

Measurements with pion beams in HADES- what are they good for ?- results(preliminary) and perspectives

✓ Motivation:

vector meson(ρ) in-medium mass modification

- electromagnetic structure of baryons
- e+e- results from NN - exclusive channels

role of $\rho \leftrightarrow$ baryon couplings, Vector Dominance Model

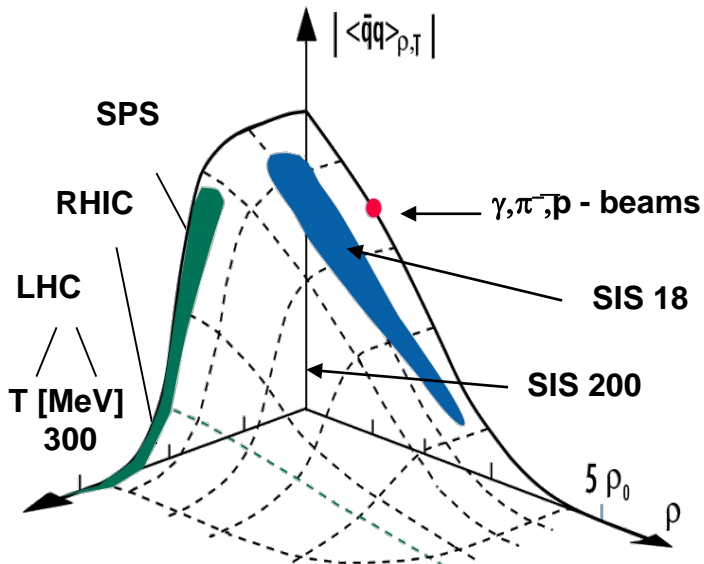
✓ Experiment : preliminary results from run in 2014

- 2pion production
- e+e-
- Strangness in cold nuclear matter

P. Salabura

M. Smoluchowski Institute of Physics
Jagiellonian University, Kraków
Poland

Vector mesons in medium



Measurement of the mass of short-lived mesons embedded in nuclear matter

$p/\pi/\gamma/A + A$

$$m_{e^+e^-} = \sqrt{p_{e^+} p_{e^-}} \sin \frac{\theta_{e^+e^-}}{2}$$

best candidate
 $\rho(770) 1^-$ $c\tau = 1.3 \text{ fm}/c$
 $\Gamma = 150 \text{ MeV}$

G.E. Brown / M. Rho: Scaling of masses with quark condensate - order parameter of Chiral Symmetry restoration (PRL 1989, 1991)

$$m^* \approx m \left[\frac{\langle \bar{q}q^* \rangle}{\langle \bar{q}q \rangle} \right]^u$$

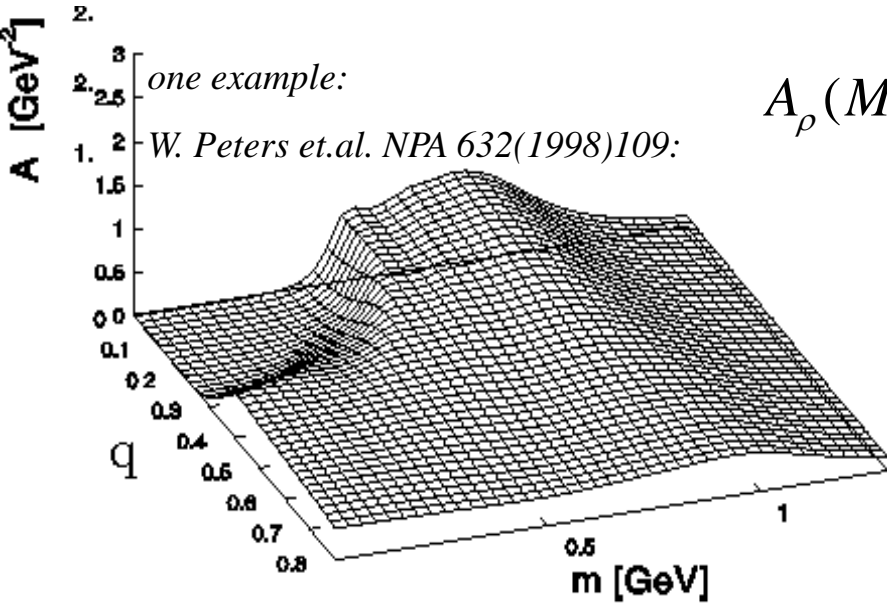
T. Hatsuda / S. Lee: QCD sum rules
 PRC46(1992)R34

$$m^* = m \left(1 - \alpha \rho^* / \rho \right)$$

$$N_{e^+e^-} \sim \Gamma_{V \rightarrow e^+e^-} \cdot T_m = \frac{\Gamma_{e^+e^-}}{\Gamma_{\text{tot}}}$$

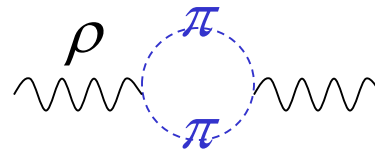
- ☞ low e^+e^- rates ($\sim 10^{-5}$)
- ☞ e^+e^- are not interacting with nuclear matter : IT IS NOT the case for hadronic decays

ρ -in medium: cold nuclear matter



$$A_\rho(M) = - \frac{2\text{Im}\Sigma_\rho(M)}{[M^2 - m_\rho^2 - \text{Re}\Sigma_\rho(M)]^2 + [\text{Im}\Sigma_\rho(M)]^2}$$

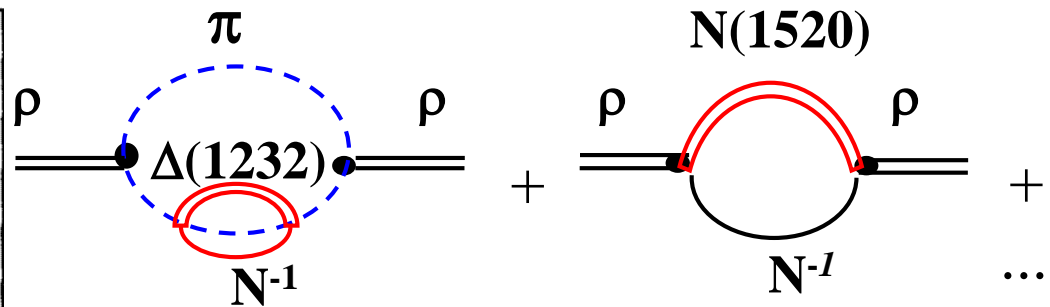
Vacuum:



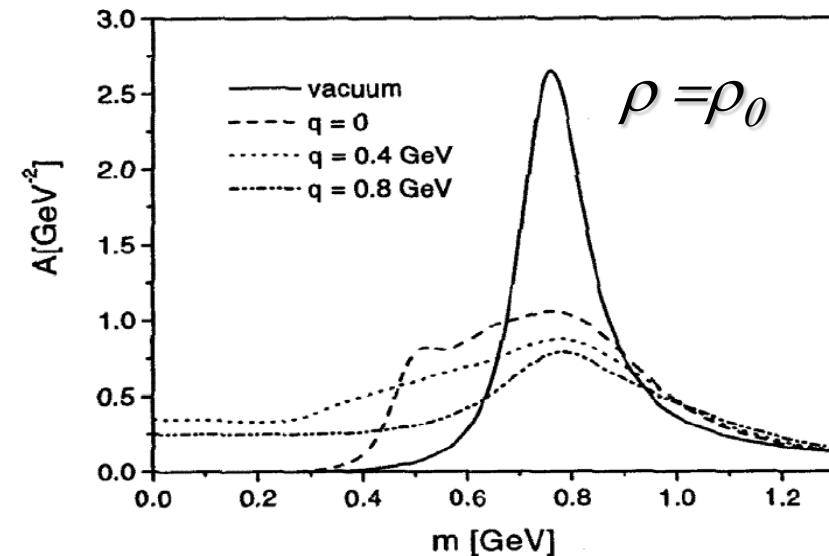
$$\Sigma_\rho(M) = -im_\rho \Gamma_{\rho\pi\pi}(m)$$

$$m_\rho = 0.77\text{GeV}$$

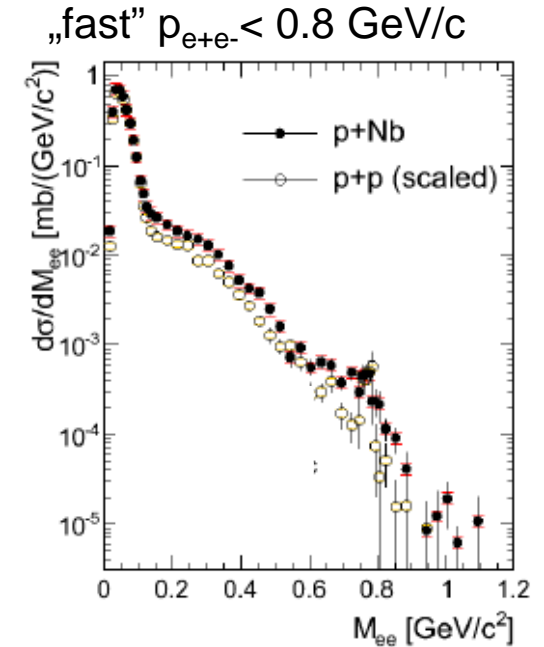
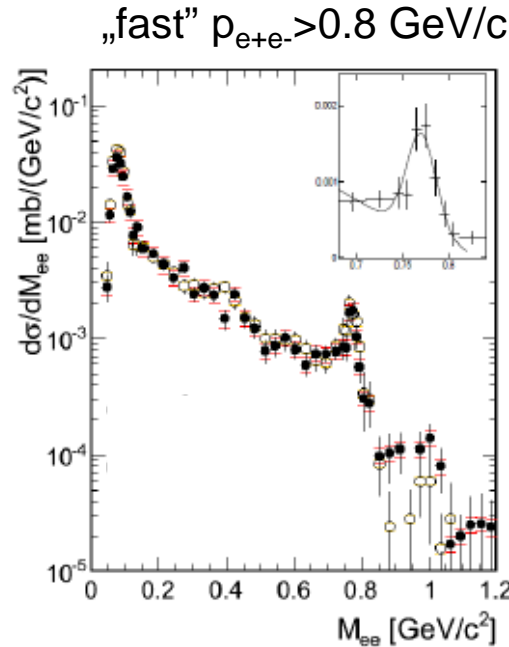
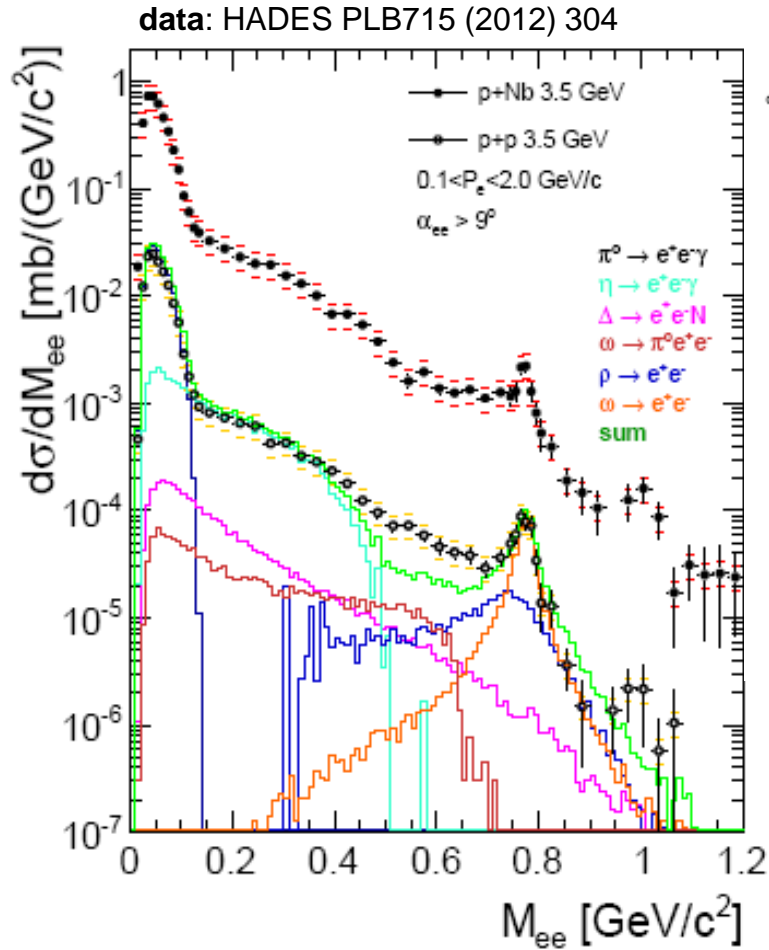
Nuclear matter: additional terms



dominant role of baryonic resonances



p+p vs p+Nb @ 3.5 GeV



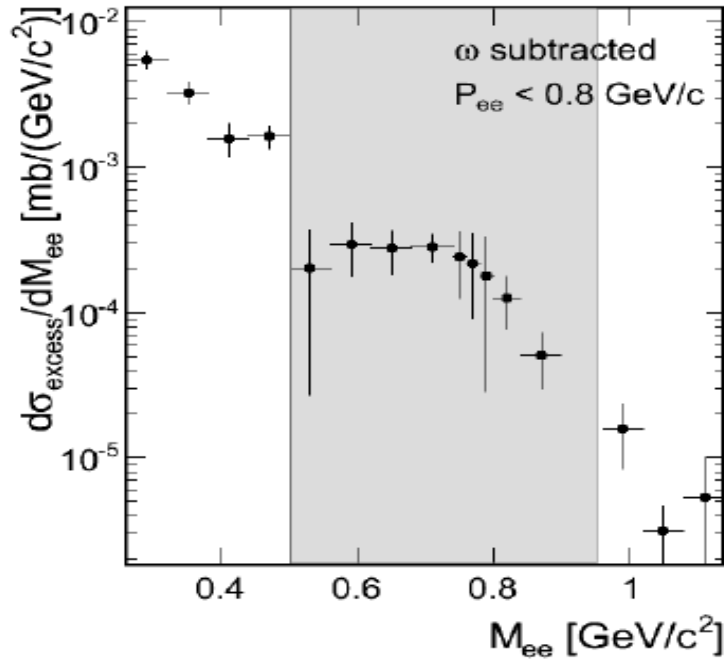
pp data scaled by
 „ A_{part} ” scaling

$$R_{pA} = \frac{d\sigma^{pNb}/dp}{d\sigma^{pp}/dp} \times \frac{\langle A_{part}^{pp} \rangle}{\langle A_{part}^{pNb} \rangle} \times \frac{\sigma_{reaction}^{pp}}{\sigma_{reaction}^{pNb}}$$

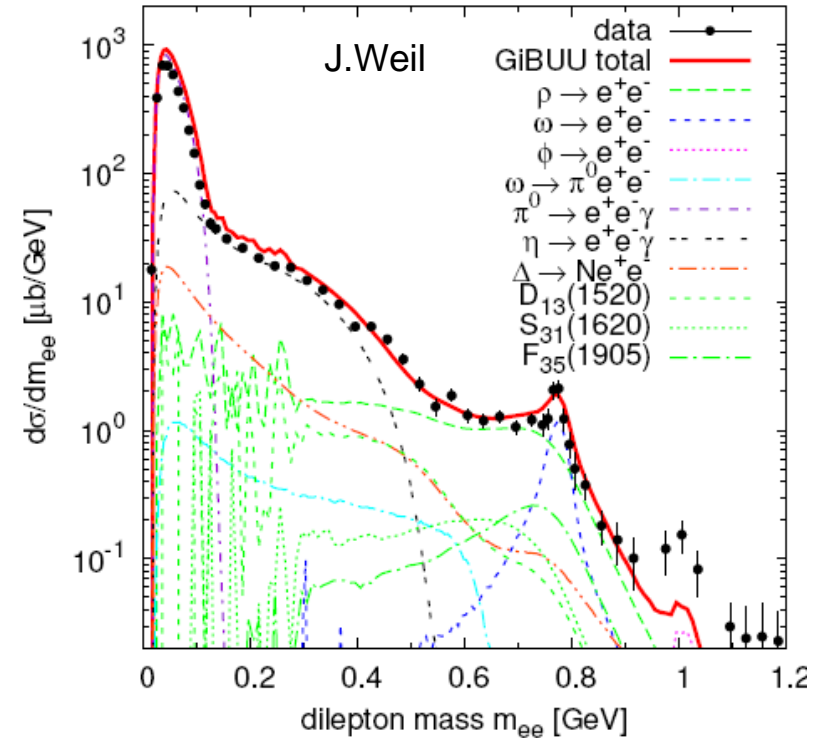
Nuclear modification factor

- p+p cocktail : based on known sources fixed to data $\pi^0 / \eta / \omega / \rho , \Delta$
- underestimated e+e- yield below VM pole \rightarrow missing component \rightarrow higher resonances (Δ, N^*) \rightarrow Ne+e- ?
- remarkable difference between spectra from „fast” and „slow” sources

„slow” ($p < 0.8$ GeV/c) pairs „excess over pp reference”



Comparison to transport model



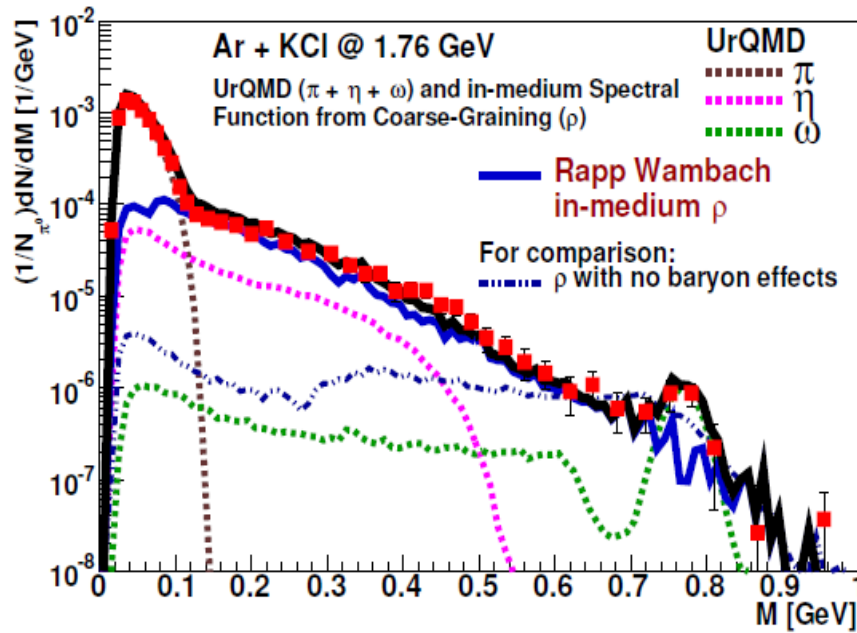
👉 clear excess in p+A below VM pole → „ρ- meson” line shape from cold nuclear matter

- modified (in-medium) spectral function ?
- GiBUU: secondary reactions $\pi + N \rightarrow N^*(1520), \dots \rightarrow N\rho \rightarrow Ne + e^-$

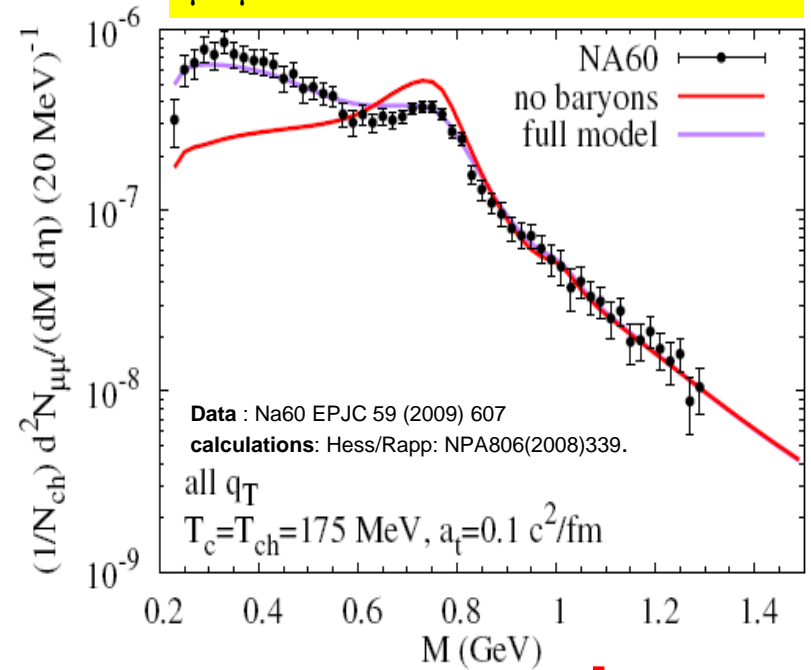
➔ **HADES pion beam programme !**

dileptons from HI from SIS18 - RHIC

HADES @ SIS18



Na60 @ SPS In+In $\mu^+\mu^-$ with subtracted cocktail

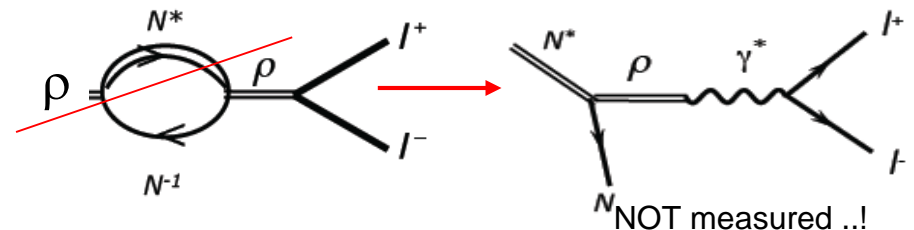


👉 General conclusion:

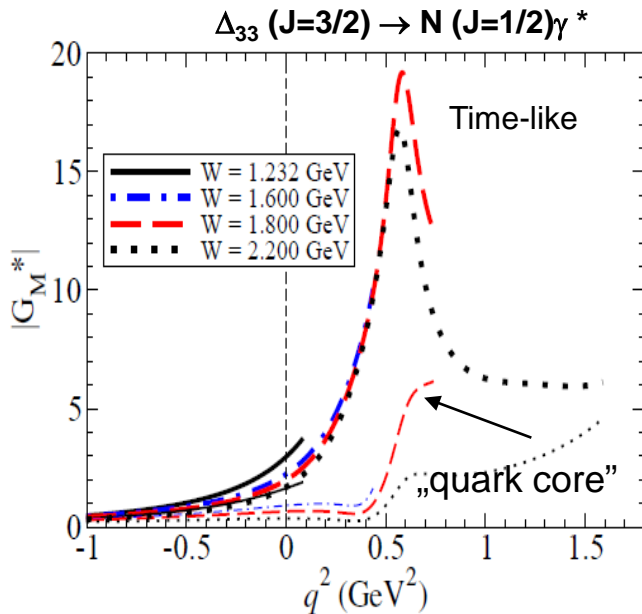
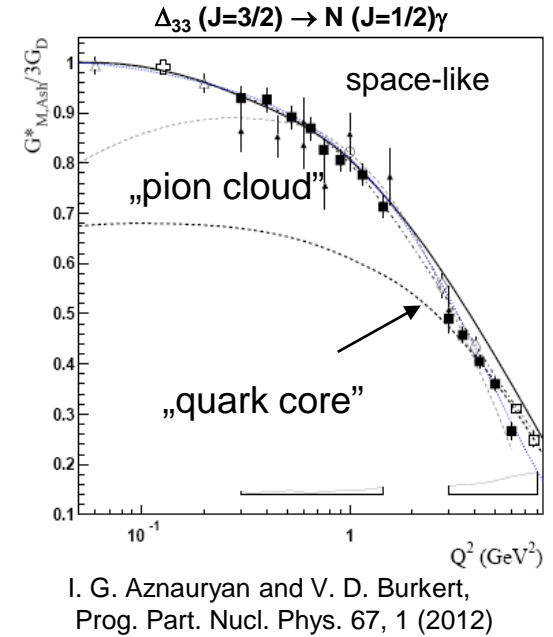
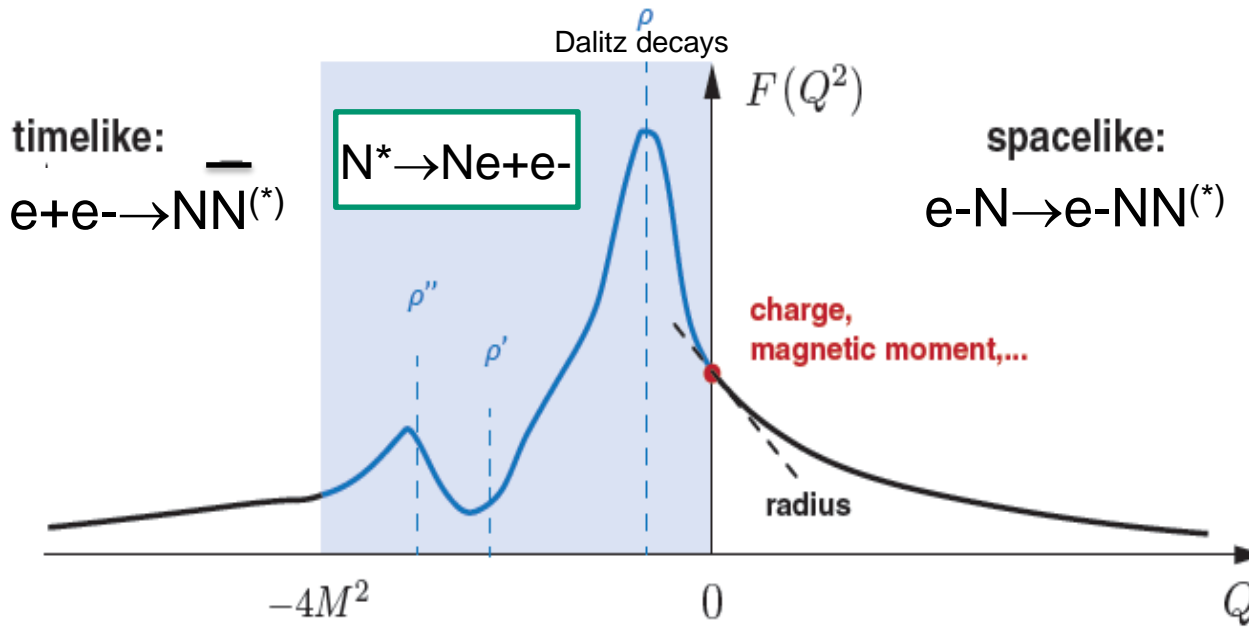
baryons are driving force for observed melting of the ρ meson over all energy range; RHIC (STAR, PHENIX), SPS (CERES, NA60), SIS18 HADES

baryonic loops directly related to :

N^* Dalitz decay



Electromagnetic structure of baryons



G. Ramalho et al arXiv:1512.037

- Resonance \rightarrow Nucleon transitions :
em. Transition Form Factors
 $\Delta : G_M (q^2), G_E (q^2), G_C (q^2)$
- Important role of pion cloud **at small q^2**

Models for Dalitz decays

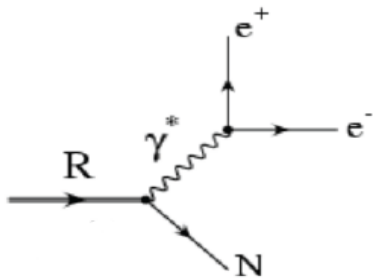
QED: point-like $R\text{-}\gamma^*$ vertex

Coupling constants fixed from $R \rightarrow N\gamma$

Strong dependence on spin, parity

M. Zetenyi et al. PRC 67, 044002 (2003).

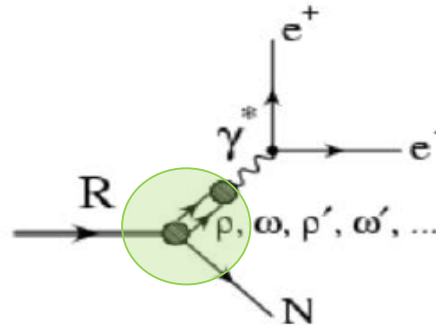
M. I. Krivoruchenko et al. Ann. Phys. 296, 299 (2002).



extended VDM1:

M. I. Krivoruchenko et al.

Ann. Phys. 296, 299 (2002).



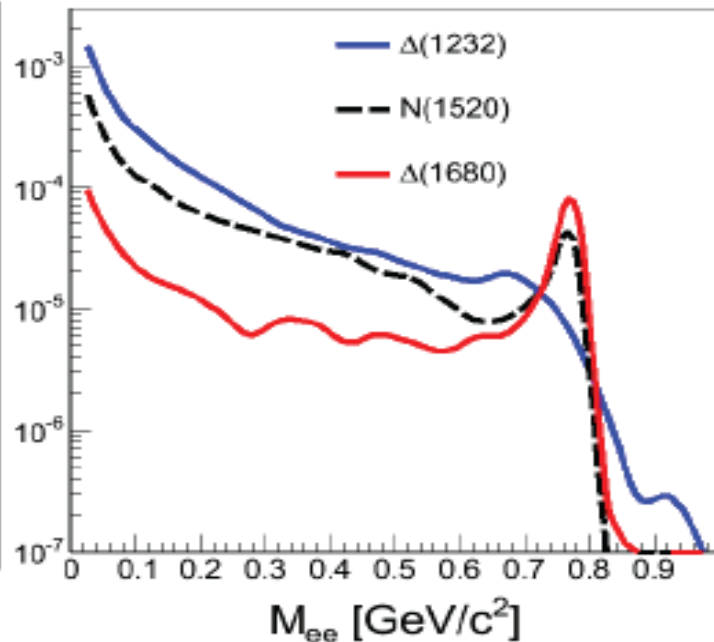
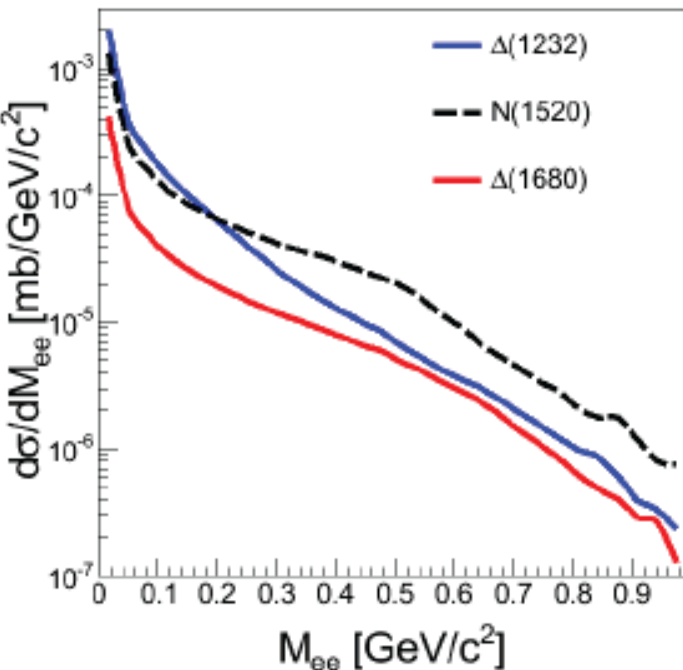
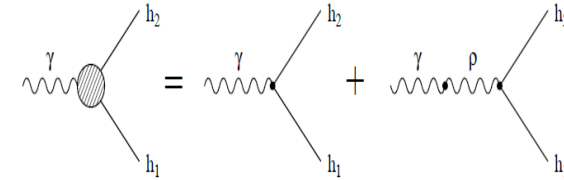
el. Transition FF (M_{ee})

extended VDM2:

H.B. O'Connell, et al.

Prog. Part. Nucl. Phys. 39, 201 (1997).

M. Zetenyi, G. Wolf PRC86(2012) 065209



„2 coupling”

vanishes at $q^2=0$

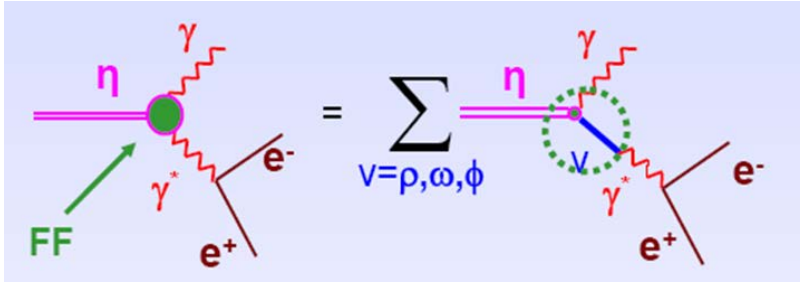
Does not provide

„standard VDM ”

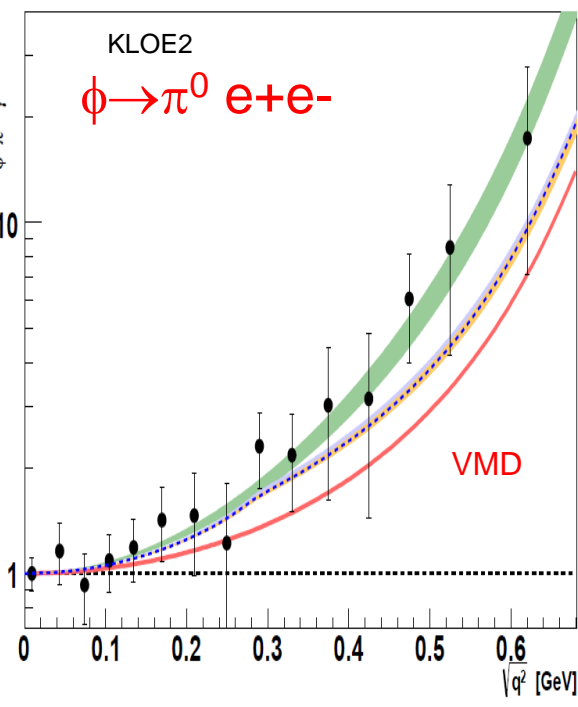
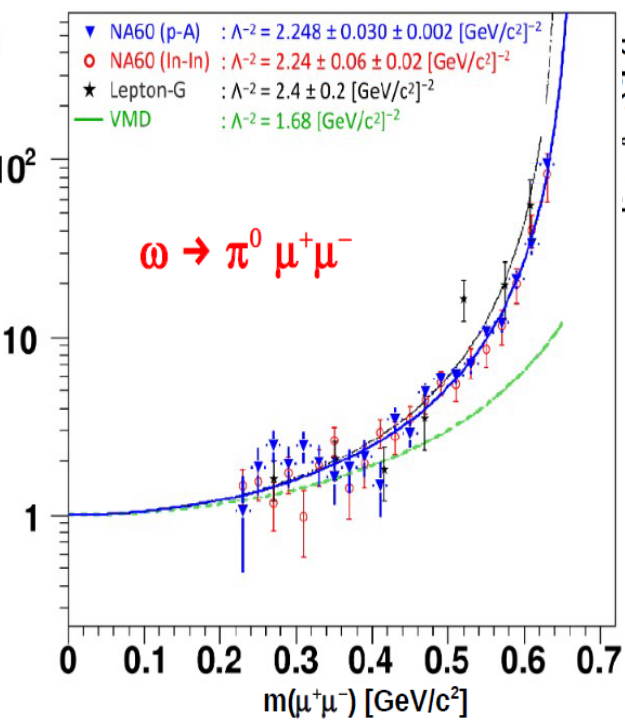
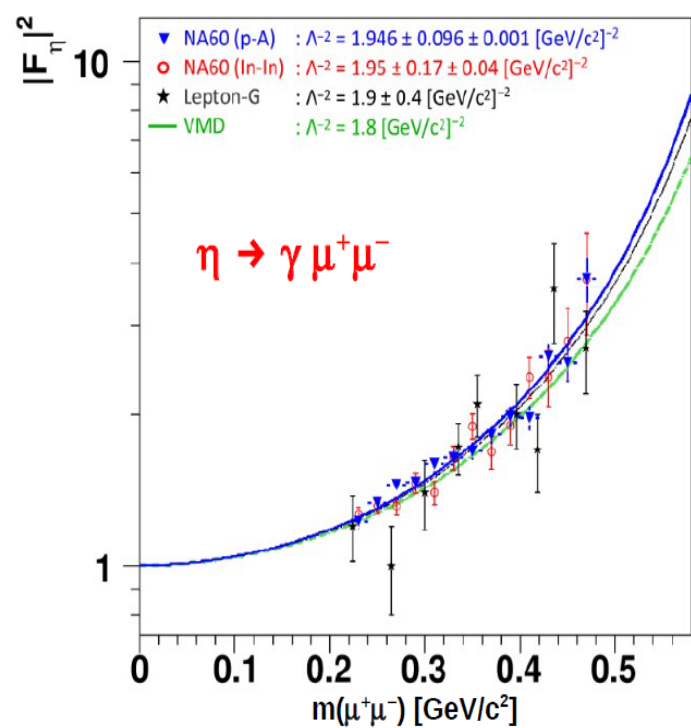
$\text{Br}(m) \sim 1/M^3$

Vector Meson Dominance in work for mesons..

example: η decay



$$\frac{d\Gamma(\eta \rightarrow e^+ e^- \gamma)}{dq^2 \Gamma(\eta \rightarrow \gamma\gamma)} = \underbrace{\frac{2\alpha}{3\pi} \left[1 - \frac{4m_e^2}{q^2}\right]^{1/2} \left[1 + 2\frac{m_e^2}{q^2}\right] \frac{1}{q^2} \left[1 - \frac{q^2}{m_\eta^2}\right]^3}_{\text{QED}} \underbrace{|F_\eta(q^2)|^2}_{\text{FF}}$$



very important for hadronic corrections in muon g-2 ..

Theory
 Terschusen and Leupold [Phys. Lett. B 691 191 (2009)]
 Ivashyn S. [Prob. Atom. Sci. Tech. 2012N1 179 (2012)]
 Schneider, Kubis, Nieking [Phys. Rev. D86 054013 (2012)]

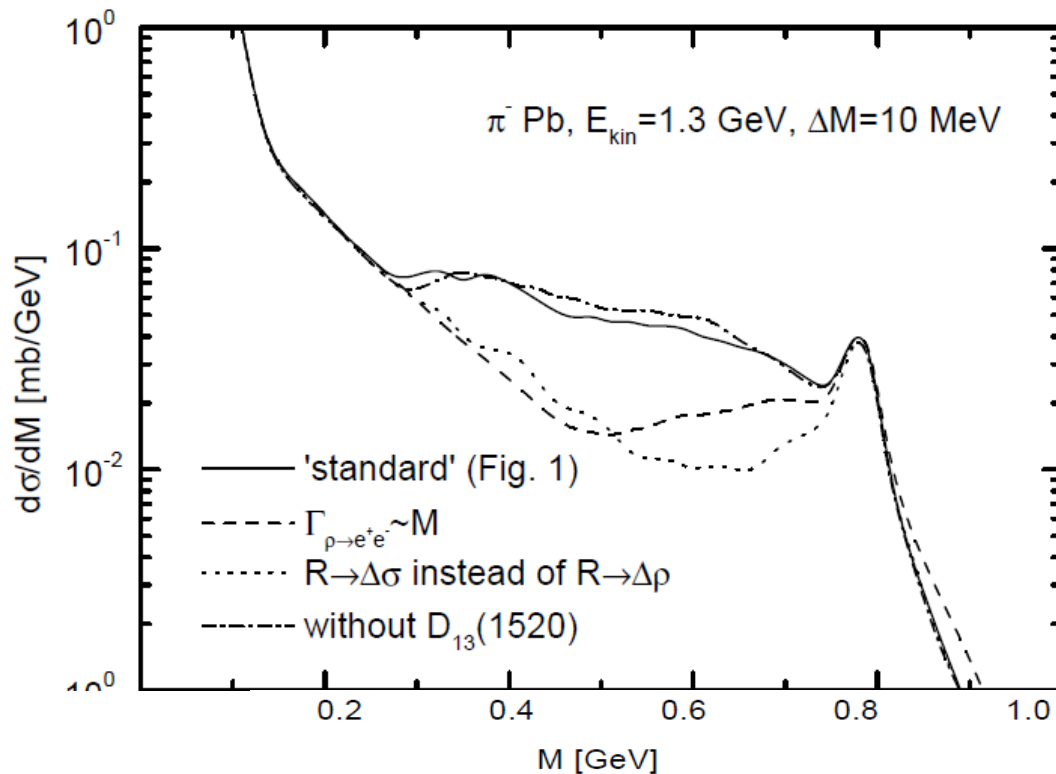
VDM for Baryons?

- For the electromagnetic decay of the ρ -meson to e^+e^- we use now a width proportional to M^{-3} , as resulting from vector meson dominance (VMD) [9], instead of one proportional to M from extended VMD [10], with M being the invariant mass of the ρ -meson. For our calculations this is more appropriate since we neglect a direct coupling of the virtual photon and can not treat the resulting interference terms properly within a semi-classical transport approach.

[e+ e- pairs from pi- A reactions: Comment](#)

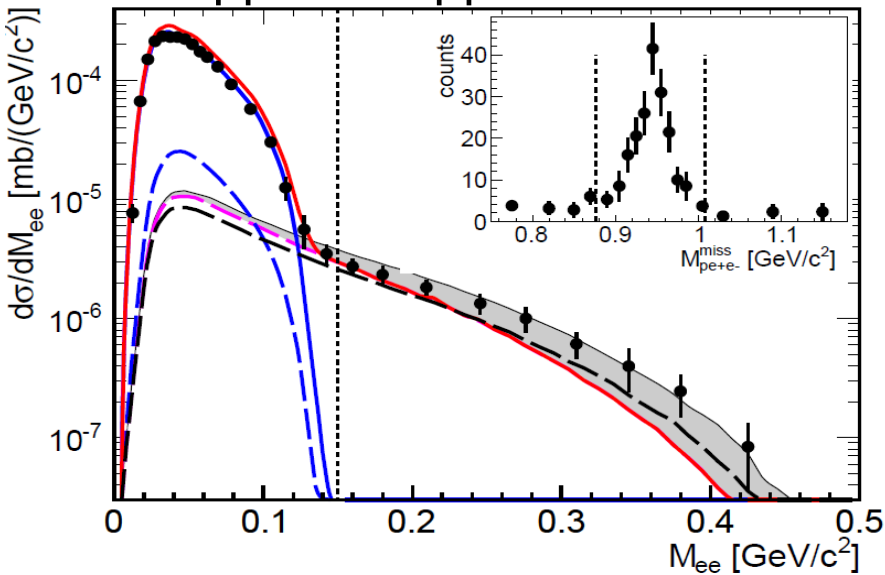
[M. Effenberger, E.L. Bratkovskaya, W. Cassing, U. Mosel \(Giessen U.\). Jan 1999. 9 pp.](#)

Published in [Phys.Rev. C60 \(1999\) 027601](#)



Δ^+ Dalitz decay via $\Delta^+ \{ \rightarrow pe^+e^- \}$

pp \rightarrow e+e-pp @ 1.25 GeV



red line – total
blue – π^0 Dalitz
magenta – Δ Dalitz
 grey band – (VMD)
 dashed – Ramalho/Peña

Δ Dalitz decay BR

$$G_M(0) \sim 3$$

$$G_E(0) \sim 0$$

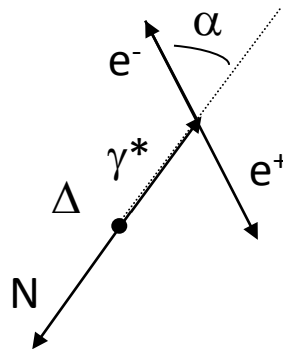
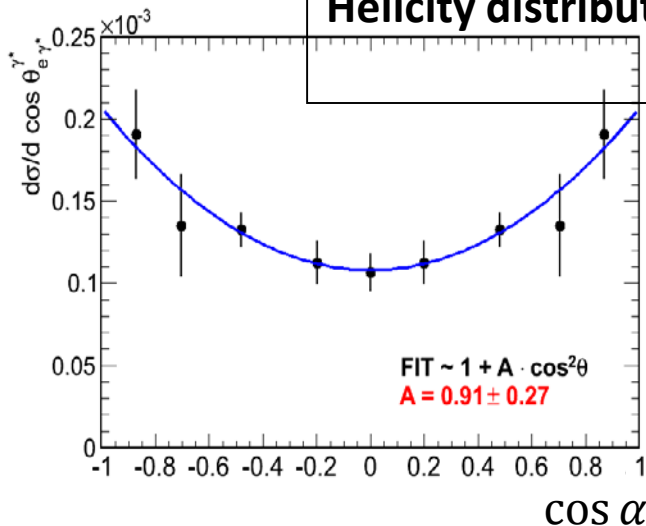
$$G_C(0) \sim 0$$

$$\frac{d\Gamma(\Delta \rightarrow Ne^+e^-)}{dq^2} = f(m_\Delta, q^2) \left(|G_M^2(q^2)| + 3|G_E^2(q^2)| + \frac{q^2}{2m_\Delta^2} |G_C^2(q^2)| \right)$$

Consistent with $\Delta \rightarrow p\pi^0$

Helicity distributions $\gamma^* \rightarrow e^+e^-$

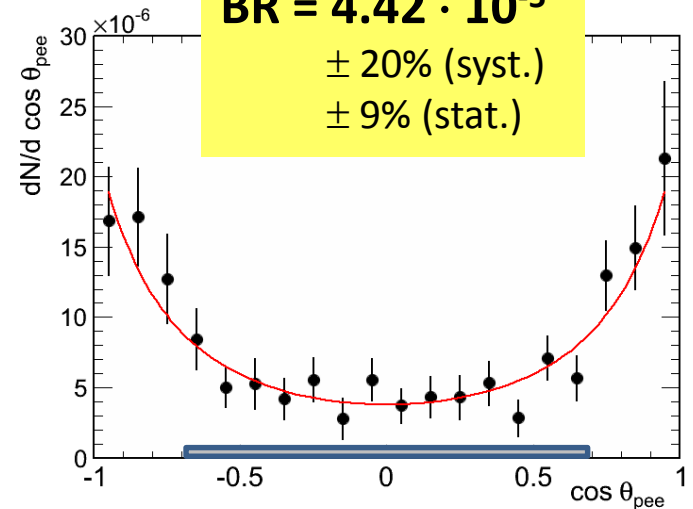
$$d\sigma/d\Omega_e \sim 1 + \cos^2\alpha$$

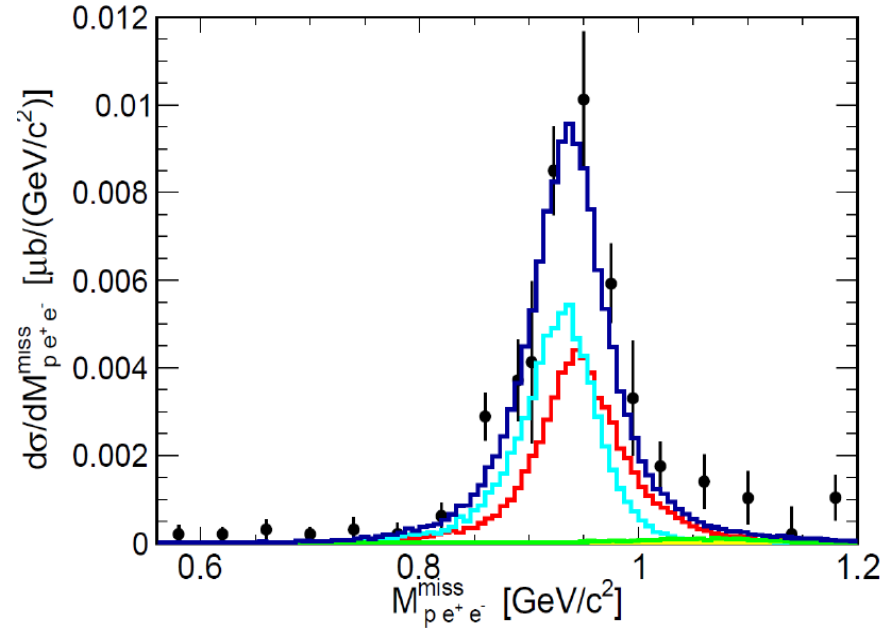
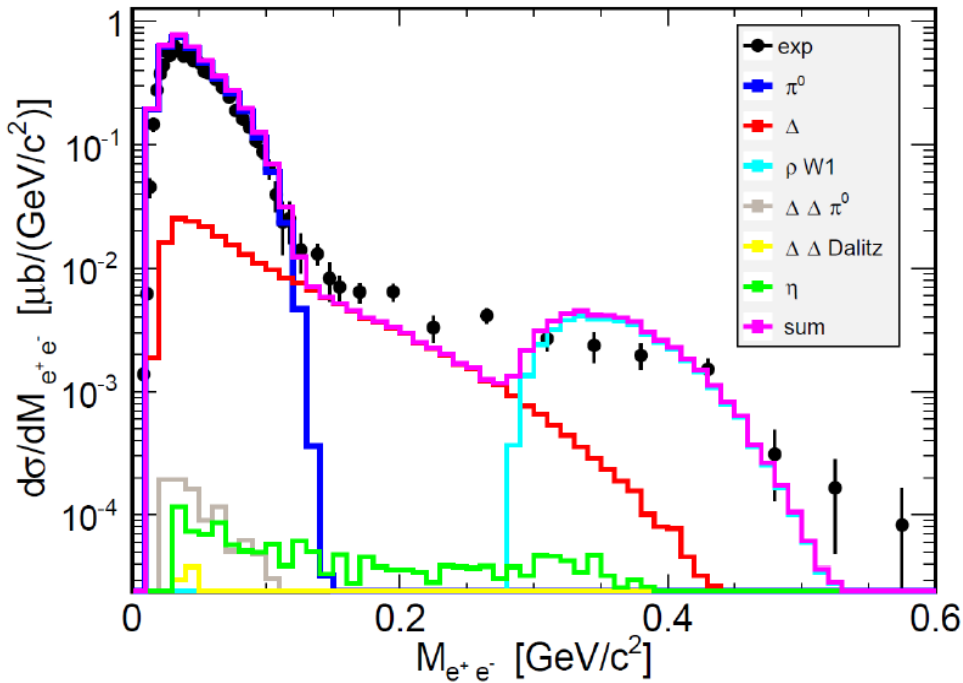


BR = 4.42 · 10⁻⁵

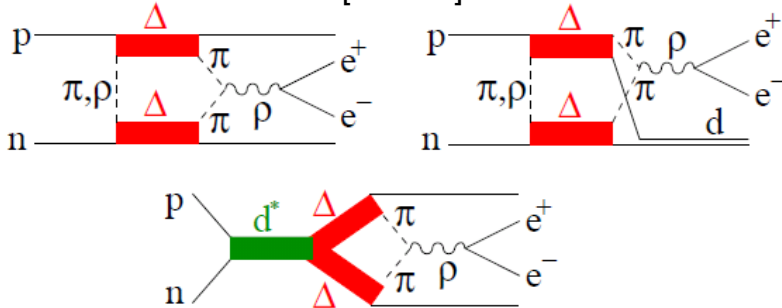
± 20% (syst.)

± 9% (stat.)





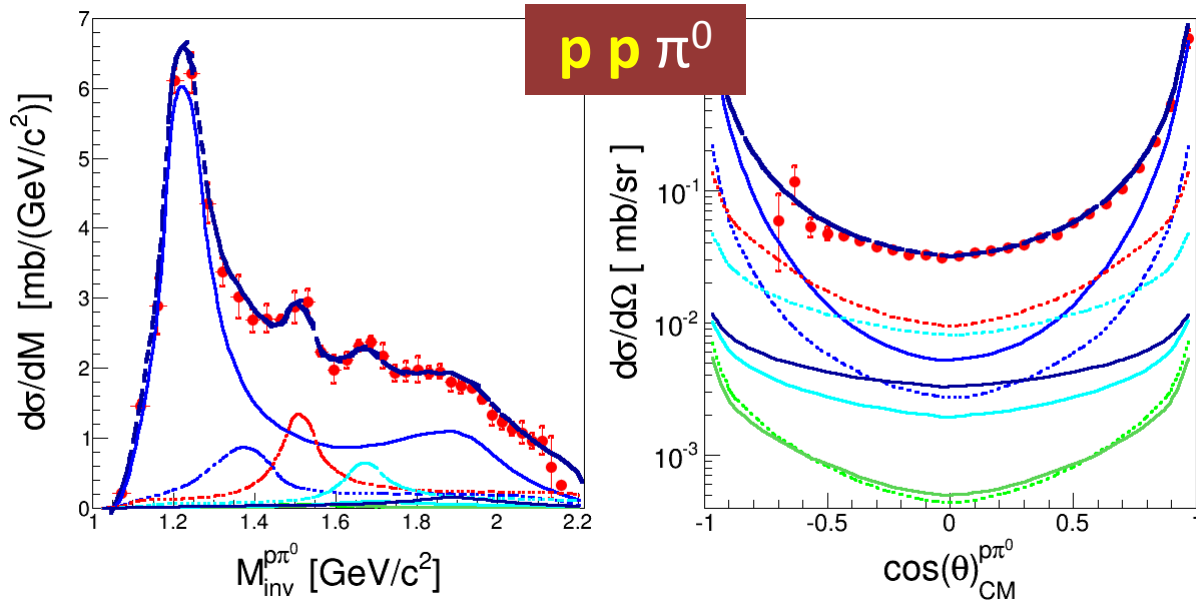
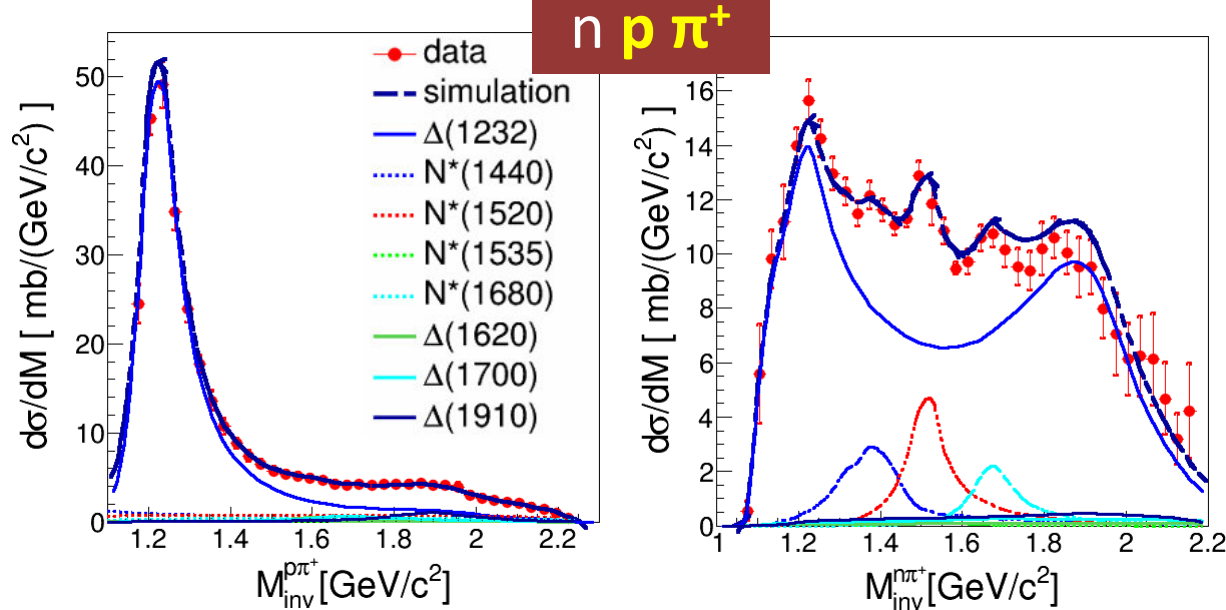
M. Bashkanov and Clement,
arXiv:1312.2810 [nucl-ex]



Strong off-shell ρ contribution

- Charged pion exchange Schyam et al.
R. Shyam and U. Mosel *Phys. Rev. C* 82:062201, 2010
- Or/and double Δ fusion ala' Clement/Bashkanov

Higher mass resonances @3.5 GeV

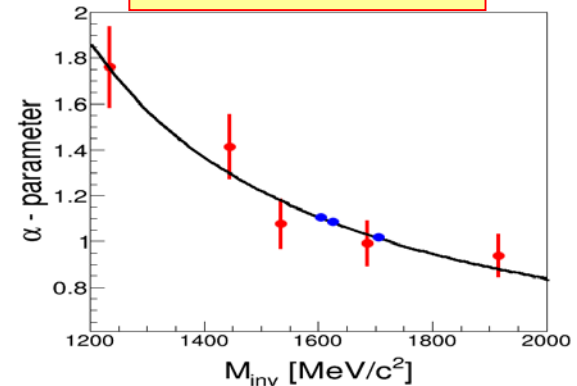


Resonance model:

Z. Teis et al.,
 Z. Phys. A356 (1997) 421
 J. Weil et al. (GiBUU)
 Eur. Phys. J. A48 (2012) 111

Many Δ , N^* states contributing..

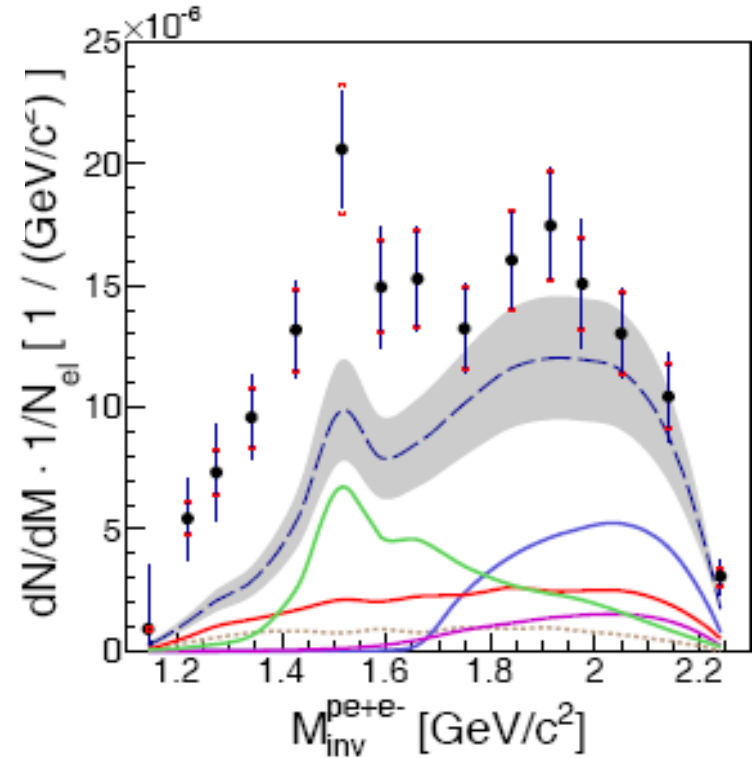
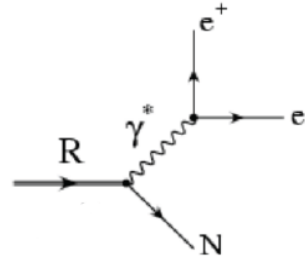
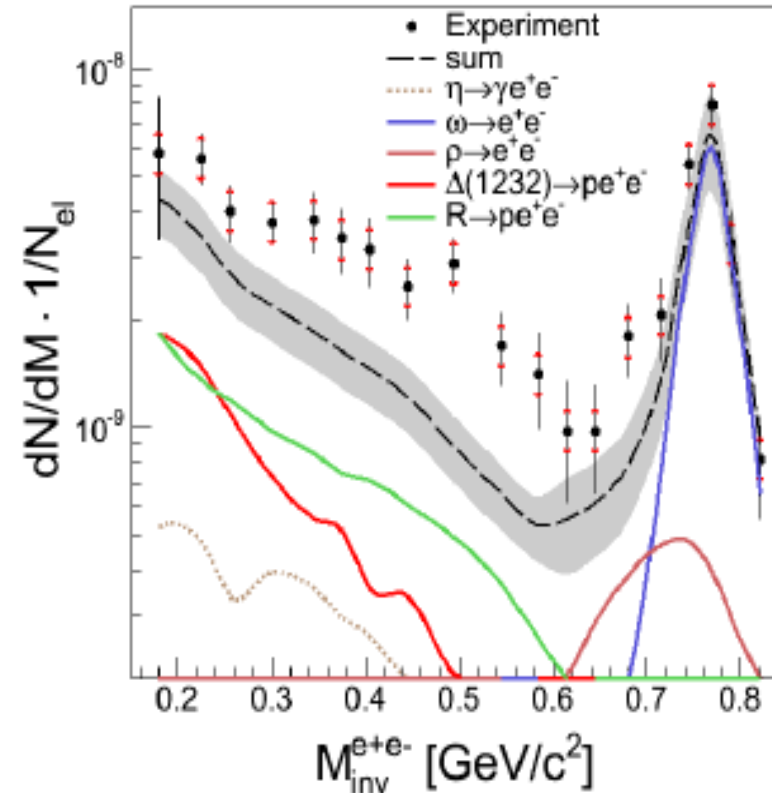
$$\frac{d\sigma}{dt}(M_R) \propto \frac{A}{t^{\alpha(M)}}$$



angular parametrisation
 as a function of
 t for all resonances

Eur. Phys. J. A (2014) 50: 82

„QED” cocktail



- Several contributing resonances : $N^*(1520)$, $N^*(1720)$, $\Delta(1620)$, $\Delta(1905)$
- ambiguities in resonance contributions (R) covered by grey band
- ☞ Clear excess above expected yield from the point-like coupling seems to originate from $N^*(1520)$ region

Pion beam facility at GSI

- Proposed middle of 90'es (H. Bokemeyer, W.Koenig,V. Metag, A. Schroter). Comissioned end of 90'es–first paper with results in 1999 (Progr. In Part. and Nucl. Physics 42(1999)247)



ELSEVIER

Nuclear Instruments and Methods in Physics Research A 478 (2002) 511–526

**NUCLEAR
INSTRUMENTS
& METHODS
IN PHYSICS
RESEARCH**
Section A

www.elsevier.com/locate/nim

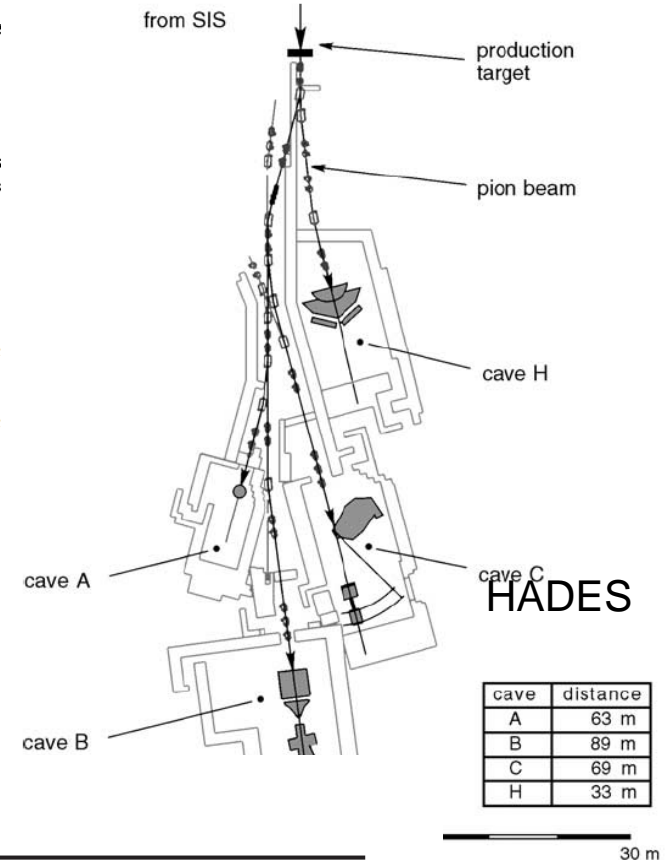
Design and commissioning of the GSI pion beam

J. Díaz^{a,*}, N. Yahlali^a, M. Ardid^a, M. Álvarez^a, V. Avdeichikov^d, H. Bokemeyer^b
L. Carlén^d, B. Franczak^b, O. Hartmann^{c,b}, B. Jakobsson^d, W. Koenig^b,
U. Leinberger^b, B. Lommel^a, V. Metag^{b,c}, Yu.A. Murin^d, W. Mittag^e, W. Niebur^b
R. Novotny^c, R. Schicker^b, R.S. Simon^b, A. Schröter^b, W. Schön^b

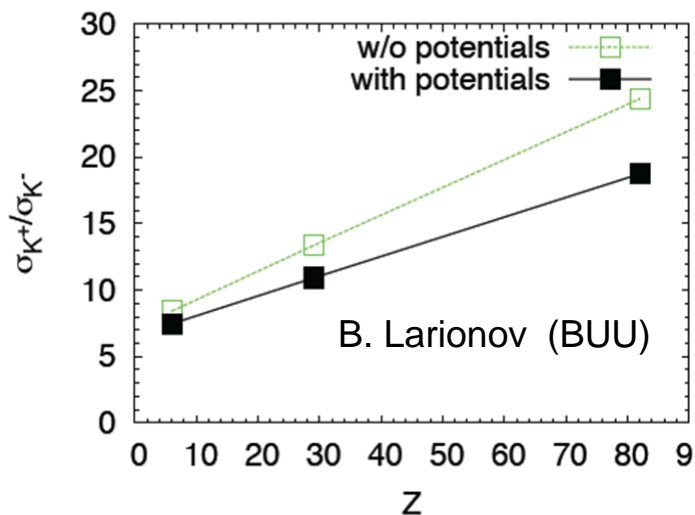
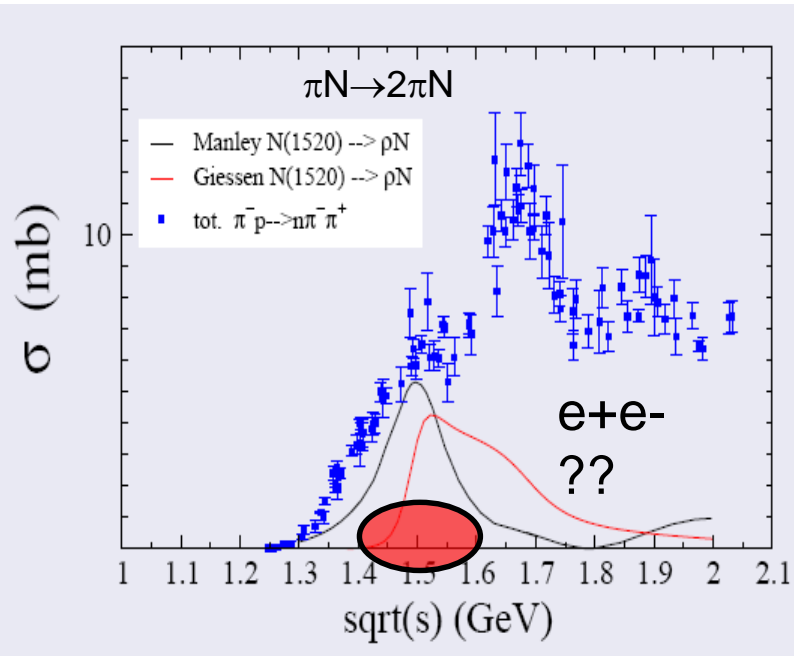
First data from HADES 2014

Nuclear Physics News, Vol. 25, No. 2, 2015

facilities and methods



The HADES Pion Beam Facility



Main advantage of pion induced reactions

Resonance excitation can be selected by the chosen beam (pion) momentum

HADES starts with $\sqrt{s} = (1.46-1.55)$ GeV – N*(1520) resonance region

1) $\pi^+ \pi^-$ production : off-shell coupling of ρ to resonance

$\rho \rightarrow \pi^+ \pi^-$ (~100%) „golden channel”

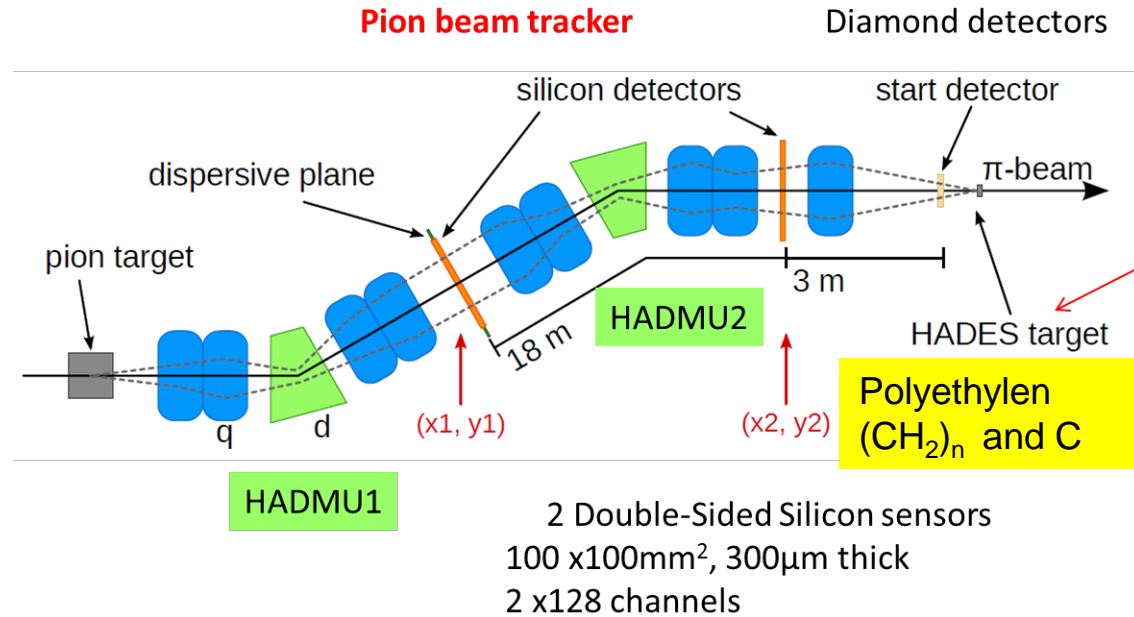
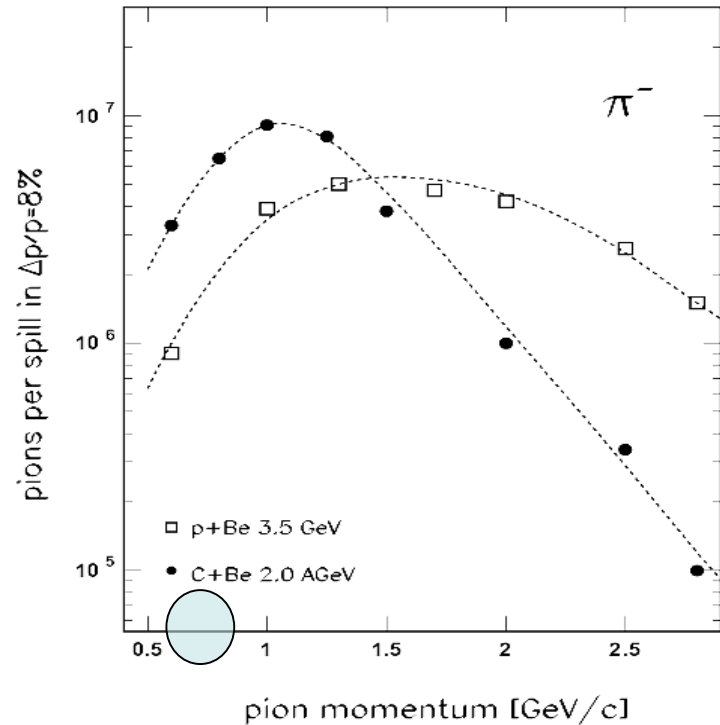
Most of $\pi^+ \pi^-$ data $1.3 < \sqrt{s} < 2$ come from Manley et.al PRD30,(1984) 904 based on 240 000 events (differential; distributions not available)

2) e+e- : never measured from pion induced reactions

Resonance Dalitz decays $R \rightarrow Ne+e-$
Reference for p+Nb result

3) strangeness production of nucleus : K^+ , K^0 , ϕ

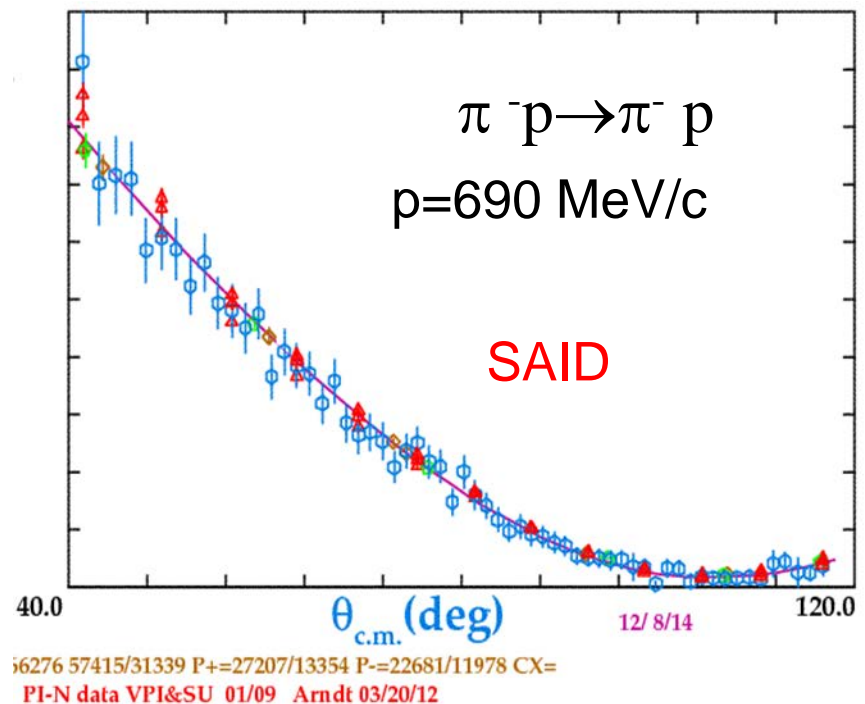
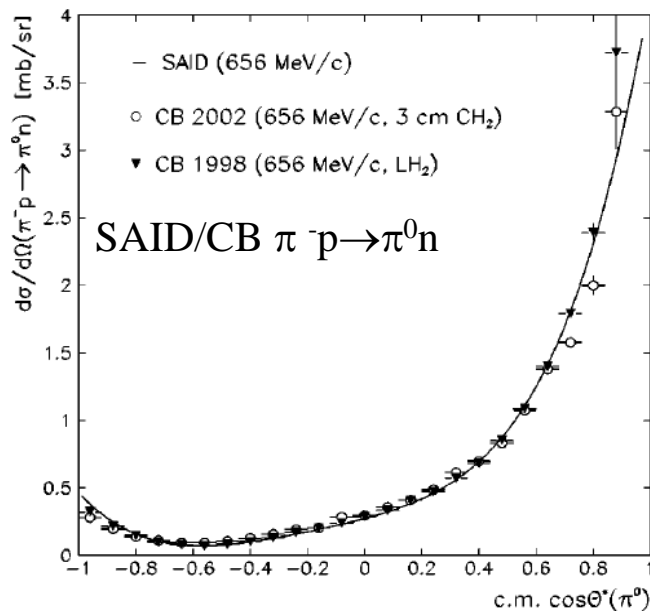
Absorption of mesons in cold nuclear matter.



- Reaction N+Be 8-10* 10¹⁰ N₂ ions/spill (4s)
- secondary π^- with I ~ 3-4 10⁵/spill @ 0.7 GeV/c - limited by primary beam Intensity
- Total ~15 days of continuous measurement.
- Pion momentum $\Delta p/p = 2.2\%$ (σ) and ~50% acceptance @ central momentum
- in beam tracking system: (X1,X2/Y1/Y2) for pion momentum determination : $\Delta p/p = 0.1\%$

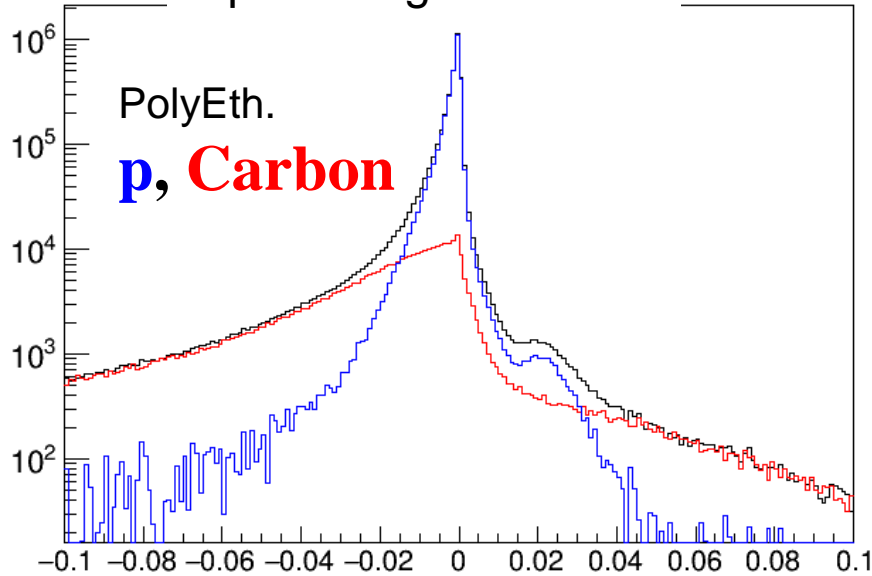
- Normalization via measured π^-p elastic scattering of known σ (SAID Partial Wave Solution)
- Extract contributions (ρ) from $\pi^-p \rightarrow \pi^+\pi^-n$ (HADES), $\pi^-p \rightarrow \pi^0\pi^0n$ (Cristall Ball) @ $p=656$ ($\sqrt{s}=1.468$), **$p=690$ (1.489)**, $p=748$ (1.526) , $p=800$ (1.556) , $\gamma p \rightarrow \pi^0\pi^0p$ (Bonn) & $\gamma p \rightarrow \pi^+\pi^-p$ (SAPHIR, CLAS) ($\sqrt{s}>1.75$) using Partial Wave Analysis (Bonn-Gatchina framework)
- compare to $\pi^-p \rightarrow e+e^-n$ @ **690 MeV/c** exclusive channel

elastic channels

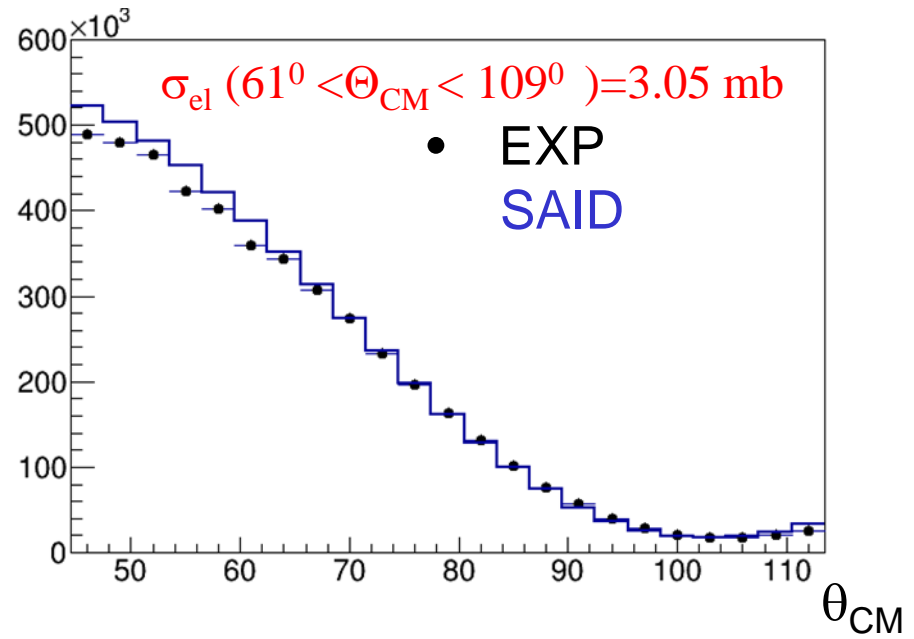
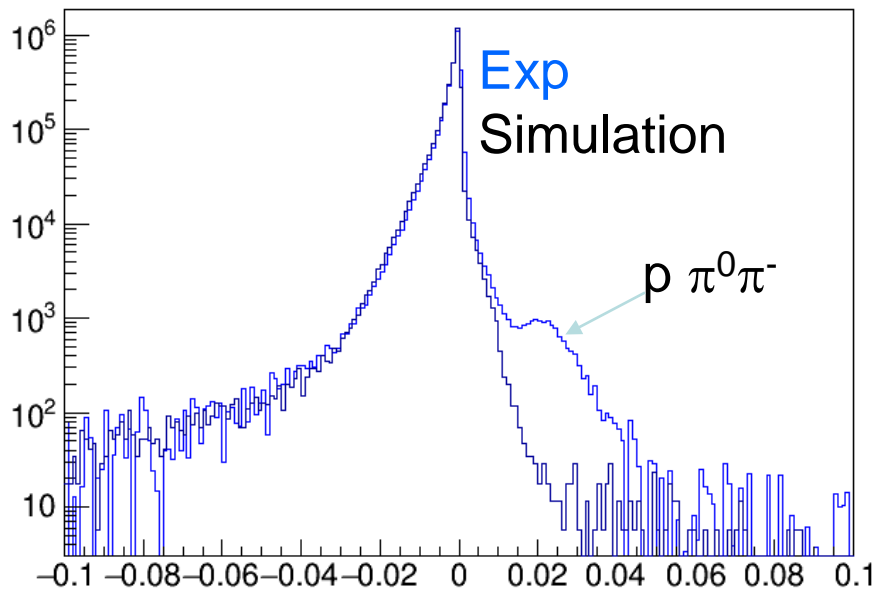
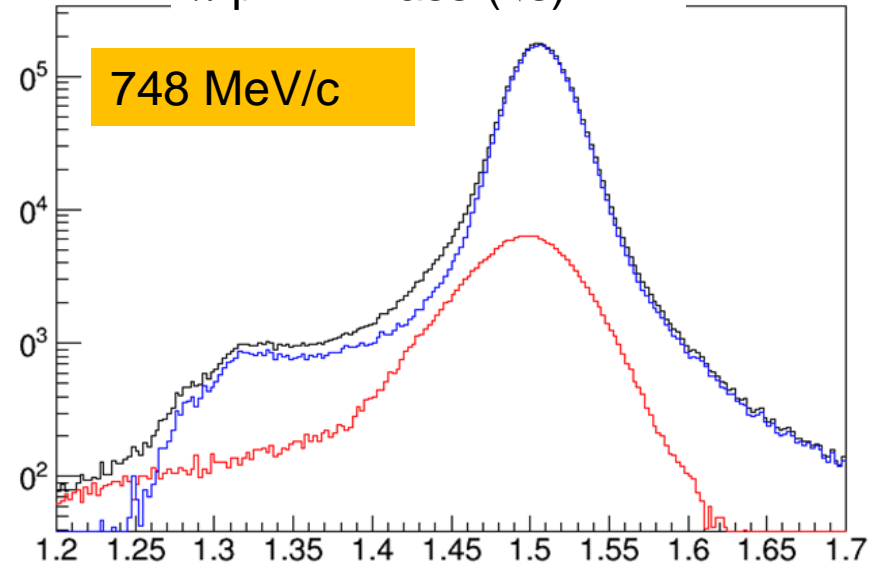


Elastic events: example 748 MeV/c

π -p missing mass



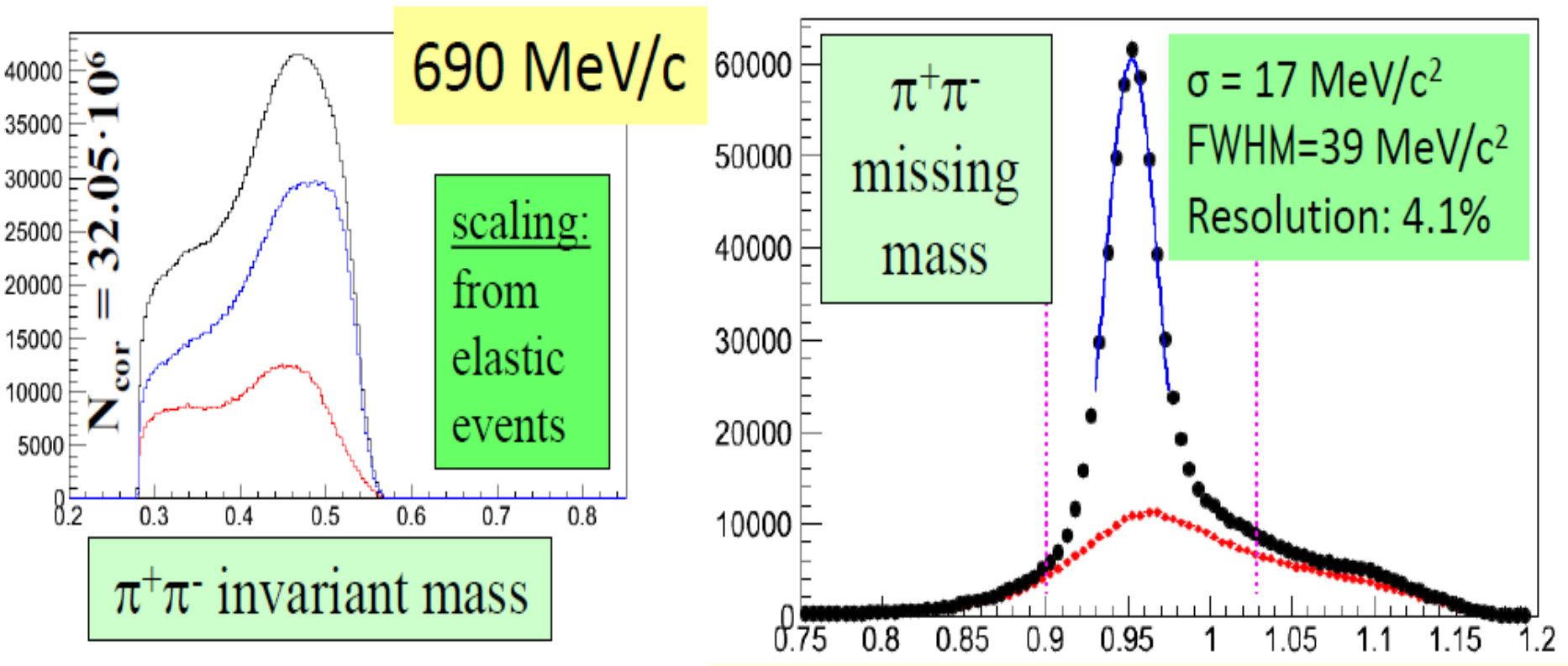
π -p inv. mass (\sqrt{s})



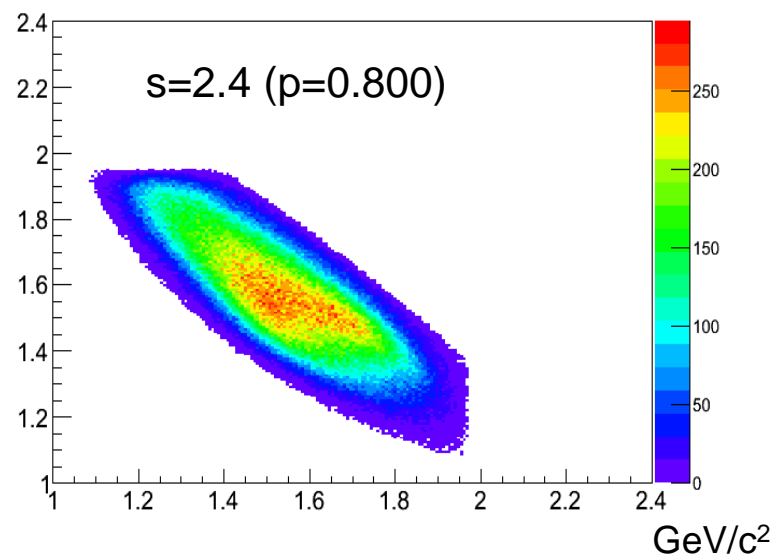
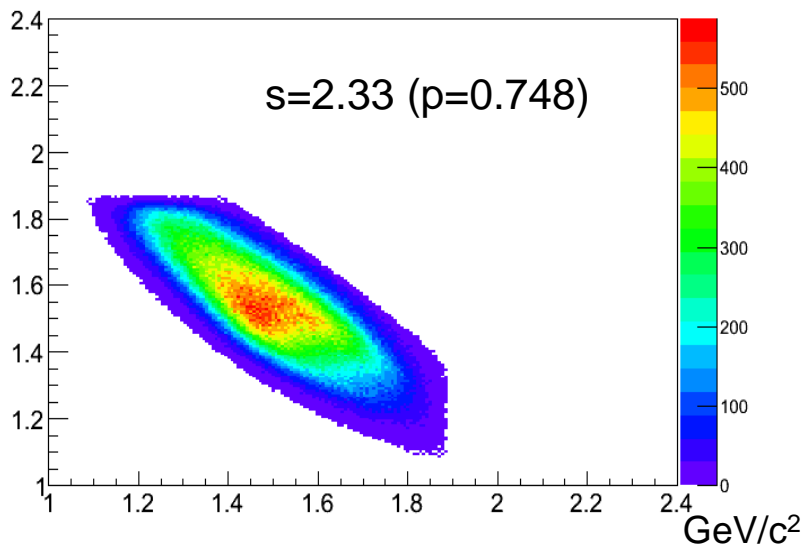
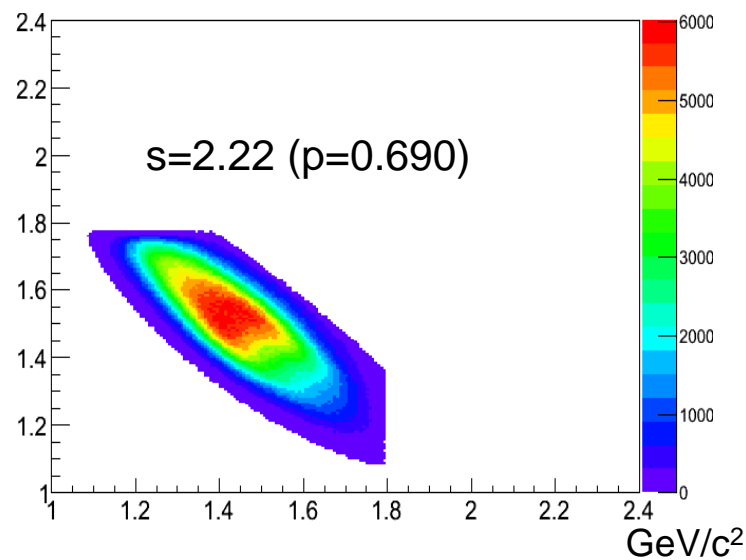
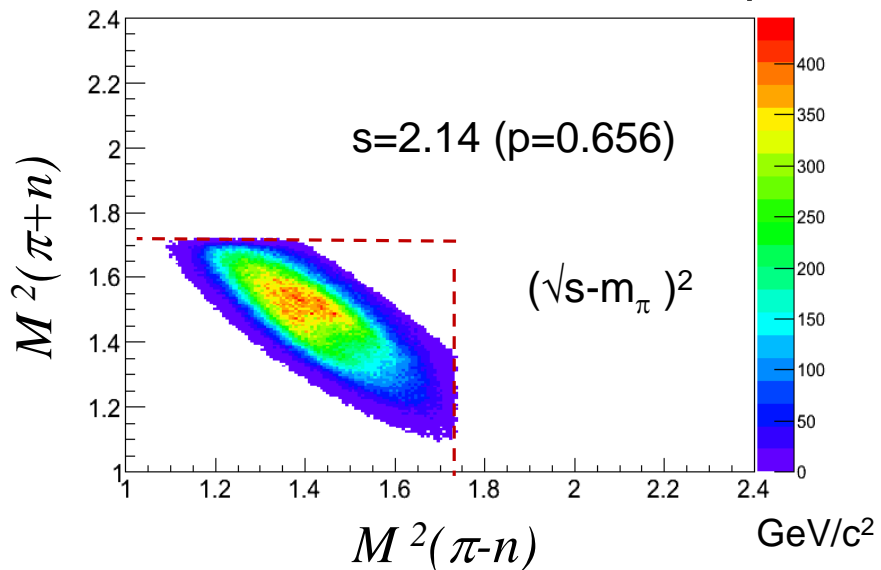
$\pi^-p \rightarrow \pi^+ \pi^- n$

- Clean Separation of **proton** and **Carbon** contributions

(by scaling factors derived from π -p elastic scattering)



HADES acceptance : covers all dalitz area



Partial Wave Analysis (Bonn/Gatchina)

A.Saranstev et al..

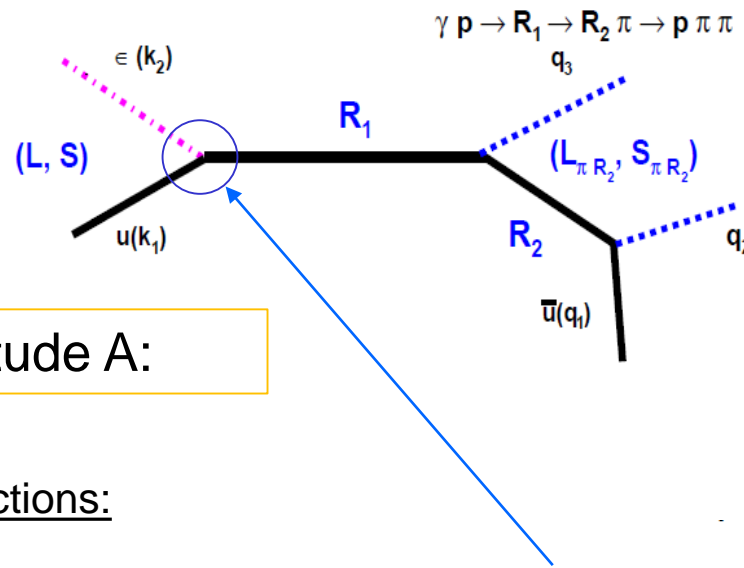
- An excellent tool widely used in hadron spectroscopy (γN , πN , pp reactions)
- Based on K-Matrix approach (coupled channels): allows to fit several reactions channels at the same time with strong unitarity constraints
- Take into account specific detector acceptances and efficiencies
(data are analysed together with phase space Monte Carlo passed through detector response)
- Fit is done on event by event basis with maximum likelihood method (correlation in multidimensional space following are taken into account!)

At present ~ 0.34 mln data points taken in global fit with $\chi^2 / \text{DOF} = 1.6$

In HADES we use **Energy dependent extraction of amplitudes**: several energy points are analysed together with different final states. Resonance properties (masses, widths are not subject to fit)

Already several channels analysed and published ($pp \rightarrow pk\Lambda$, $pp \rightarrow pn\pi^+$, $pp\pi^0$)

Double pion Production in pion and photo -induced



R_1 has well defined J, P
 for example for pion-nucleon
S-wave $J^P = 1/2^-$ (pion neg. parity)
 $L_{2l, 2J} = S_{11}$ or S_{31}
P-wave $J^P = 1/2^+$ or $3/2^+$
 P_{11}, P_{13} or P_{31}, P_{33}

Reaction amplitude A:

Pion induced reactions:

$$A_{1i} = K_{1j}(I - i\rho K)_{ji}^{-1}$$

Photon induced reactions:

$$A_k = P_j(I - i\rho K)_{jk}^{-1}$$

The vector of the initial interaction has the form:

$$K_{ij} = \sum_{\alpha} \frac{g_i^{\alpha} g_j^{\alpha}}{M_{\alpha}^2 - s} + f_{ij}(s)$$

$$f_{ij} = \frac{f_{ij}^{(1)} + f_{ij}^{(2)}}{s - s_0^{ij}}$$

$$P_j = \sum_{\alpha} \frac{\Lambda^{\alpha} g_j^{\alpha}}{M_{\alpha}^2 - s} + F_j(s)$$

Λ -helicity ampl

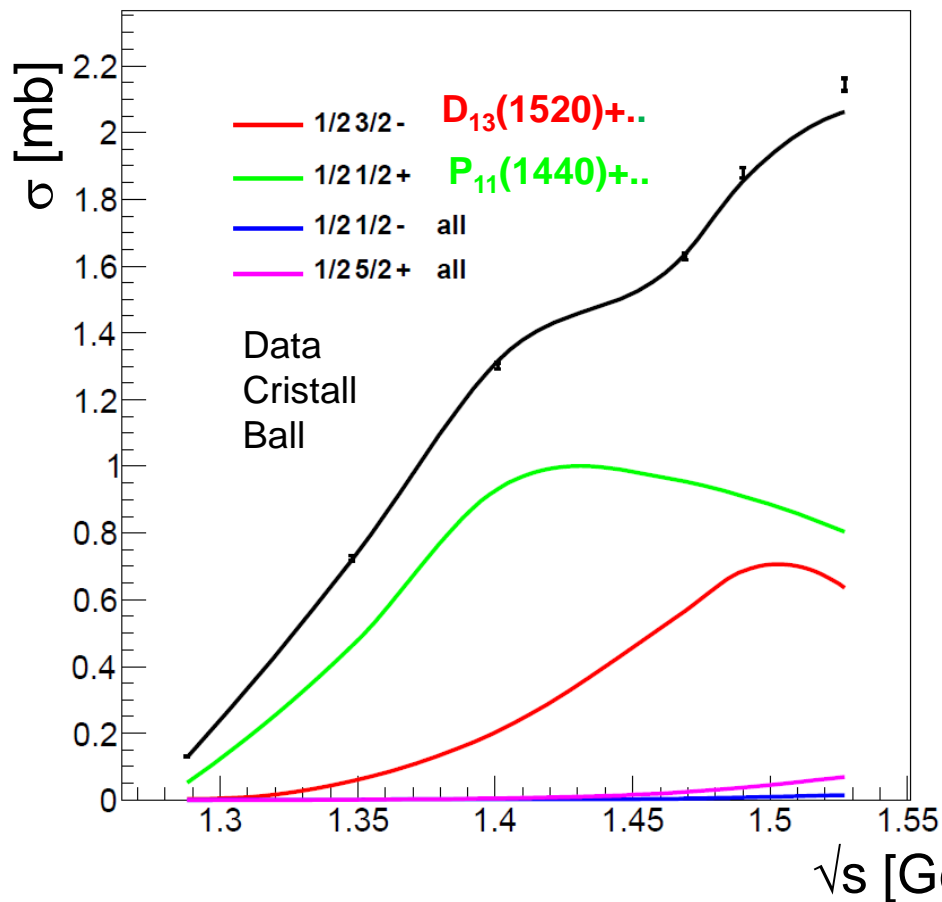
In both same K matrix accounts for hadronic part : resonances with masses M_{α} , coupling to channels $g(i,j)$, phase space for decay ρ and background terms f_{ij}

Baryon data base

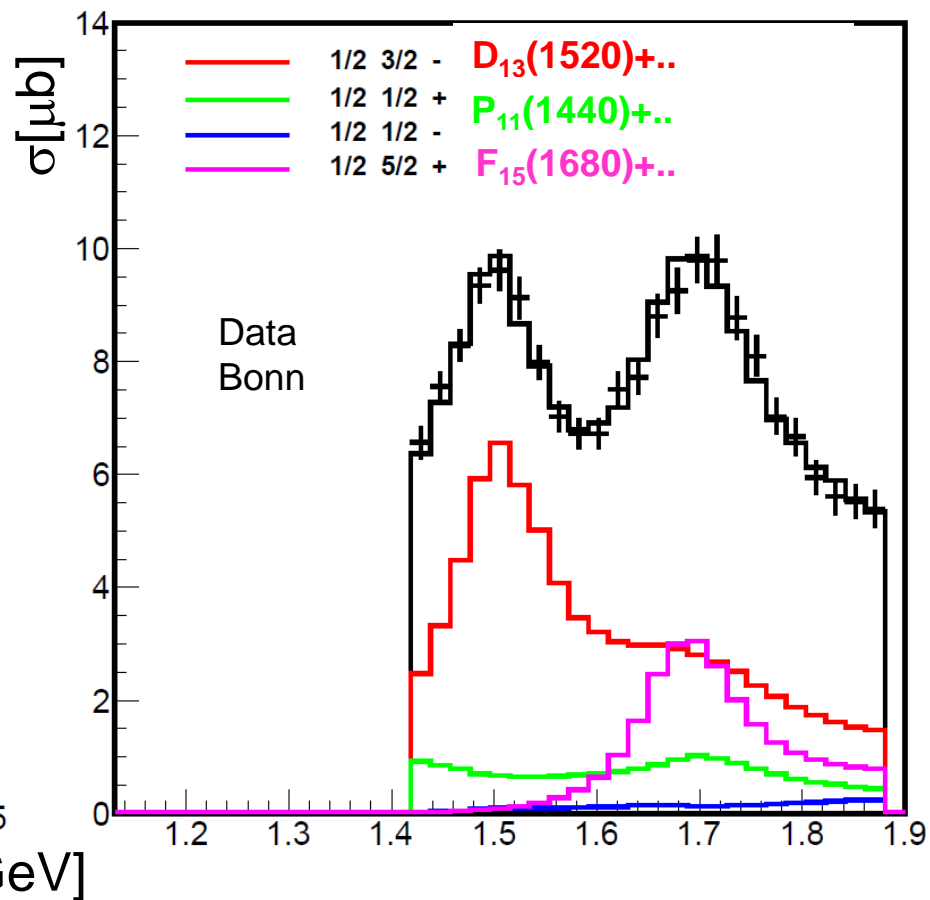
DATA	BG2013-2014	added in BG2014-2015
$\pi N \rightarrow \pi N$ ampl.	SAID or Hoehler energy fixed	
$\gamma p \rightarrow \pi N$	$\frac{d\sigma}{d\Omega}, \Sigma, T, P, E, G, H$	E, G, T, P (CB-ELSA, CLAS)
$\gamma n \rightarrow \pi N$	$\frac{d\sigma}{d\Omega}, \Sigma, T, P$	$\frac{d\sigma}{d\Omega}$ (MAMI)
$\gamma n \rightarrow \eta n$	$\frac{d\sigma}{d\Omega}, \Sigma$	$\frac{d\sigma}{d\Omega}$ (MAMI)
$\gamma p \rightarrow \eta p$	$\frac{d\sigma}{d\Omega}, \Sigma$	T, P, H, E (CB-ELSA)
$\gamma p \rightarrow \eta' p$		$\frac{d\sigma}{d\Omega}, \Sigma$
$\gamma p \rightarrow K^+ \Lambda$	$\frac{d\sigma}{d\Omega}, \Sigma, P, T, C_x, C_z, O_{x'}, O_{z'}$	Σ, P, T, O_x, O_z (CLAS)
$\gamma p \rightarrow K^+ \Sigma^0$	$\frac{d\sigma}{d\Omega}, \Sigma, P, C_x, C_z$	Σ, P, T, O_x, O_z (CLAS)
$\gamma p \rightarrow K^0 \Sigma^+$	$\frac{d\sigma}{d\Omega}, \Sigma, P$	
$\pi^- p \rightarrow \eta n$	$\frac{d\sigma}{d\Omega}$	
$\pi^- p \rightarrow K^0 \Lambda$	$\frac{d\sigma}{d\Omega}, P, \beta$	
$\pi^- p \rightarrow K^0 \Sigma^0$	$\frac{d\sigma}{d\Omega}, P (K^0 \Sigma^0) \frac{d\sigma}{d\Omega} (K^+ \Sigma^-)$	
$\pi^+ p \rightarrow K^+ \Sigma^+$	$\frac{d\sigma}{d\Omega}, P, \beta$	
$\pi^- p \rightarrow \pi^0 \pi^0 n$	$\frac{d\sigma}{d\Omega}$ (Crystal Ball)	
$\pi^- p \rightarrow \pi^+ \pi^- n$		$\frac{d\sigma}{d\Omega}$ (HADES)
$\gamma p \rightarrow \pi^0 \pi^0 p$	$\frac{d\sigma}{d\Omega}, \Sigma, E, I_c, I_s$	
$\gamma p \rightarrow \pi^0 \eta p$	$\frac{d\sigma}{d\Omega}, \Sigma, I_c, I_s$	
$\gamma p \rightarrow \pi^+ \pi^- p$		$\frac{d\sigma}{d\Omega}, I_c, I_s$ (CLAS)
$\gamma p \rightarrow \omega p$		$\frac{d\sigma}{d\Omega}, \Sigma, \rho_{ij}^0, \rho_{ij}^1, \rho_{ij}^2, E, G$ (CB-ELSA)
$\gamma p \rightarrow K^*(890) \Lambda$		$\frac{d\sigma}{d\Omega}, \Sigma, \rho_{ij}^0$ (CLAS)

Separation into initial states (waves)

$$\pi^- p \rightarrow \pi^0 \pi^0 n$$



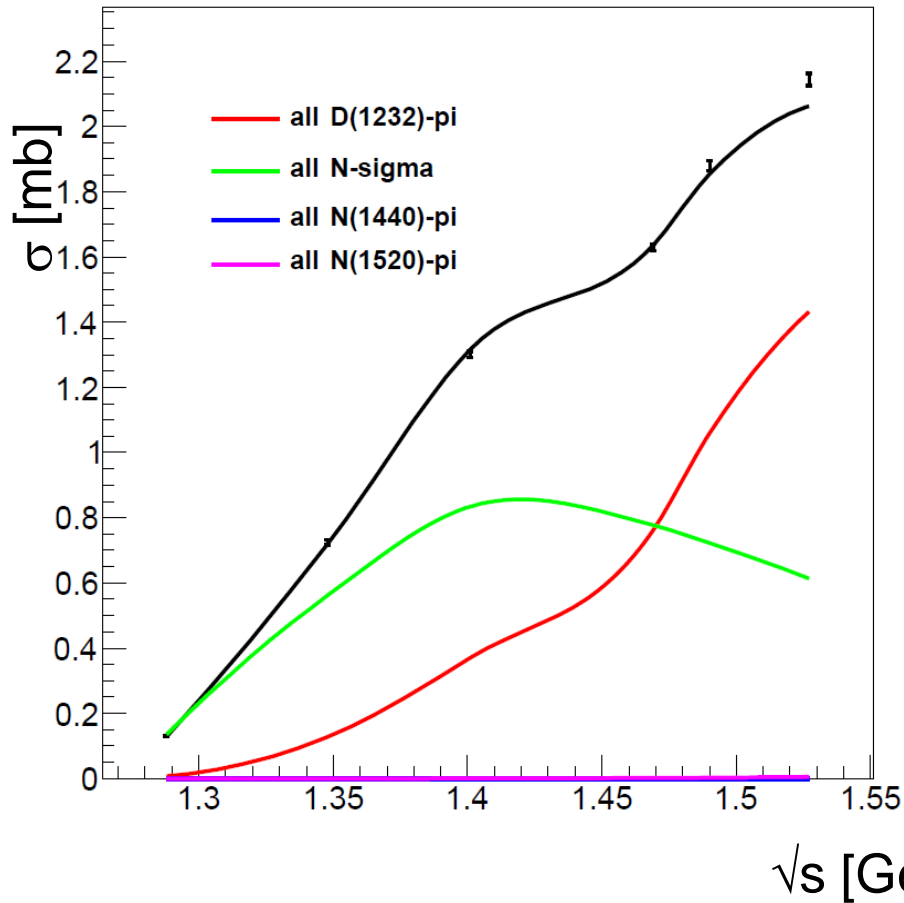
$$\gamma p \rightarrow \pi^0 \pi^0 p$$



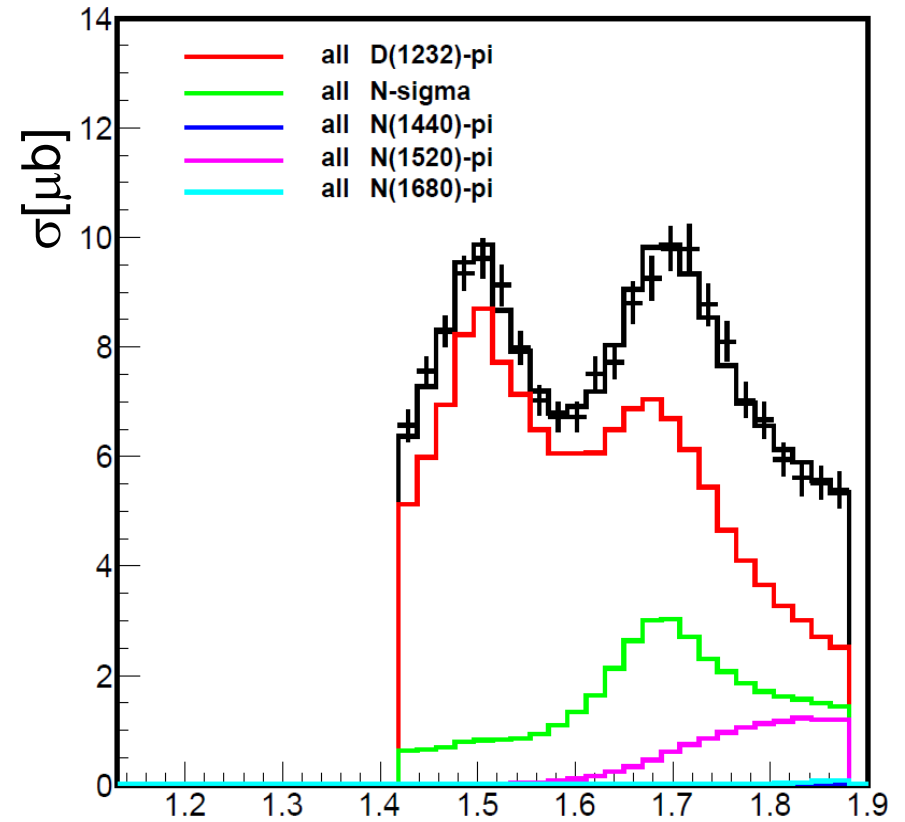
In the Energy range of 1.45-1.55 GeV in 2 pion production only few resonances matters
 D13(1520), P11(1440)

Separation into final states

$$\pi^- p \rightarrow \pi^0 \pi^0 n$$



$$\gamma p \rightarrow \pi^0 \pi^0 p$$

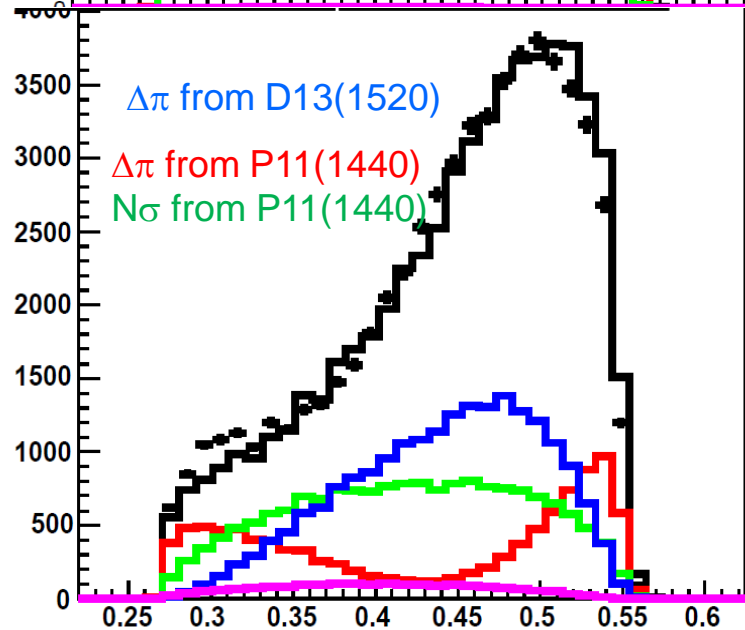
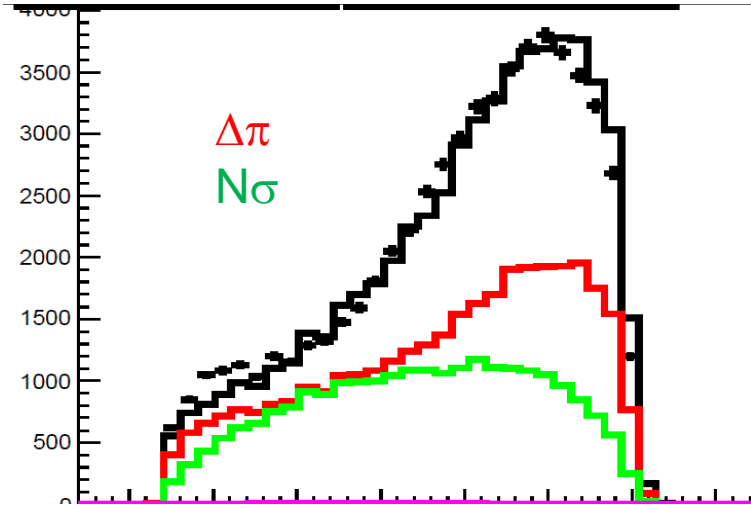


Dominant channels in $2\pi^0$ are $\Delta\pi$ and $N\sigma$ ($2\pi^0$ in $I=0$)

ρ Does Not contribute because it is $I=1$, hence does not decay to $2\pi^0$

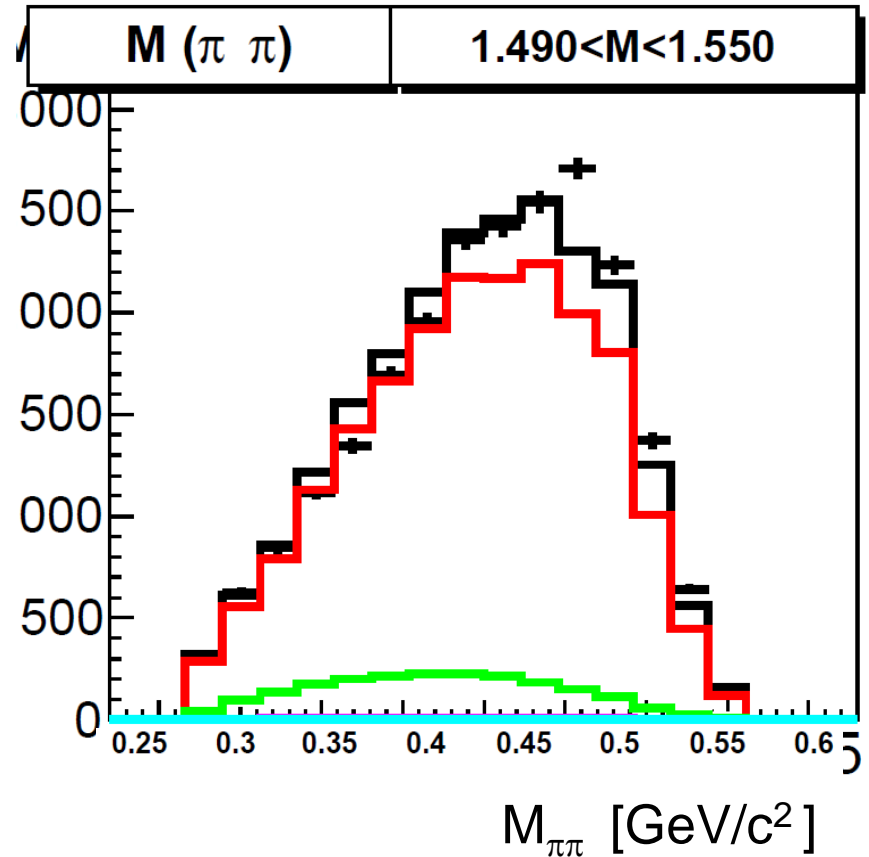
Complementary character of reactions..

$\pi^- p \rightarrow \pi^0 \pi^0 n$ @ 0.691 ($\sqrt{s}=1.49$)



Exmple 2 pion mass

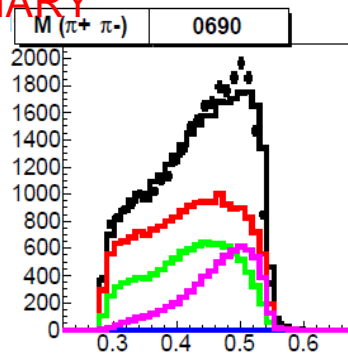
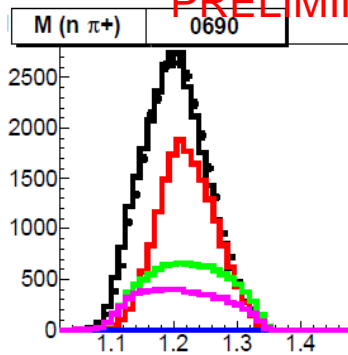
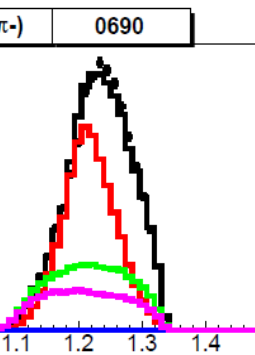
$\gamma p \rightarrow \pi^0 \pi^0 p$



Different shapes are due to different resonance contributions P11(1440) and D13(1520)

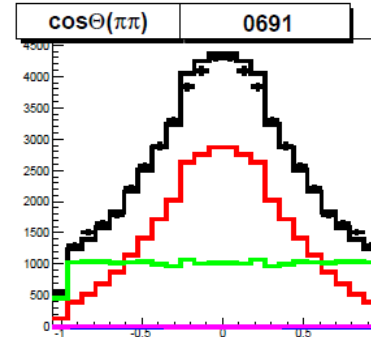
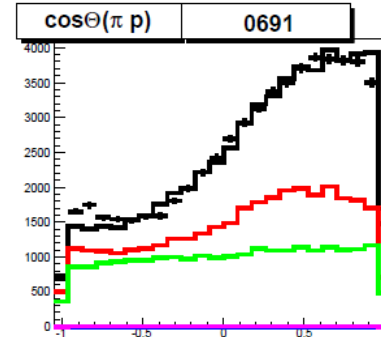
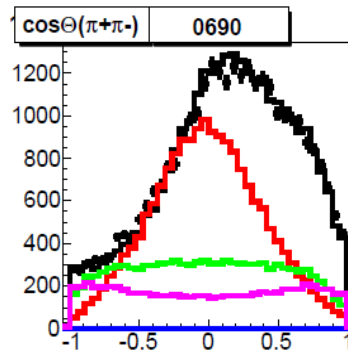
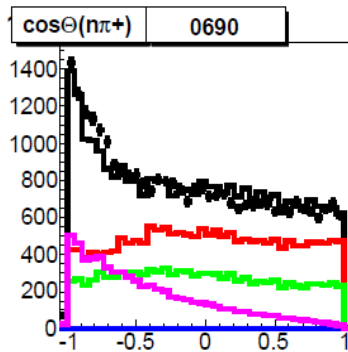
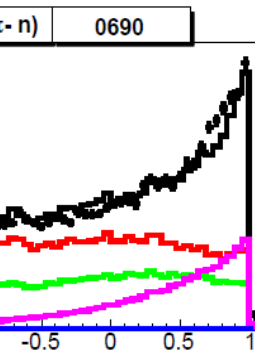
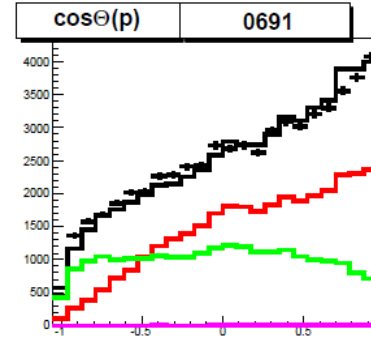
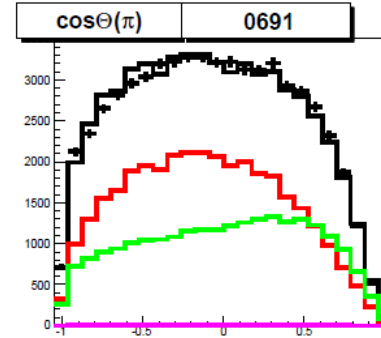
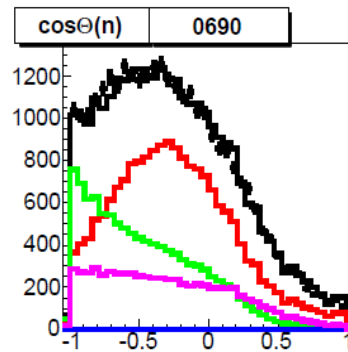
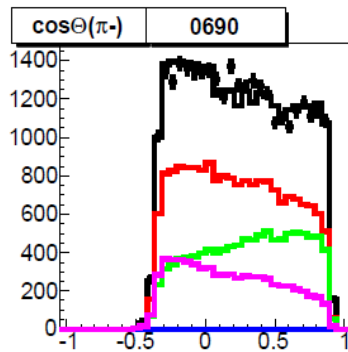
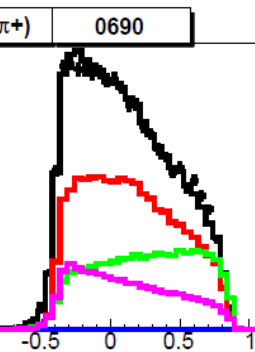
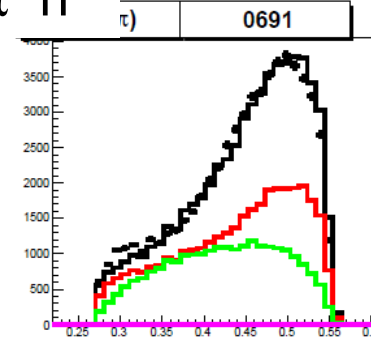
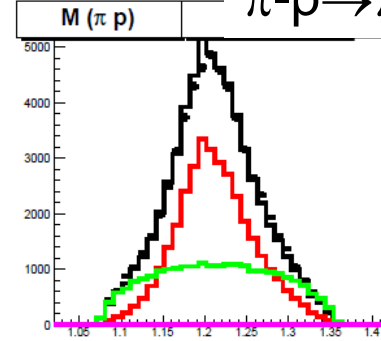
Example of fit for $\pi^-p \rightarrow \pi^+\pi^-$ $p=690$ MeV

PRELIMINARY



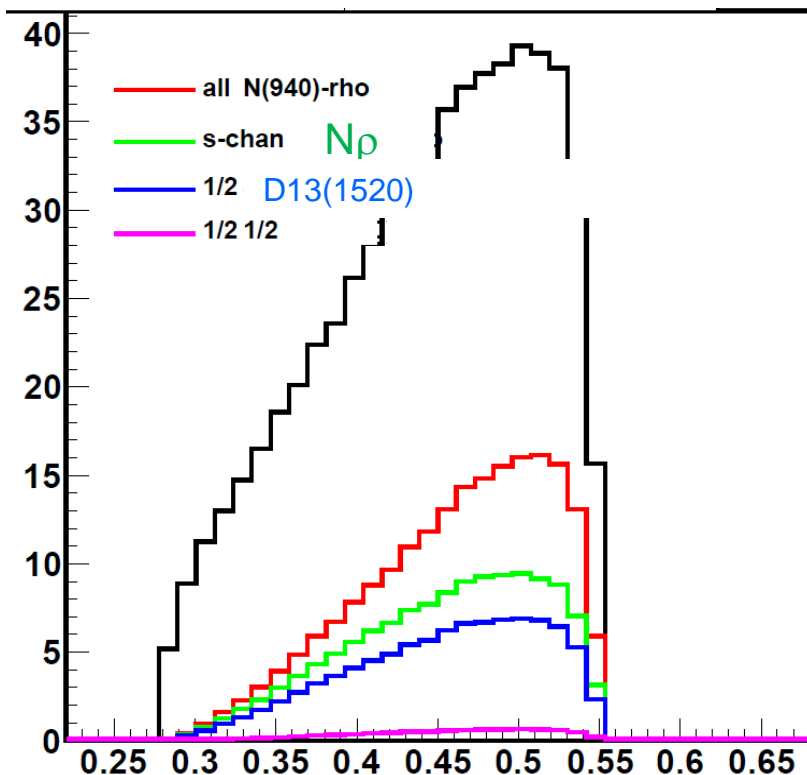
$\Delta\pi$
 $N\sigma$
 $N\rho$

$\pi^-p \rightarrow \pi^0\pi^0 n$



PRELIMINARY

Total cross sections
(from PWA solutions)

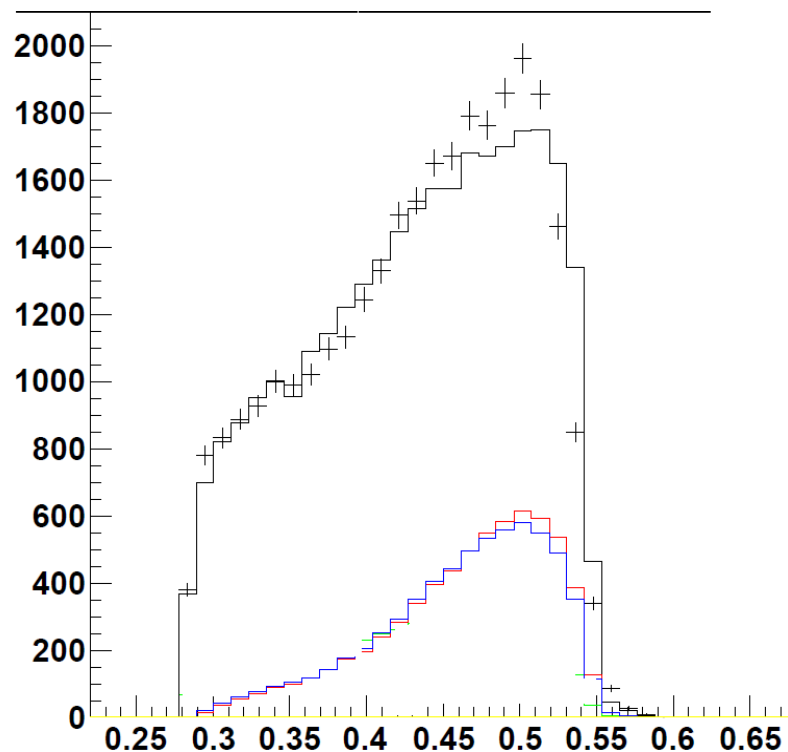


- Important non-resonant (t-channel contribution)

Total :

$$\sigma_\rho = 2.3 \text{ mb (PWA solutions)}$$

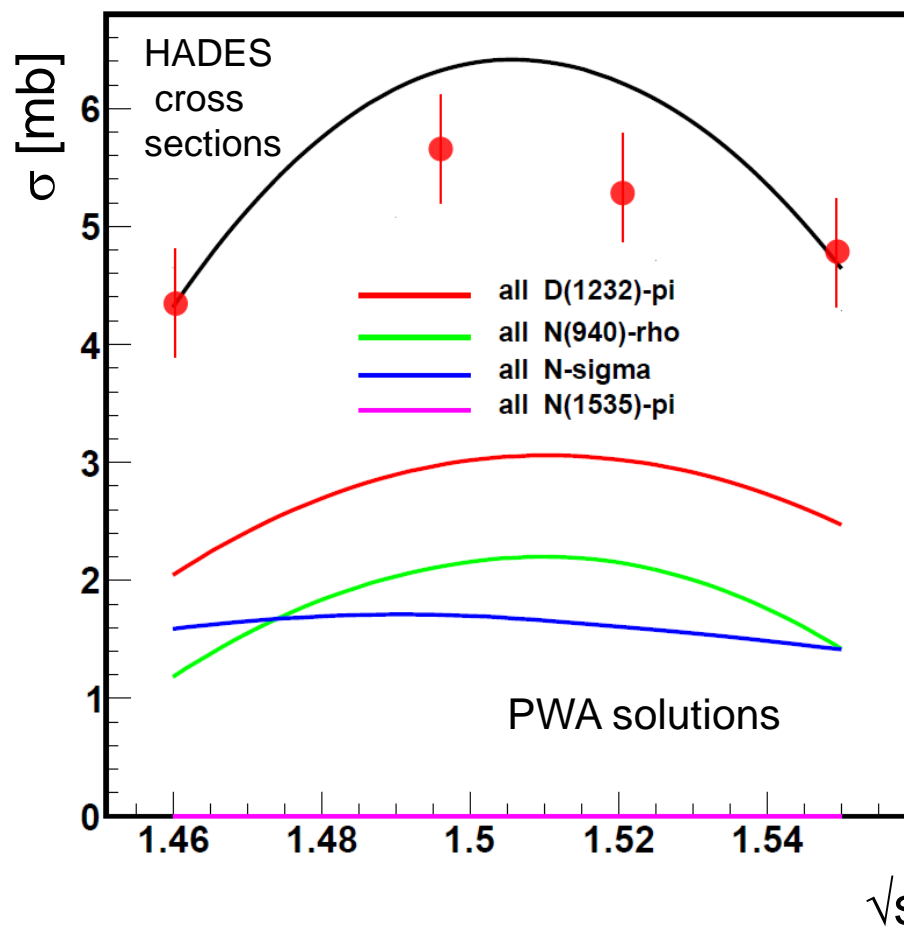
Inside HADES acceptance



- Dominated by s-channel - resonant $D13(1520)$ production

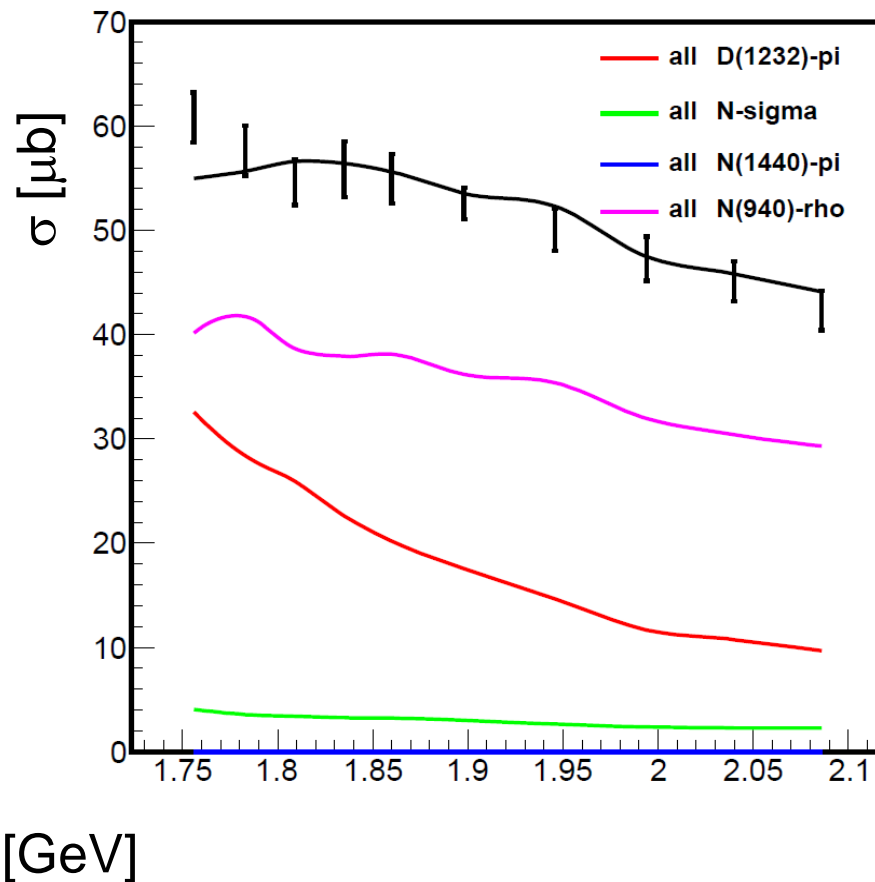
PRELIMINARY

Full solid angle $\pi^-p \rightarrow \pi^+\pi^-n$



BR(D13(1520) \rightarrow N ρ (17%))

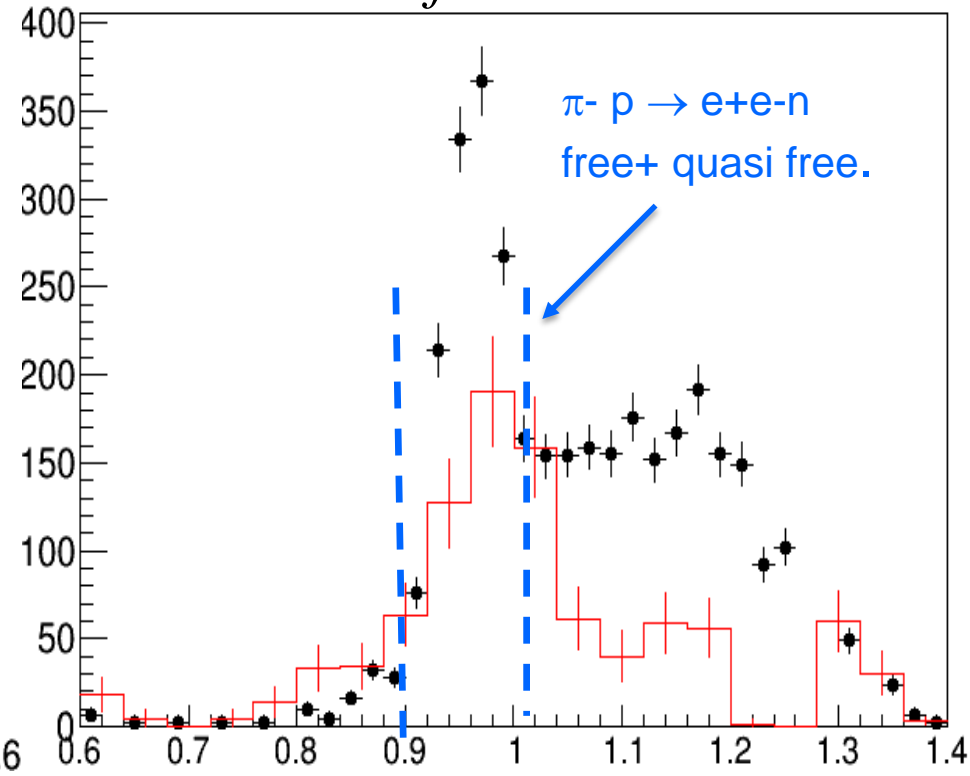
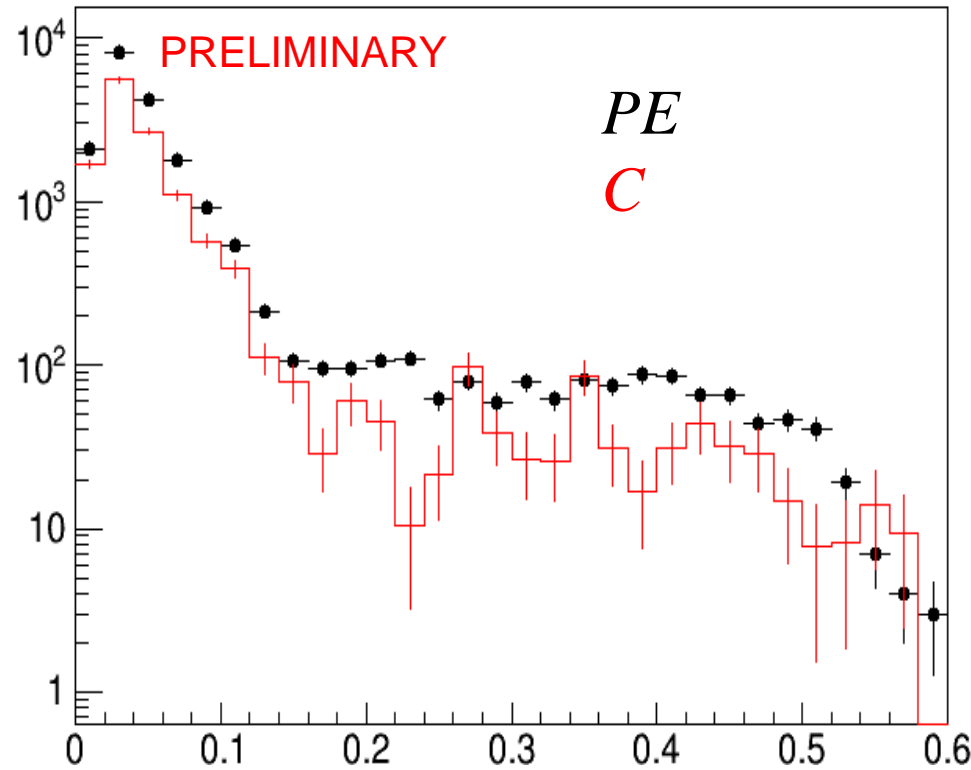
$\gamma p \rightarrow \pi^+\pi^-p$ (SAPHIR, CLAS)



PRELIMINARY

Inclusive inv. mass

Miss. Mass for $M > 120$ MeV



- Too low statistics from carbon (scaled by 5) data for subtraction
- free+"quasi-free" $\pi^- p \rightarrow e+e^- n$ events selected by missing mass cut
- e+e- yield from proton to carbon $\sim 1:2$ ($\pm 20\%$)

e+e- inclusive inv. mass vs model

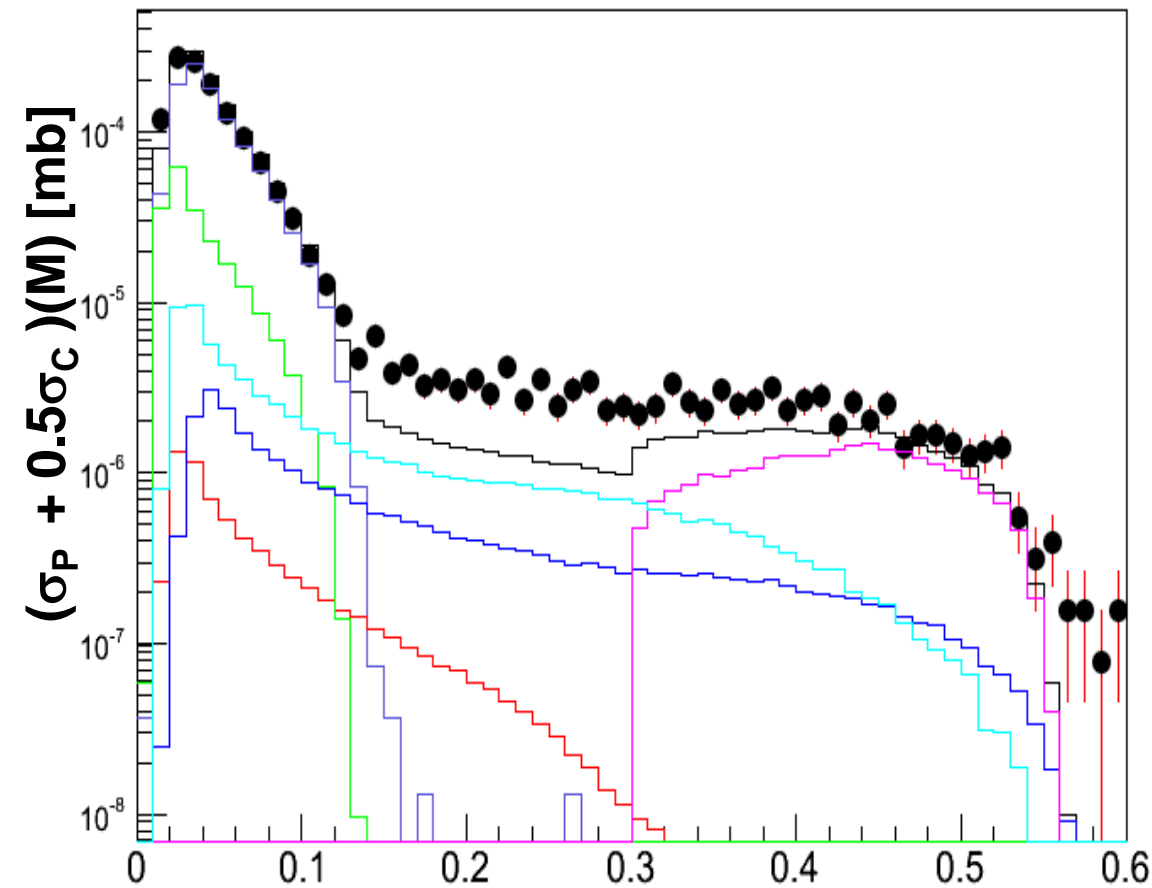
EXP

π^- - PE @ 690 MeV/c

SIM

PLUTO cocktail
based on known σ

PRELIMINARY



$$N_{\text{beam}} = N_{\text{el}} / (\sigma_{\text{el}} * \rho d) \quad (\text{target dens})$$

$$N_{\text{PE}}^{e+e-} = N_{\text{beam}} (\sigma_P + 0.5\sigma_C) \rho d$$

π^0 Dalitz

$2\pi^0$ Dalitz

$\eta \rightarrow \gamma e+e^-$

$N(1520) \text{ (PWA)} \rightarrow ne+e^- \text{ (QED)}$

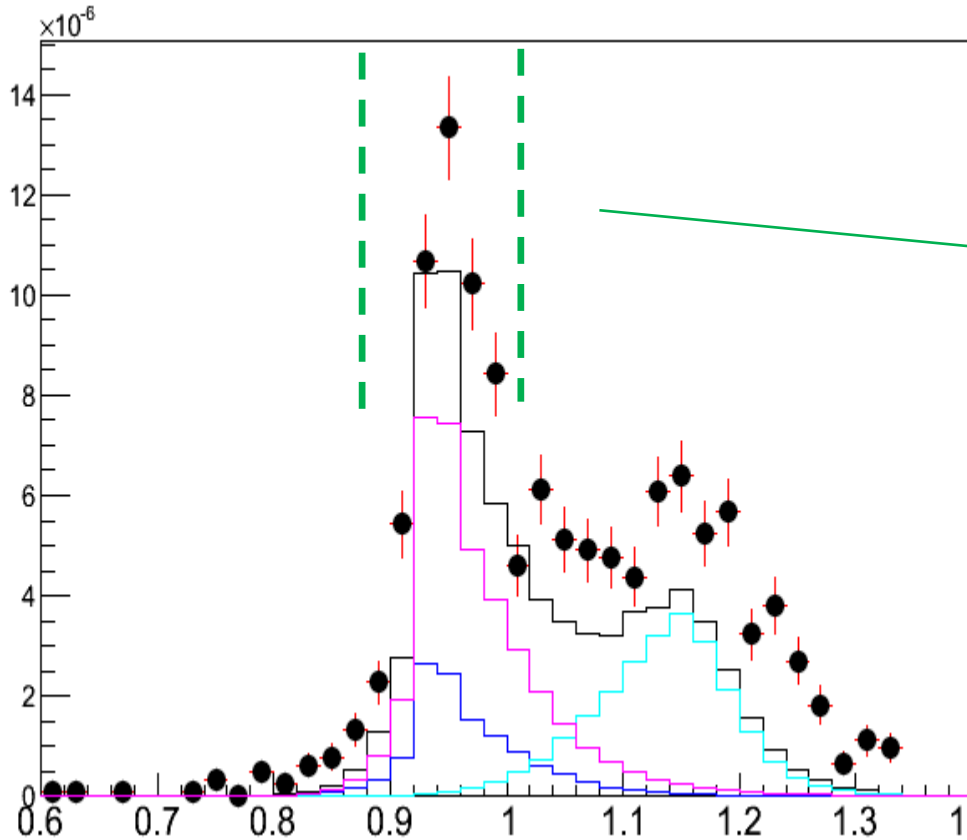
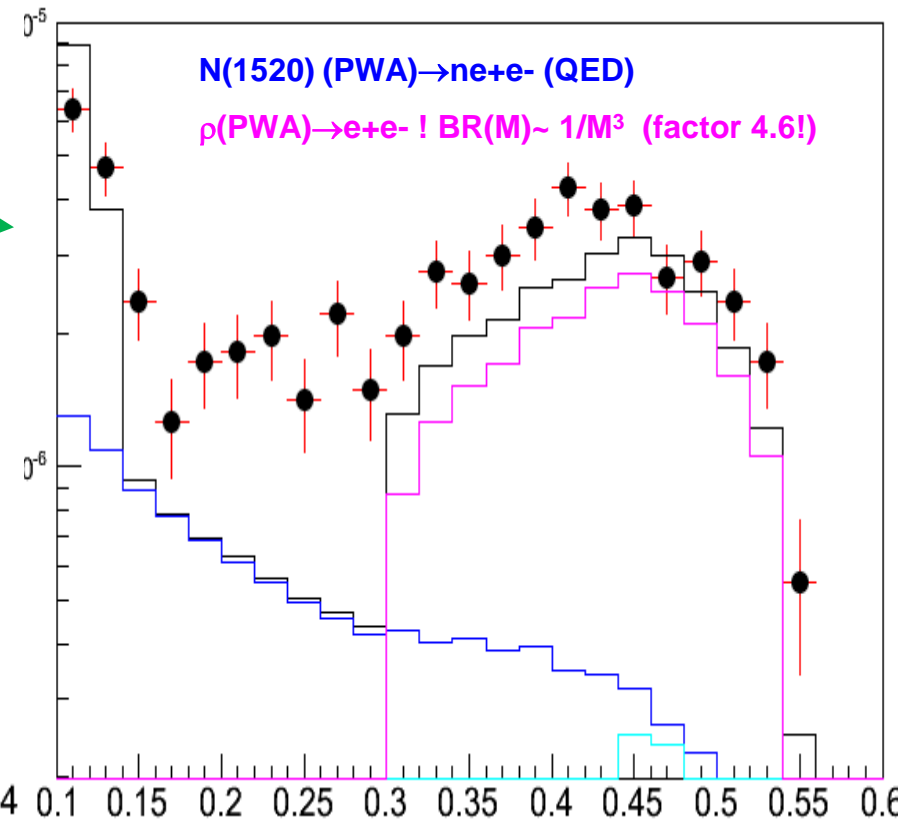
$\rho \text{ (PWA)} \rightarrow e+e^-$

! BR(M) ~ 1/M³ (factor 4.6!)

$\Delta \rightarrow ne+e^- \text{ (QED)}$

Exclusive $\pi\text{-p}\rightarrow\text{e}^+\text{e}^- \text{n}$: comparison to model

PRELIMINARY

Miss. Mass for $M_{e^+e^-} > 120 \text{ MeV}$ *Exclusive inv. mass*

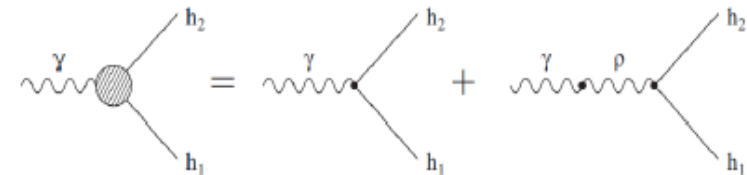
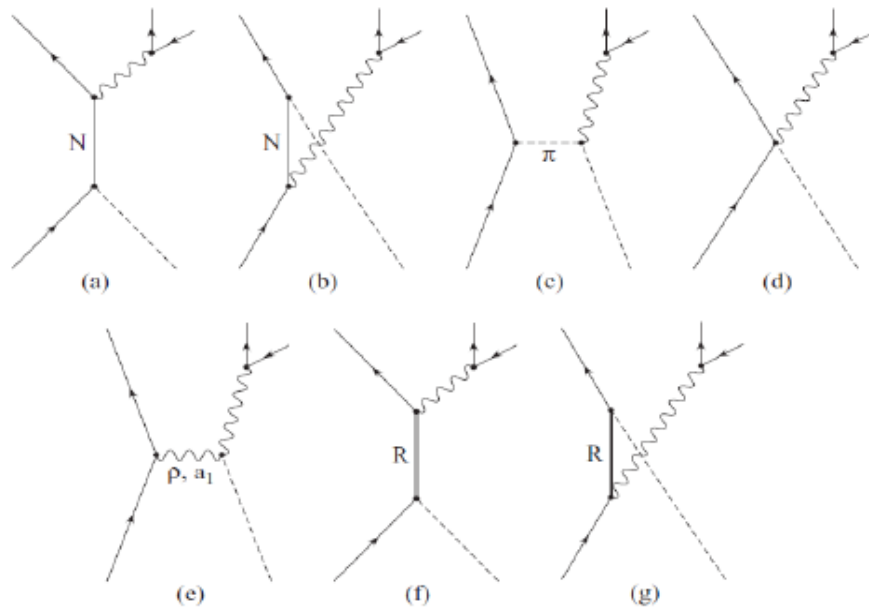
Very strong ρ contribution (along VMD) !

Dilepton production in pion-nucleon collisions in an effective field theory approach

Miklós Zétényi* and György Wolf†

We present a model of electron-positron pair production in pion-nucleon collisions in the exclusive reaction $\pi N \rightarrow N e^+ e^-$. The model is based on an effective field theory approach, incorporating 16 baryon resonances below 2 GeV. Parameters of the model are fitted to pion photoproduction data. We present the resulting dilepton invariant mass spectra for $\pi^- p$ collisions up to $\sqrt{s} = 1.9$ GeV center-of-mass collision energy. **These results are meant to give predictions for the planned experiments at the HADES spectrometer in GSI, Darmstadt.**

Phys. Rev. C 86 (2012) 065209



VMD form factor:

$$F_{\text{VMD}}(k^2) = -\frac{e}{g_\rho} \frac{k^2}{k^2 - m_\rho^2 + i\sqrt{k^2}\Gamma_\rho(k^2)}$$

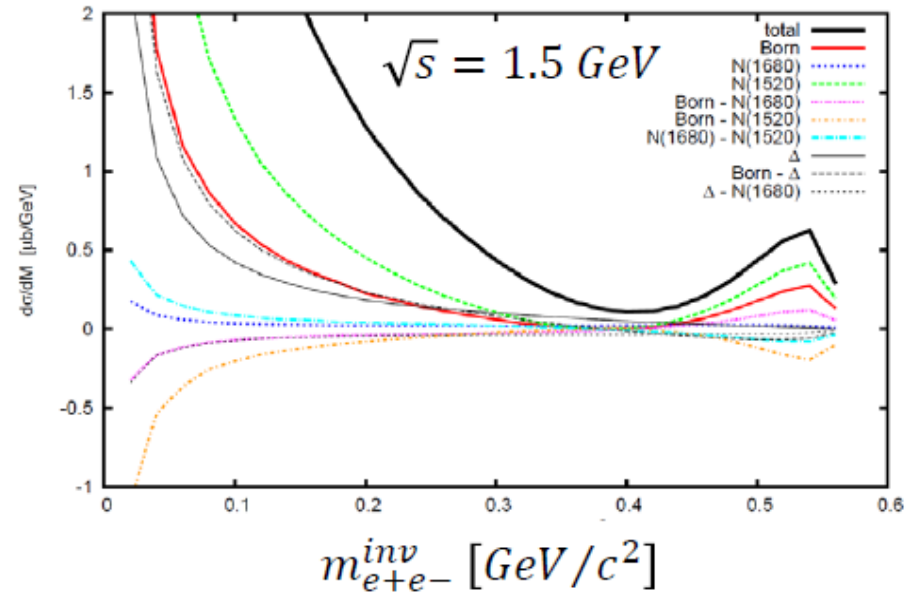
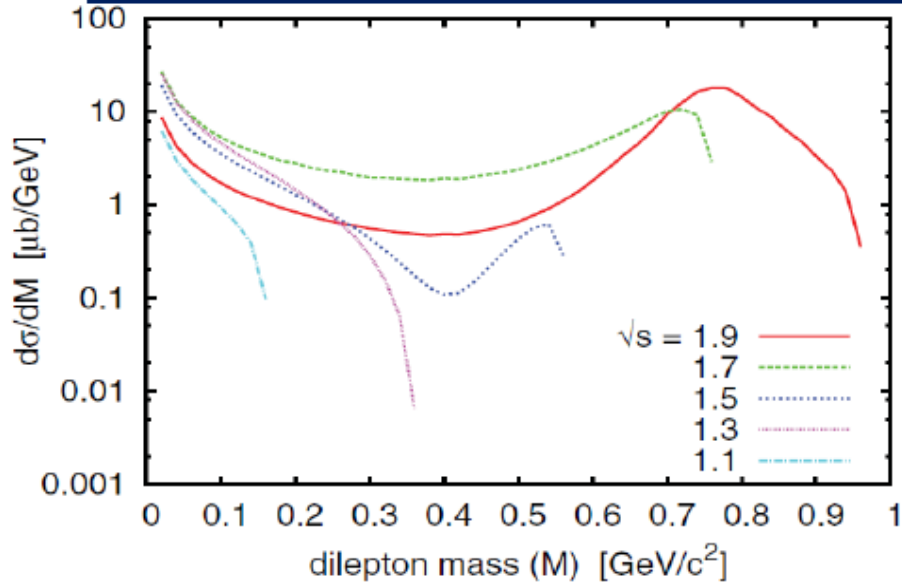
k^2 instead of m_ρ^2

Feynman diagrams contributing to the process

$$\pi + N \rightarrow N + e^+ + e^-$$

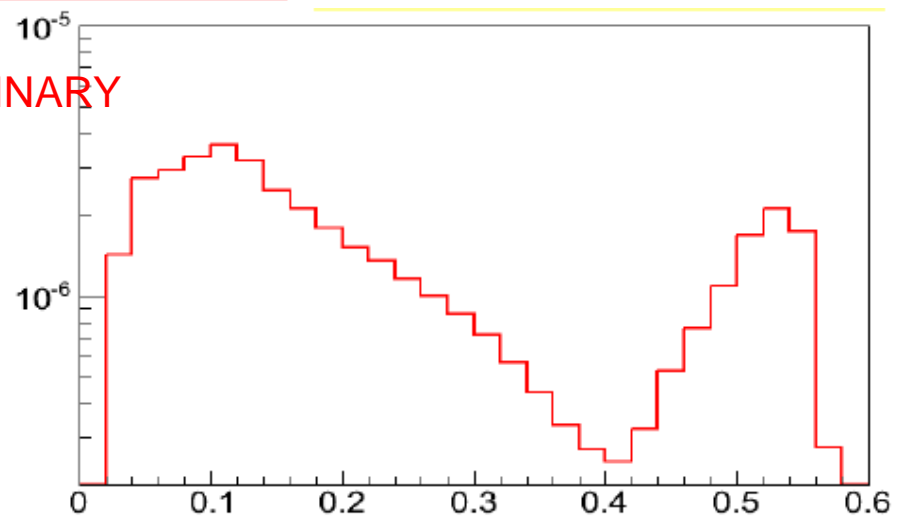
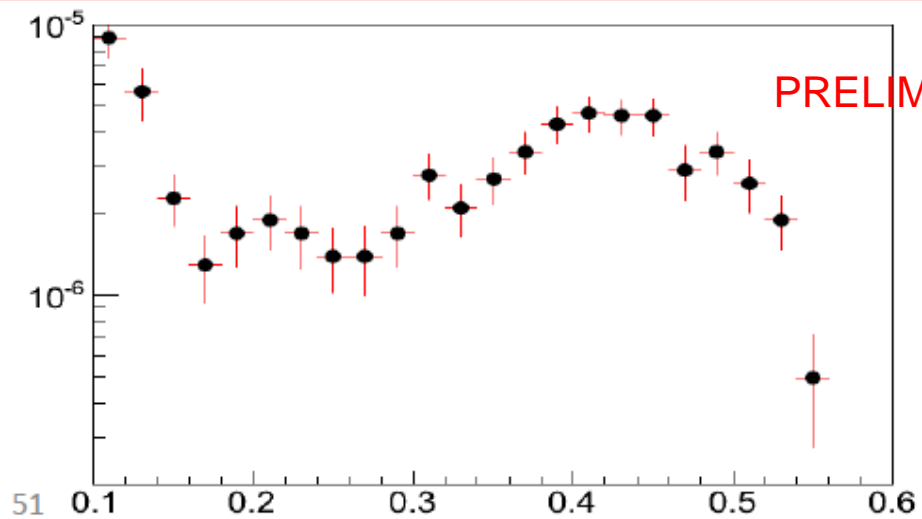
- a) s- b) u- c) t-channel diagrams d) contact interaction term
- e) vector meson exchange diagram
- f) s- g) u-channel baryon resonance contributions

e^+e^- in effective field theory approach



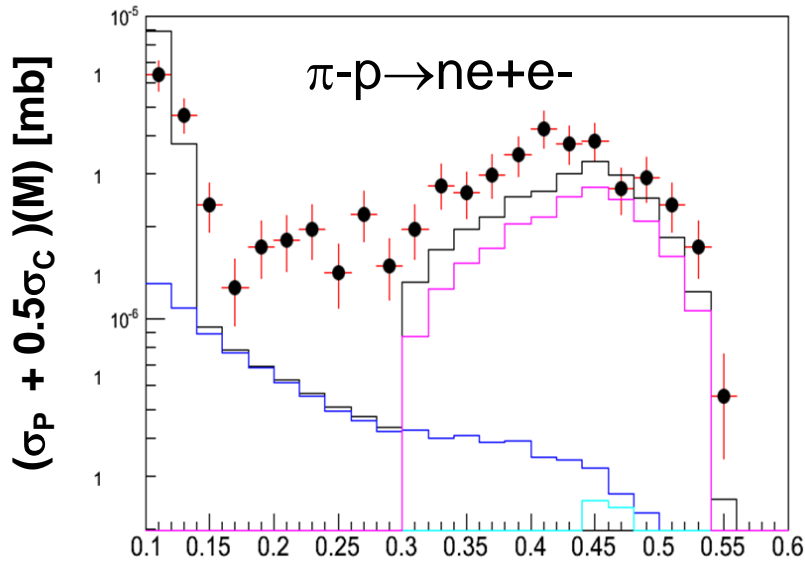
Zetenyi & Wolf: higher $\sqrt{s} = 1.5$ GeV ($\pi^- p$)
HADES: $\sqrt{s} = 1.492$ GeV ($\pi^- p$) and $\sqrt{s} = 1.461$ GeV ($\pi^- C$)

A very different pattern..

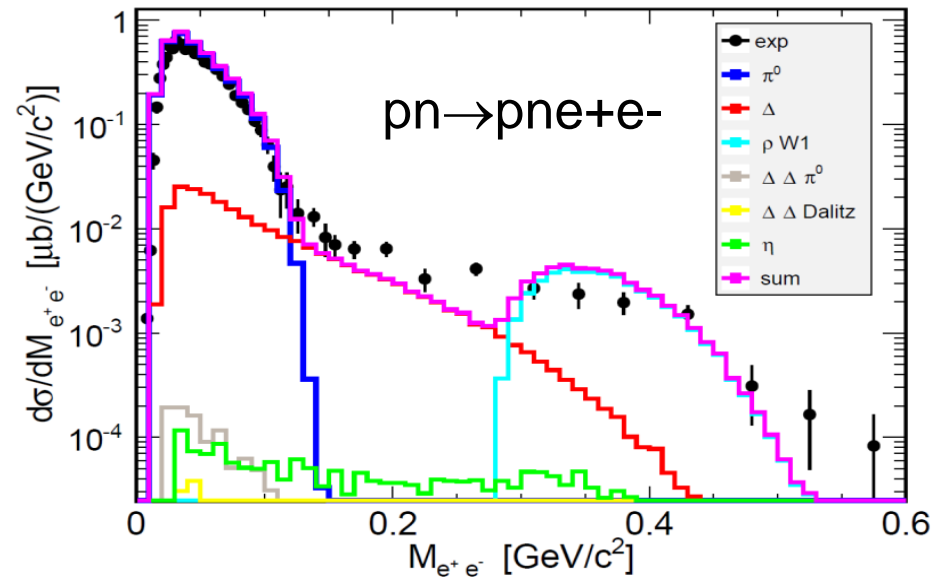


A consistent picture

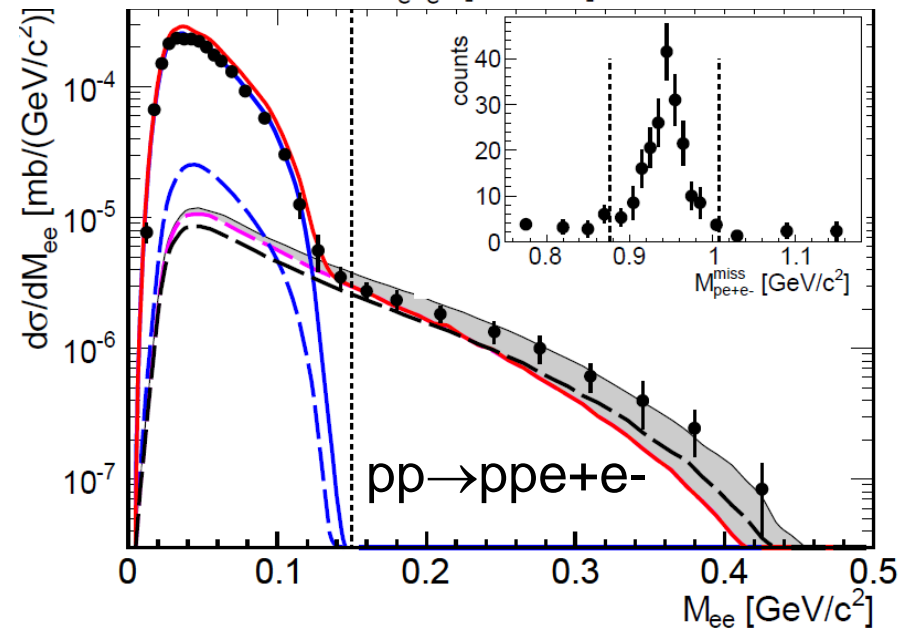
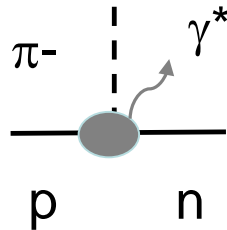
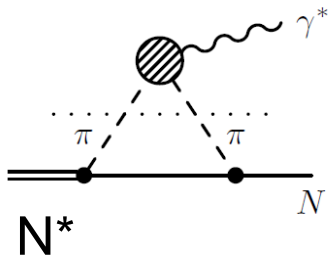
$$\sqrt{s} - M_n = 1.49 - 0.94 = 0.55$$



$$\sqrt{s} - 2M_n = 2.43 - 2 \times 0.94 = 0.55$$



A strong ρ signal correlated with charged pion exchange... pion cloud?

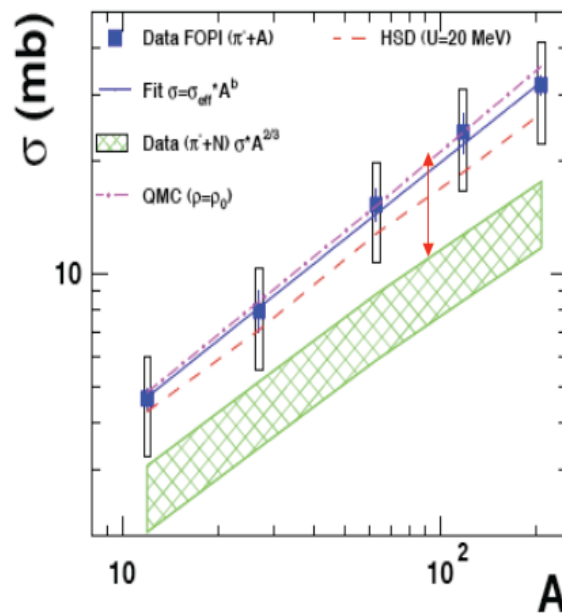
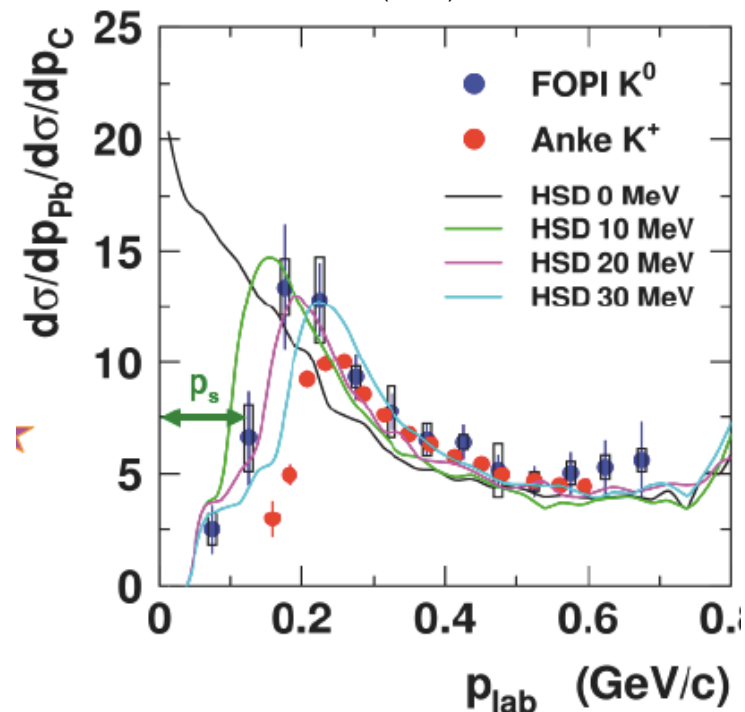


Strangeness production in πA

FOPI : K^0 production in pion induced reactions

K^0_s Cross-Section $\pi+A$


FOPI: PRL102(2009)183591,
 ANKE : EPJA22(2006) 301




$$\sigma(\pi^- + A \rightarrow K^0 + X) = \sigma_{eff} \cdot A^b$$

$$\sigma_{eff} = 0.87 \pm 0.13 \text{ mb}$$

$$b = 0.67 \pm 0.03$$

 Sum of elementary cross-section

 Factor 2: Multiple-step processes?
 Same Trend as a fc. of A

HADES goal: increase statistics,
 differential data

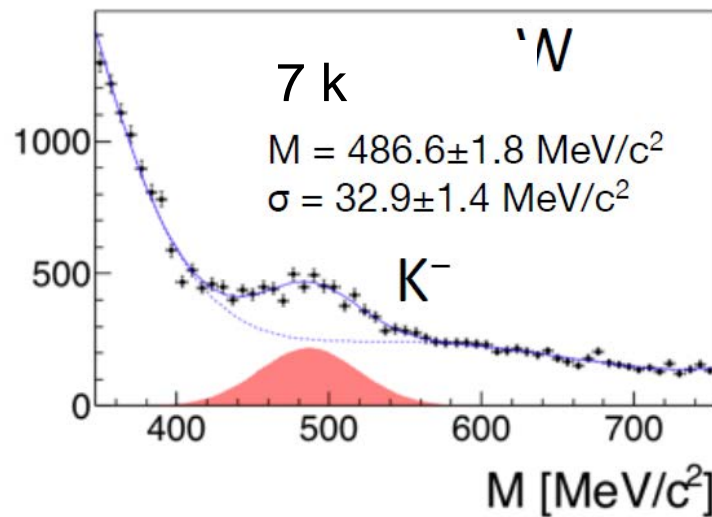
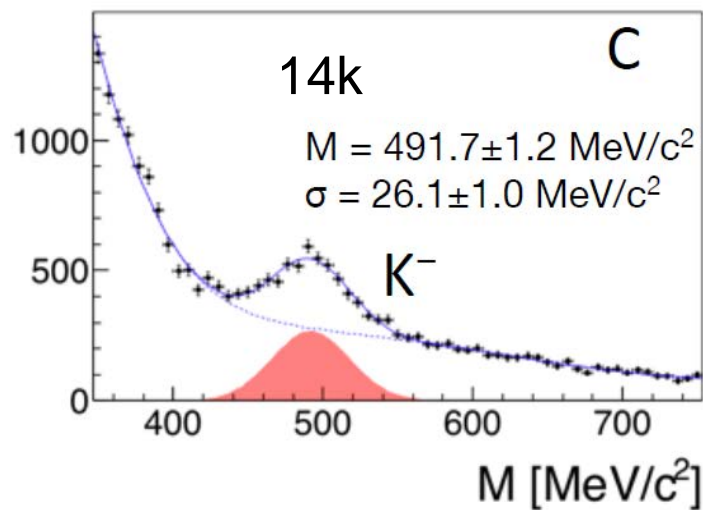
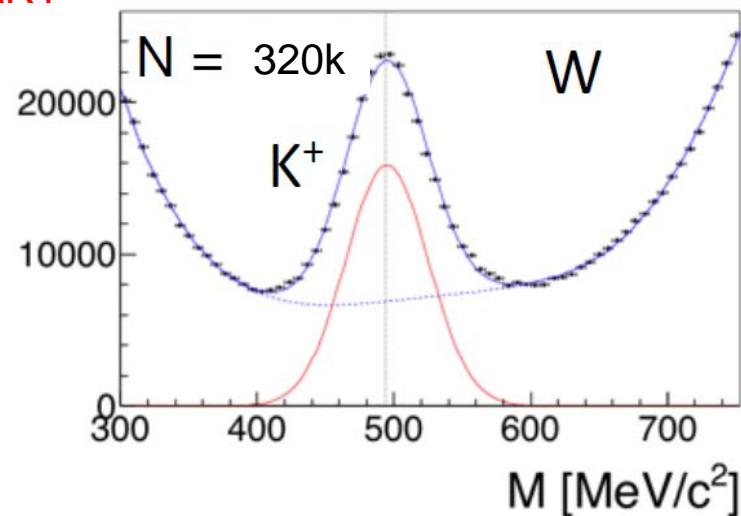
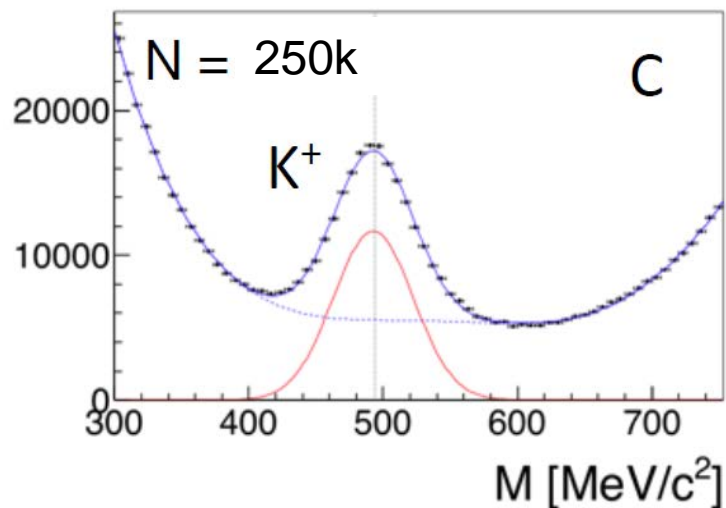
- HADES: K^0/K^+ (p/Nb) only rescattering, no strong absorption

What is the A dependency for K^- as compared to K^+ ?

- Reduced mass $\rightarrow b > 2/3$
- Absorption ... $\rightarrow b < 2/3$

Kaon production

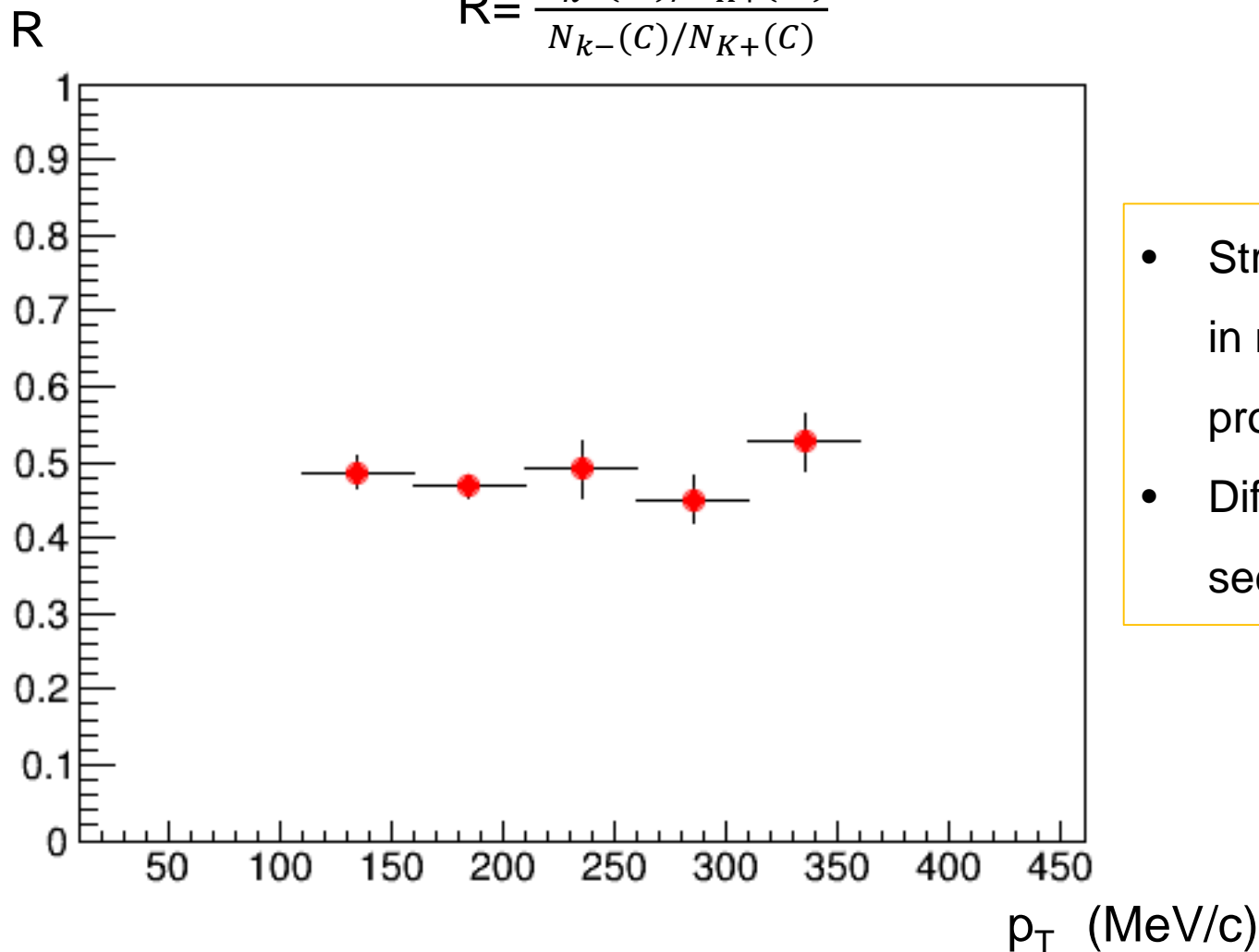
PRELIMINARY



Double ratio;

$$R = \frac{N_{K^-}(W)/N_{K^+}(W)}{N_{K^-}(C)/N_{K^+}(C)}$$

PRELIMINARY



- Strong absorption of K- in nucleus (2N, 3N processes..?)
- Differential cross sections –in progress

Transparency ratio in „cold matter”

- „disappearance of meson in nuclear matter”

Glauber Picture;
CabreraNPA733(2004)130

$$T_A = \frac{\sigma_{\gamma(\pi)A \rightarrow VX}}{A \cdot \sigma_{\gamma(\pi)N \rightarrow VX}}$$

$$\vec{r}' = \vec{r} + l \frac{\vec{q}}{|\vec{q}|}$$

$$\sigma_{\gamma A} = \int d\Omega \int d^3r \rho(r) \frac{d\sigma_{\gamma N}}{d\Omega} \exp\left(\frac{1}{q} \int_0^\infty dl \operatorname{Im} \prod_{\text{medium}}(q, \rho(r'))\right) P(r + \delta r')$$

Production

Absorption

FSI of decay products

- ISI (not for γ), Pauli-blocking, Fermi-motion, secondary processes, shadowing

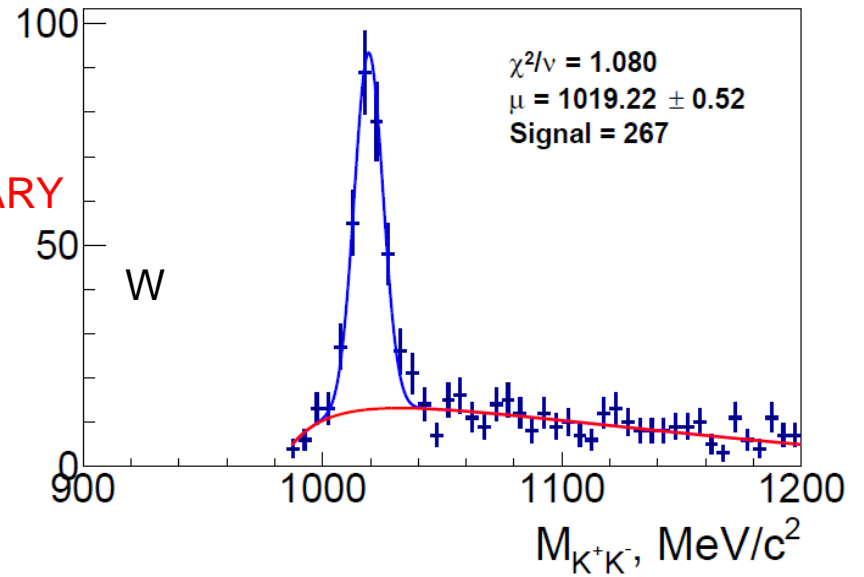
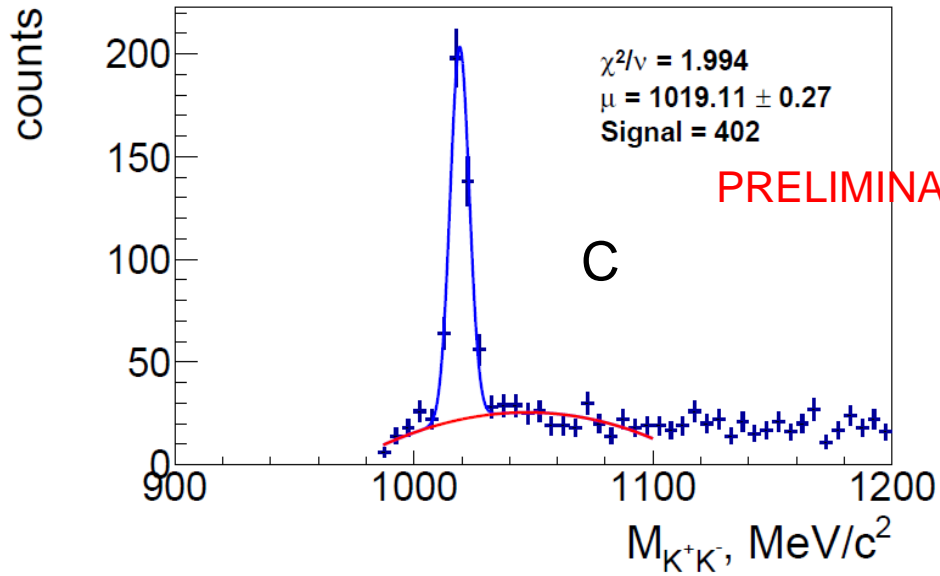
- normalization to C to reduce nuclear effects

in-medium width

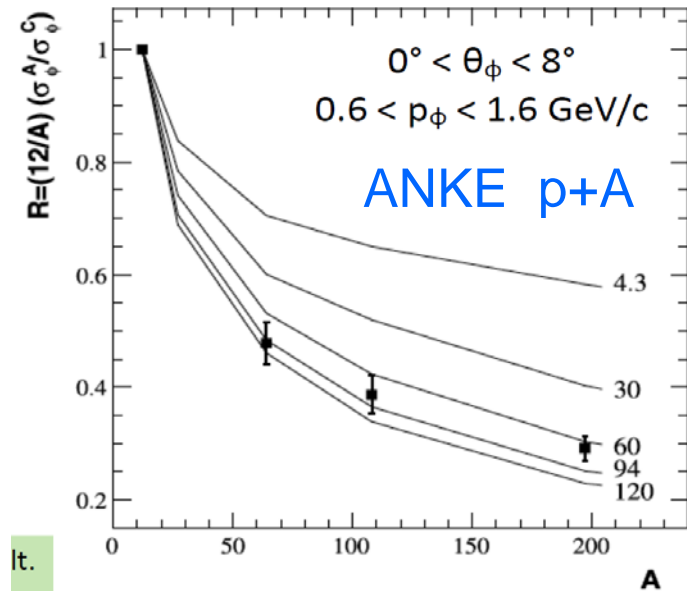
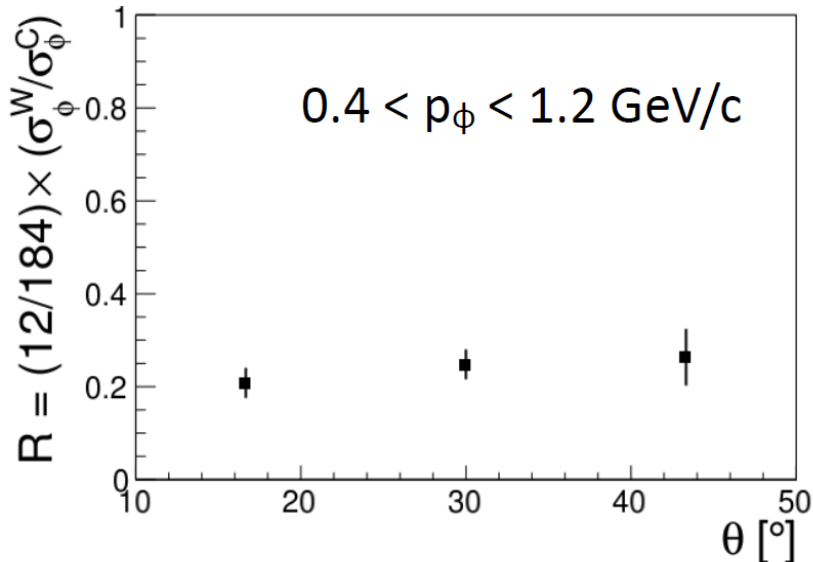
absent for e+e-

$$\Gamma_{\text{coll}}(q) = -\frac{\operatorname{Im} \prod(q)}{\omega}$$

ϕ absorption in π -A collisions @ 1.7 GeV/c

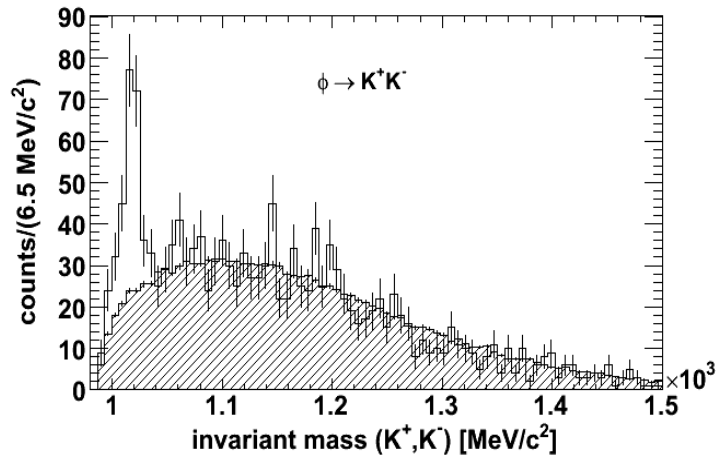


HADES

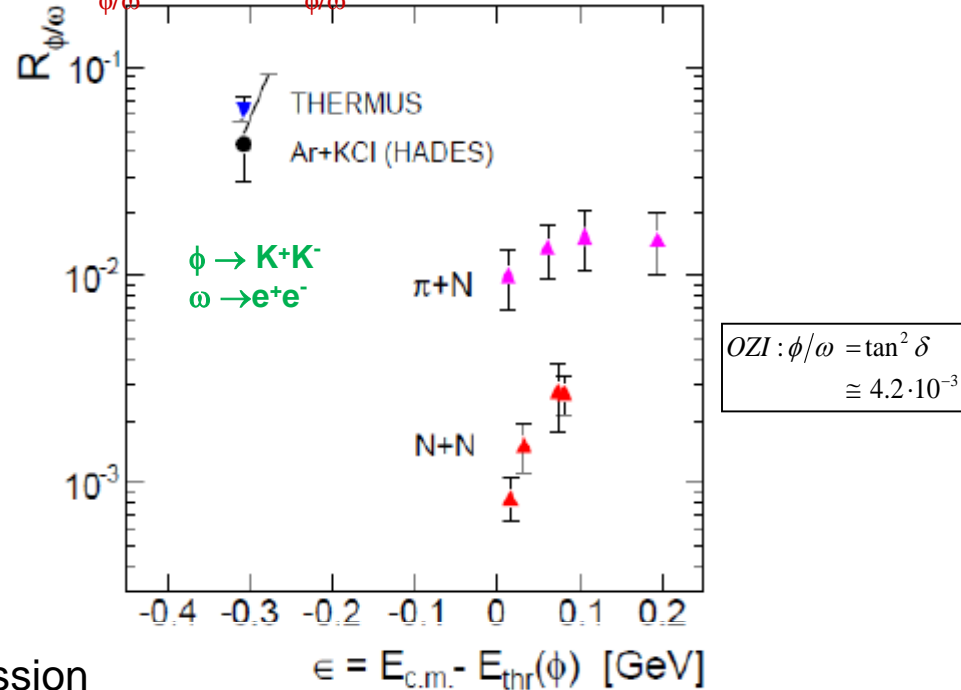


ϕ/K^- and ϕ/ω ratio in A + A

HADES: PRC80(2009)025209



$R_{\phi/\omega}^{A+A} \gg R_{\phi/\omega}$ in NN and πN reactions



☝ enhanced production of ϕ in HI : no suppression

w.r.t ω (i.e OZI rules)... but large absorption in cold nuclear matter?

Maybe origin is same? For example consider strong (15%) $BR(\phi \rightarrow \rho\pi)$ which can be increase in medium, but then also can lead to $\rho\pi \rightarrow \phi$ production

Summary and outlook

- HADES & pion beam is an unique tool to understand in details baryon $\leftrightarrow\rho$ couplings
- Significant off-shell ρ contribution originating from

D13(1520) shown by combined PWA and e+e- data

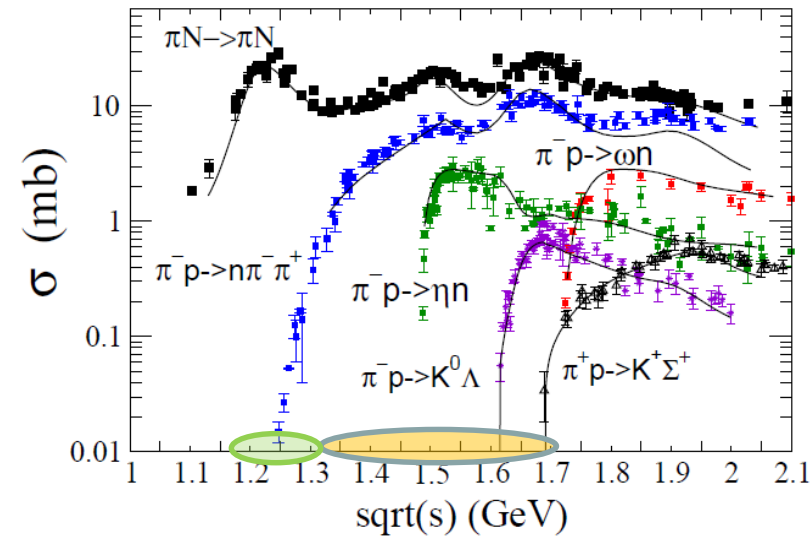
- Large impact on e+e- production !

Important for interpretation of HADES p+Nb

- New good quality data on kaon and ϕ meson production off nucleus

WHAT NEXT?

- High statistics beam energy scan : continuation and extension to third resonance region
- Hadronic final states ,one pion, 2 pion, hyperon production to control resonance excitation (HADES upgrade with el. calorimeter !- neutral final states!)
- Dielectron measurements
- Hadron and dielectron production in $\pi+A$

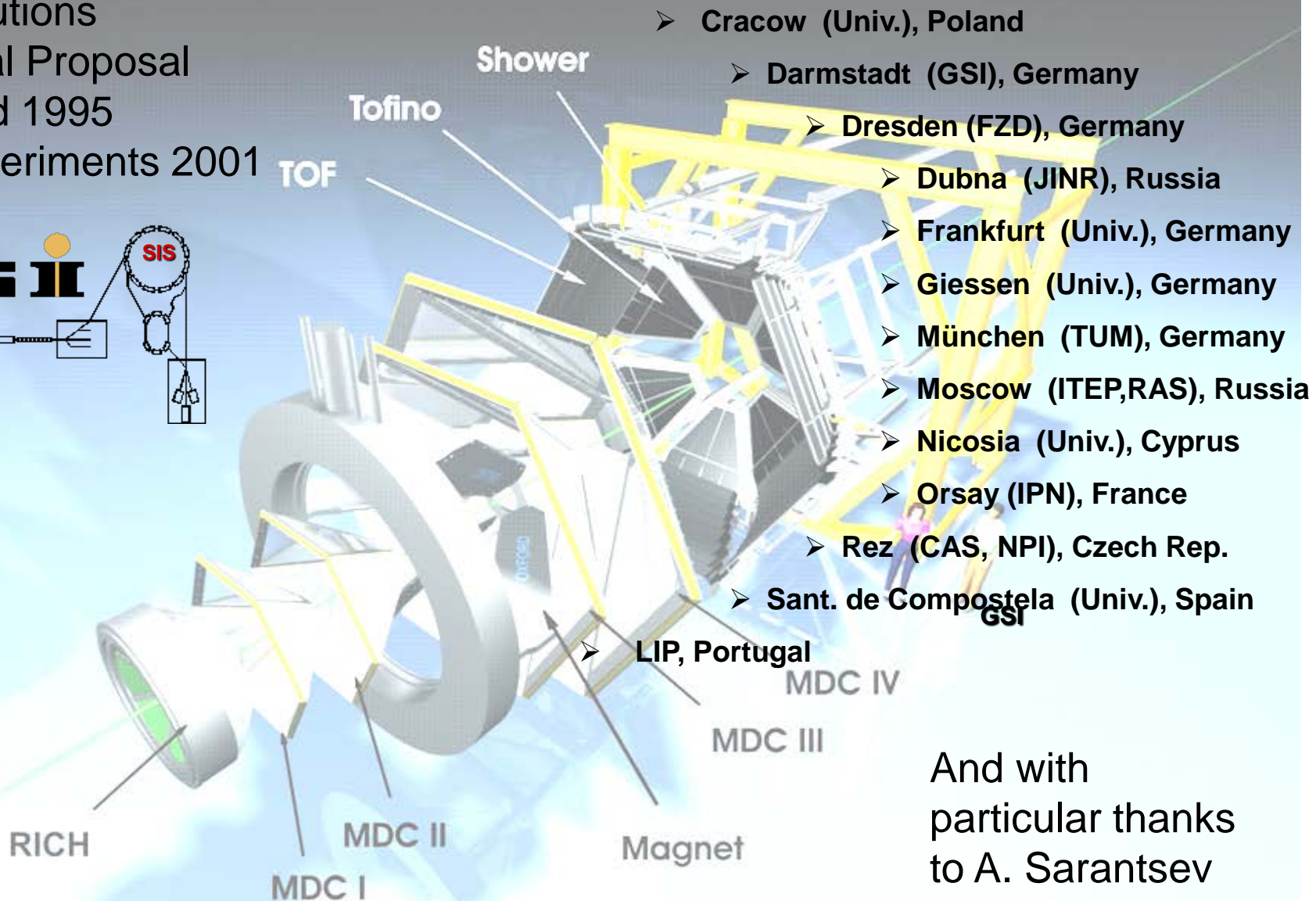
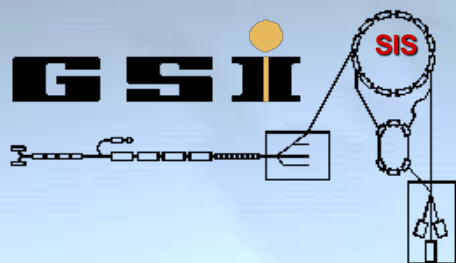


2014 > 2017?

The HADES collaboration

HADES

13 Institutions
Technical Proposal
accepted 1995
First experiments 2001



And with
particular thanks
to A. Sarantsev