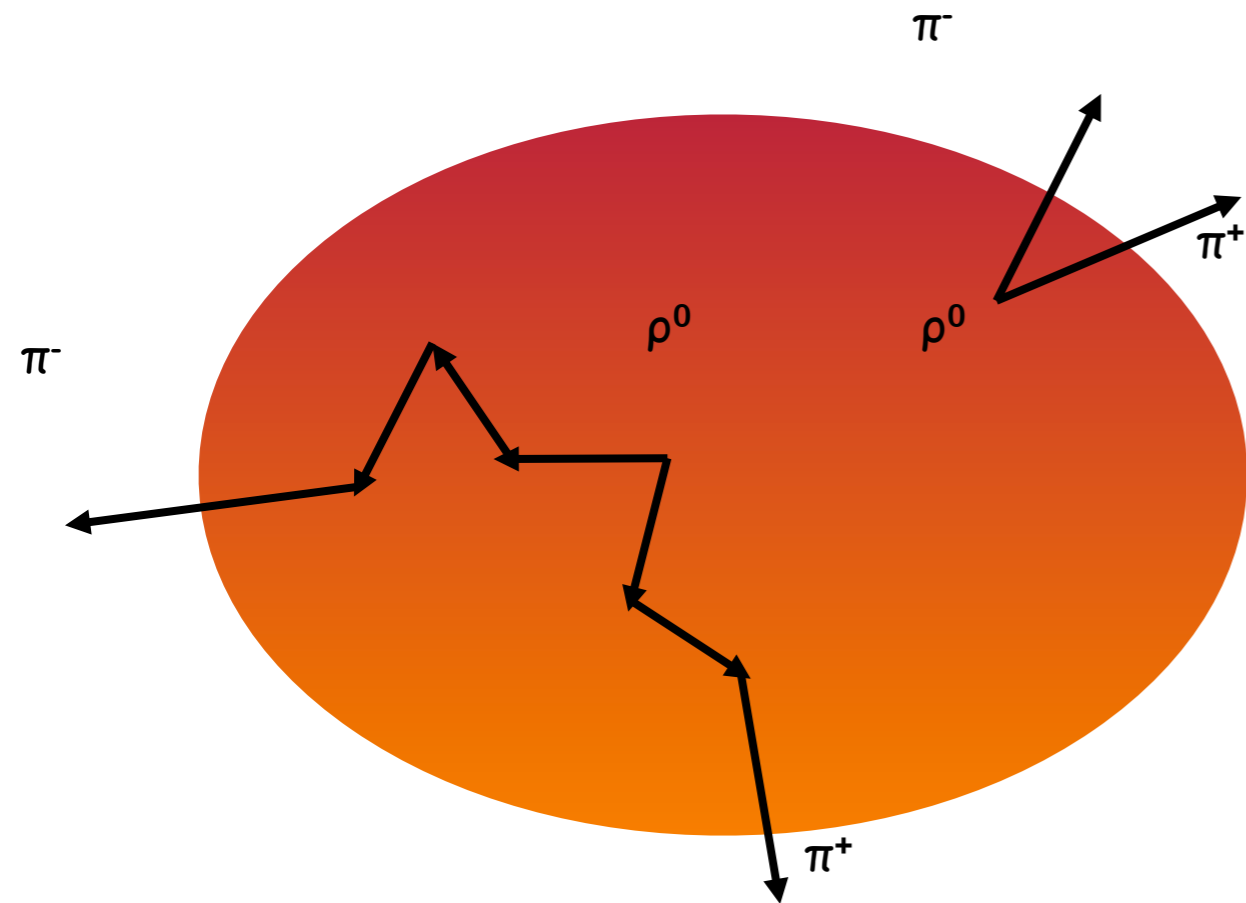
Peak?



# Dileptonic and hadronic decays

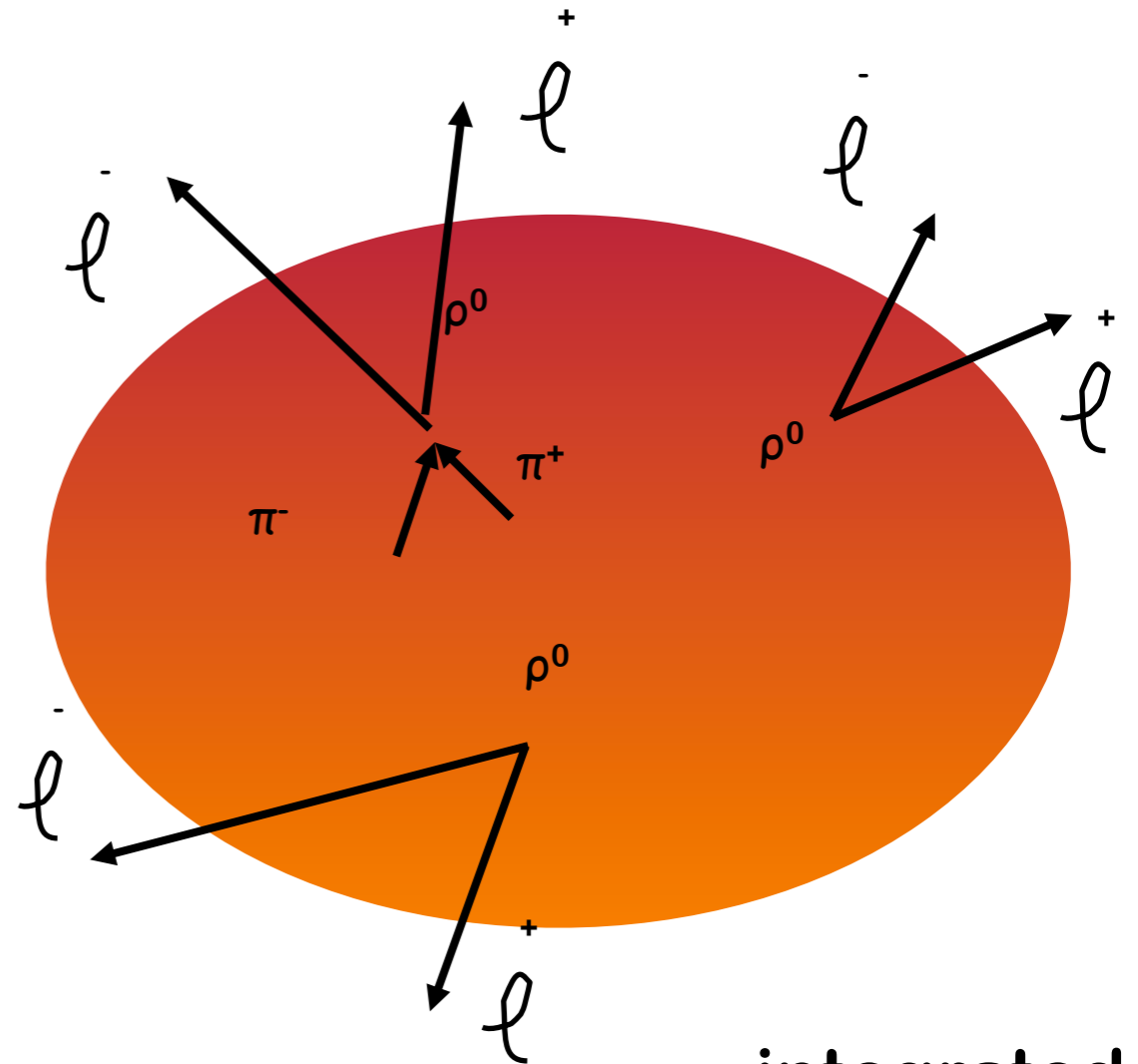


hadronic decay



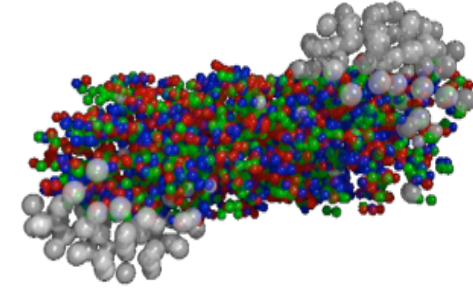
late stage

leptonic decay



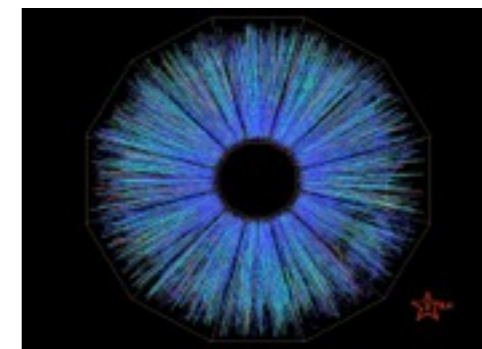
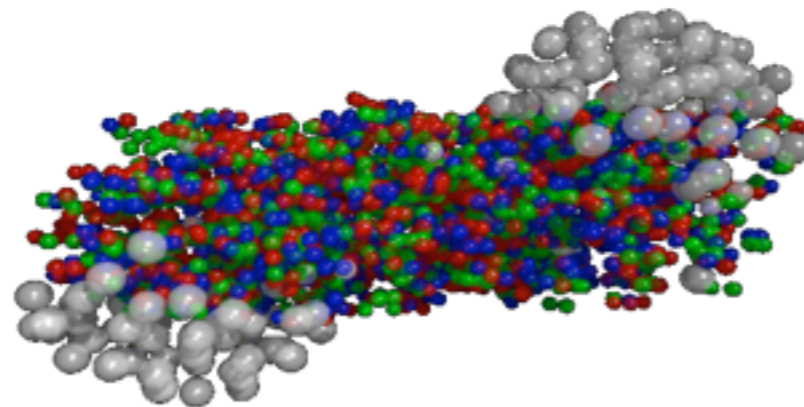
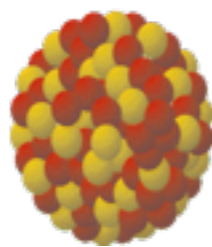
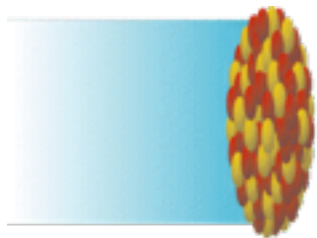
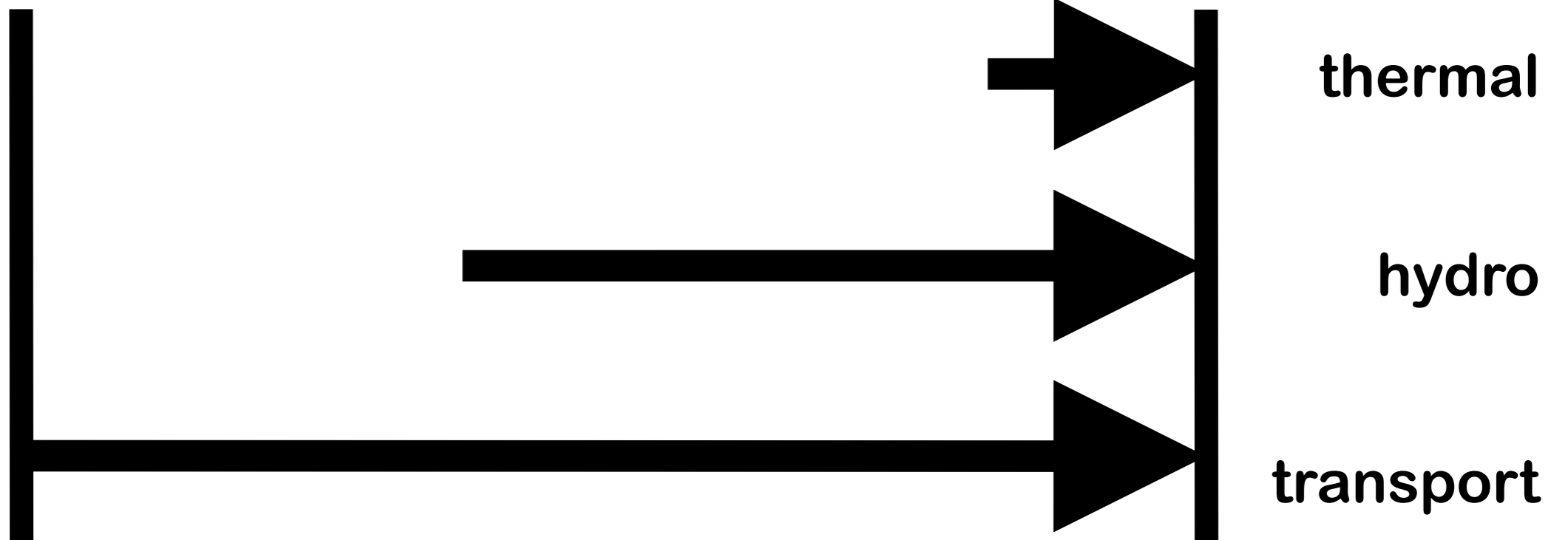
integrated collision

# Model selection

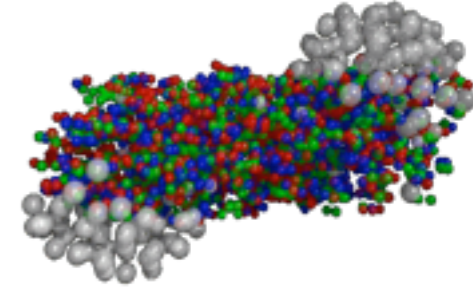


initial

final



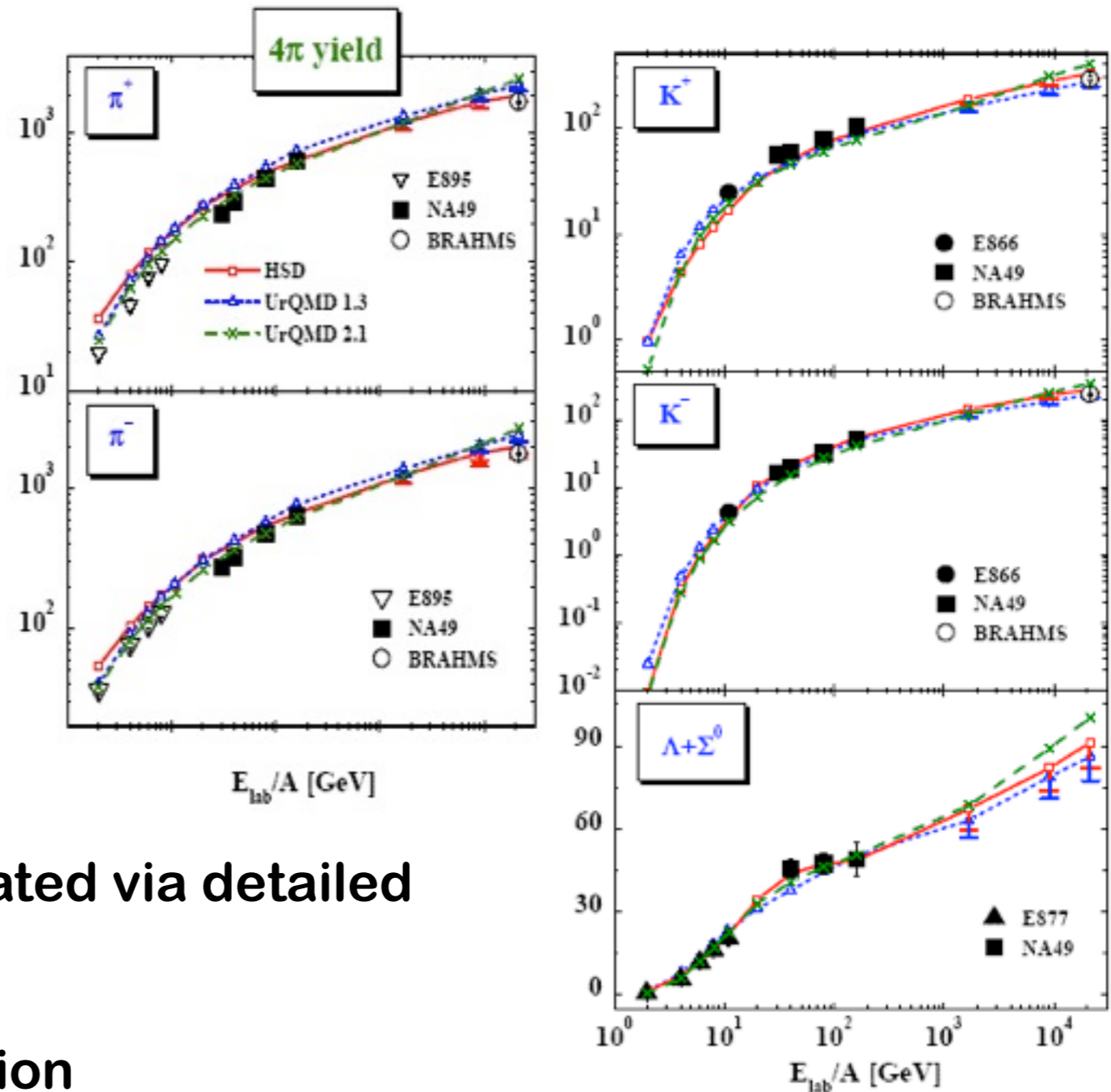




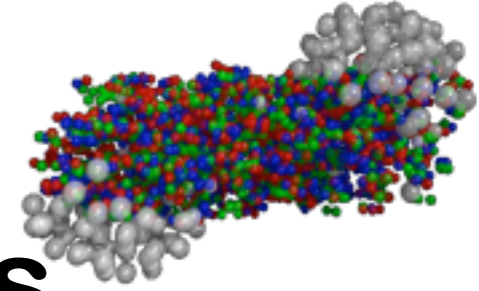
# The tool - UrQMD

- Ultra Relativistic Quantum Molecular Dynamics
- Non equilibrium transport model
- All hadrons and resonances up to 2.2 GeV included
- Particle production via string excitation and -fragmentation
- Cross sections are fitted to available experimental data or calculated via detailed balance or the additive quark model
- Does account for canonical suppression

**No explicit implementation of in-medium modifications!**



# Quantum Molecular Dynamics

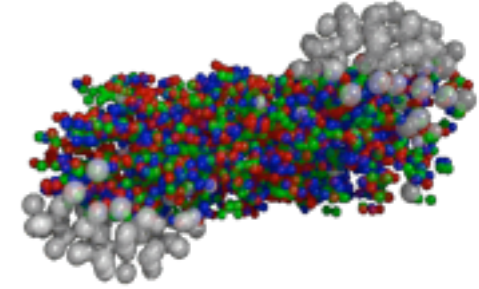


**Nucleon = Gaussian Wave-Packet**

$$\phi_i(\vec{x}; \vec{q}_i, \vec{p}_i, t) = \left( \frac{2}{L\pi} \right)^{3/4} \exp \left\{ -\frac{2}{L} (\vec{x} - \vec{q}_i(t))^2 + \frac{1}{\hbar} i\vec{p}_i(t)\vec{x} \right\}$$

**N-Body-State = product of coherent states**

$$\Phi = \prod_i \phi_i(\vec{x}, \vec{q}_i, \vec{p}_i, t)$$



# QMD

## Lagrangian Density

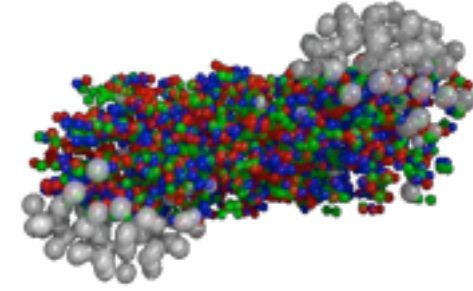
$$\mathcal{L} = \sum_i \left[ -\dot{\vec{q}}_i \vec{p}_i - T_i - \frac{1}{2} \sum_{j \neq i} \langle V_{ik} \rangle - \frac{3}{2Lm} \right]$$

## Equations of motion

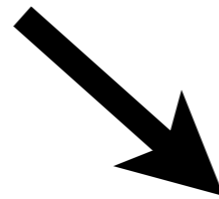
$$\dot{\vec{q}}_i = \frac{\vec{p}_i}{m} + \nabla_{\vec{p}_i} \sum_j \langle V_{ij} \rangle = \nabla_{\vec{p}_i} \langle H \rangle$$

$$\dot{\vec{p}}_i = -\nabla_{\vec{q}_i} \sum_{j \neq i} \langle V_{ij} \rangle = -\nabla_{\vec{q}_i} \langle H \rangle.$$

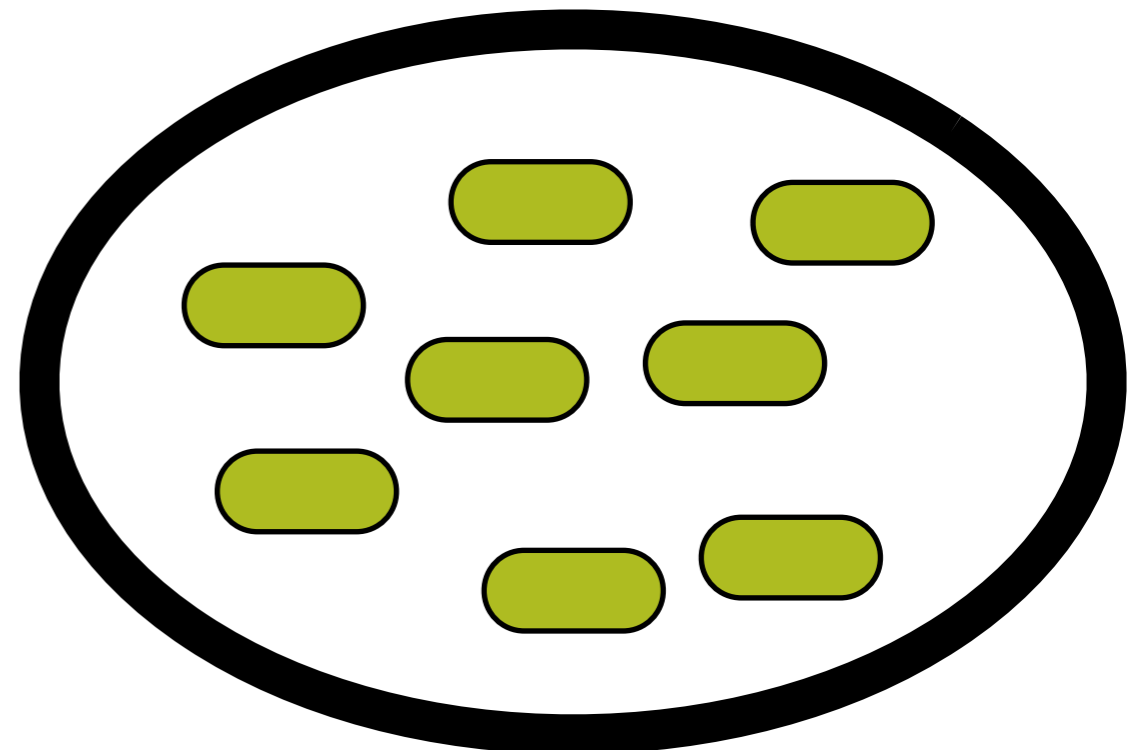
# QMD



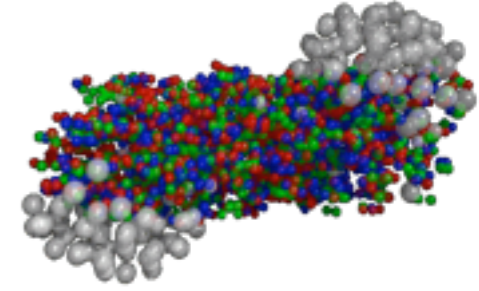
Complicated N-Body  
Schrödinger Problem



6 ( $N_P + N_T$ ) equations







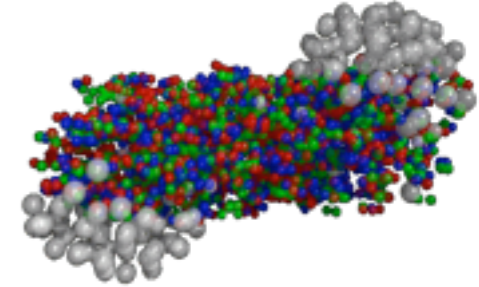
# Steps in UrQMD

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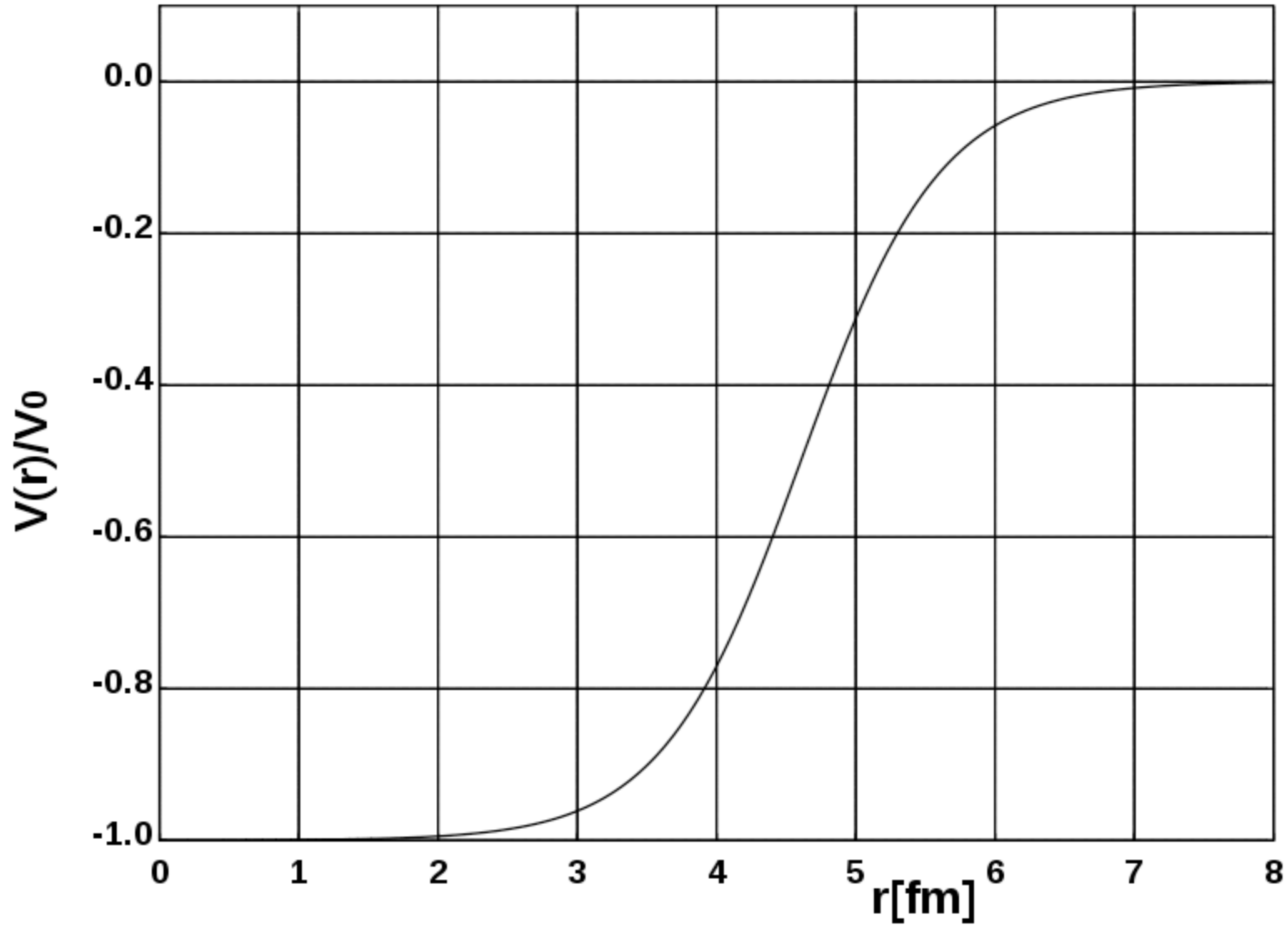
Initialization

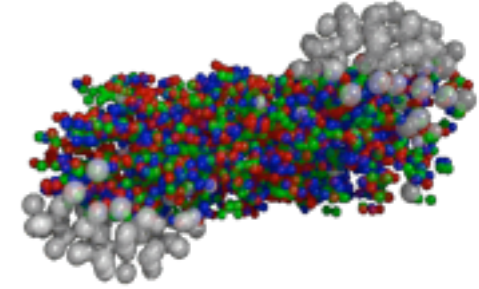
Propagation of nuclei  
and produced  
particles

Binary scatterings



# Initialization





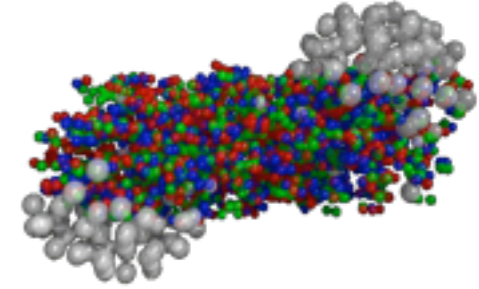
# Collision criterium

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**When do particles collide?**

**1) Know cross section**

**2) Check collision criterium**



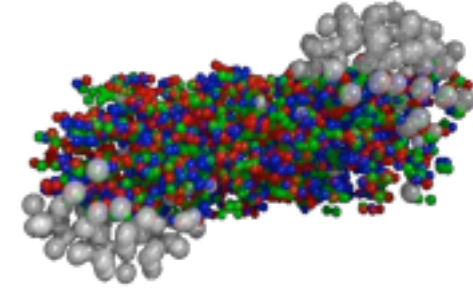
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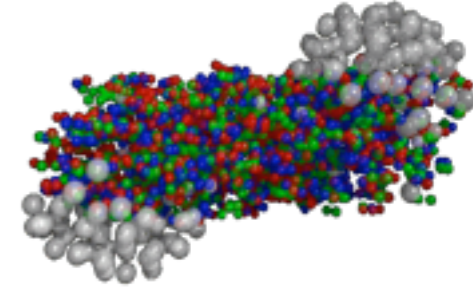
$$\pi d^2 \leq \sigma_{tot}$$



# The tool - UrQMD

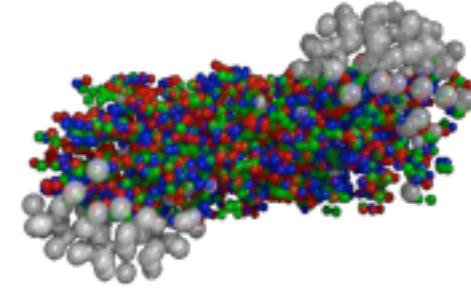
nucleon	$\Delta$	$\Lambda$	$\Sigma$	$\Xi$	$\Omega$
$N_{938}$	$\Delta_{1232}$	$\Lambda_{1116}$	$\Sigma_{1192}$	$\Xi_{1317}$	$\Omega_{1672}$
$N_{1440}$	$\Delta_{1600}$	$\Lambda_{1405}$	$\Sigma_{1385}$	$\Xi_{1530}$	
$N_{1520}$	$\Delta_{1620}$	$\Lambda_{1520}$	$\Sigma_{1660}$	$\Xi_{1690}$	
$N_{1535}$	$\Delta_{1700}$	$\Lambda_{1600}$	$\Sigma_{1670}$	$\Xi_{1820}$	
$N_{1650}$	$\Delta_{1900}$	$\Lambda_{1670}$	$\Sigma_{1775}$	$\Xi_{1950}$	
$N_{1675}$	$\Delta_{1905}$	$\Lambda_{1690}$	$\Sigma_{1790}$	$\Xi_{2025}$	
$N_{1680}$	$\Delta_{1910}$	$\Lambda_{1800}$	$\Sigma_{1915}$		
$N_{1700}$	$\Delta_{1920}$	$\Lambda_{1810}$	$\Sigma_{1940}$		
$N_{1710}$	$\Delta_{1930}$	$\Lambda_{1820}$	$\Sigma_{2030}$		
$N_{1720}$	$\Delta_{1950}$	$\Lambda_{1830}$			
$N_{1900}$		$\Lambda_{1890}$			
$N_{1990}$		$\Lambda_{2100}$			
$N_{2080}$		$\Lambda_{2110}$			
$N_{2190}$					
$N_{2200}$					
$N_{2250}$					





# The tool - UrQMD

$0^{-+}$	$1^{--}$	$0^{++}$	$1^{++}$
$\pi$	$\rho$	$a_0$	$a_1$
$K$	$K^*$	$K_0^*$	$K_1^*$
$\eta$	$\omega$	$f_0$	$f_1$
$\eta'$	$\phi$	$f_0^*$	$f_1'$
$1^{+-}$	$2^{++}$	$(1^{--})^*$	$(1^{--})^{**}$
$b_1$	$a_2$	$\rho_{1450}$	$\rho_{1700}$
$K_1$	$K_2^*$	$K_{1410}^*$	$K_{1680}^*$
$h_1$	$f_2$	$\omega_{1420}$	$\omega_{1662}$
$h_1'$	$f_2'$	$\phi_{1680}$	$\phi_{1900}$



# Cross sections

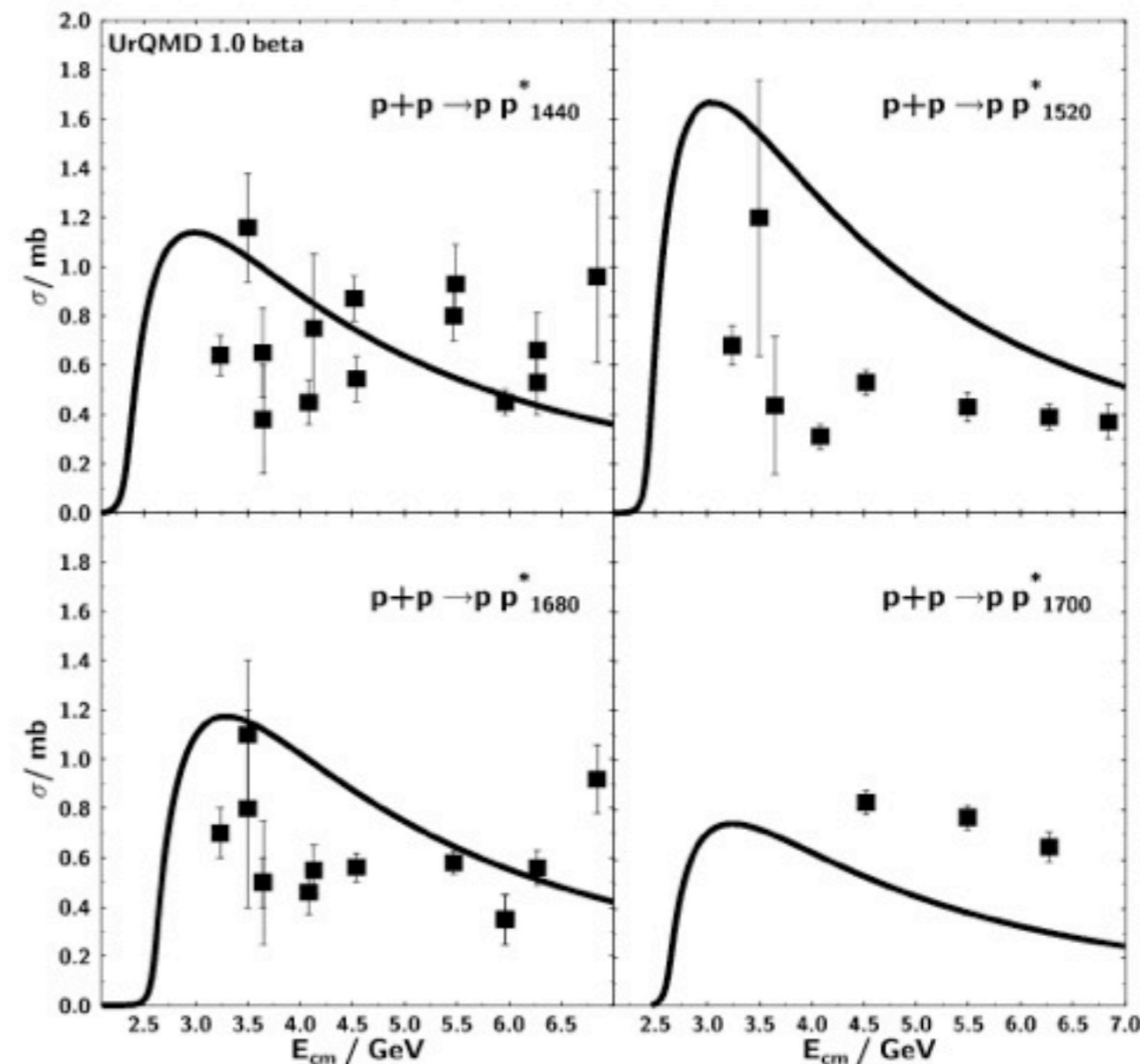
$$\sigma_{1,2 \rightarrow 3,4}(\sqrt{s}) \sim (2s_3 + 1)(2s_4 + 1) \frac{\langle p_{3,4} \rangle}{\langle p_{1,2} \rangle} \frac{1}{\sqrt{s}} |M(m_3, m_4)|^2$$

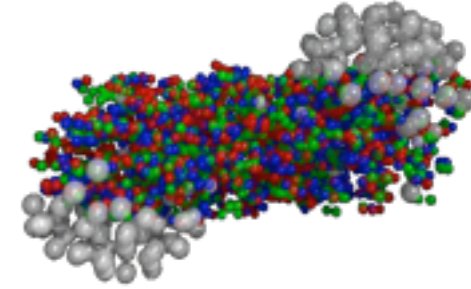
**Global fit with the same kind of matrix element for 5 channels**



$$|M(m_3, m_4)|^2 = A \frac{1}{(m_4 - m_3)^2 (m_4 + m_3)^2}$$

**Data from elementary reactions are needed as an input into theory! (HADES?)**





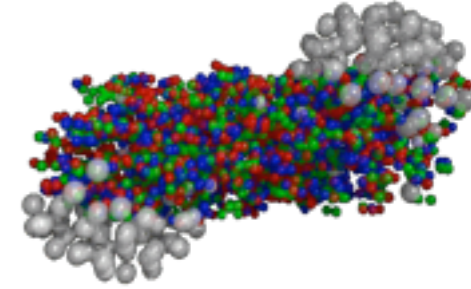
# Density calculation

- Lorentz-transform the CF density to the frame where the three-current vanishes (Eckart frame)

$$\vec{\beta}_{CF} = \frac{\sum_{j=1}^N \left( \frac{\vec{p}_j}{E_j} \right) \cdot P_j}{\sum_{j=1}^N P_j}$$

$$\begin{pmatrix} \gamma & -\beta_x \gamma & -\beta_y \gamma & -\beta_z \gamma \\ -\beta_x \gamma & 1 + (\gamma - 1) \frac{\beta_x^2}{\beta^2} & (\gamma - 1) \frac{\beta_x \beta_y}{\beta^2} & (\gamma - 1) \frac{\beta_x \beta_z}{\beta^2} \\ -\beta_y \gamma & (\gamma - 1) \frac{\beta_y \beta_x}{\beta^2} & 1 + (\gamma - 1) \frac{\beta_y^2}{\beta^2} & (\gamma - 1) \frac{\beta_y \beta_z}{\beta^2} \\ -\beta_z \gamma & (\gamma - 1) \frac{\beta_z \beta_x}{\beta^2} & (\gamma - 1) \frac{\beta_z \beta_y}{\beta^2} & 1 + (\gamma - 1) \frac{\beta_z^2}{\beta^2} \end{pmatrix}$$

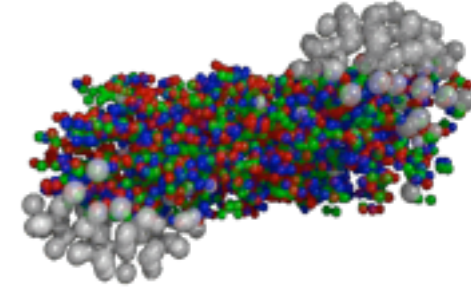
- The zero-component of the transformed four-current is the relevant density



# Density calculation

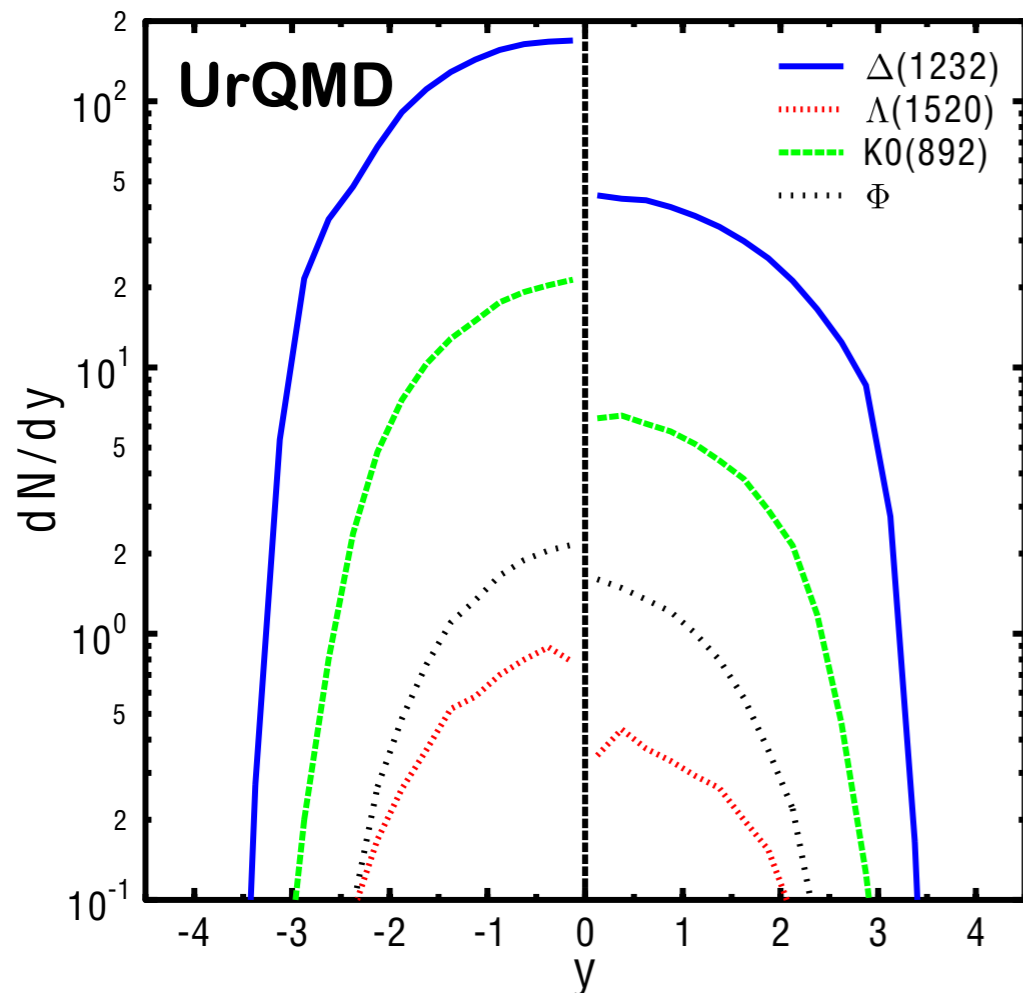
- Local baryon density is the zeroth component of the baryon four-current  $j^\mu = (\rho_B, \vec{j})$  when the baryon is at rest
- UrQMD calculates in the Computational Frame (CF), which is usually the CMS (due to symmetry)
- $j_{CF}^\mu = (\rho_{B_{CF}}, \vec{j}_{CF})$  can be calculated as a sum over Gaussians

$$\rho_{CF}(\vec{r}_i) = \sum_{j=1}^N \left( \frac{1}{\sqrt{2\pi}\sigma} \right)^3 \gamma_z e^{\left( -\frac{(x-x_0)^2 + (y-y_0)^2 + (z-z_0)^2 \gamma_z^2}{2\sigma^2} \right)}$$
$$= \sum_{j=1}^N P_j$$

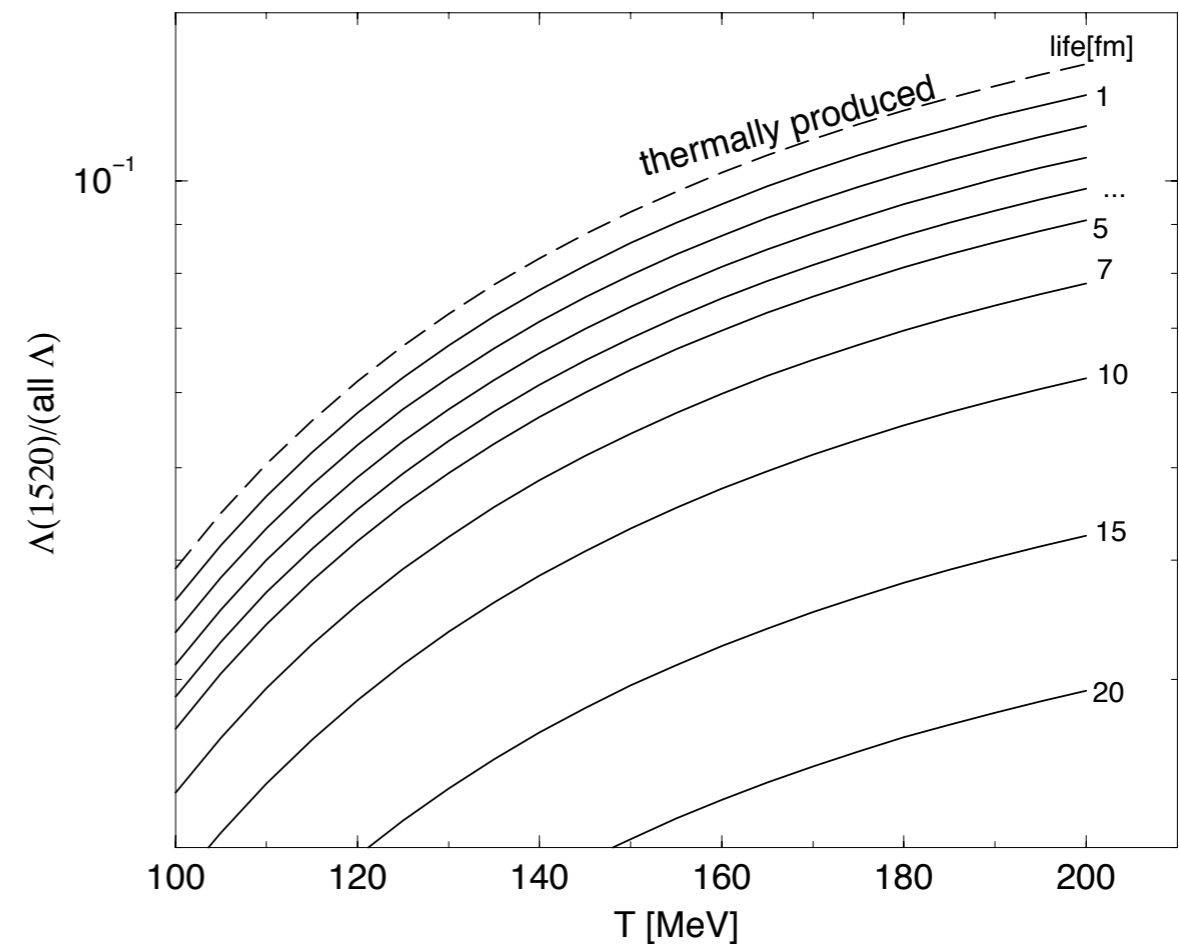


# Rescattering

- well known effect, studied in
  - ➔ statistical hadronization models
  - ➔ transport models
  - ➔ hydrodynamical models

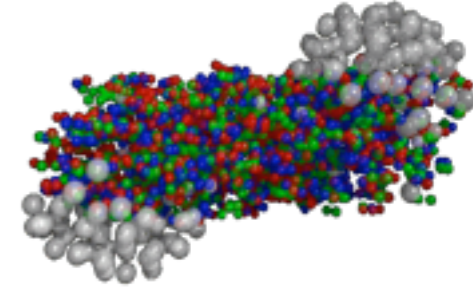


Bleicher, Aichelin, Phys.Lett.B530:81-87



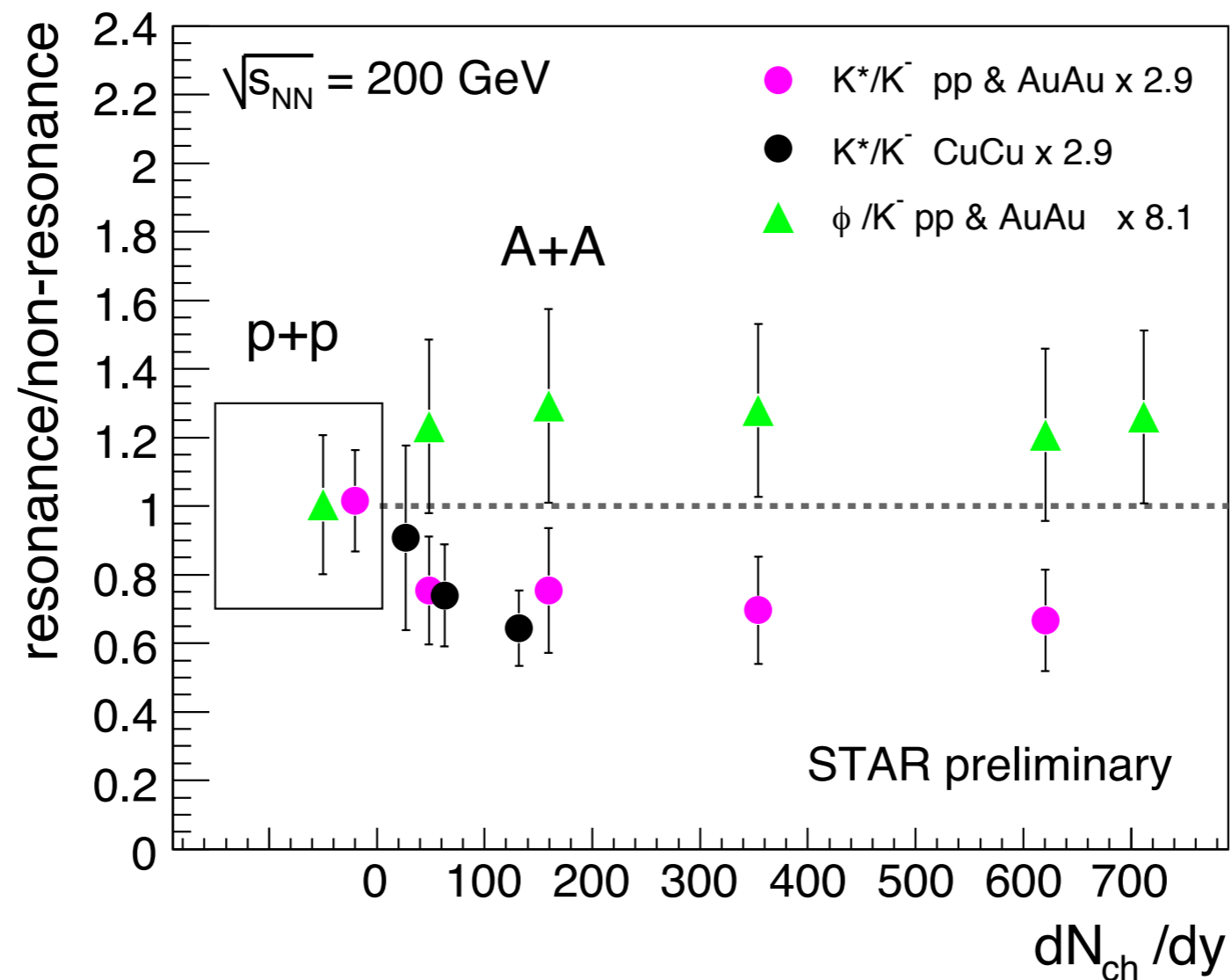
Torrieri, Rafelski, Phys.Lett.B509:239-245

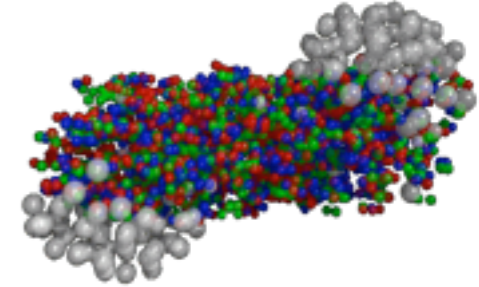




# Rescattering

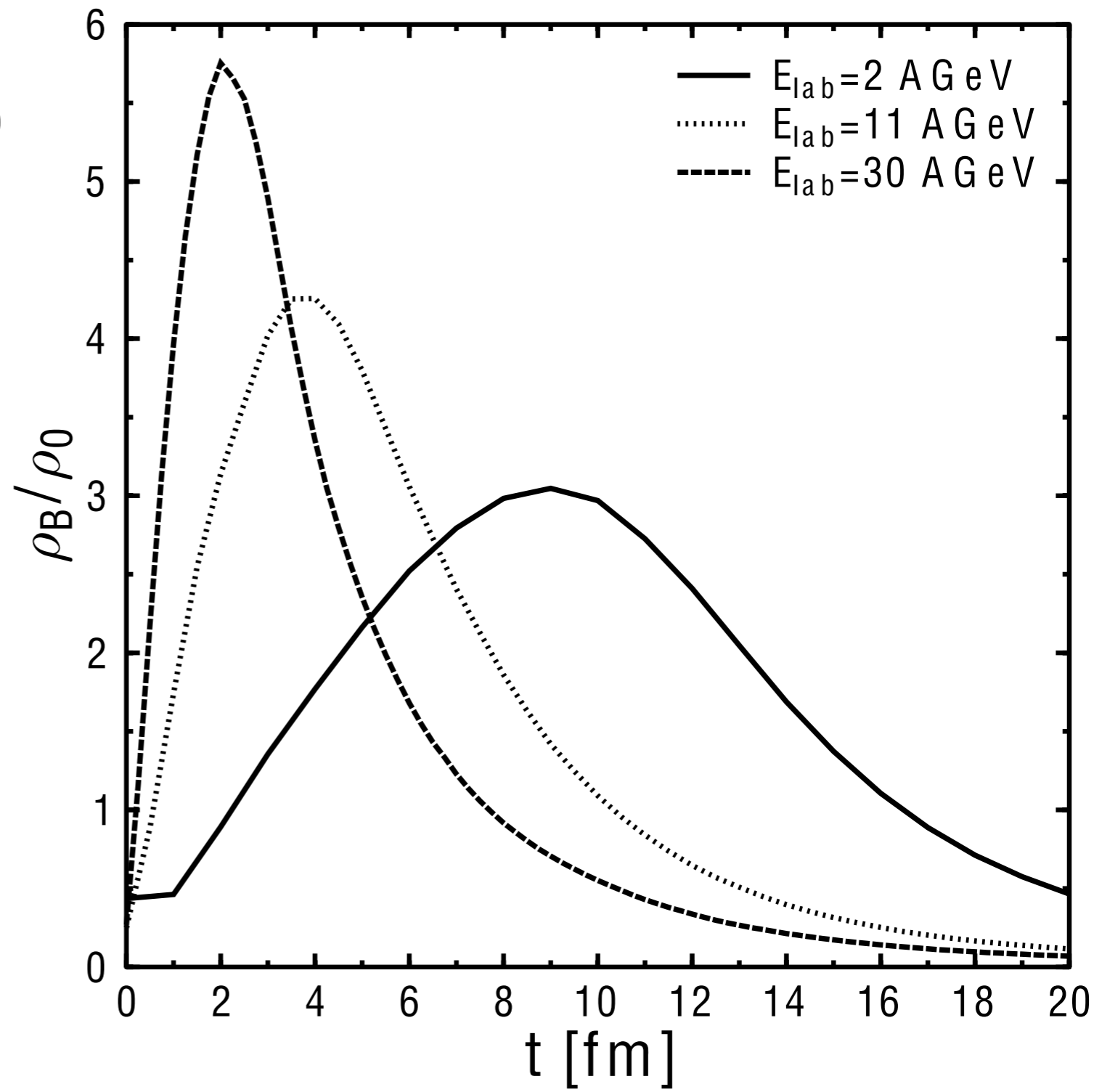
- well known effect, studied in  
➔ experiment

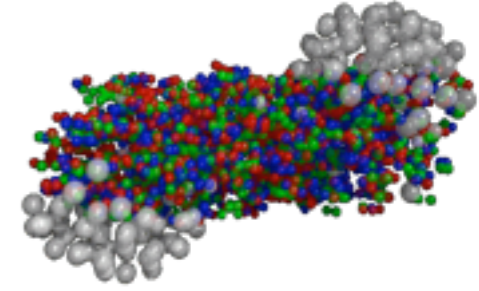




# Time evolution of $\rho_B$

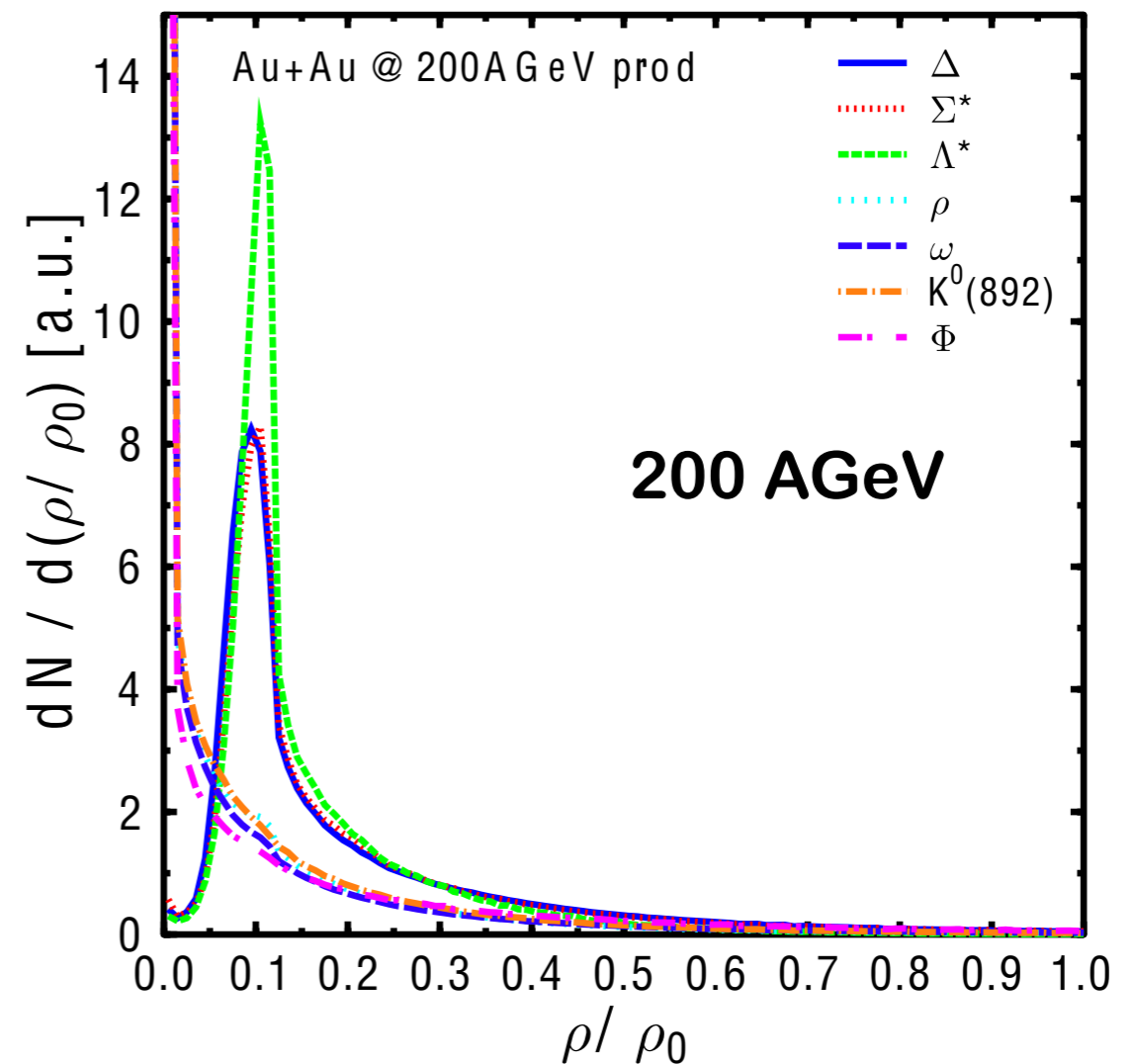
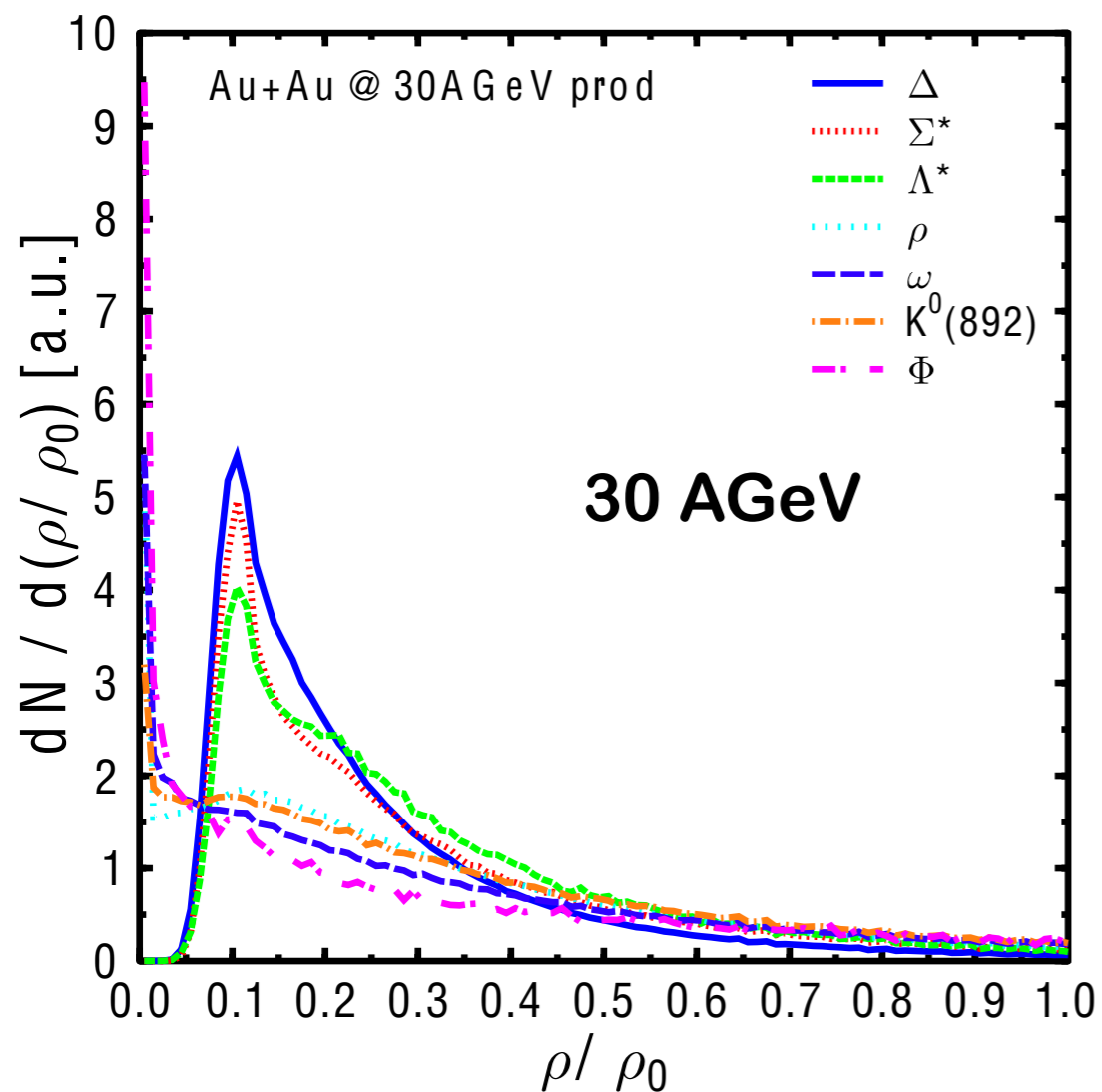
- Central Pb+Pb (Au+Au) collisions
- Averaged over all hadron positions



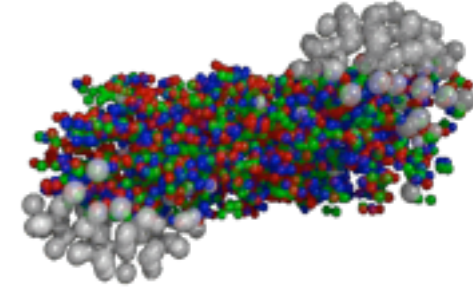


# Reach in density

- Normalized density spectrum
- Most resonances originate from very low density

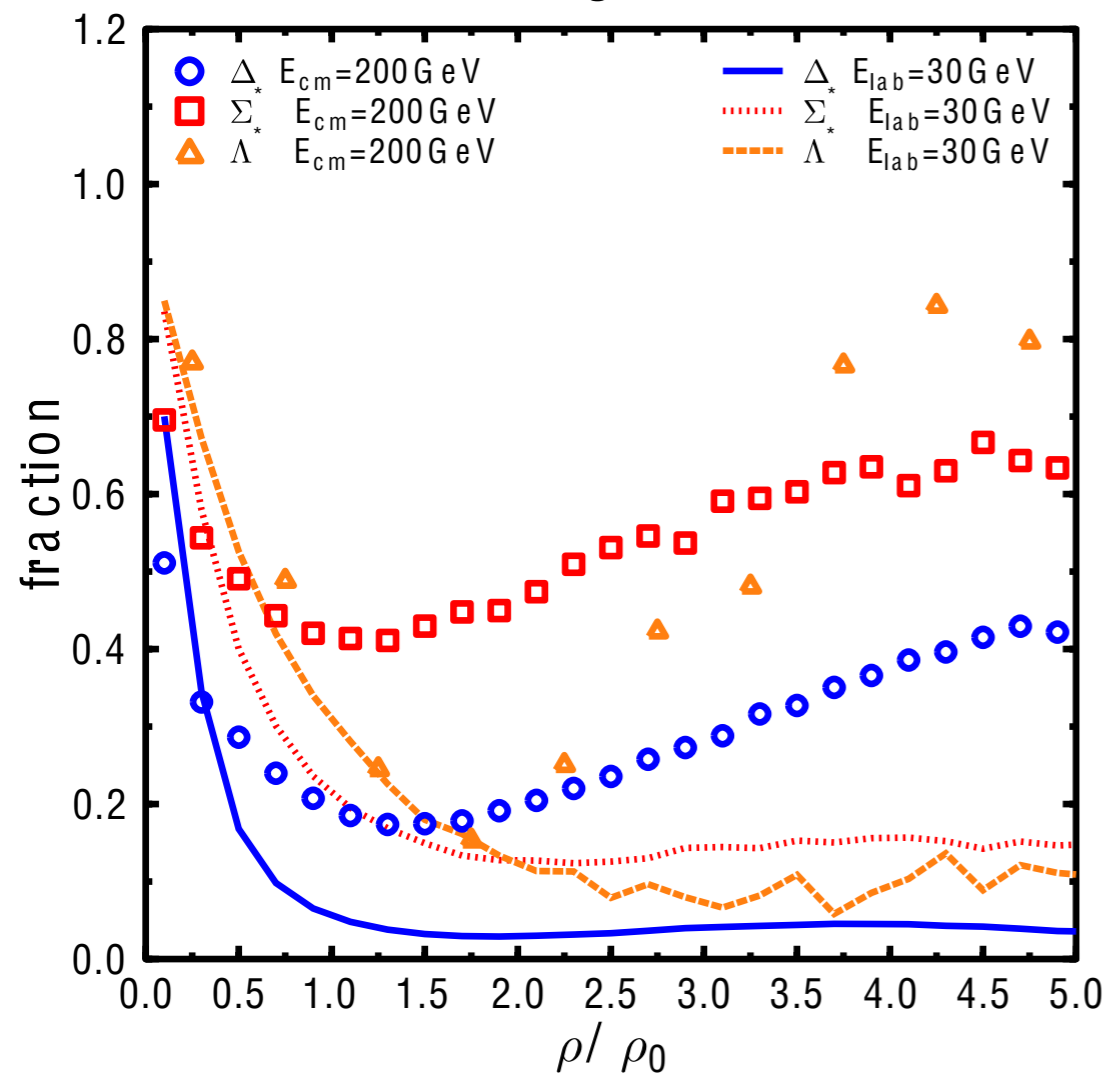


# Reconstruction probability

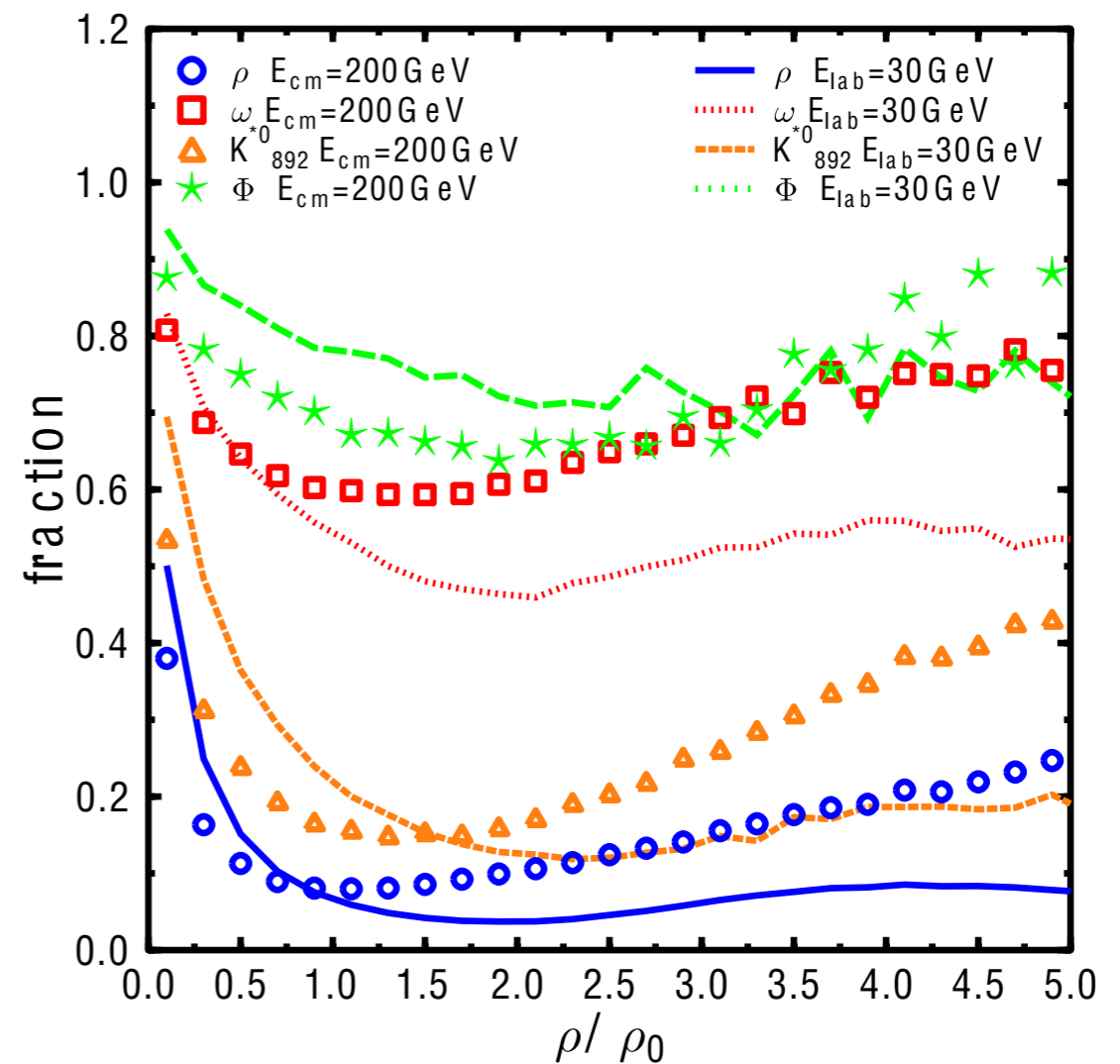


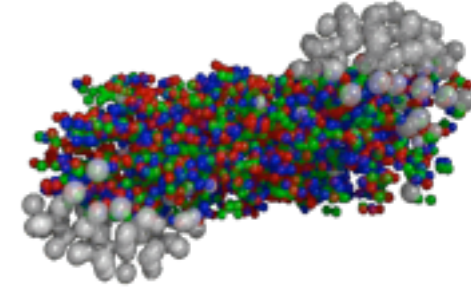
- Probability to reconstruct resonances from a certain density

## Baryons



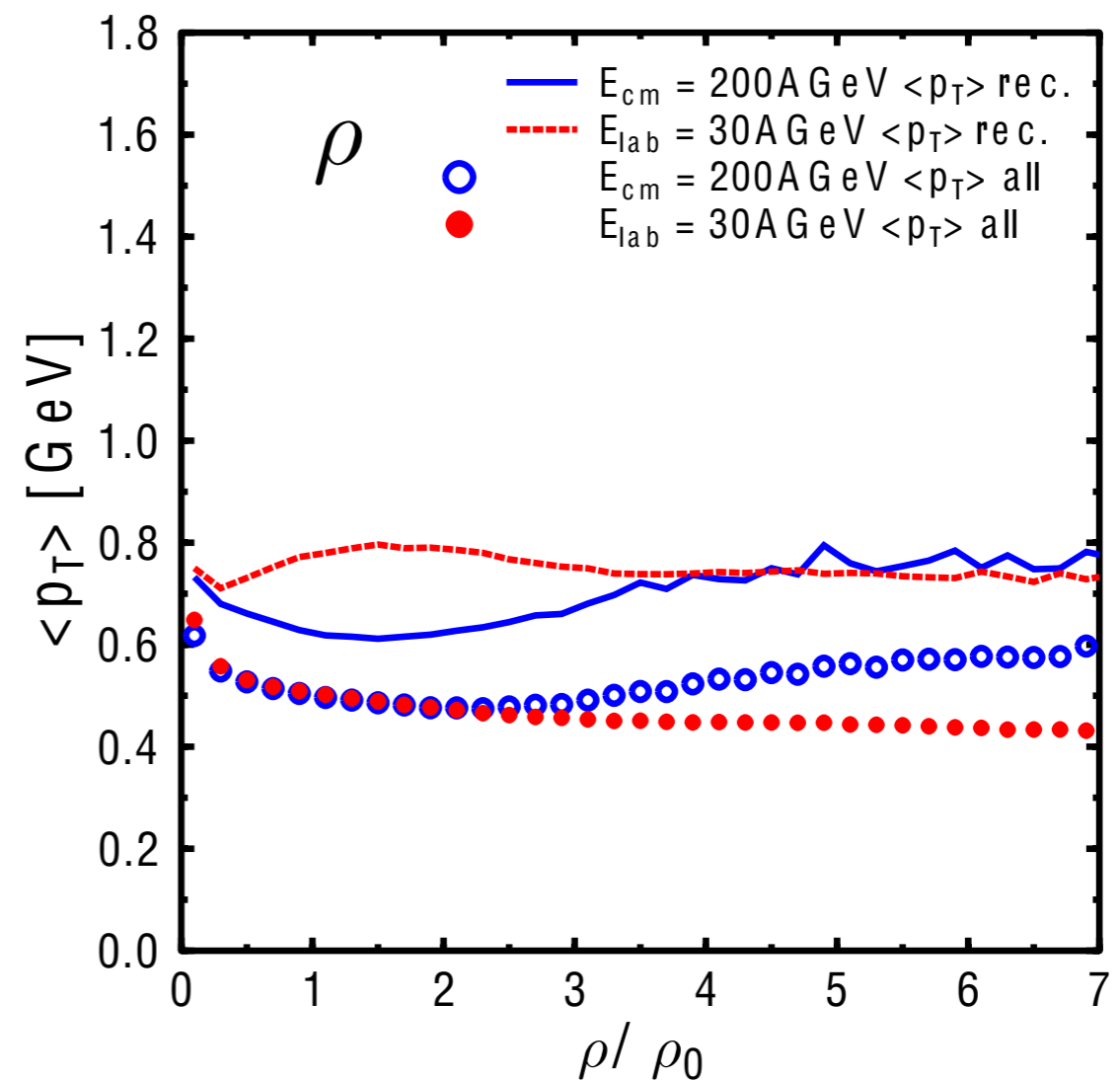
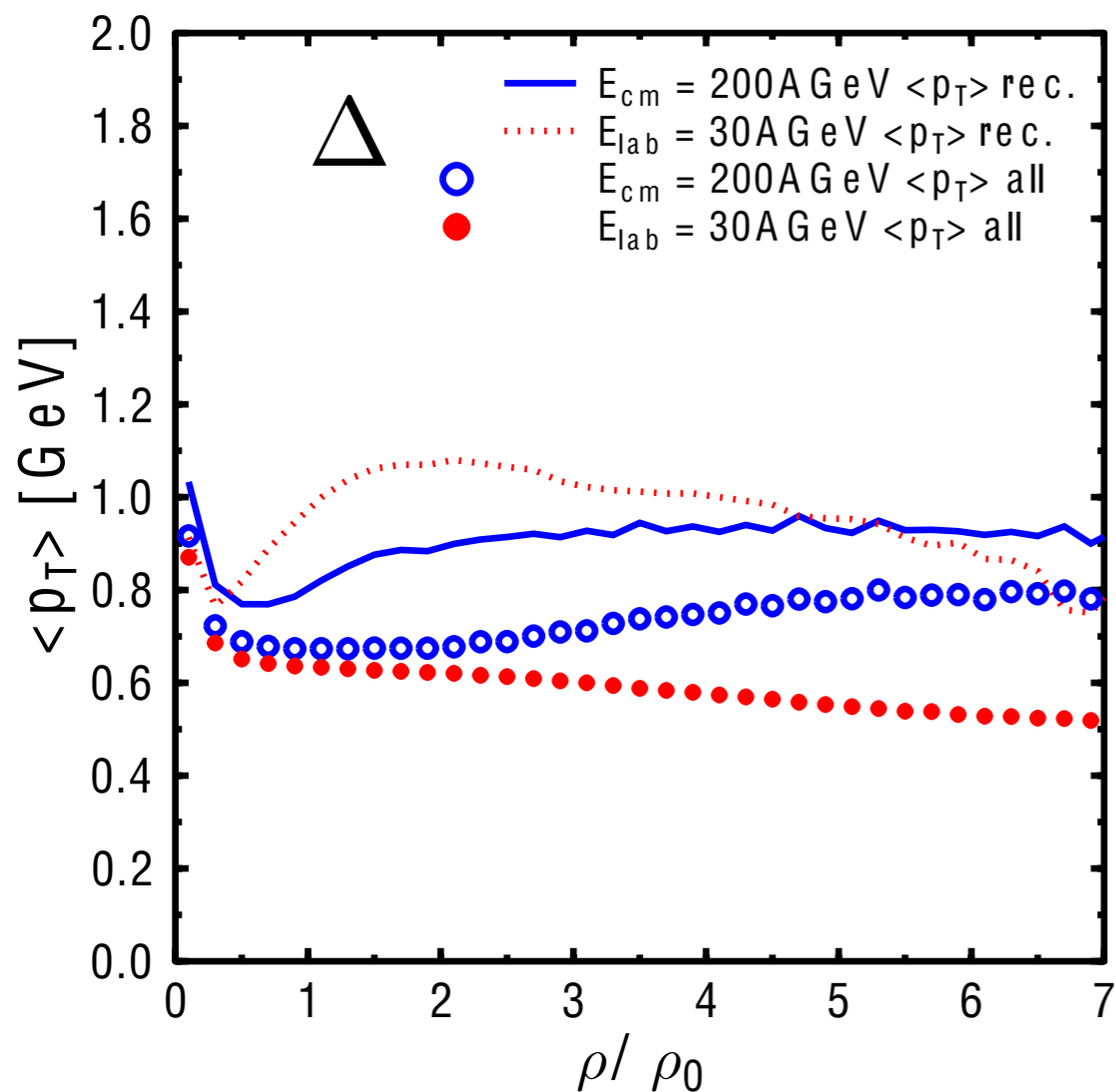
## Mesons



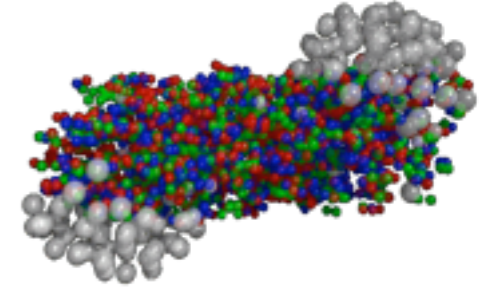


# $p_T$ dependence

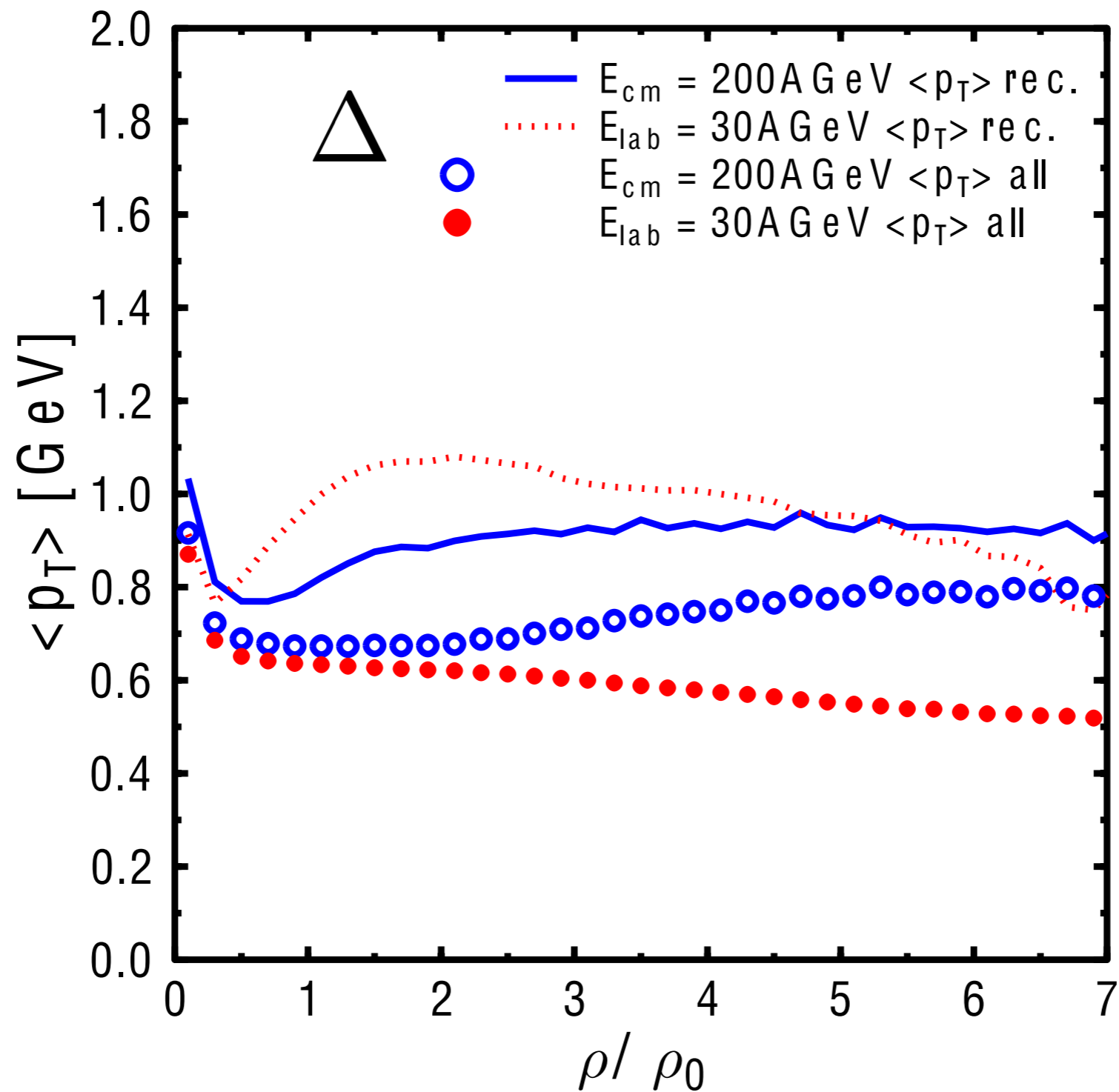
- average transverse momentum depends on density
- reconstructable resonances have higher  $p_T$

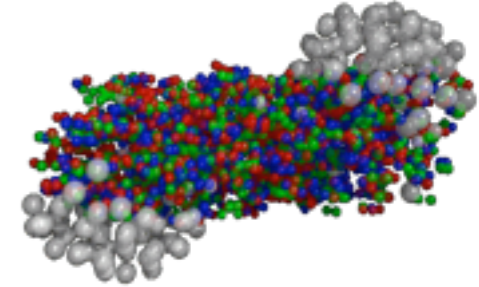






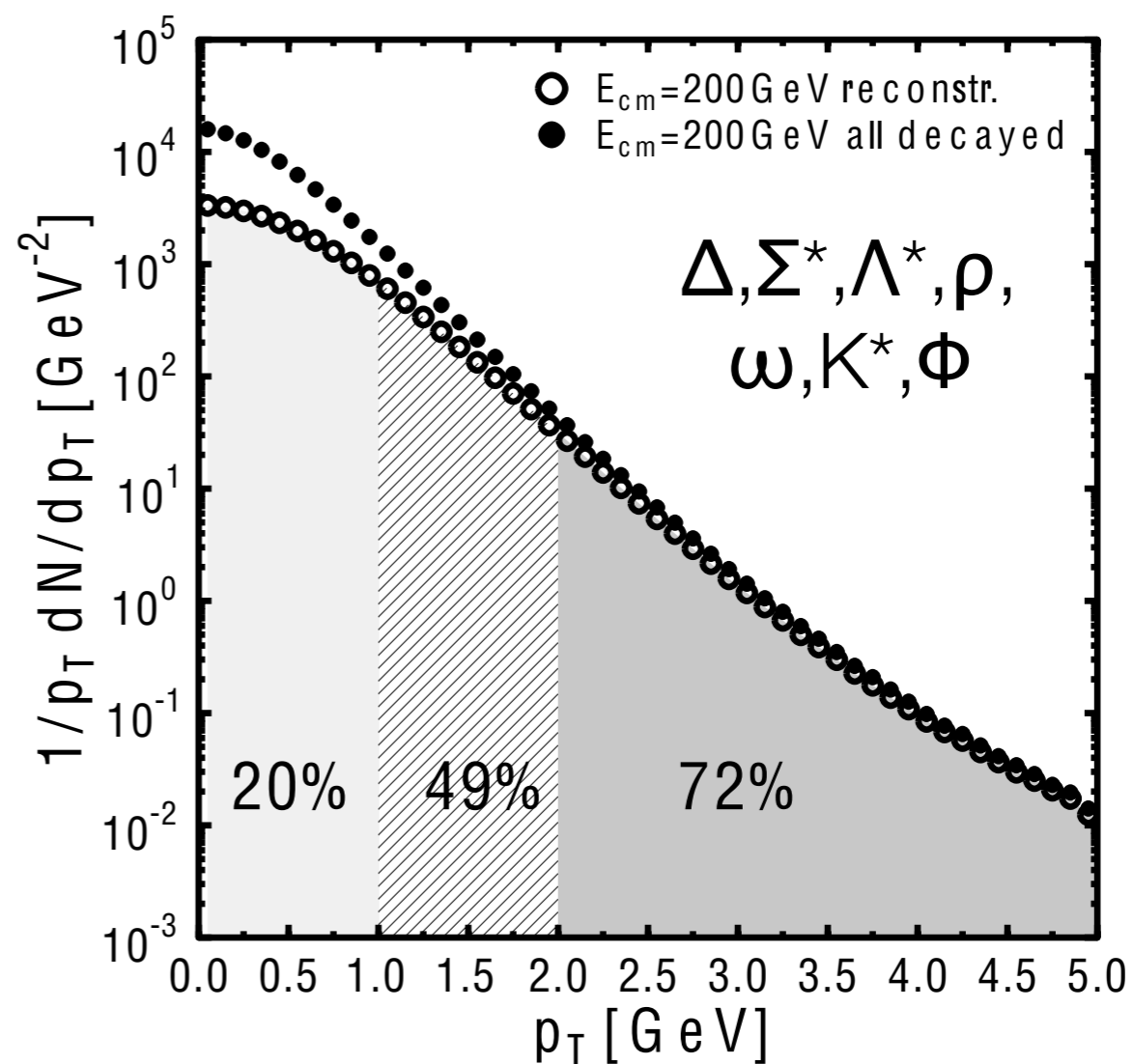
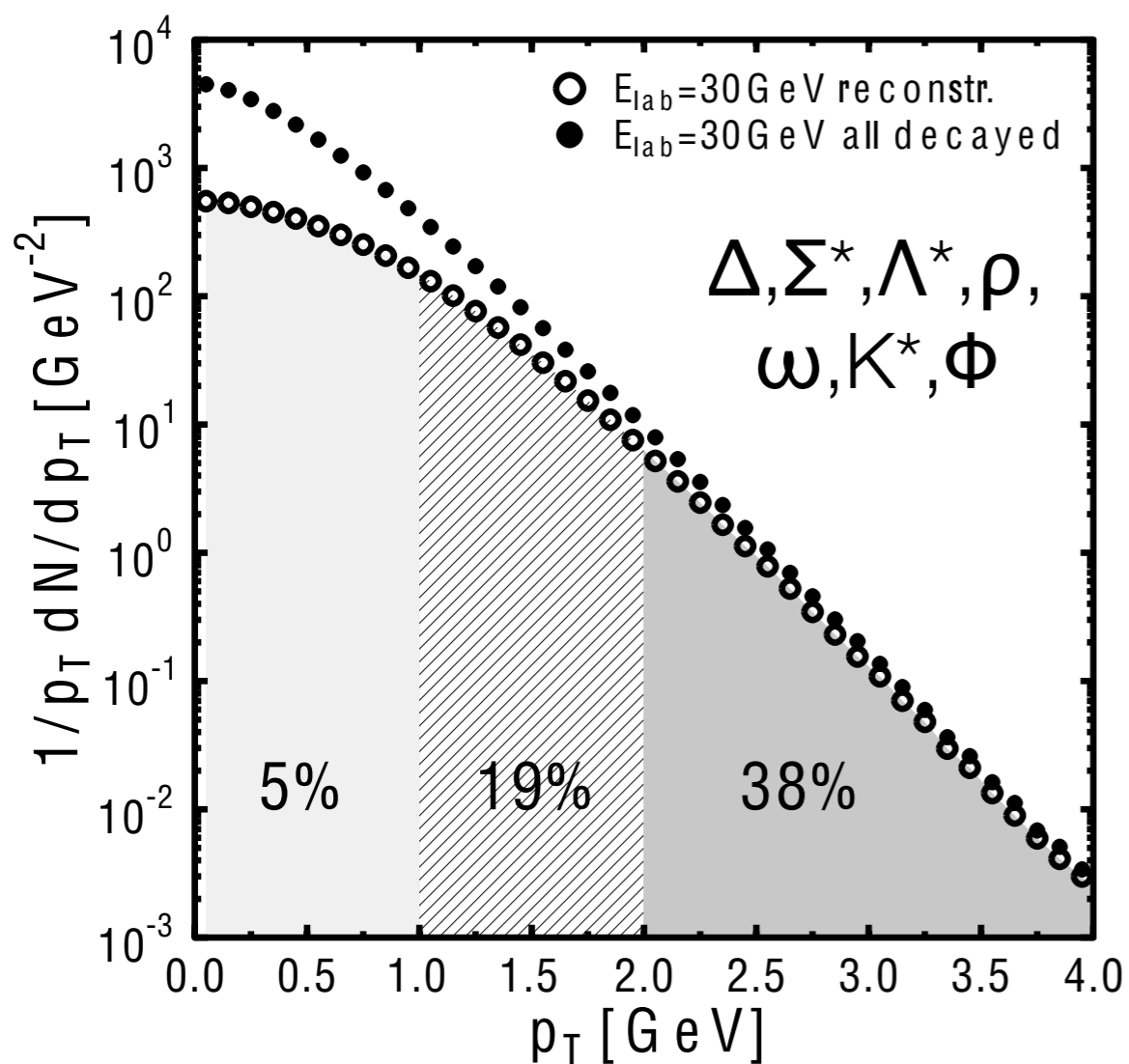
# $p_T$ dependence

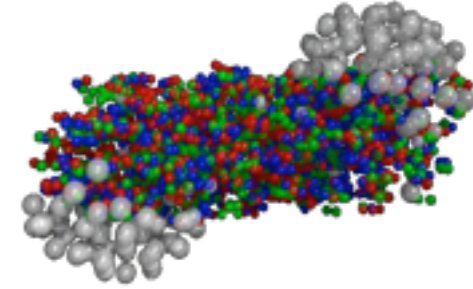




# $p_T$ dependence

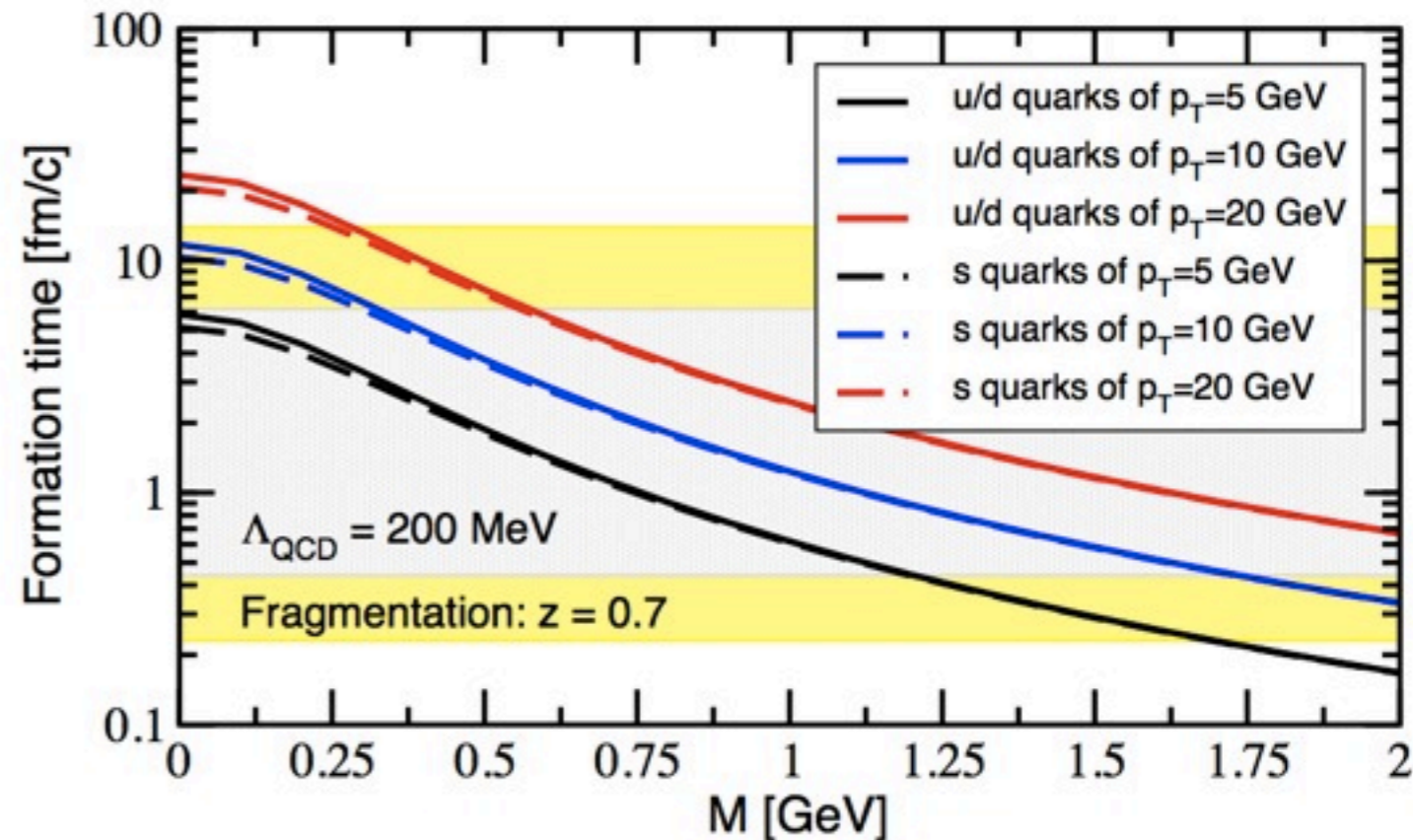
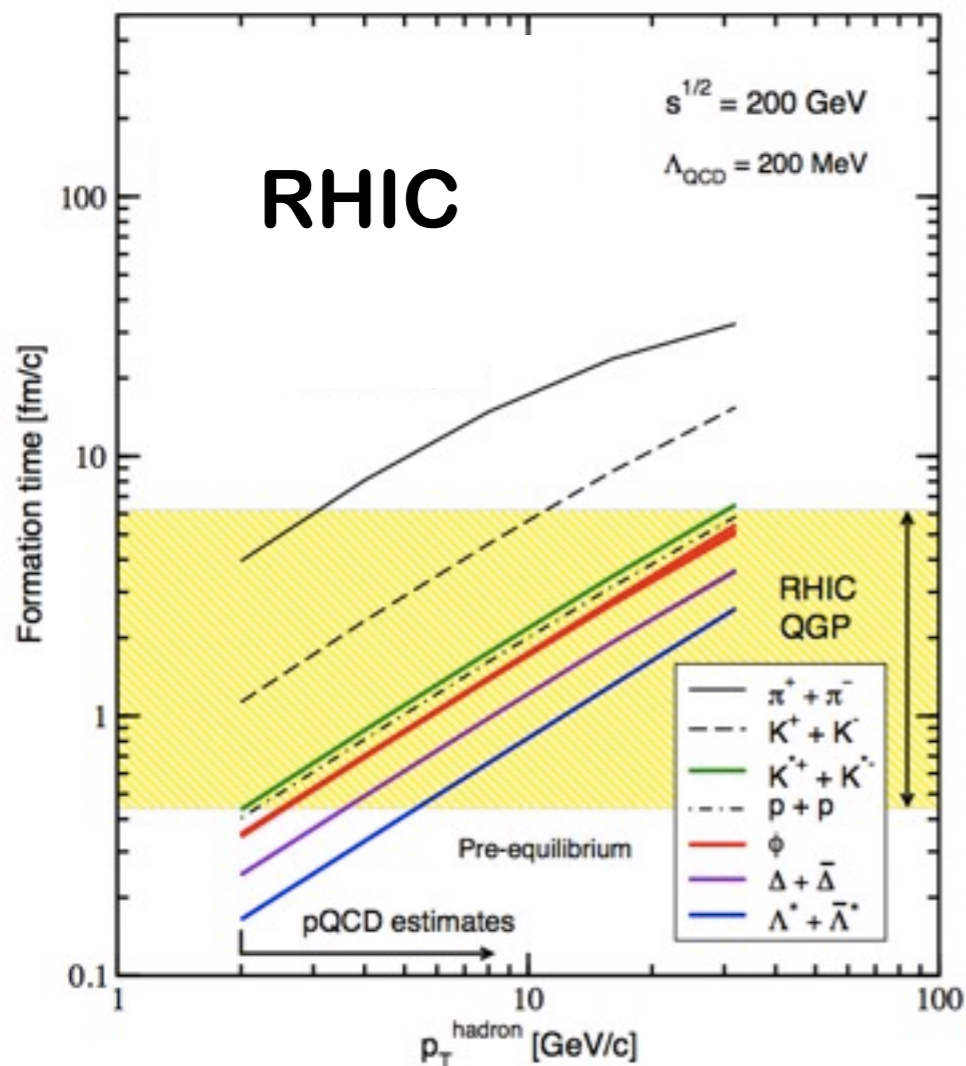
- difference in  $p_T$  spectrum between observable and all decayed
- percentage of reconstructable resonances produced at  $p > 2\rho_0$  increases with  $p_T$

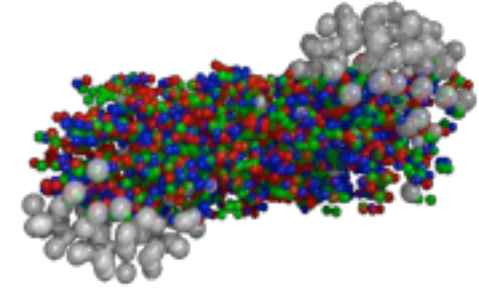




# Formation time

- formation time is mass and  $p_T$  dependent
- shaded areas indicate the estimated lifetime of the partonic phase



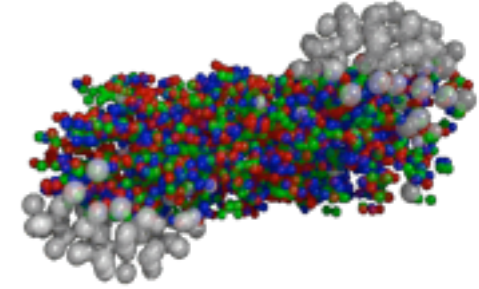


# First conclusion

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**High  $p_T$  resonances might shed some light on the dense phase of heavy ion collisions!**

(but are they really what we want to measure?)

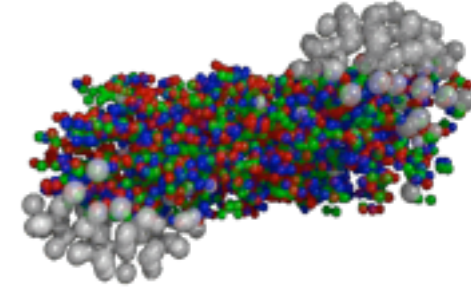


# Dileptons

---

**Using dileptons... how far can we look into the dense phase?**

(can we at all?)



# Gain/Loss terms

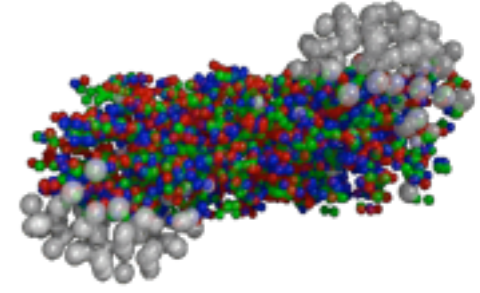
---

- Resonances can stem from two processes
  - **Collisions** (e.g.  $\pi\pi \rightarrow \rho$ )
  - **Decays** of heavier resonances (e.g.  $N_{1520}^* \rightarrow N + \rho$ )
- Resonances can be destroyed by two processes
  - **Decays** (e.g.  $\rho \rightarrow e^+e^-$ )
  - **Absorption** (e.g.  $N + \rho \rightarrow N_{1520}^*$ )

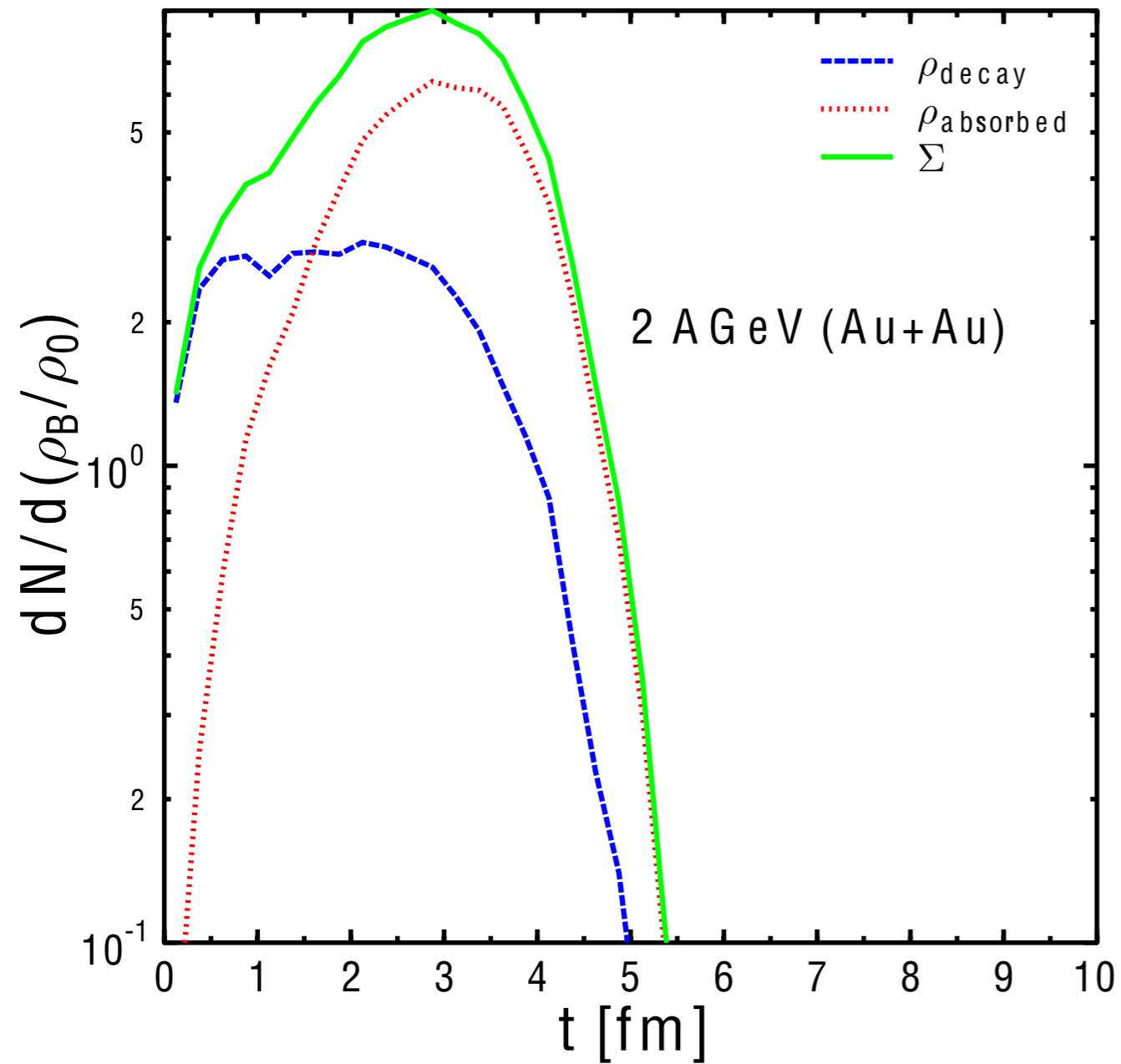
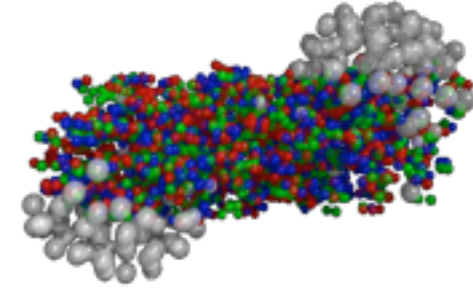


# Density distribution

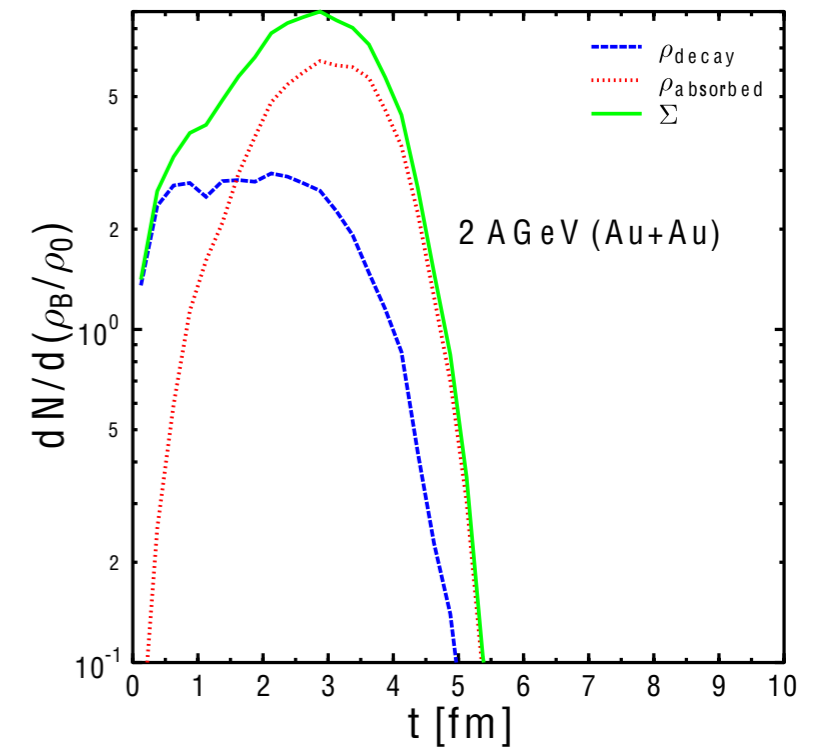
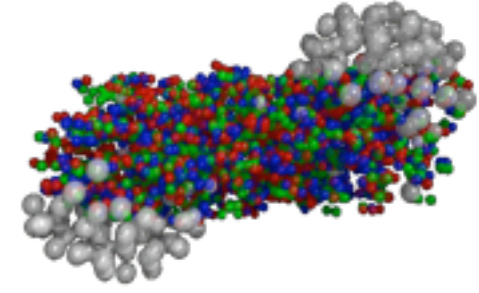
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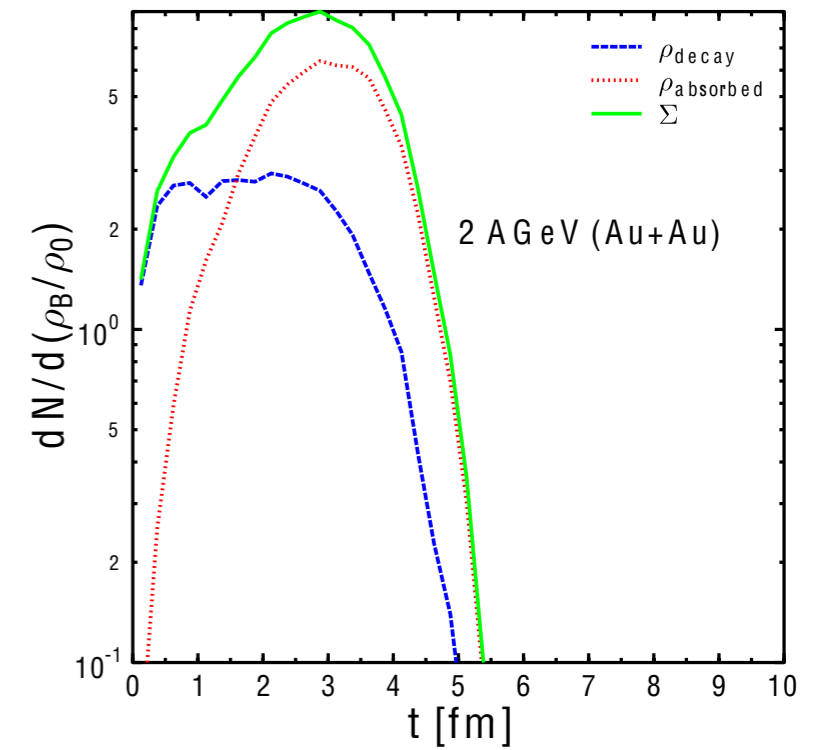
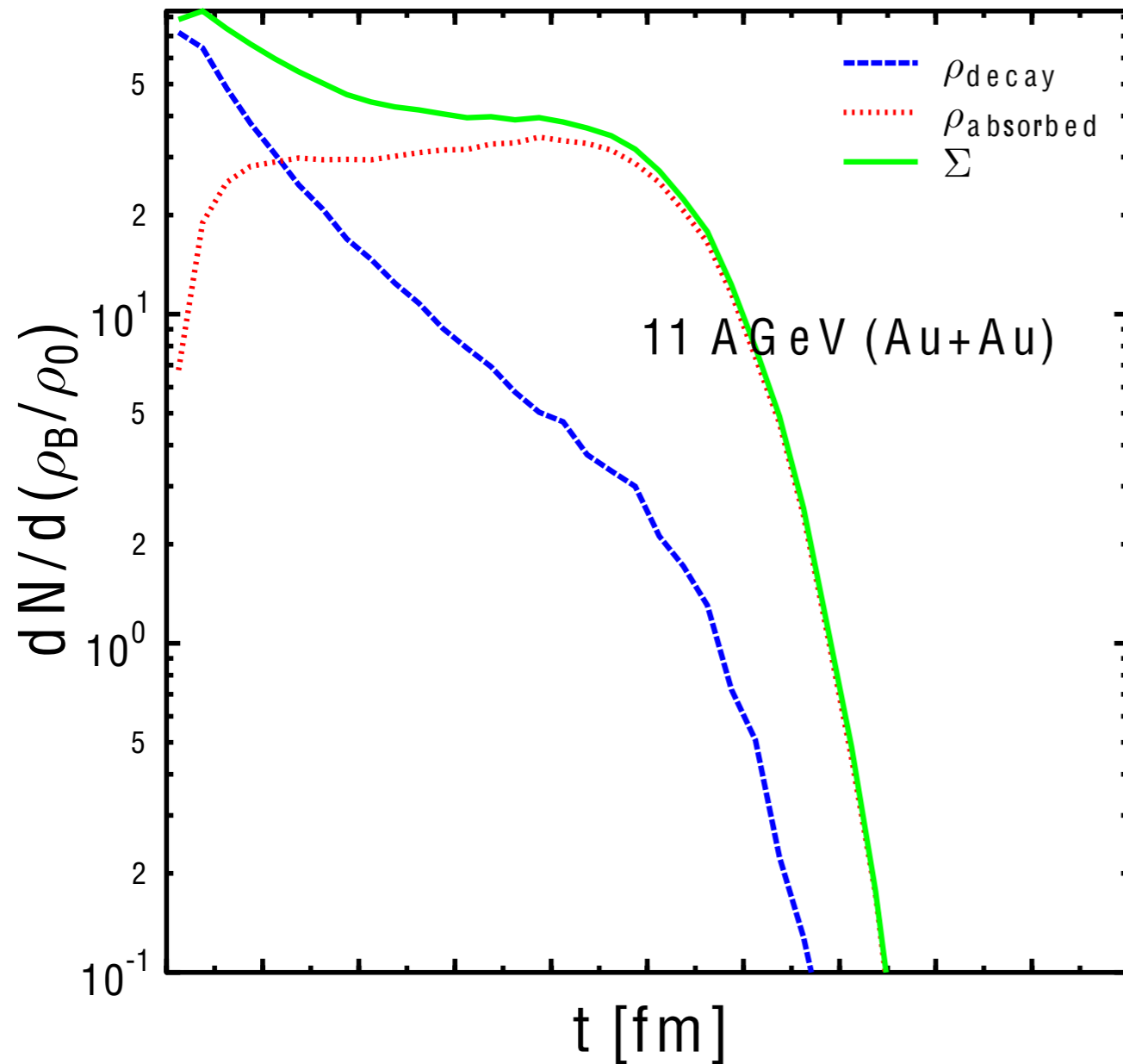
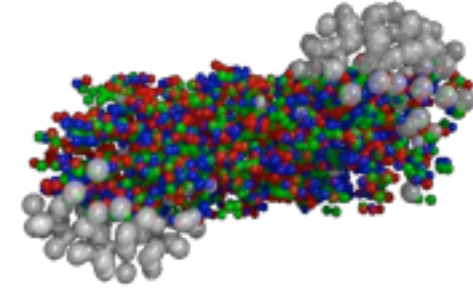
# Density distribution



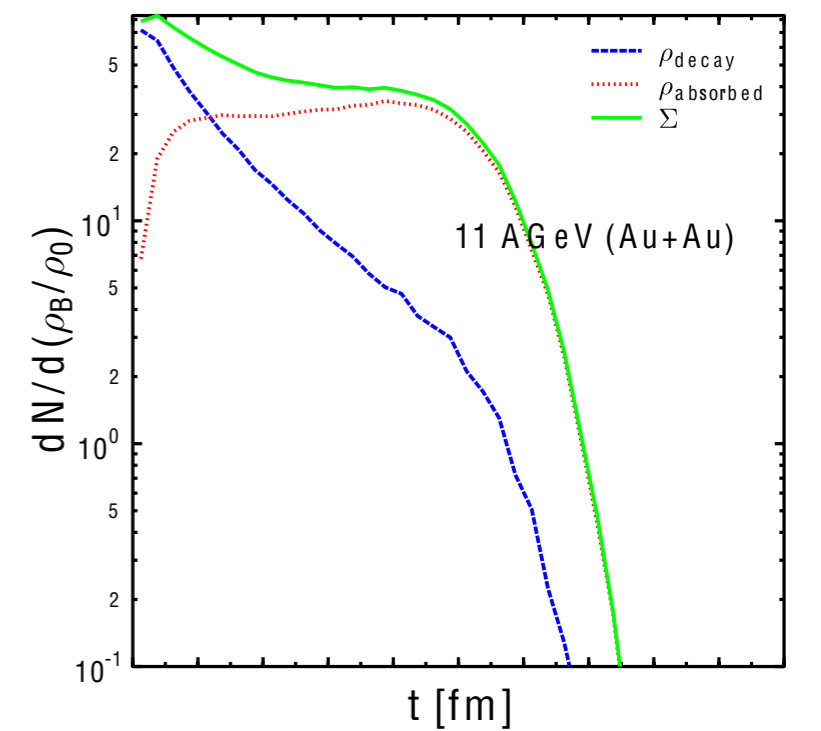
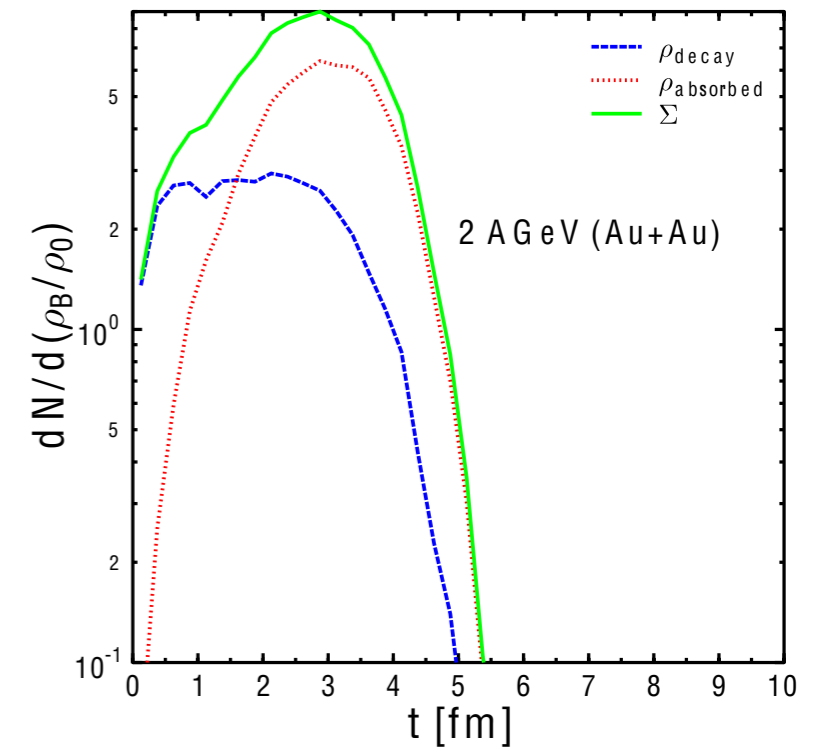
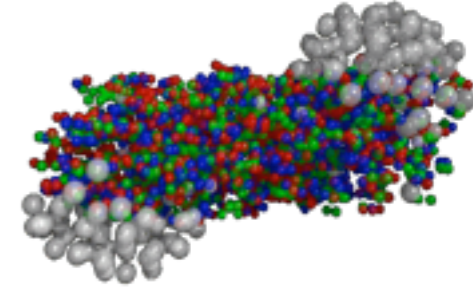
# Density distribution



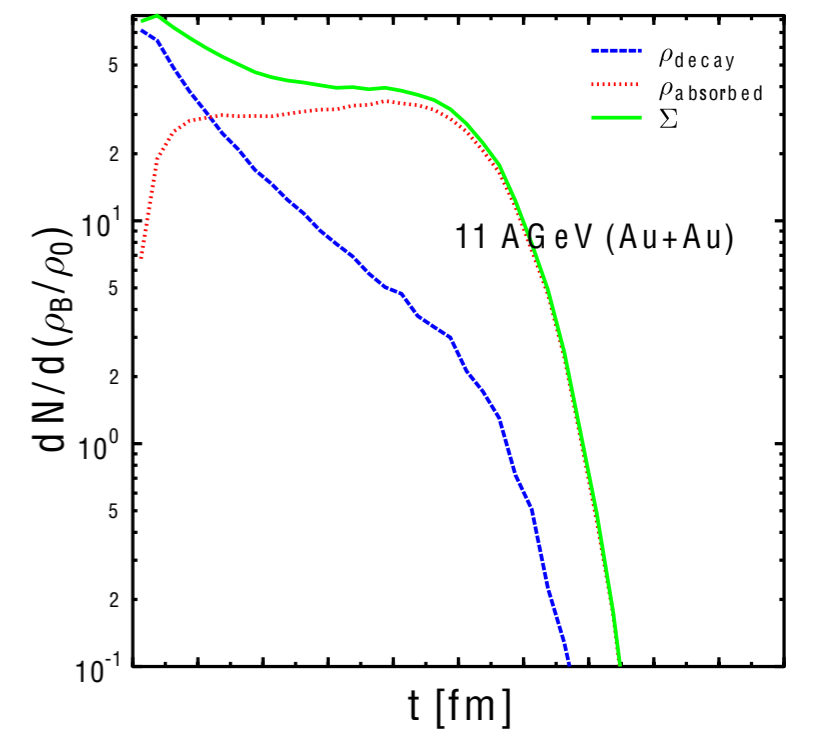
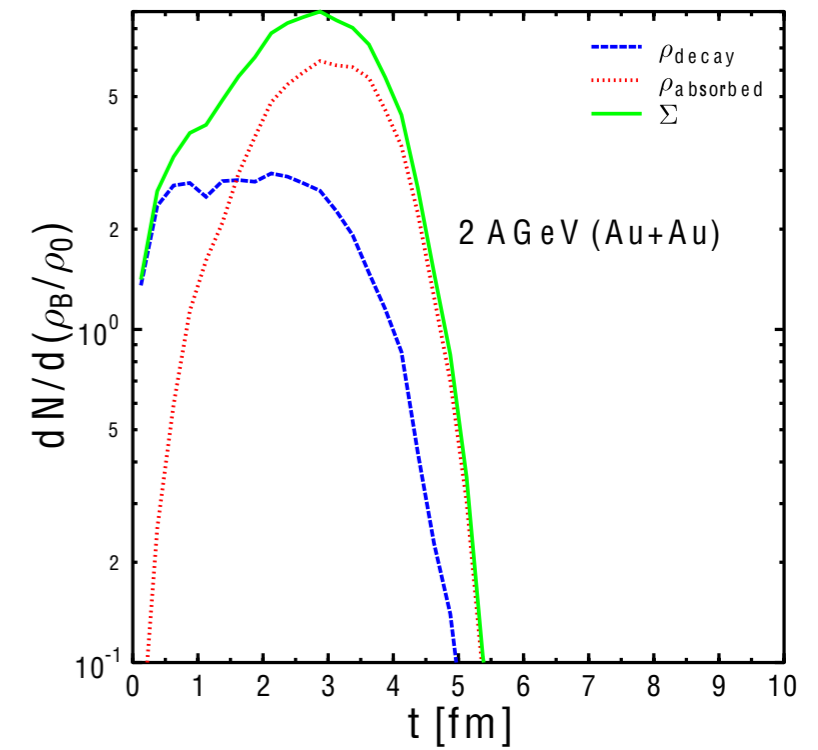
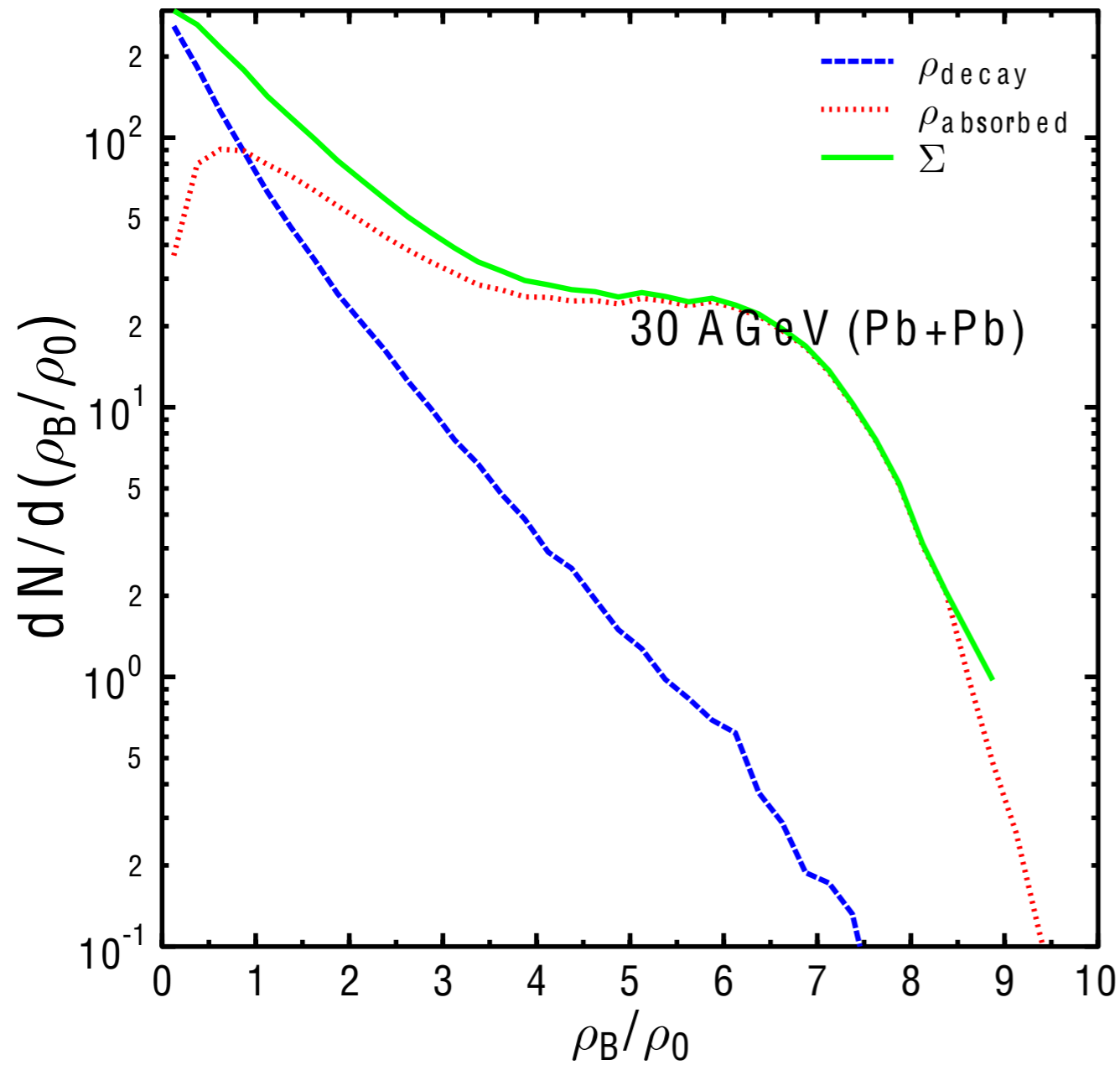
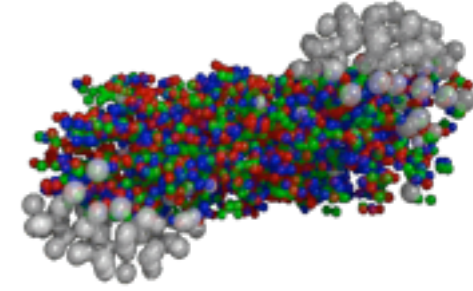
# Density distribution



# Density distribution

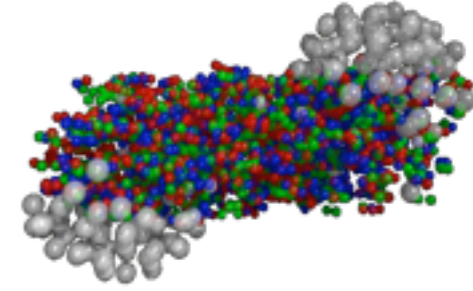


# Density distribution

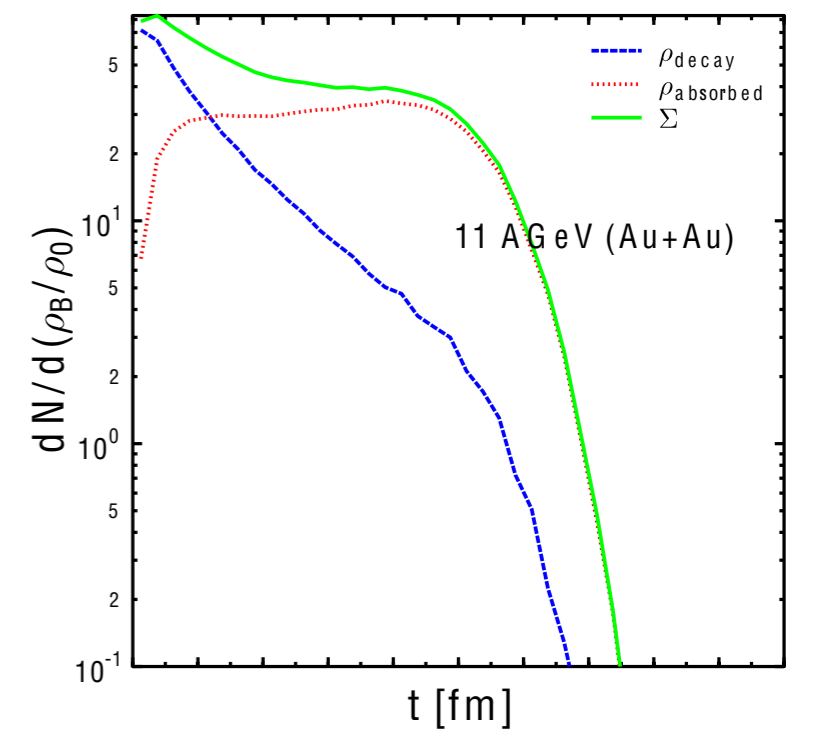
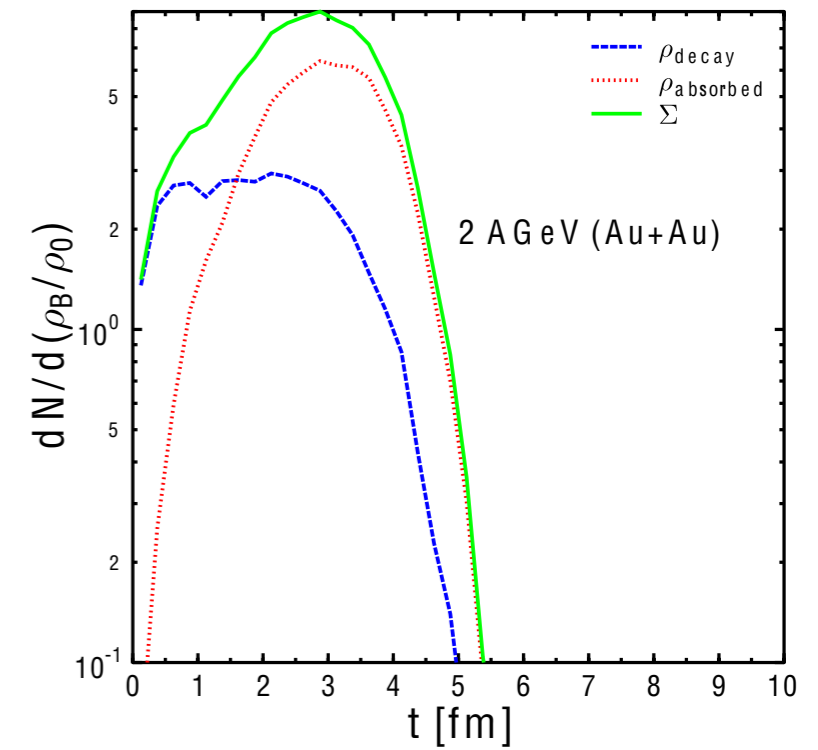
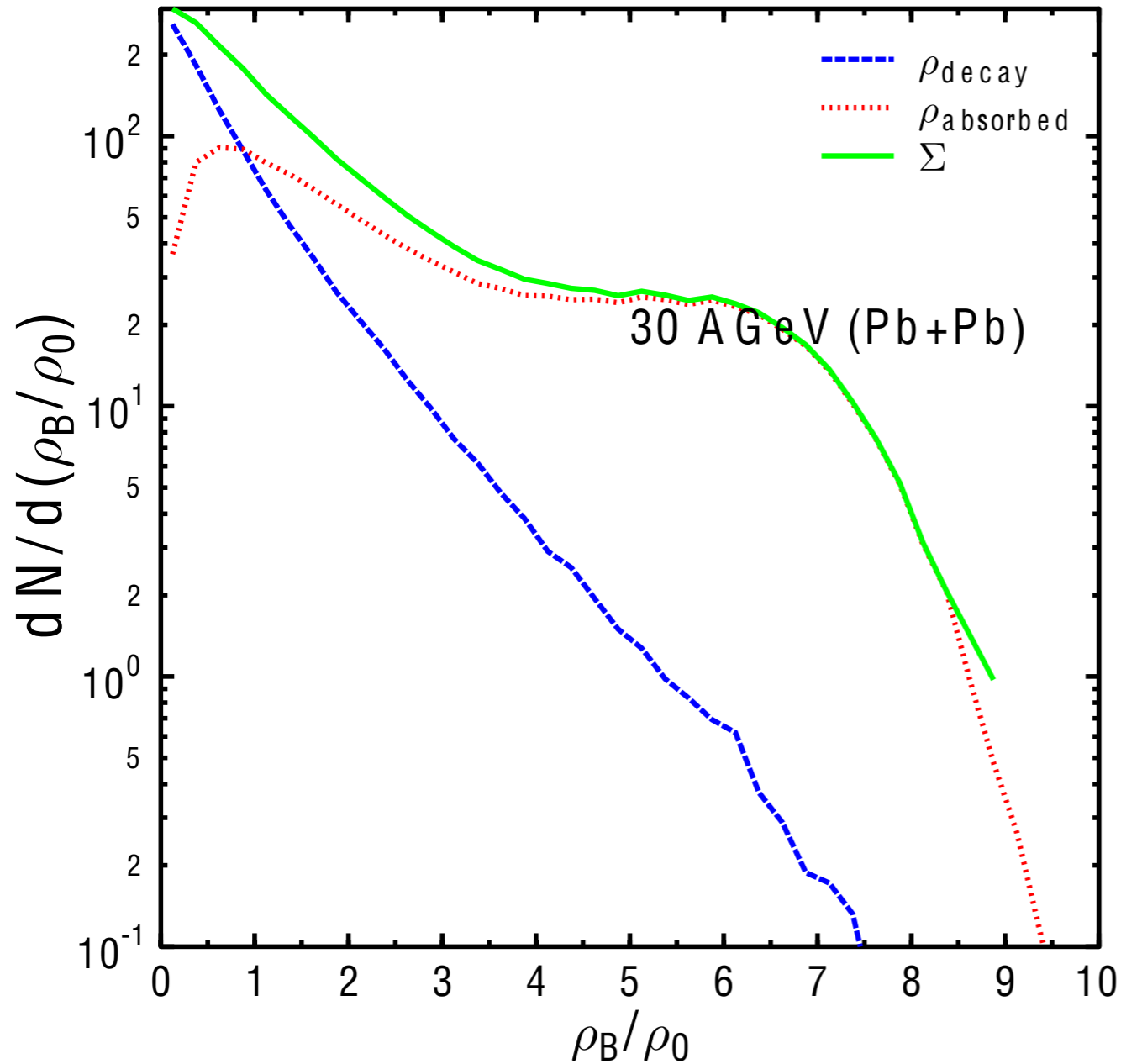




# Density distribution

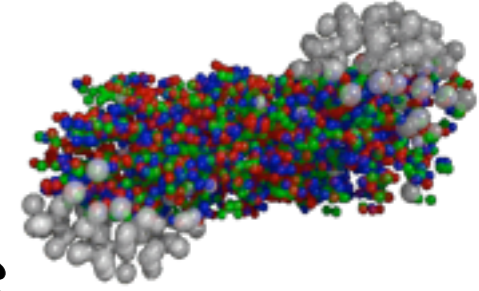


- $\rho$  decays do not reach out to high density
- most resonances at such densities are re-absorbed



# Gain/Loss rates of $\rho$ mesons

---



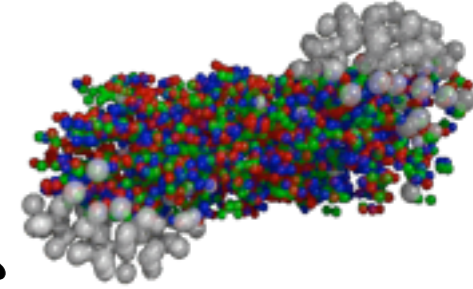
**SiS energies: Most gain from decay**

**AGS and FAIR energies: More gain from collisions**

**In the early stage - loss by absorption dominant**

**Decays set in in the late stage**

# Gain/Loss rates of $\rho$ mesons

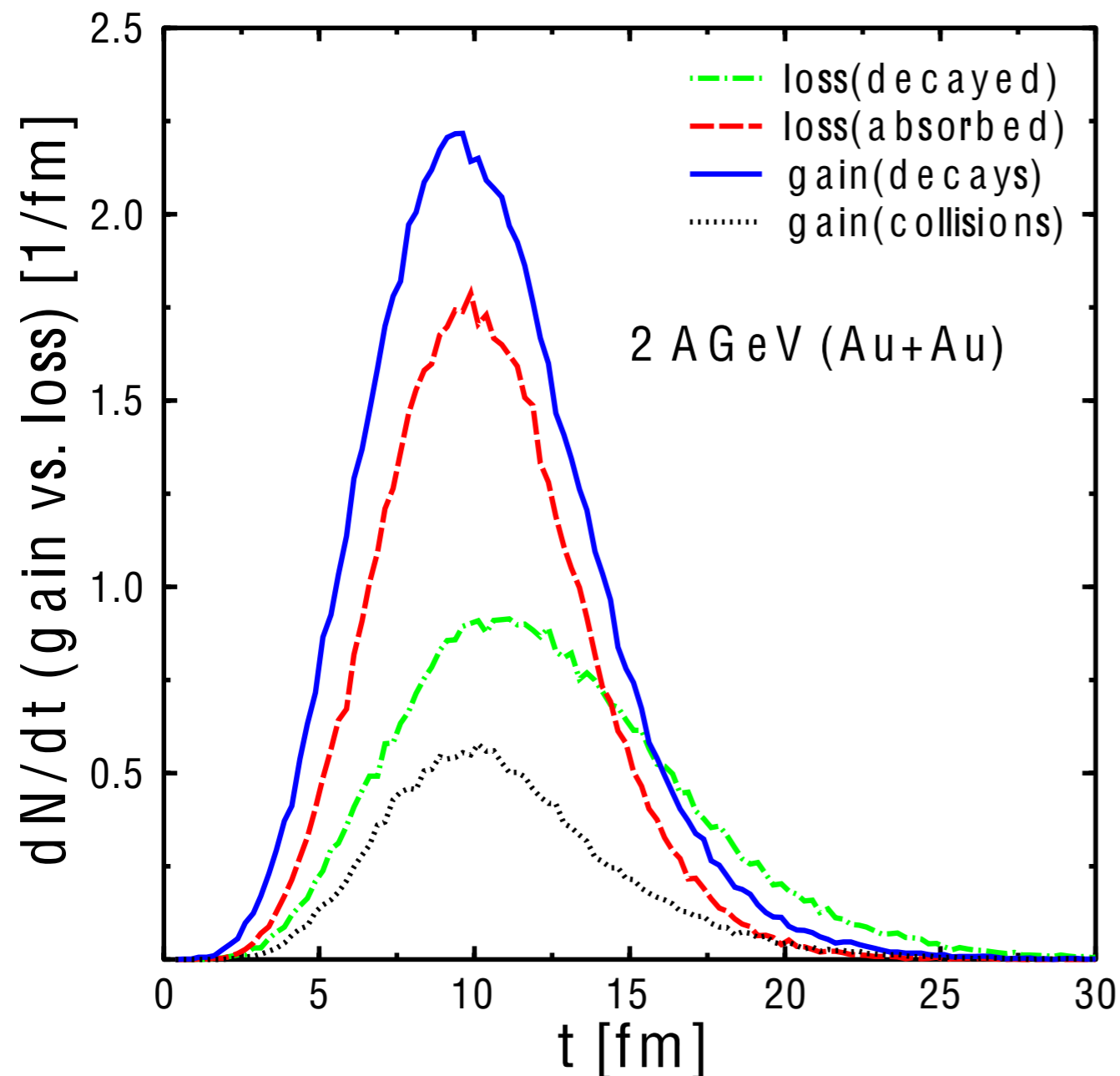


SiS energies: Most gain from decay

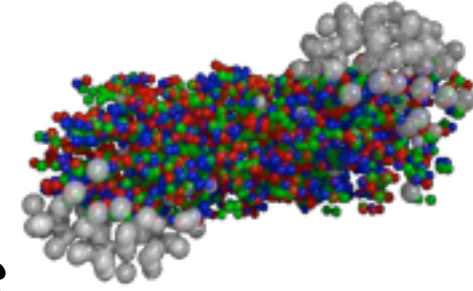
AGS and FAIR energies: More gain from collisions

In the early stage - loss by absorption dominant

Decays set in in the late stage



# Gain/Loss rates of $\rho$ mesons

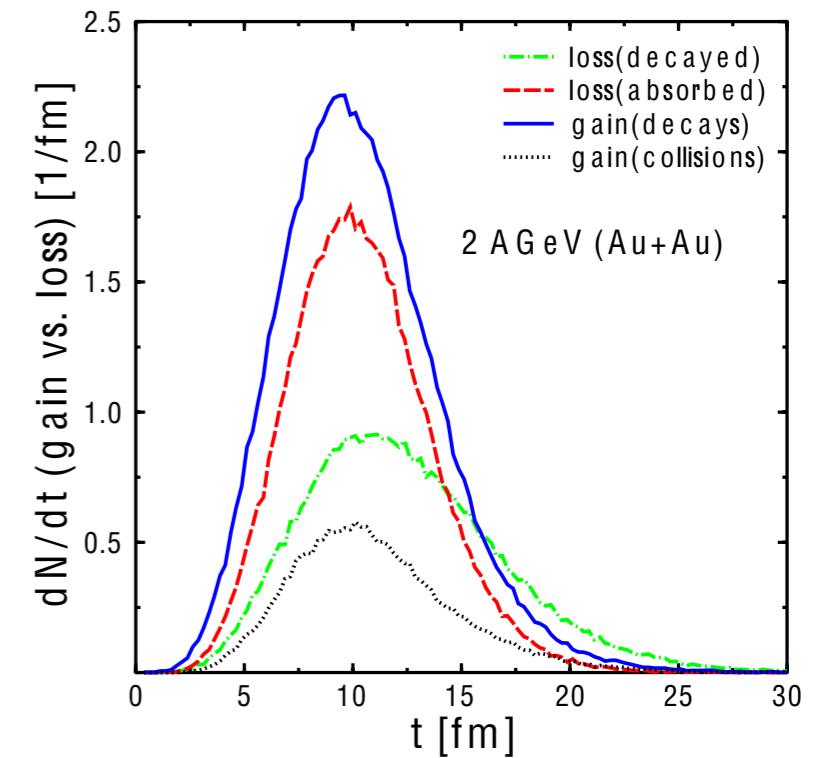


**SiS energies: Most gain from decay**

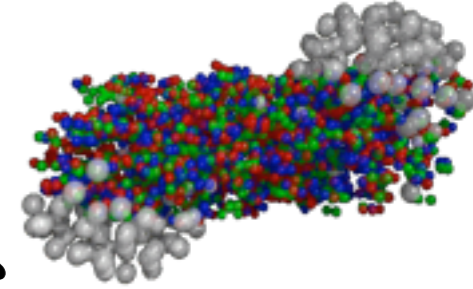
**AGS and FAIR energies: More gain from collisions**

**In the early stage - loss by absorption dominant**

**Decays set in in the late stage**



# Gain/Loss rates of $\rho$ mesons

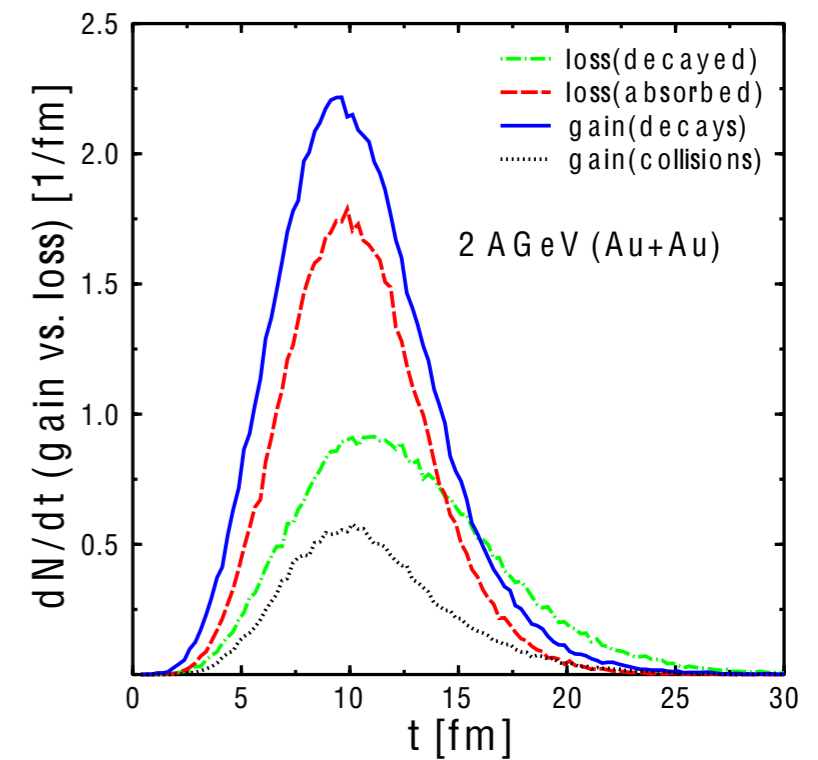
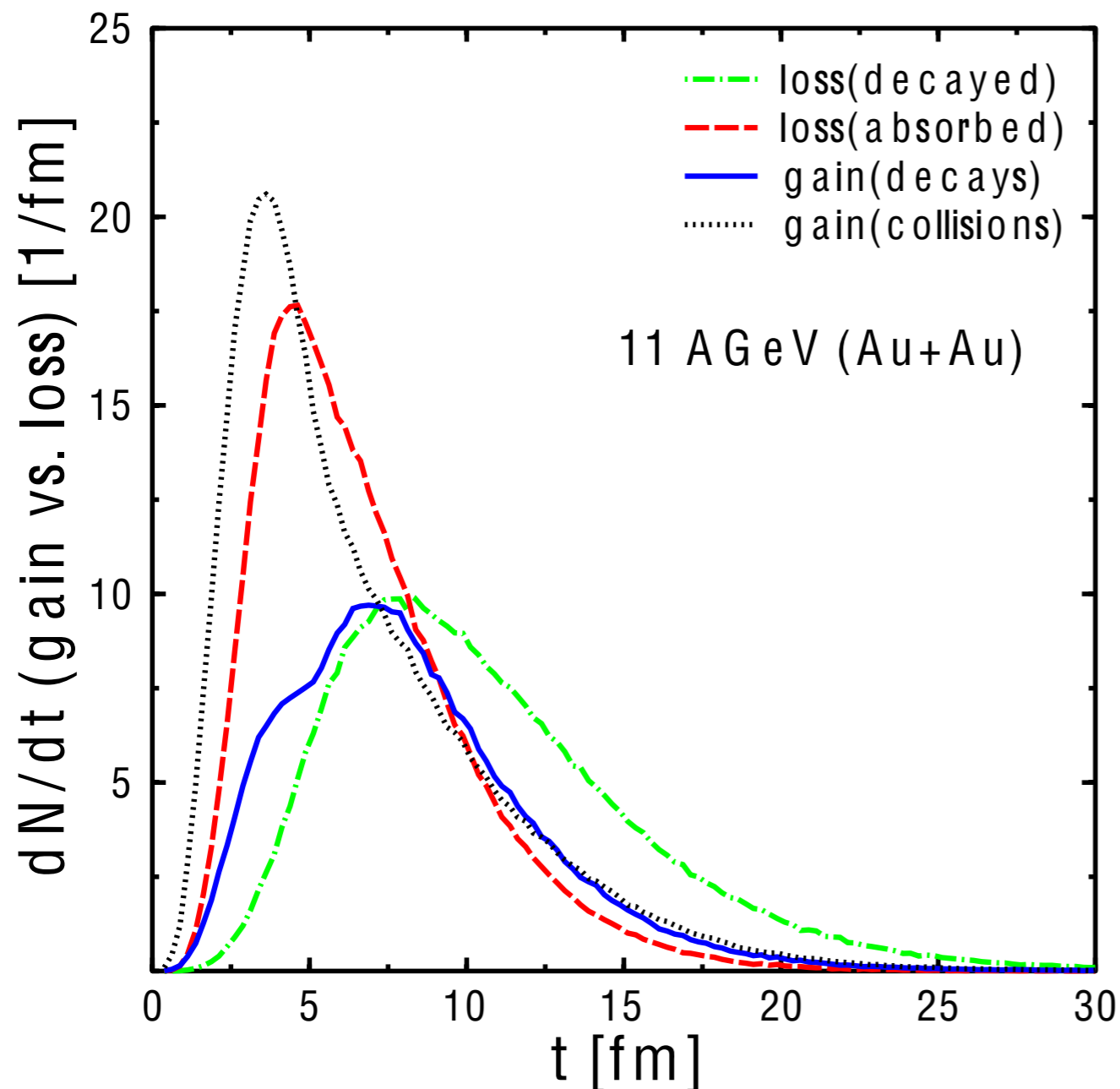


SiS energies: Most gain from decay

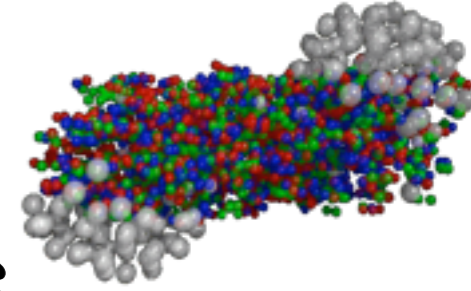
AGS and FAIR energies: More gain from collisions

In the early stage - loss by absorption dominant

Decays set in in the late stage



# Gain/Loss rates of $\rho$ mesons

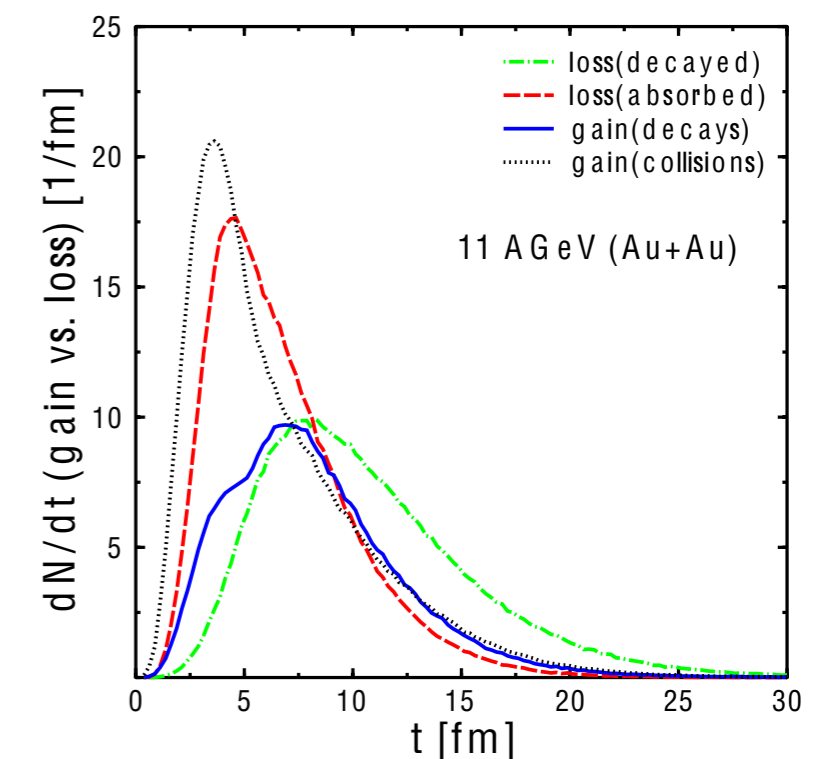
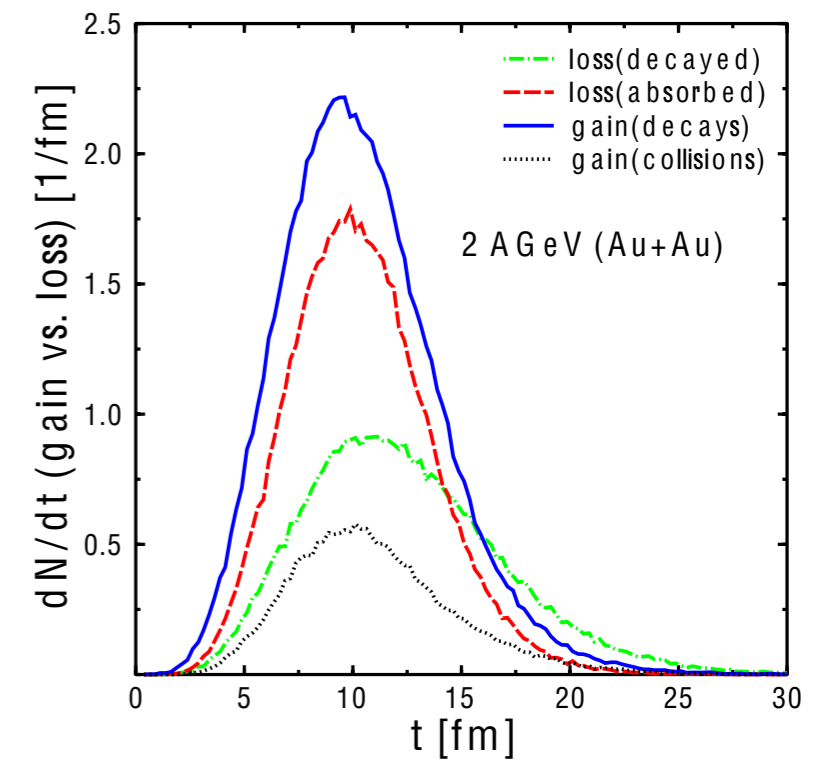


SiS energies: Most gain from decay

AGS and FAIR energies: More gain from collisions

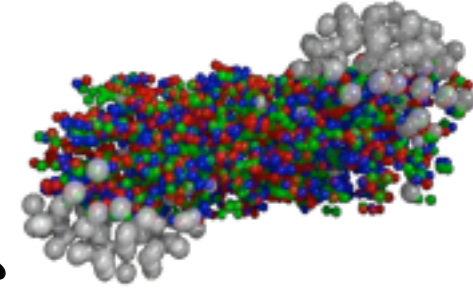
In the early stage - loss by absorption dominant

Decays set in in the late stage





# Gain/Loss rates of $\rho$ mesons

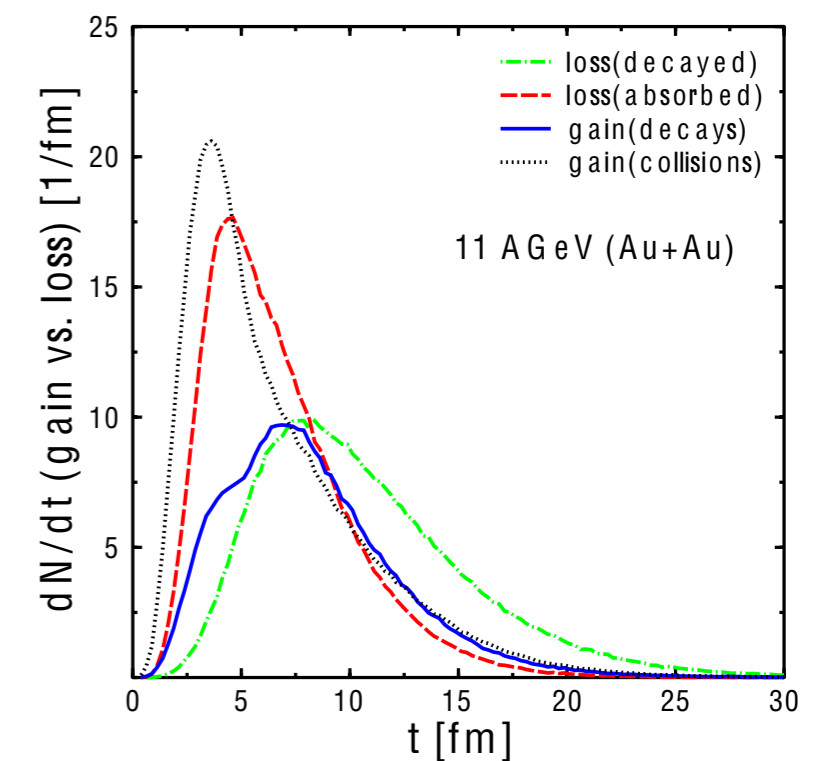
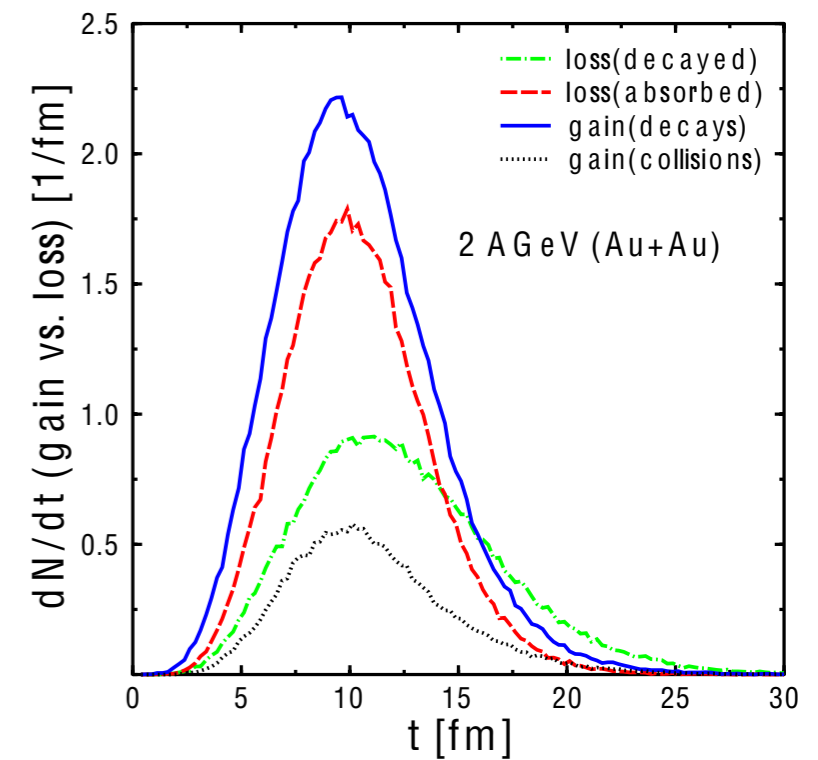
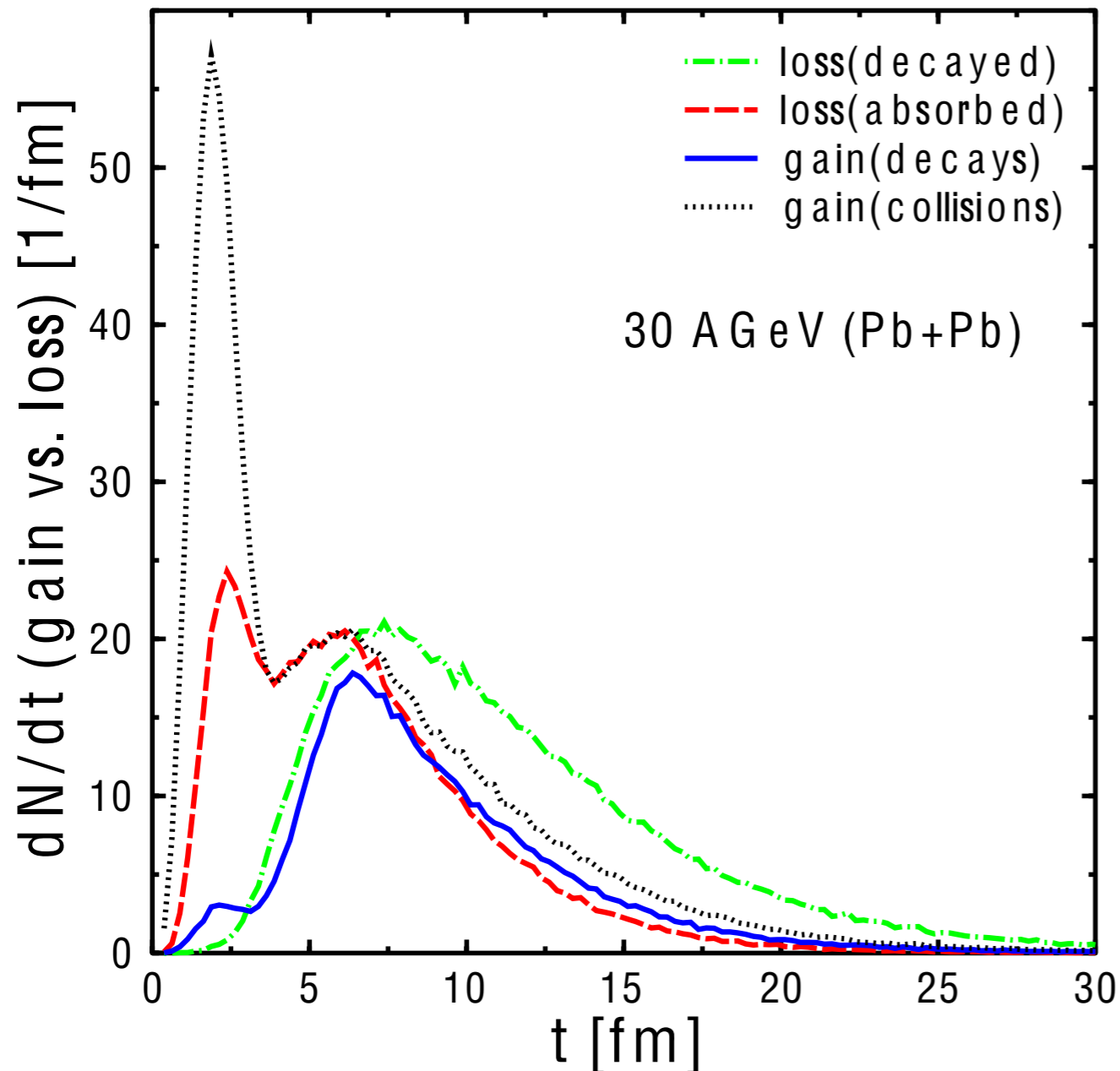


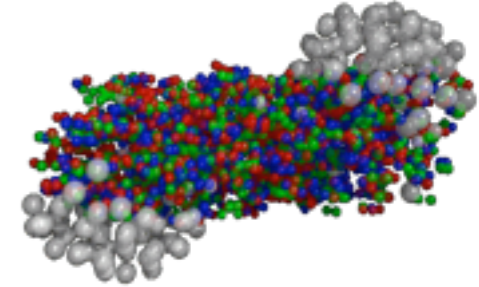
SiS energies: Most gain from decay

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In the early stage - loss by absorption dominant

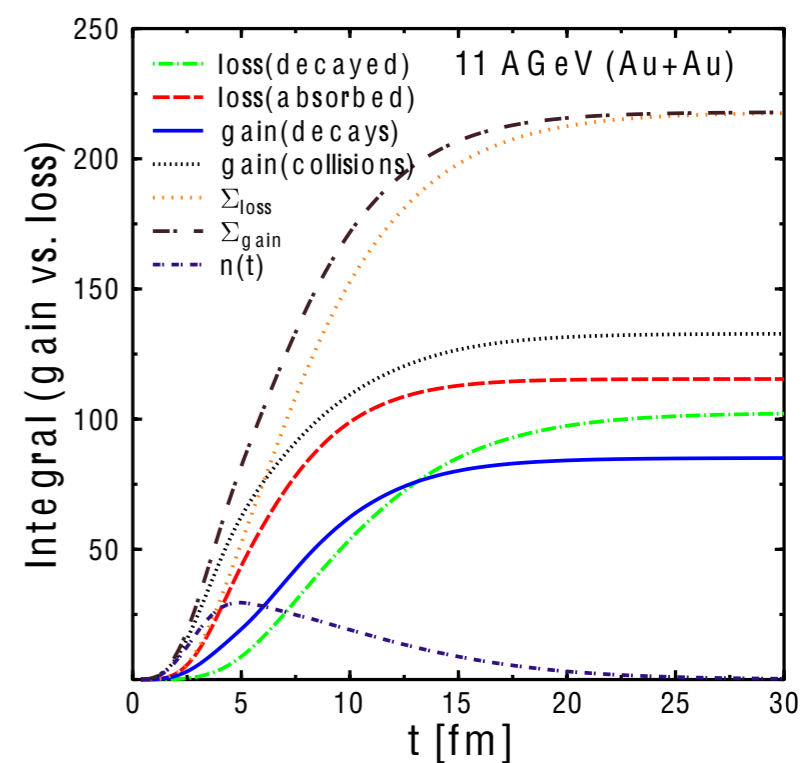
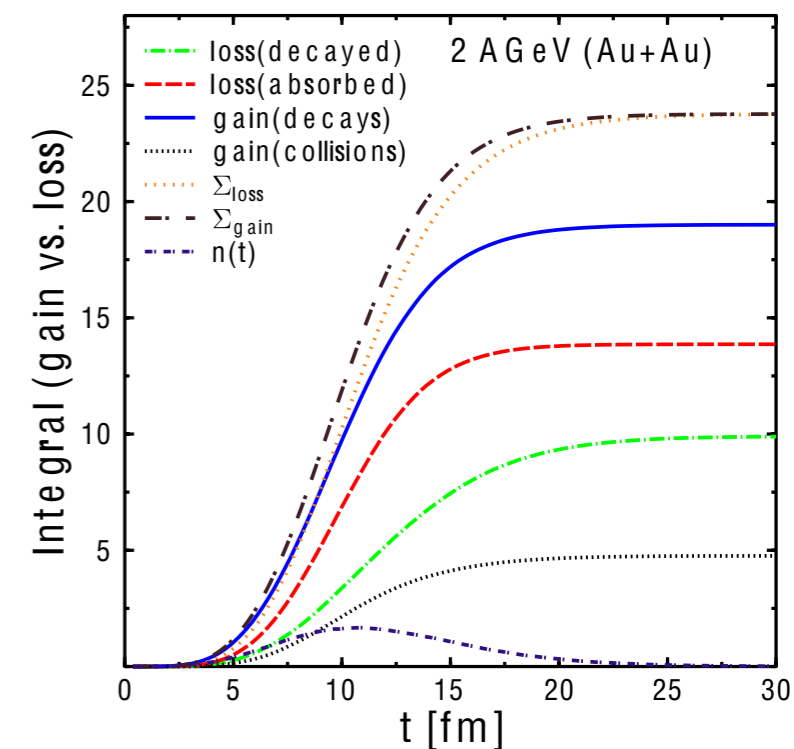
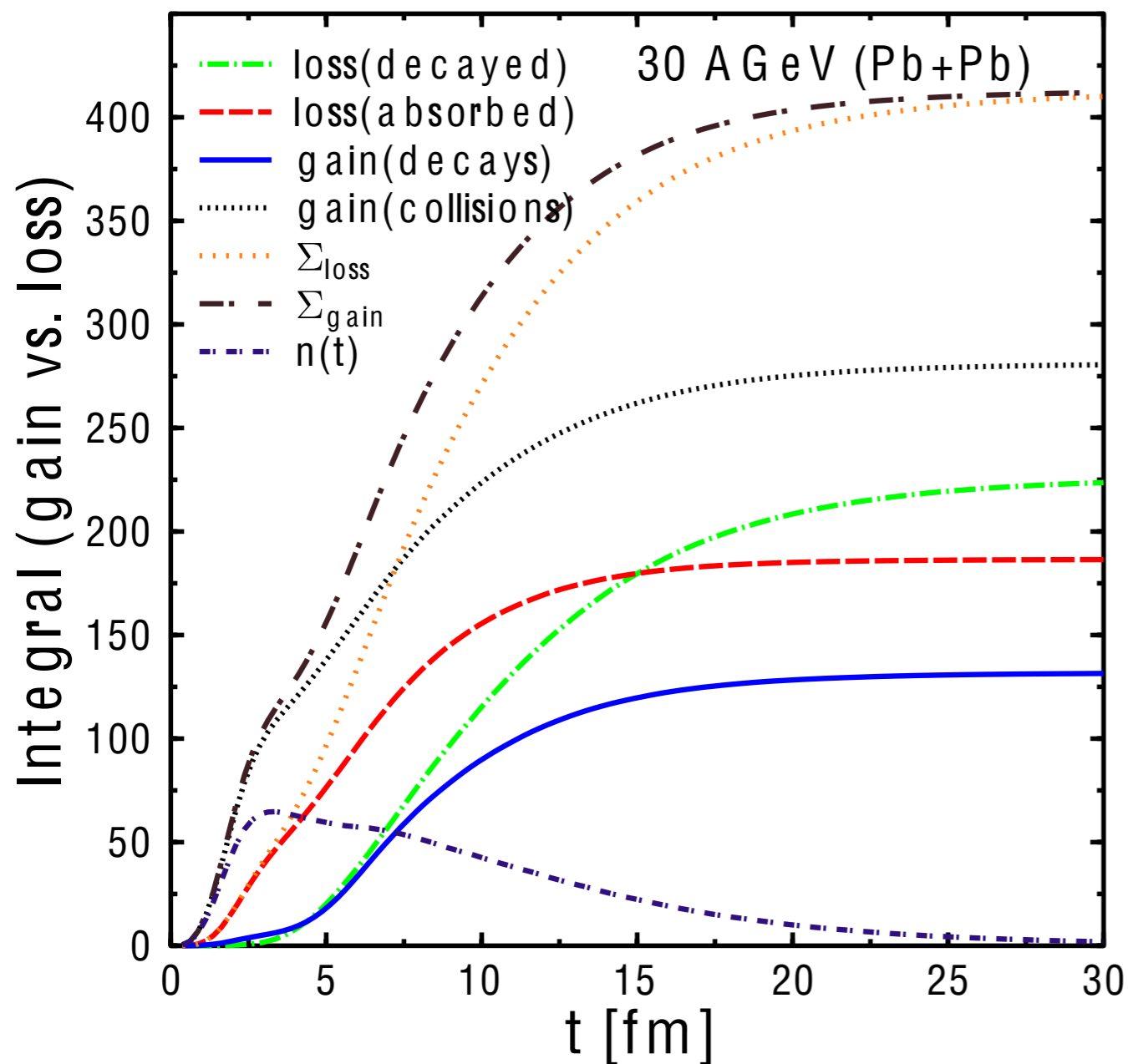
Decays set in in the late stage

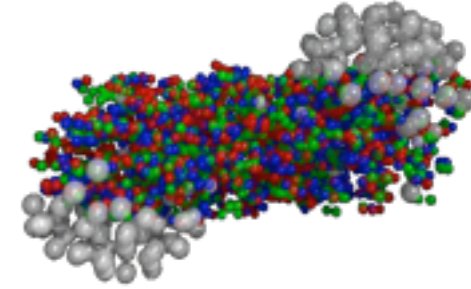




# Integral values

- **Consistency check: Sum of gain and collision agree**
- **Difference gives the number of resonances in the system**





# Dilepton approaches

---

## 1) Shining

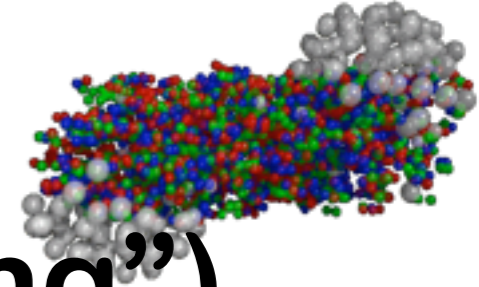
- Evaluate lifetime of the resonance, weight accordingly

## 2) Full weight only when resonance decays - ignore absorbed resonances

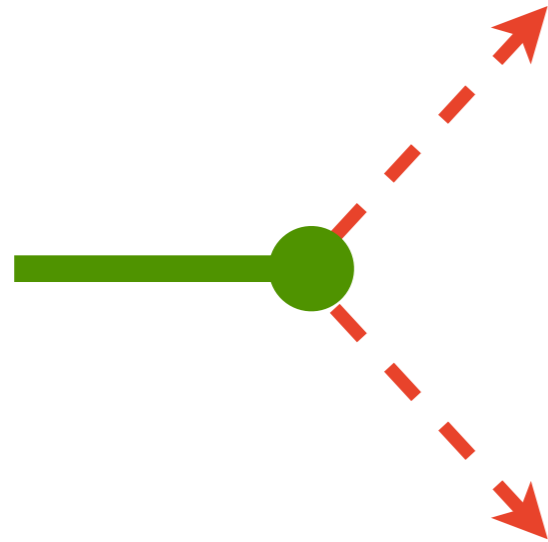
- Weight decayed resonance with vacuum width / BR

## 3) Full weight when absorbed/decayed

- Weight all decayed/absorbed resonances with vacuum width / BR (most optimistic approach)



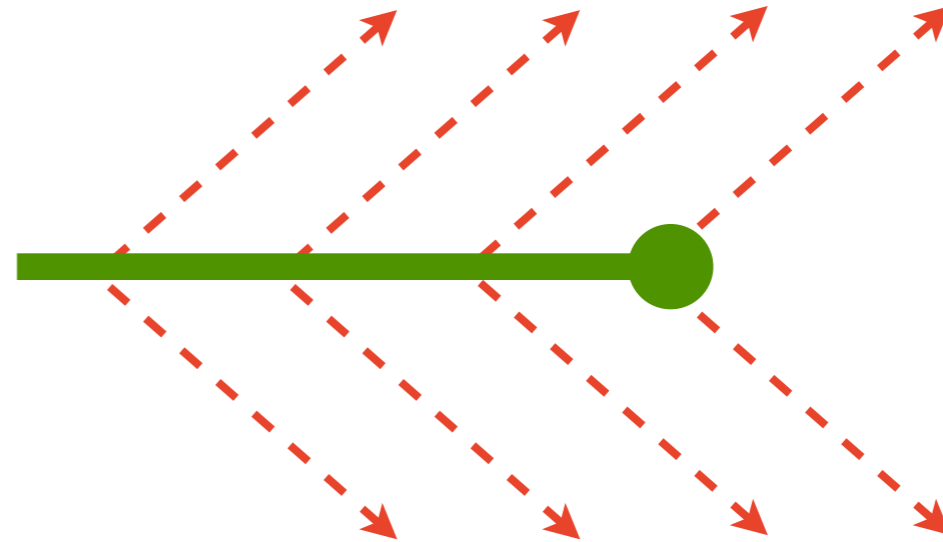
# Time integration method (“shining”)



decay method

one pair

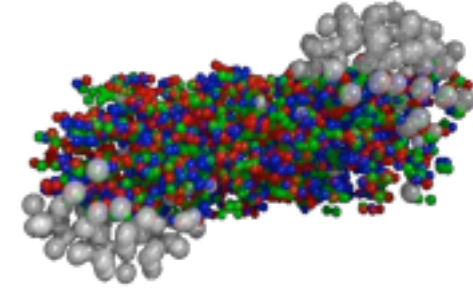
$$BR = \frac{\Gamma_i}{\Gamma_{tot}}$$



shining

continuous emission

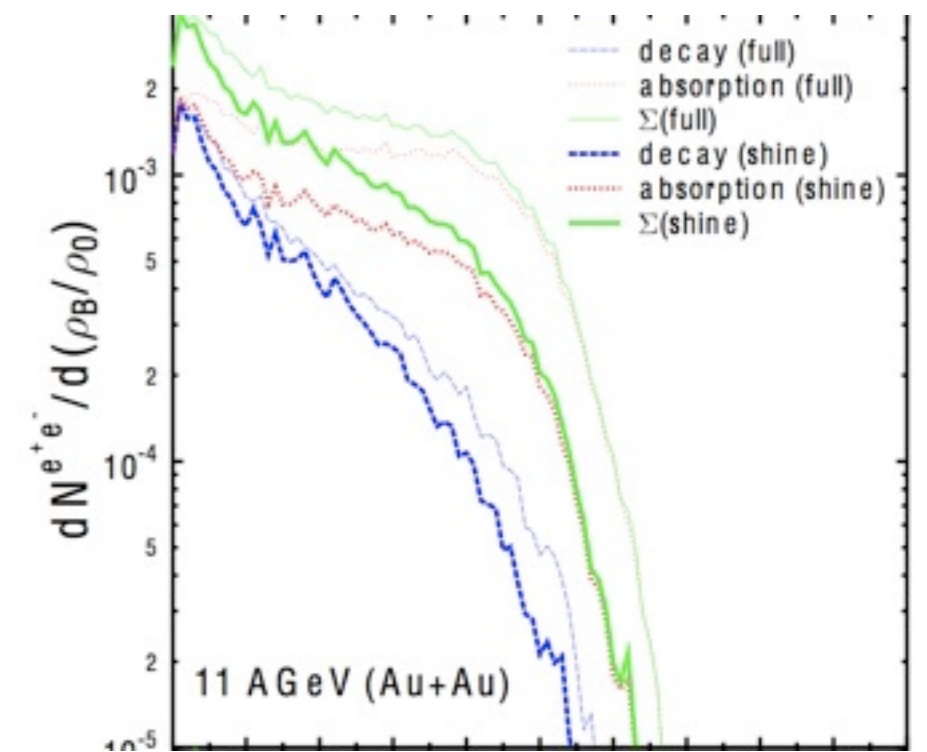
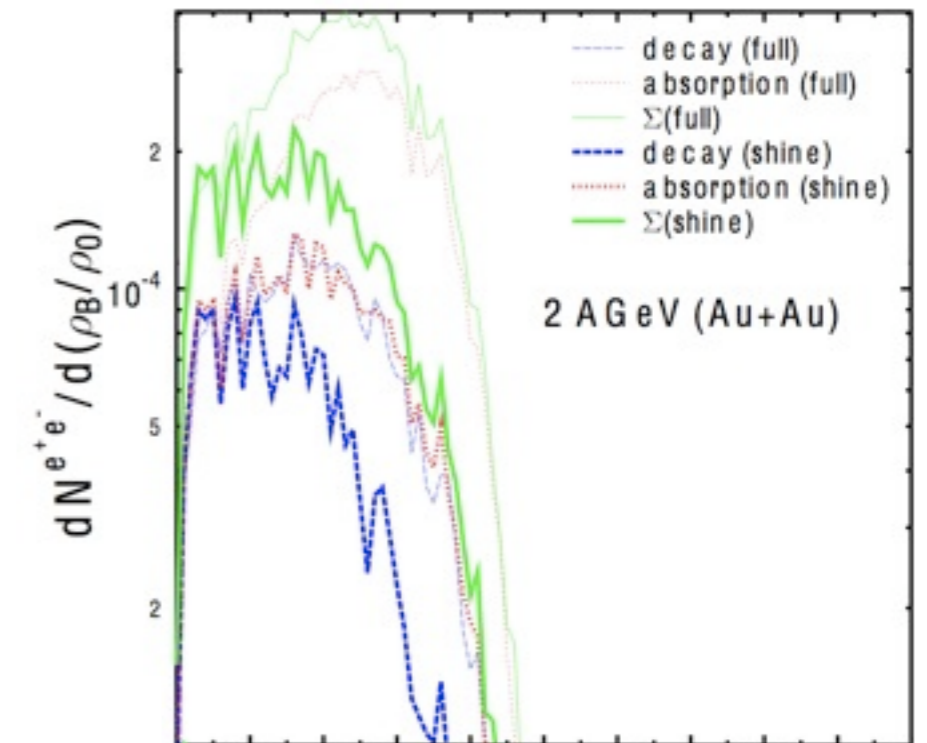
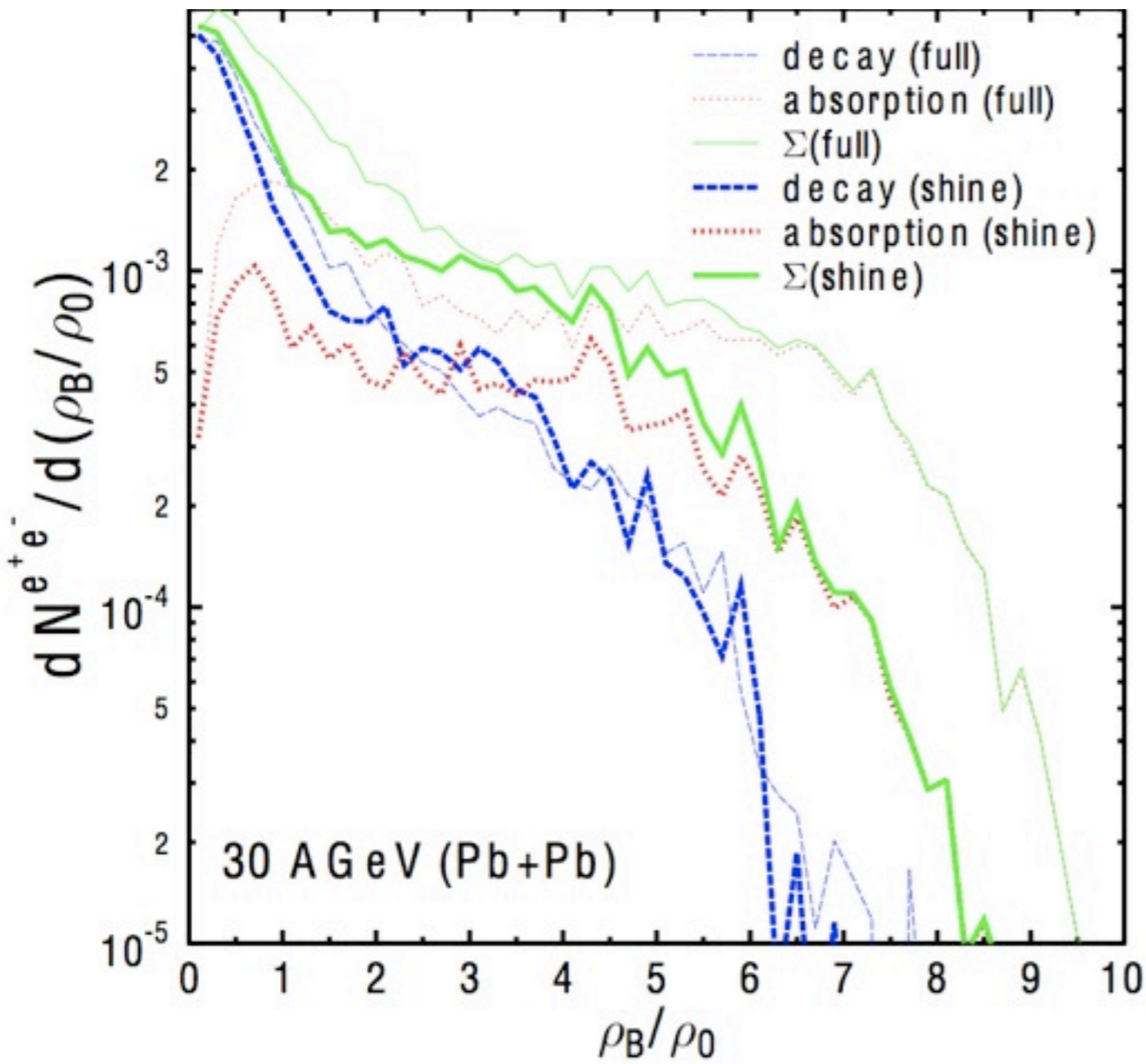
$$\frac{dN_{e^+e^-}}{dM} = \frac{\Delta N_{e^+e^-}}{\Delta M} = \sum_{j=1}^{N_{\Delta M}} \int_{t_i^j}^{t_f^j} \frac{dt}{\gamma} \frac{\Gamma_{e^+e^-}(M)}{\Delta M}$$



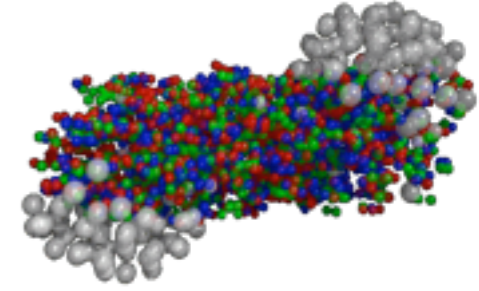
# Dileptons

Even in the most optimistic approach dileptons only reach out to 2-3  $\rho_0$

Shining approach only reaches out to 1-2  $\rho_0$







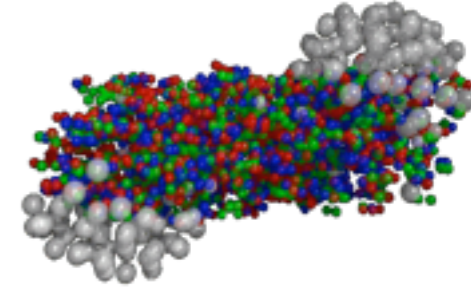
# Baryons

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**What is the deal about them at low energies?**

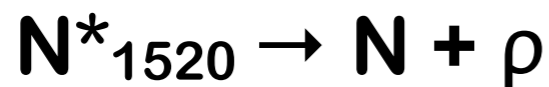


# $\rho$ meson in C+C @ 2A GeV

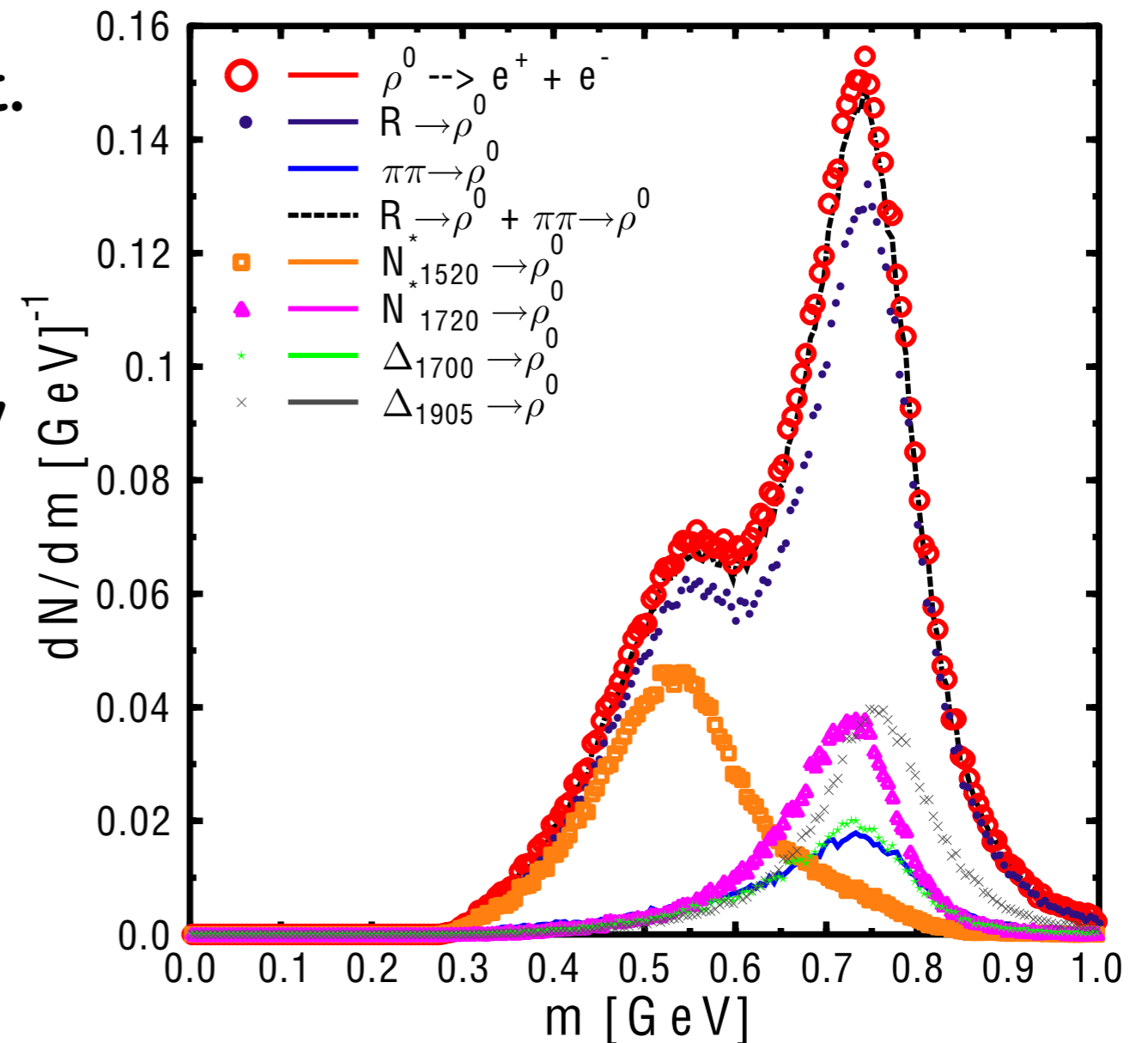


At low energies ( $\sim 2$  A GeV)  
contributions from baryon  
resonance decays are dominant.

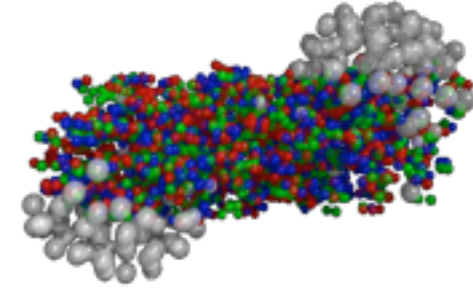
$N^*_{1520}$  contributes via the decay  
chain



to the low mass part of the  $\rho$   
meson mass spectrum.

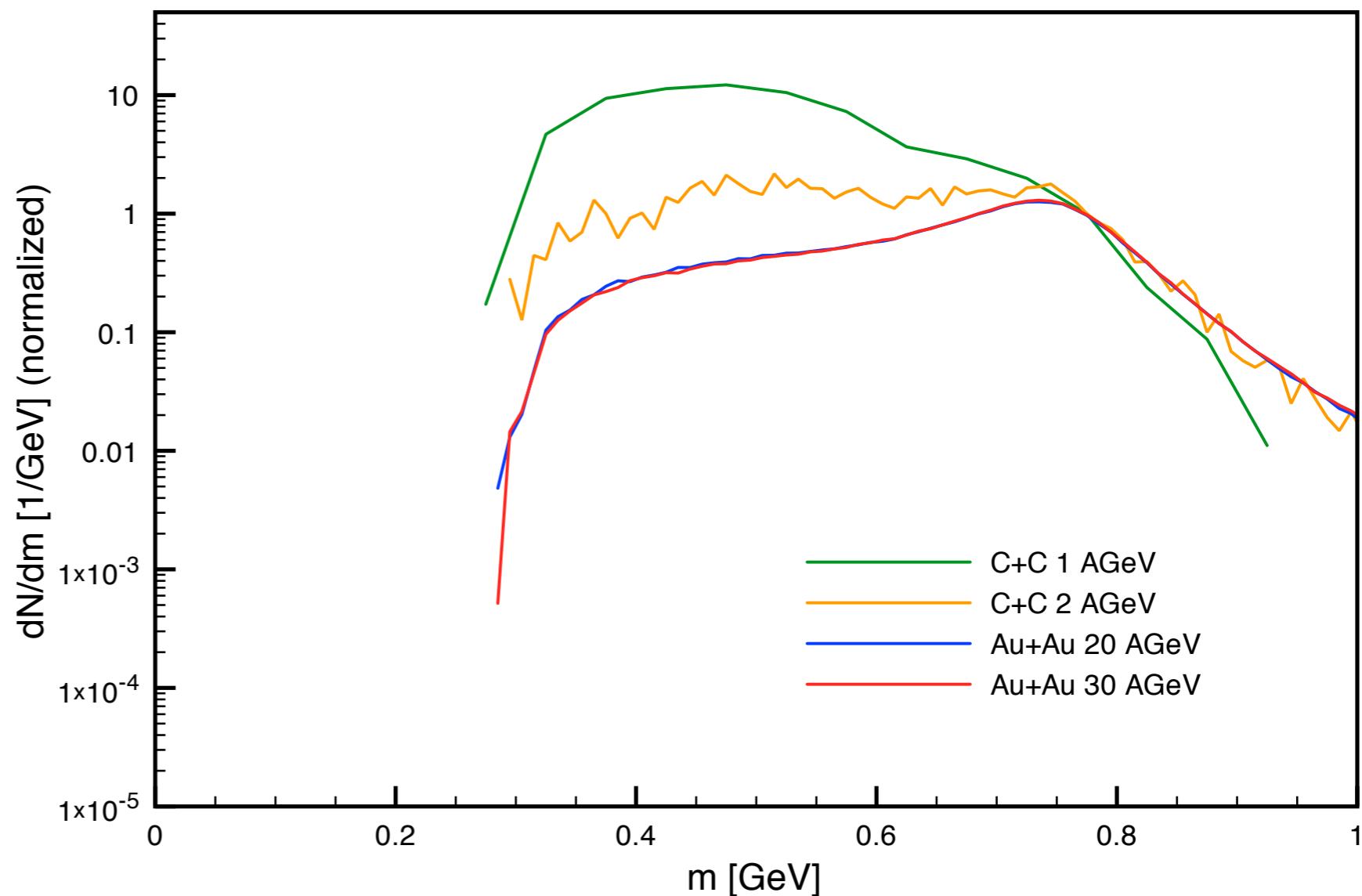


# $\rho$ meson at higher energies

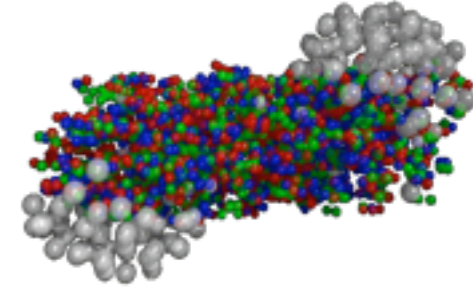


At higher energies the contribution from baryonic resonance decays become less important.

Note: All curves normalized to the 770 MeV point.

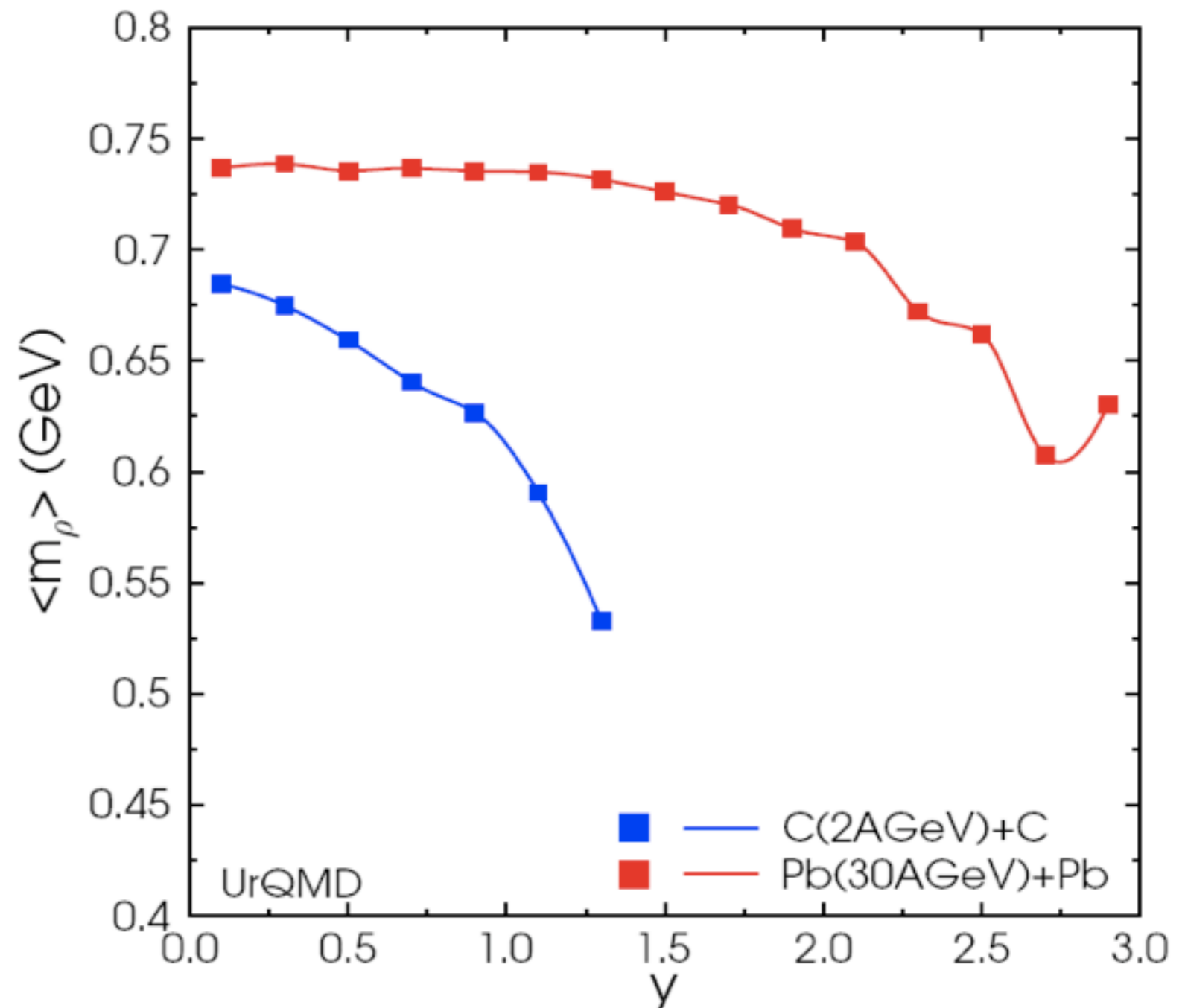


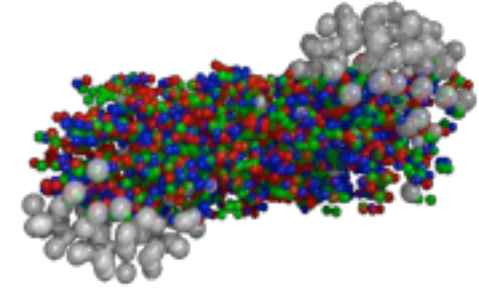
# $\rho$ meson at higher energies



Due to the dependence on the baryon density the mass of the  $\rho$  meson is rapidity dependent.

The  $\rho$  meson mass drops towards higher rapidity.





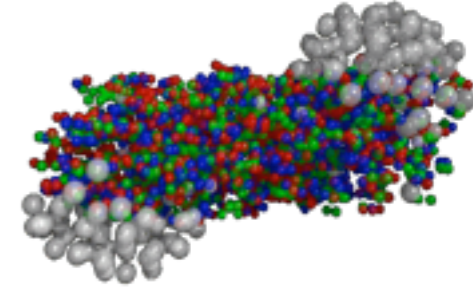
# Second conclusion

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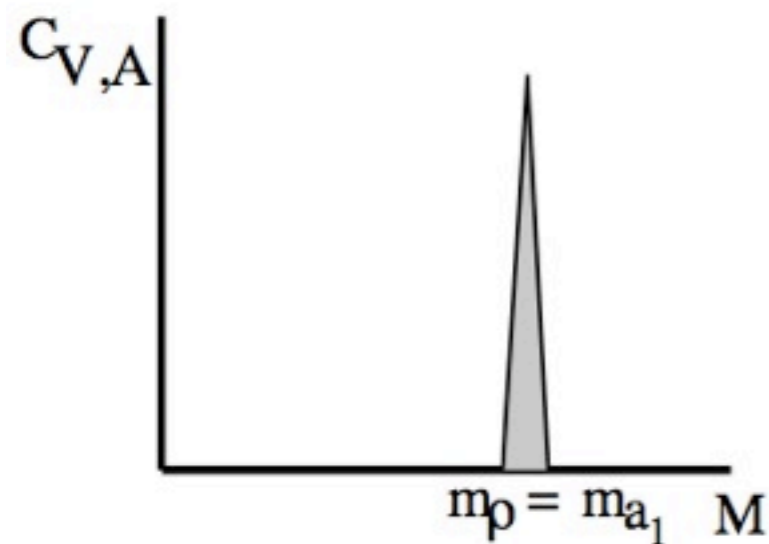
**Controlling baryon kinematics is important**

(otherwise some spectra seem more interesting than they are)

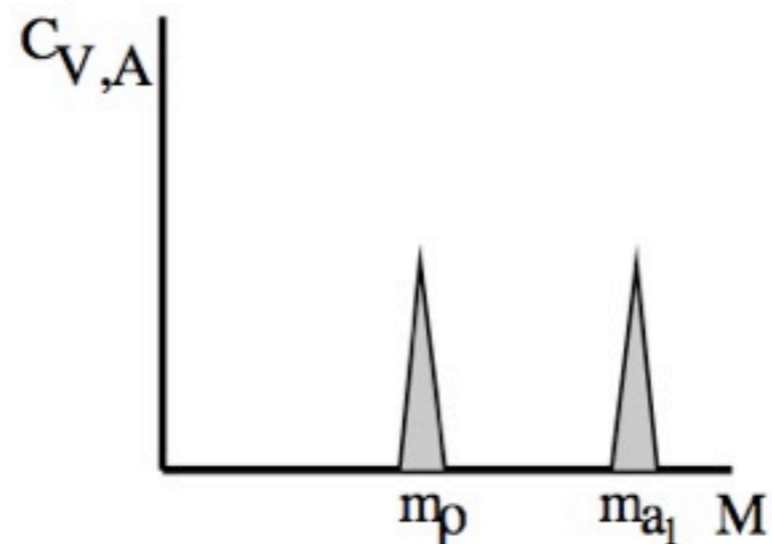
# Measuring Chiral Symmetry



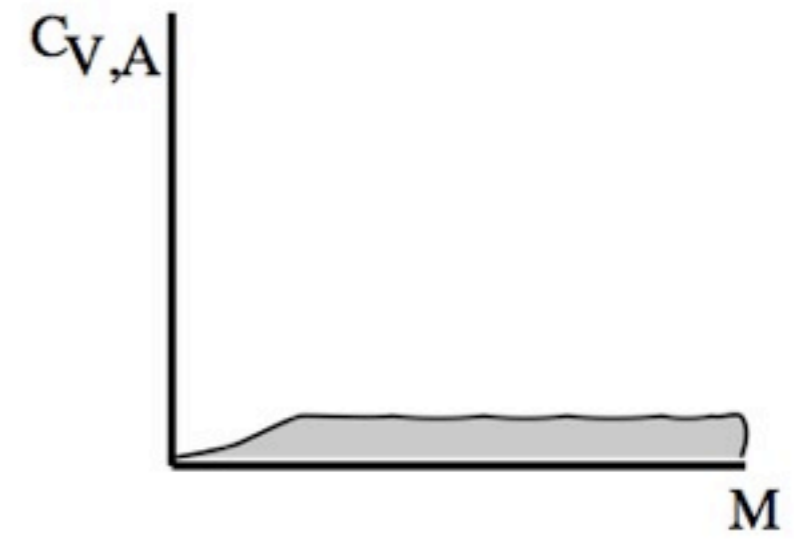
- Can we observe a chirally restored phase? (and how?)
- What happens to the  $\rho$  meson in the medium? What happens to the  $a_1$  meson?
- What can we learn from reasonable hadronic dynamics (**without** a chirally restored phase)?



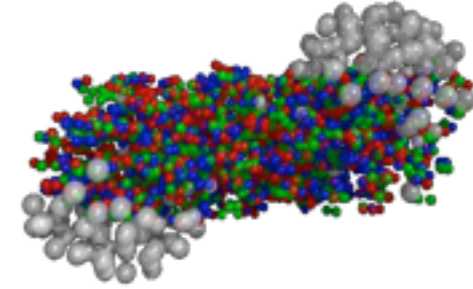
(1)



(2)



(3)



# $a_1$ meson

The  $a_1$  meson mass is expected to be equal to the mass of the  $\rho$  meson, in case of chiral symmetry restoration.

**Problem:**  
It is hard to measure.

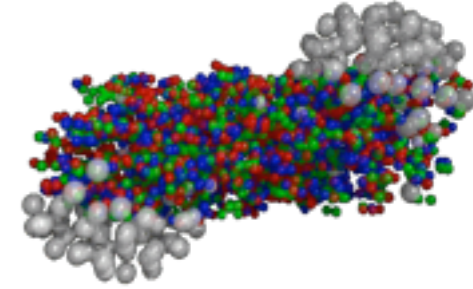
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## $a_1(1260)$ DECAY MODES

	Mode	Fraction ( $\Gamma_i/\Gamma$ )
$\Gamma_1$	$\pi^+ \pi^- \pi^0$	
$\Gamma_2$	$\pi^0 \pi^0 \pi^0$	
$\Gamma_3$	$(\rho\pi)_{S\text{-wave}}$	seen
$\Gamma_4$	$(\rho\pi)_{D\text{-wave}}$	seen
$\Gamma_5$	$(\rho(1450)\pi)_{S\text{-wave}}$	seen
$\Gamma_6$	$(\rho(1450)\pi)_{D\text{-wave}}$	seen
$\Gamma_7$	$\sigma\pi$	seen
$\Gamma_8$	$f_0(980)\pi$	not seen
$\Gamma_9$	$f_0(1370)\pi$	seen
$\Gamma_{10}$	$f_2(1270)\pi$	seen
$\Gamma_{11}$	$K \bar{K}^*(892) + \text{c.c.}$	seen
$\Gamma_{12}$	$\pi\gamma$	seen

---





# $a_1$ meson

The  $a_1$  meson mass is expected to be equal to the mass of the  $\rho$  meson, in case of chiral symmetry restoration.

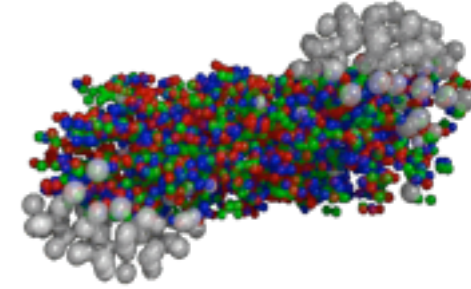
**Problem:**  
It is hard to measure.

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## $a_1(1260)$ DECAY MODES

	Mode	Fraction ( $\Gamma_i/\Gamma$ )
$\Gamma_1$	$\pi^+ \pi^- \pi^0$	
$\Gamma_2$	$\pi^0 \pi^0 \pi^0$	
$\Gamma_3$	$(\rho\pi)_{S\text{-wave}}$	seen
$\Gamma_4$	$(\rho\pi)_{D\text{-wave}}$	seen
$\Gamma_5$	$(\rho(1450)\pi)_{S\text{-wave}}$	seen
$\Gamma_6$	$(\rho(1450)\pi)_{D\text{-wave}}$	seen
$\Gamma_7$	$\sigma\pi$	seen
$\Gamma_8$	$f_0(980)\pi$	not seen
$\Gamma_9$	$f_0(1370)\pi$	seen
$\Gamma_{10}$	$f_2(1270)\pi$	seen
$\Gamma_{11}$	$K\bar{K}^*(892) + c.c.$	seen
$\Gamma_{12}$	$\pi\gamma$	seen

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# $a_1$ meson

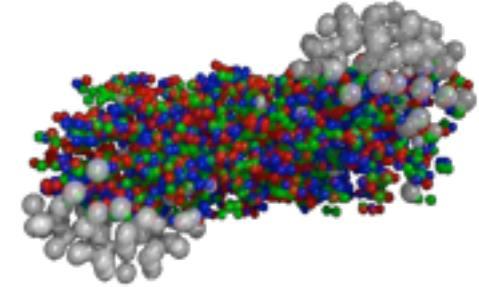
What about the other channels?

Experimentally not feasible:

Higher mass resonances are either not known or the decay channel analyses contradict each other (further exp. studies certainly useful!).

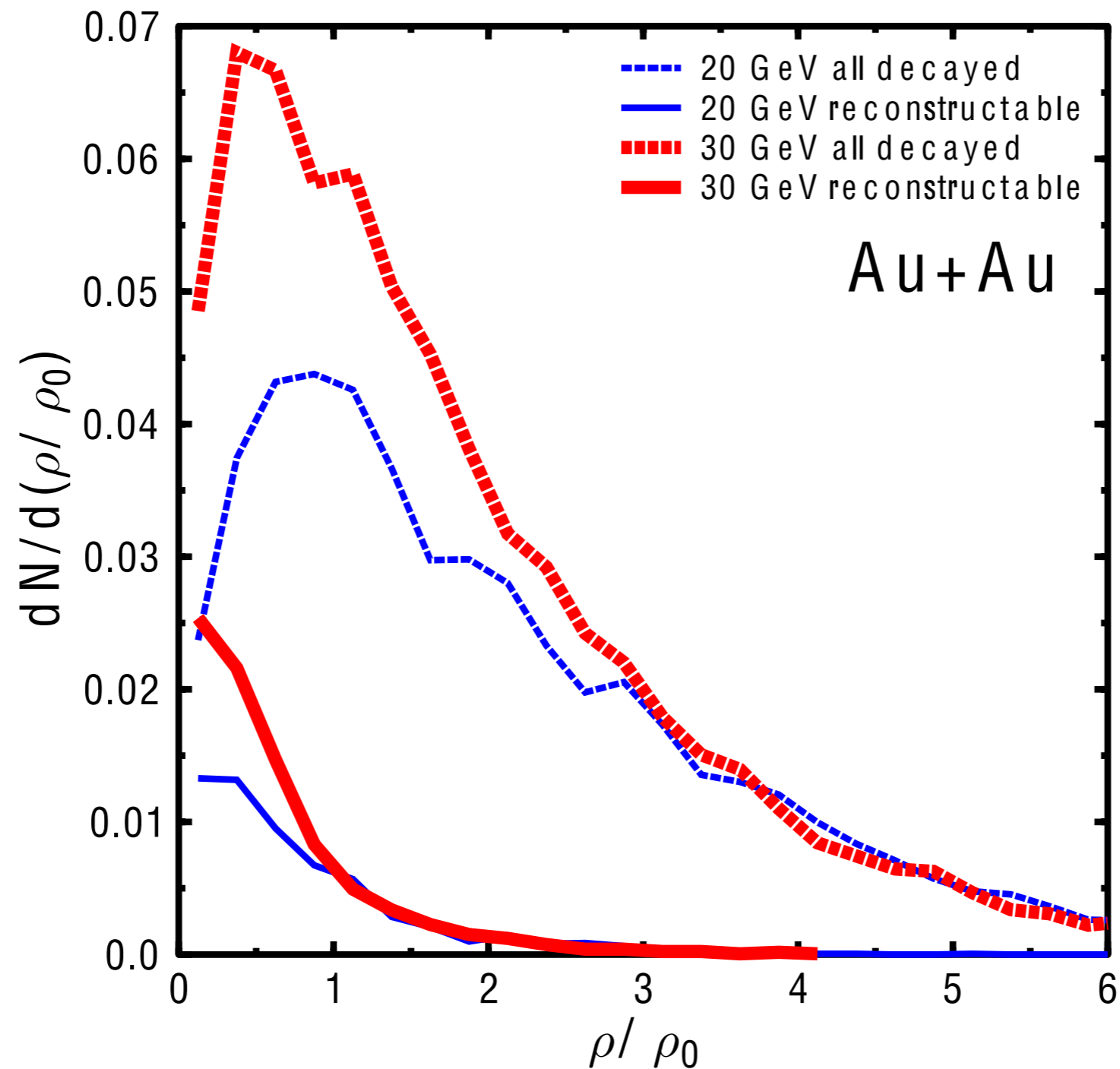
$a_1(1260)$  DECAY MODES

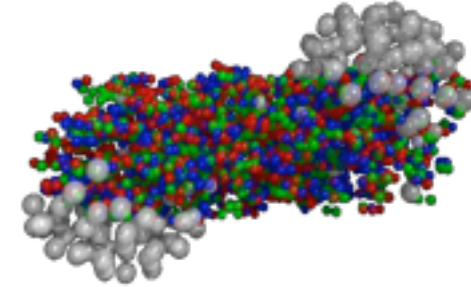
	Mode	Fraction ( $\Gamma_i/\Gamma$ )
$\Gamma_1$	$\pi^+ \pi^- \pi^0$	
$\Gamma_2$	$\pi^0 \pi^0 \pi^0$	
$\Gamma_3$	$(\rho\pi)_{S\text{-wave}}$	seen
$\Gamma_4$	$(\rho\pi)_{D\text{-wave}}$	seen
$\Gamma_5$	$(\rho(1450)\pi)_{S\text{-wave}}$	seen
$\Gamma_6$	$(\rho(1450)\pi)_{D\text{-wave}}$	seen
$\Gamma_7$	$\sigma\pi$	seen
$\Gamma_8$	$f_0(980)\pi$	not seen
$\Gamma_9$	$f_0(1370)\pi$	seen
$\Gamma_{10}$	$f_2(1270)\pi$	seen
$\Gamma_{11}$	$K \bar{K}^*(892) + \text{c.c.}$	seen
$\Gamma_{12}$	$\pi\gamma$	seen



# $a_1$ meson - density

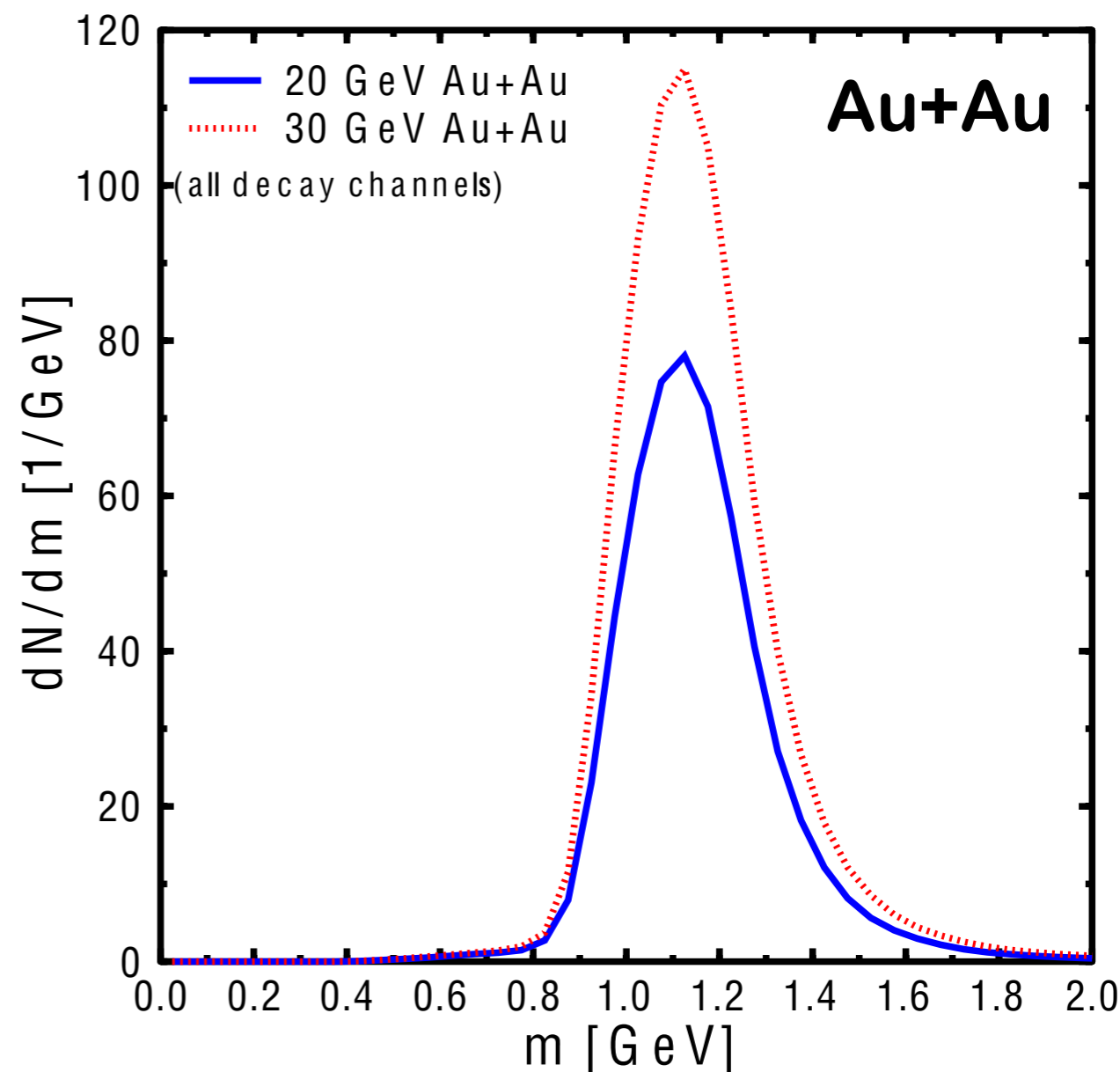
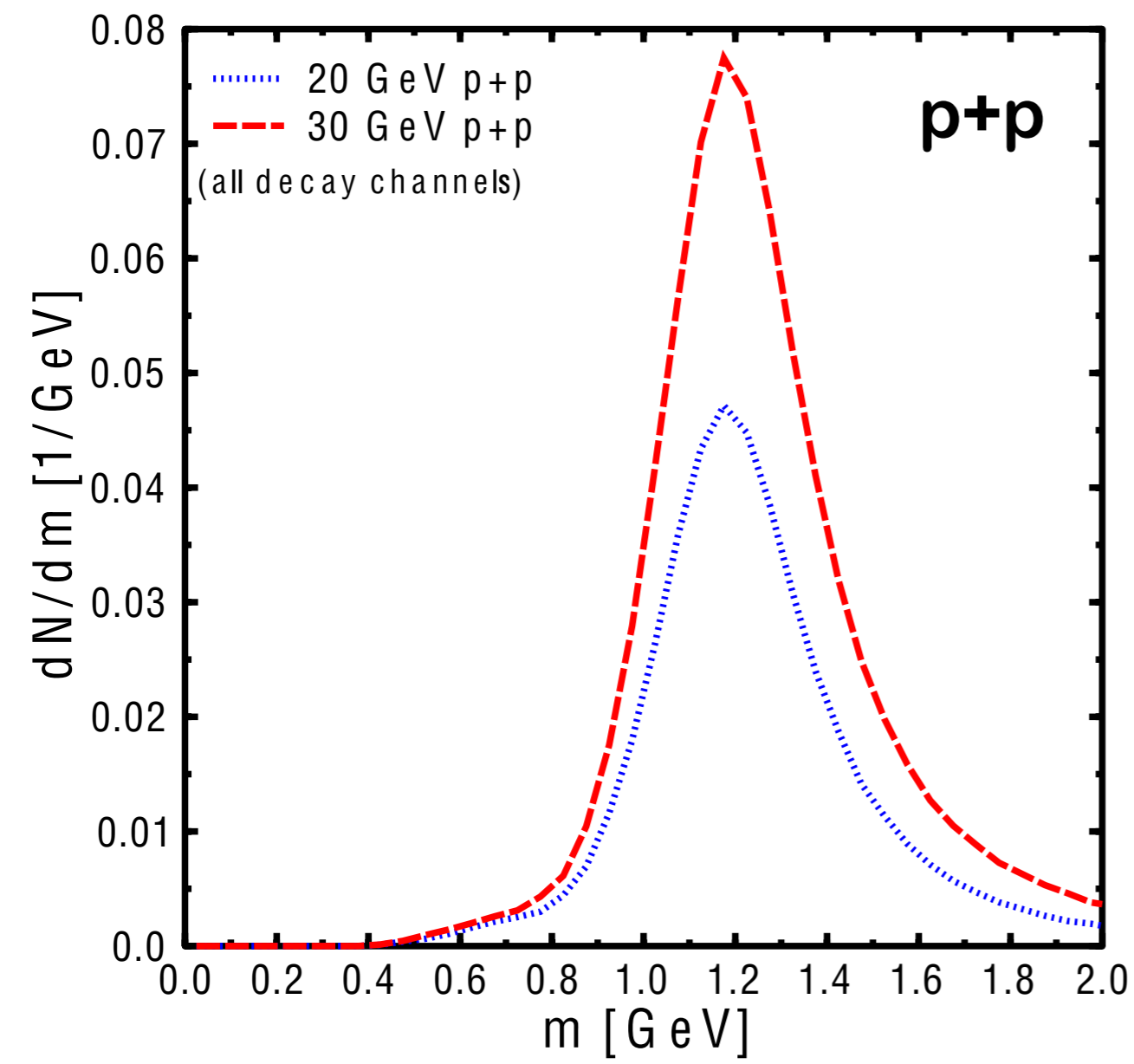
Density at the point of decay of the  $a_1$  meson

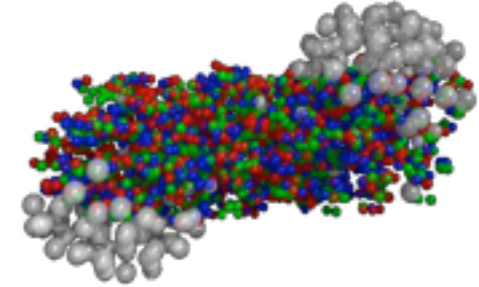




# $a_1$ meson

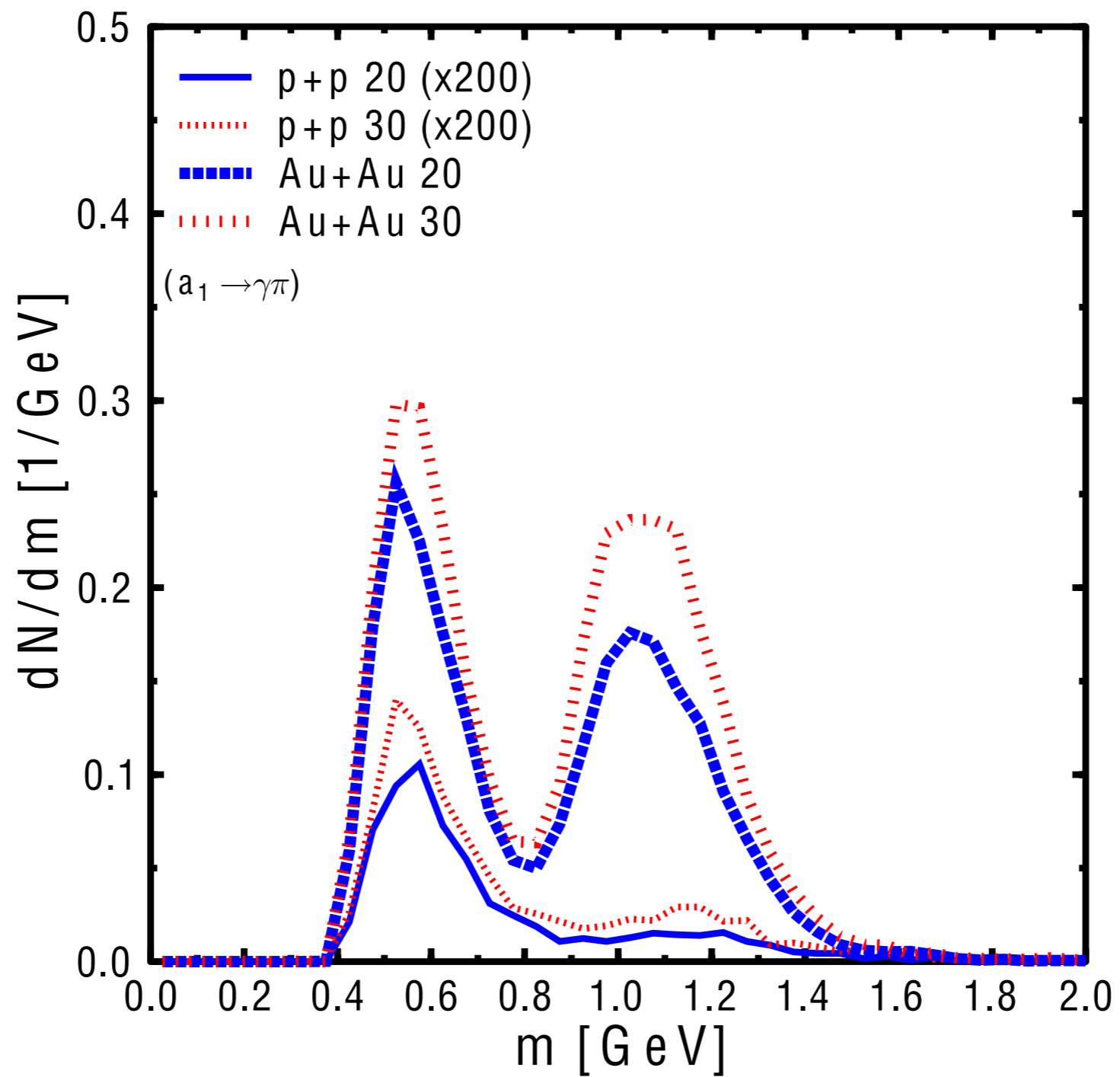
Idea: Check the mass distribution from the transport code.

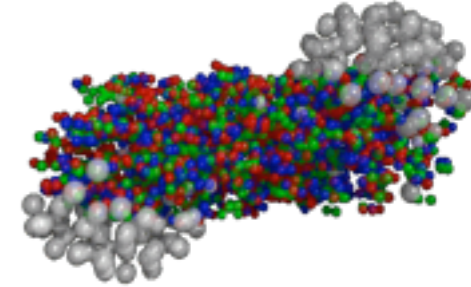




# $a_1$ meson

Next: trigger on the decay channel  $a_1 \rightarrow \gamma\pi$  (assumed width = 640keV)





# **a<sub>1</sub> meson**

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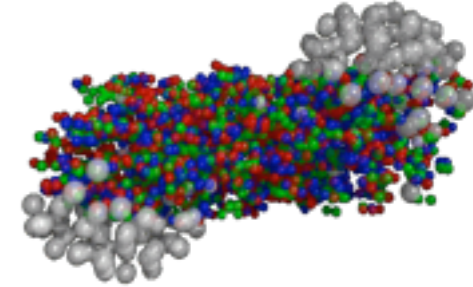
→ **Mass dependent branching ratios**

$$\Gamma_{i,j}(M) = \Gamma_R^{i,j} \frac{M_R}{M} \left( \frac{\langle p_{i,j}(M) \rangle}{\langle p_{i,j}(M_R) \rangle} \right)^{2l+1} \frac{1.2}{1 + 0.2 \left( \frac{\langle p_{i,j}(M) \rangle}{\langle p_{i,j}(M_R) \rangle} \right)^{2l}}$$

**Low mass a<sub>1</sub> favors  $\gamma\pi$  decay, not  $\rho\pi$**

**Trigger on a<sub>1</sub> →  $\gamma\pi$  = trigger on low mass a<sub>1</sub> mesons**

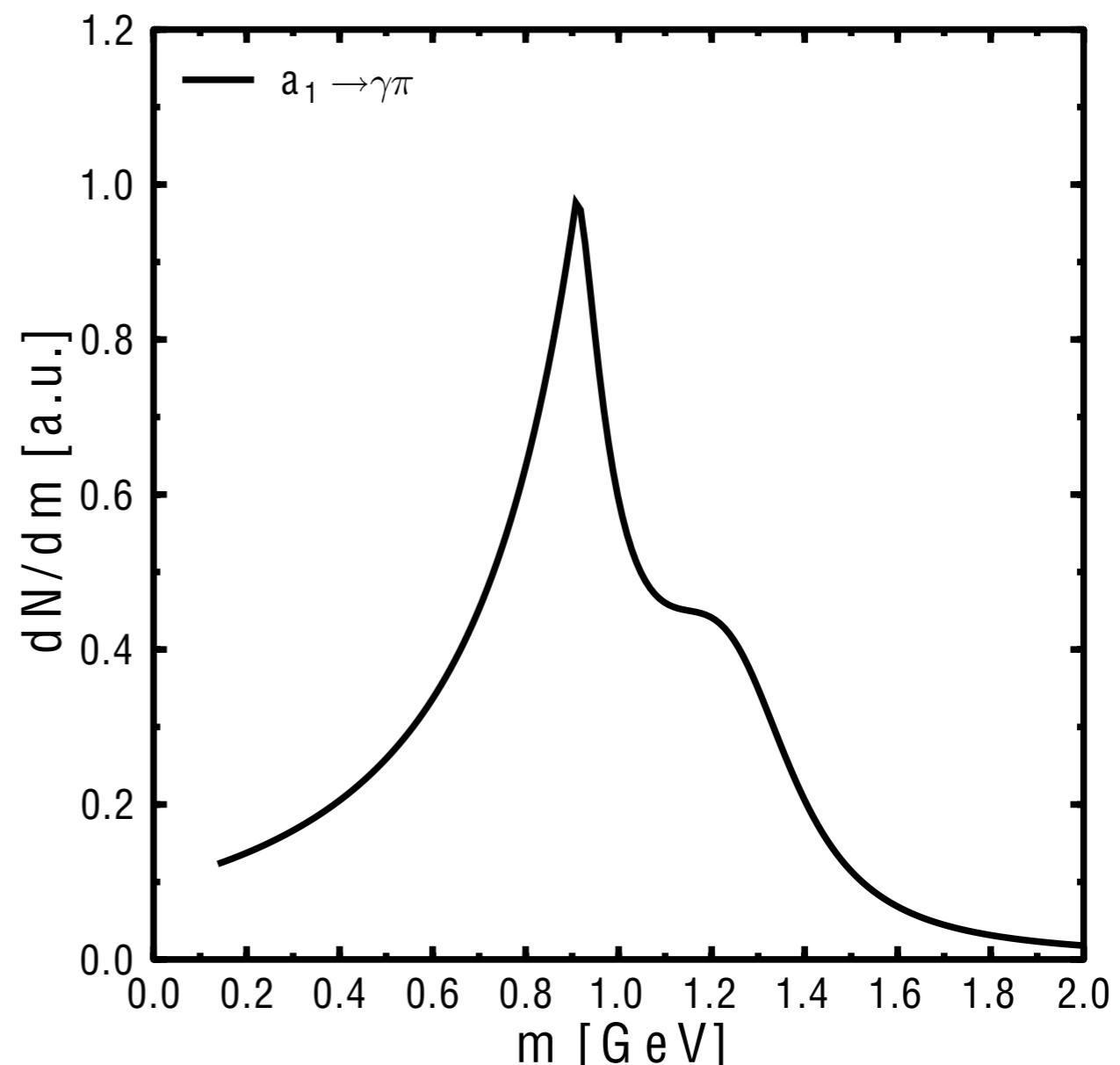
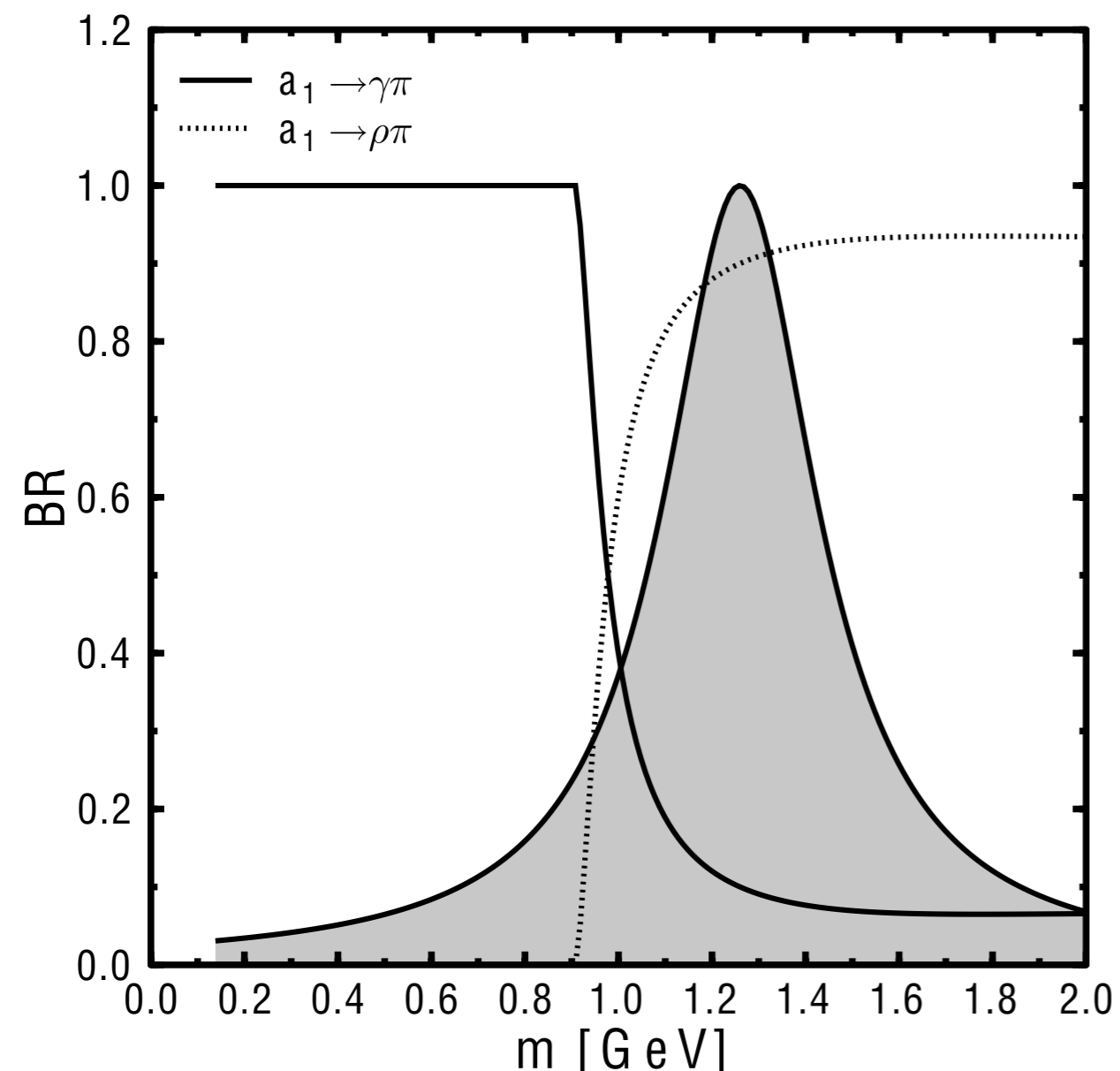


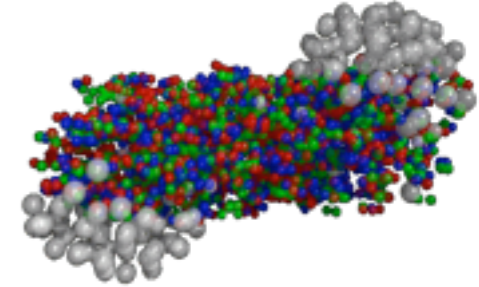


# $a_1$ meson

Below 900 MeV  $\gamma\pi$  decay is dominant,  $\rho\pi$  is kinematically suppressed.

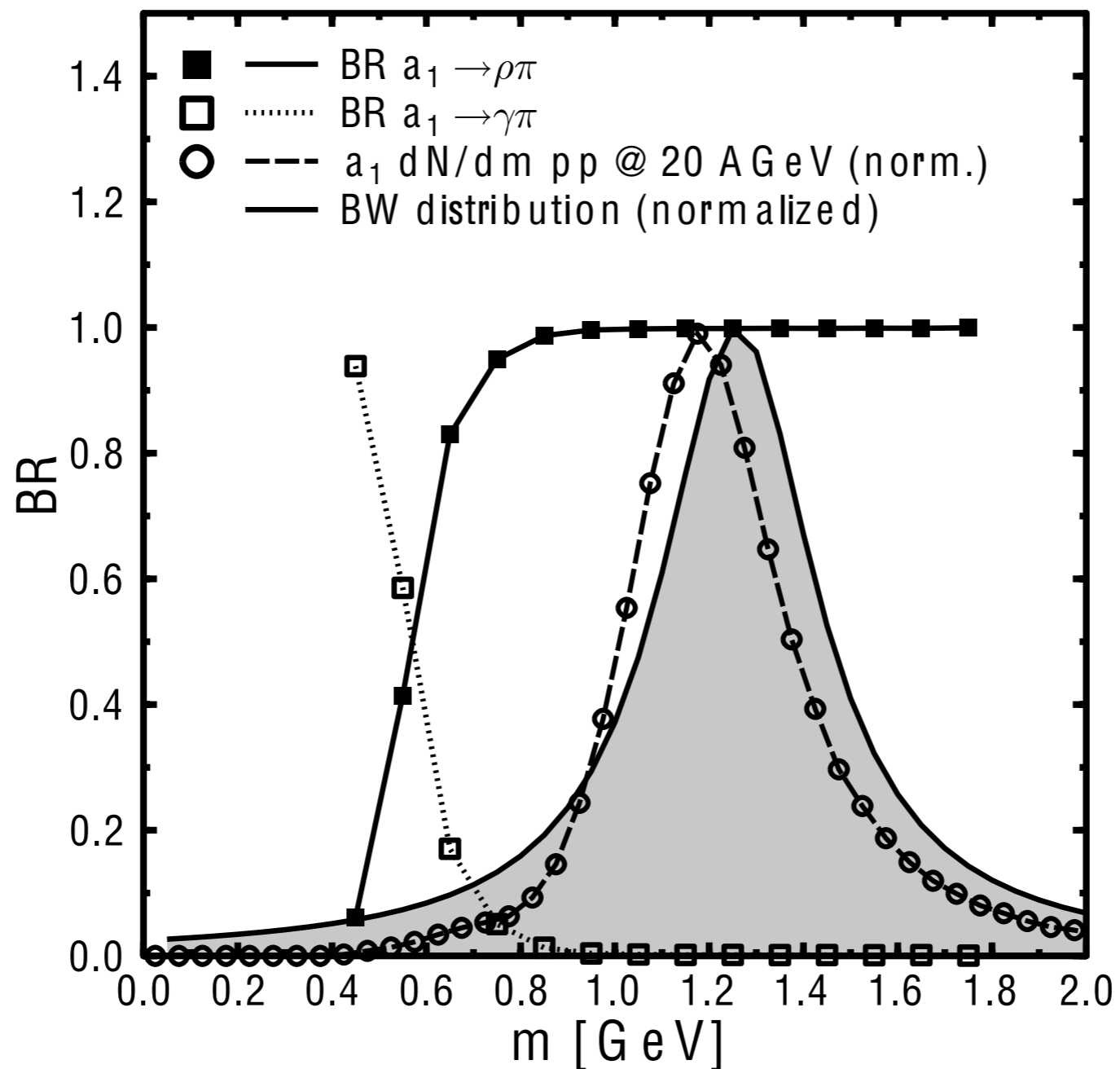
Branching ratio folded with BW distribution

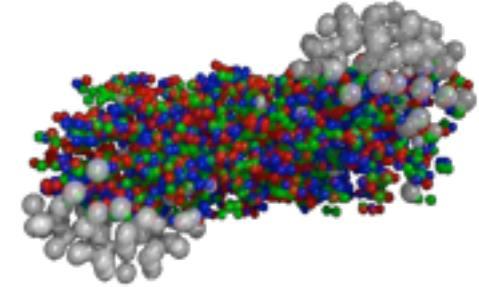




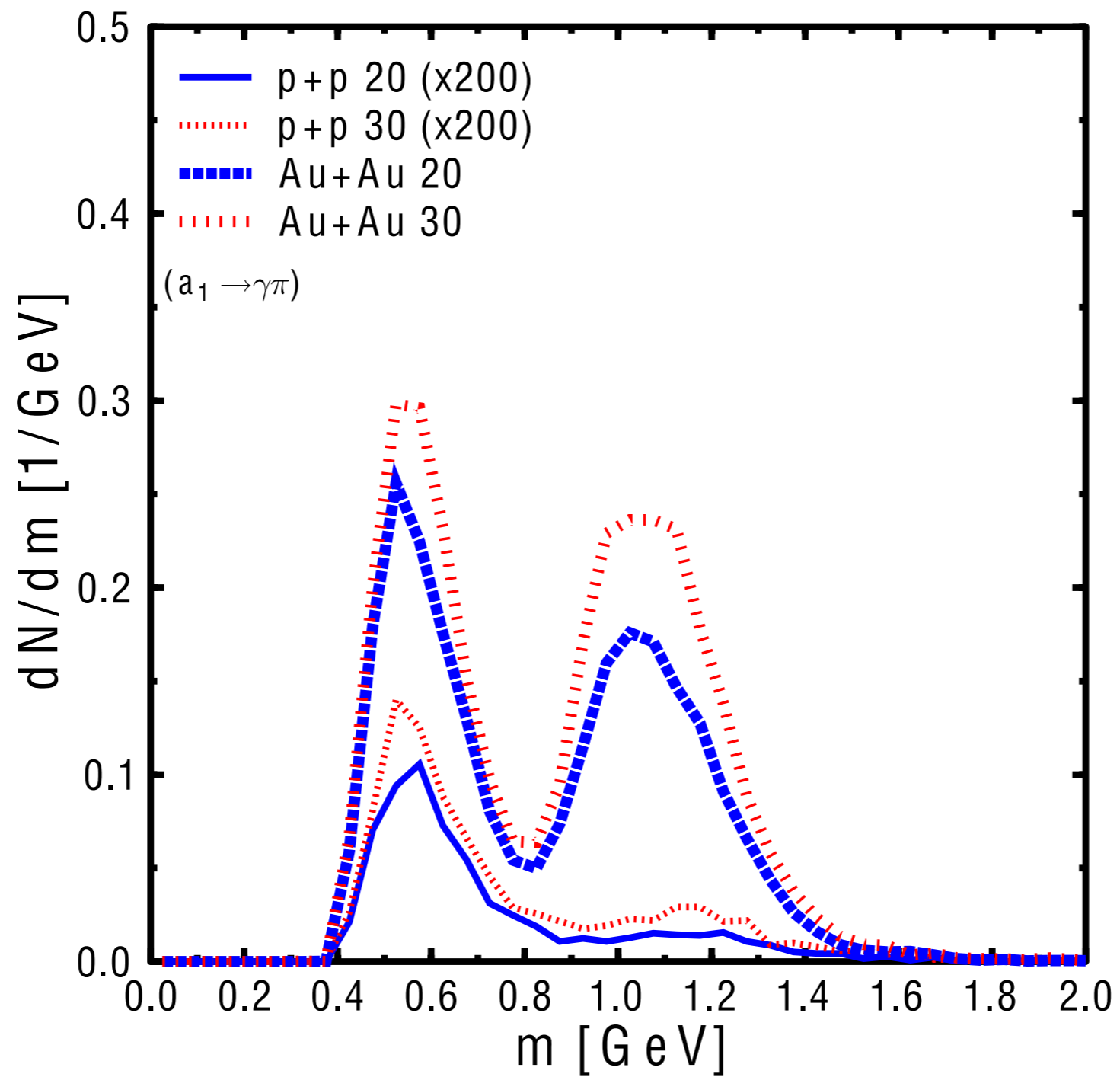
# $a_1$ meson

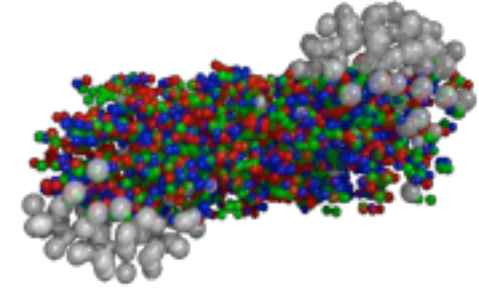
## Full model calculation





# $a_1$ meson

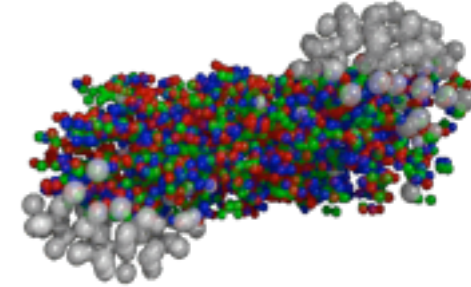




# Take home messages

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- Experimentally reconstructable resonances are not sensitive to the high density region **unless measured at high  $p_T$**
- Beware of baryons kinematics
- $a_1 \rightarrow \gamma\pi$  might **not** be the golden channel



# Take home messages

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**Thanks!**